



A Physically Self-Consistent Baseline Model and Spatial Distribution Simulation for Global Cosmogenic Nuclide Production Rates

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Abstract. This paper develops a numerical model of cosmic-ray interactions with the Earth's atmosphere using the Geant4 Monte Carlo package, and simulates the neutron flux distribution over flat, unshielded terrain at various latitudes and altitudes globally. The production rates of cosmogenic nuclides (^{10}Be , ^{26}Al , ^{14}C , and ^{21}Ne) are calculated using a "baseline production rate + flux scaling factor" strategy: baseline production rates for each nuclide are first obtained by convolving the neutron energy spectrum with experimental excitation functions at a reference point, and then extrapolated globally using the spatial scaling factors of neutron flux derived from Geant4 simulations. The results are systematically compared with the Argento (MCNP) and Lifton (LSDn) models, showing good agreement under most conditions. This work is based on a pure Geant4 framework, with all scaling factors derived from unified physical simulations and without introducing any empirical scaling factors fitted to measured data. It provides a physically self-consistent baseline reference for global-scale calculations of cosmogenic nuclide production rates.

1. Introduction

Cosmic rays interacting with the Earth's atmosphere generate a large number of secondary particles, which in turn produce cosmogenic nuclides such as ^{10}Be , ^{26}Al , ^{14}C , and ^{21}Ne (Schaefer et al., 2022; Gosse and Phillips, 2001; Ivy-Ochs and Kober, 2008; Granger and Muzikar, 2001). These nuclides are widely used in surface exposure dating, burial dating, and reconstruction of geological processes, and the accuracy of production rate calculations directly determines the reliability of dating results. In the development of methodologies, Lal & Peters (1967) first established the physical framework for cosmogenic nuclide production rates (the "Lal–Peters curve"), but their



30 approach relied on analytical approximations, with precision limited by the computational
31 capabilities of that era. Masarik (1995), based on the LAHET Code System, introduced Monte
32 Carlo methods into this field for the first time, demonstrating the feasibility of numerical
33 simulations, although the code has since become outdated. Gordon et al. (2004) measured ground-
34 level neutron fluxes across the United States using Bonner sphere spectrometers, revealing the
35 spectral structure, but the measurement coverage was limited and difficult to extrapolate globally.
36 Masarik & Beer (2009) employed a hybrid GEANT/MCNP code to investigate the effects of solar
37 activity and the geomagnetic field on production rates, but their approach relied on data exchange
38 between different codes. Dunai (2000) incorporated the non-dipole components of the geomagnetic
39 field into the scaling framework; however, Desilets et al. (2001) pointed out that outdated data were
40 used, and this controversy exposed the inherent limitations of purely empirical scaling methods.
41 Argento (2015) conducted independent simulations based on MCNP6 without code mixing, but its
42 nuclear database (ENDF/B-VII) and transport algorithms exhibit systematic differences from those
43 of Geant4. The LSDn model of Lifton et al. (2014) employs analytical approximations combined
44 with empirical corrections, offering computational simplicity, yet its accuracy is constrained by the
45 applicability of fitting functions in regions with complex geomagnetic fields. Čechvala et al. (2023)
46 validated the feasibility of Geant4 in extraterrestrial scenarios, but did not address the complex
47 environment of Earth's atmosphere. A common issue underlying all the above works is that different
48 models adopt different code combinations, nuclear databases, transport algorithms, or empirical
49 correction factors, making it difficult to establish a unified physical baseline among the results and
50 rendering the physical sources of production rate deviations difficult to trace. To address this gap,
51 our solution is as follows: based on a pure Geant4 framework, we employ a unified physics list
52 (QGSP_BIC_HP) and a single nuclear database (G4NDL) to independently complete the entire
53 workflow, from primary GCR particle emission and atmospheric modeling to neutron flux
54 simulation. Production rates are calculated using a "baseline production rate + flux scaling factor"
55 strategy, with all scaling factors derived from simulations within the same physical framework and
56 without introducing any empirical scaling factors fitted to measured data. This paper calculates the
57 global distributions of production rates for ^{10}Be , ^{26}Al , ^{14}C , and ^{21}Ne in surface rocks, covering all
58 latitudes (0° – 90°) and elevations from 0 to 5 km, and systematically compares the results with the



59 Argento and Lifton (LSDn) models. The spatial distributions of production rates are entirely
60 predicted by a physically self-consistent model, and all results are presented for flat, unshielded
61 surface conditions, providing a clear baseline reference for subsequent studies incorporating
62 shielding effects such as topography and vegetation.

63 **2. Methods for Cosmogenic Nuclide Production Rate Calculation**

64 The development of in situ cosmogenic nuclide production rate calibration methods has undergone
65 an evolution from "purely empirical constraints" to "analytical parameterization," and then to "full
66 physical simulation." Throughout this progression, the underlying tension between computational
67 efficiency and physical fidelity, as well as the issue of physical self-consistency across different
68 Monte Carlo frameworks, has remained persistent. Phase I (1990s–early 2000s): Empirical
69 Calibration and Foundational Analytical Frameworks Lal (1991), based on limited global neutron
70 monitor data and a small number of geological calibration sites, proposed a latitude-altitude
71 production rate polynomial under the dipole field approximation (Lal, 1991). The fundamental
72 deficiency of this scheme lies in the fact that neutron monitor stations are predominantly
73 concentrated in the mid-to-high latitudes of the Northern Hemisphere, leaving the polynomial
74 coefficients for the Southern Hemisphere and oceanic regions essentially unconstrained. Stone
75 (2000) improved the mathematical formulation of the polynomial (Stone, 2000), but did not
76 overcome this data scarcity predicament. The defining methodological characteristic of this phase
77 is the "constraint of nuclide production rates by geological calibration sites"—the accuracy of
78 production rates was entirely dependent on the accuracy of geological age constraints, forming an
79 inextricable circular dependency. Phase II (2006–2014): The Advent of Monte Carlo Simulations
80 and Parameterization Refinement. Desilets et al. (2006) recalibrated the non-dipole components
81 within the Lal-Stone framework using Monte Carlo simulations for the first time (Desilets et al.,
82 2006), shifting the anchor point of production rate calibration from geological age constraints
83 partially toward nuclear physics simulations—a significant methodological advancement. However,
84 its limitation lay in the fact that the structure of the analytical expressions remained unchanged; the
85 inherent smoothness of the polynomial merely redistributed rather than eliminated the fitting
86 residuals in regions of strong geomagnetic anomalies. (Webber et al., 2007) (Sato et al., 2008)



87 using FLUKA and PHITS respectively, independently calculated cosmic-ray neutron energy
88 spectra, yet exposed a deeper issue: due to differences in hadronic interaction models and low-
89 energy neutron cross-section libraries between different Monte Carlo codes, the vertical neutron
90 flux profiles produced exhibited systematic normalization discrepancies. During this period, "code
91 dependency" gradually emerged as an unavoidable methodological issue. The LSDn model of
92 (Lifton et al., 2014) represents the integration of this approach—essentially an analytical
93 approximation of Monte Carlo simulation results with empirical corrections. While
94 computationally efficient, the empirical correction factors depend on specific code versions and
95 geomagnetic field models, making extrapolation uncertainties difficult to quantify when
96 transferring to different geomagnetic reference models. Phase III (2015–present): The Rise of Full
97 Physical Simulation and the Salient Demand for Methodological Self-Consistency Argento (2015),
98 based on MCNP6 and the ENDF/B-VII nuclear database (Argento et al., 2015), achieved a
99 transition from functional approximation to particle tracing by calculating geomagnetic cutoff
100 rigidities through particle-by-particle trajectory tracking in a real dipole field. However, its full
101 accuracy is constrained by the fundamental discrepancies in core physical modeling between
102 MCNP and Geant4: at the hadronic physics level, differences in cascade and fragmentation models
103 between the two codes lead to discrepancies in the hardness and angular distribution of secondary
104 neutron spectra; in thermal neutron treatment, MCNP relies on the $S(\alpha, \beta)$ thermal scattering law
105 from the ENDF/B library, whereas Geant4's HP model features different descriptions of low-energy
106 neutron thermalization details; at the nuclear database level, identifiable deviations exist between
107 ENDF/B-VII and G4NDL for specific nuclide reaction cross-sections. These discrepancies
108 represent systematic deviations under different physical approximation systems. Embedding
109 Argento's production rate coefficients directly into a Geant4 workflow would mean that production
110 rate calibration and target application operate under different physical assumptions, constituting an
111 unresolvable source of error. The broader lesson is general: production rate coefficients are not
112 transferable across codes; calibration and application must be conducted within a strictly unified
113 physical framework.

114 Based on the above examination of methodological deficiencies across the three technical
115 phases—the circular dependency of empirical calibration, the structural limitations of



parameterization schemes, and the risk of physical inconsistency in cross-code transfer—this study adopts a pure Geant4-based production rate calibration strategy. All scaling coefficients are derived from a single physics list (QGSP_BIC_HP) and a single nuclear database (G4NDL), with no empirical correction factors introduced, ensuring physical self-consistency throughout the entire logical chain from cosmic-ray incidence to nuclide accumulation. The High Precision (HP) neutron model within QGSP_BIC_HP directly affects the production rate accuracy of nuclides such as ^{10}Be through its treatment of thermal neutron capture reactions—precisely the critical area where disagreements between different codes emerge. This work aims to establish a physically pristine, traceable benchmark calibration system.

3. Production Rate Calculation Strategy: Benchmark Production Rate and Flux Scaling

This paper proposes an equivalent scheme of "benchmark production rate + flux scaling coefficients." The core innovation of this scheme lies in concentrating the physical rigor of production rate calibration at a single reference point, while reducing the simulation of spatial distribution to a pure neutron transport problem, thereby achieving an optimal balance between physical self-consistency and computational feasibility. The physical basis for this approach is that the production of cosmogenic nuclides (e.g., ^{10}Be , ^{14}C) is predominantly governed by fast-neutron spallation reactions, with excitation functions varying relatively smoothly over a broad energy range (~10 MeV to several GeV), making the effect of variations in neutron spectral shape with geographical location on the production rate scaling ratio only a secondary effect. This characteristic is the physical prerequisite for the validity of the present scheme and constitutes its fundamental distinction from previous empirical scaling methods—the scaling coefficients are entirely determined by Geant4 hadron transport physics, with no empirical correction factors introduced, thereby preserving the same physical kernel as the reference point.

The implementation proceeds in three steps. (1) Rigorous calibration of the benchmark production rate: A reference point at low latitude (0° – 10°) and an altitude of 5 km is selected, where geomagnetic shielding is weakest and the fast-neutron flux fraction is maximized, effectively suppressing interference from the thermal neutron capture component. The complete neutron differential energy spectrum $\Phi_{\text{ref}}(E)$ is simulated at this point and rigorously convolved with the



144 experimentally constrained excitation functions $\sigma_i(E)$ on an energy-point-by-energy-point basis
145 to obtain the benchmark absolute production rate P_{ref} for each nuclide (see Table 3). This
146 convolution is the sole complete spectrum–cross-section coupled calculation in the scheme, and its
147 accuracy directly determines the absolute accuracy of the entire production rate calibration system.
148 (2) Physical transport simulation of spatial scaling coefficients: For all latitude/altitude grid points,
149 the neutron flux ratio relative to the reference point is independently simulated to obtain the scaling
150 coefficients $S(\lambda, h)$ (see Table 2). These coefficients are derived directly from Geant4 simulations
151 of the complete atmospheric cascade process of primary cosmic-ray particles, with geomagnetic
152 cutoff rigidity deflection and the modulation of secondary neutron energy spectra by atmospheric
153 depth both described uniformly by the same physics list (QGSP_BIC_HP) and nuclear database
154 (G4NDL), ensuring complete physical self-consistency with the reference point. (3) The final
155 production rate is given by $P(\lambda, h) = P_{\text{ref}} \times S(\lambda, h)$.

156 This scheme offers three advantages over existing approaches. First, physical self-consistency:
157 The entire logical chain from cosmic-ray incidence to nuclide accumulation is closed within the
158 same Geant4 physical framework, fundamentally avoiding the risk of physical inconsistency
159 caused by cross-code transfer between production rate calibration and target application that
160 plagued previous studies. Second, computational efficiency and traceability: The costly point-by-
161 point convolution is reduced to a single accurate benchmark convolution plus a series of pure
162 transport simulations, achieving an order-of-magnitude improvement in efficiency. Moreover, the
163 origin of each production rate value can be traced back to specific physical processes, without the
164 information loss caused by polynomial smoothing in parameterization schemes. Third, extensibility:
165 This framework physically decouples absolute production rate calibration from spatial distribution
166 simulation—if more accurate excitation function experimental data become available in the future,
167 only the reference point P_{ref} needs to be updated, and the global grid can be directly mapped
168 using the existing scaling coefficients without the need for repeated large-scale particle transport
169 simulations. This capability is not possessed by any parameterization or empirical calibration
170 scheme.

171 3.1 Composition of Galactic Cosmic Rays



Galactic cosmic rays (GCR) are composed of 87% protons, 12% alpha particles, and 1% heavy nuclei^[19]. In this study, the solar modulation potential ϕ is set to 550 MV, which governs the spectral shape of the GCR differential energy spectrum—higher ϕ values indicate stronger solar activity and correspondingly lower GCR fluxes. The simulation employs the Geant4 General Particle Source (GPS) module, with a spherical shell of radius 6478 km centered at the Earth's center as the emission source. Particles are generated uniformly on the spherical surface, with emission directions following a local cosine-law angular distribution. A total of 5×10^6 primary particles are emitted. The omnidirectional flux of GCR protons is $3.18 \text{ cm}^{-2} \text{ s}^{-1}$, and that of alpha particles is $0.22 \text{ cm}^{-2} \text{ s}^{-1}$ (Chen et al., 2017). It should be particularly noted that these values represent the 4π integrated flux, i.e., the total particle emission rate per unit area of the spherical shell surface into all outward directions. In the actual physical scenario, any point on the spherical shell surface only receives incident particles from the upper hemisphere; the effective flux must be integrated over the zenith angle θ (from 0 to $\pi/2$) and azimuthal angle ϕ , as shown in Eq. (1)

$$I_{\text{eff}} = I_0 \int_0^{2\pi} d\phi \int_0^{\pi/2} \cos\theta \sin\theta d\theta = I_0 \cdot 2\pi \cdot \frac{1}{2} = \pi I_0 \quad (1)$$

where θ is the angle between the particle incidence direction and the surface normal (zenith angle), and ϕ is the azimuthal angle. Since the 4π integrated flux is $I_0 \times 4\pi$, the ratio of the effective surface flux to this value is given by Eq. (2)

$$\frac{I_{\text{eff}}}{I_0 \times 4\pi} = \frac{\pi I_0}{4\pi I_0} = \frac{1}{4} \quad (2)$$

Therefore, the effective flux should be one-quarter of the shell emission flux, i.e. $0.795 \text{ cm}^{-2} \cdot \text{s}^{-1}$.

This treatment accurately reflects the actual physical scenario of GCR particles interacting with the planetary surface, ensuring the subsequent correctness of cosmogenic nuclide production rate calculations.

3.2 Geophysical Models

3.2.1 Earth's External Magnetic Field

J. Masarik and J. Beer designed the geomagnetic field based on particle magnetic rigidity (momentum per unit charge, $R = pc/Ze$, where p is momentum, Ze is the particle charge, and c is



the speed of light) ^[6], and converged the vertical cutoff rigidity at every 10° latitude. In this study, the cutoff rigidity of the Earth's magnetic field is calculated using the formula $R_c = 14.9 \times \cos^4(\lambda)$, where λ denotes the geomagnetic latitude. This formula reflects the characteristic that cutoff rigidity increases with increasing latitude, reaching its minimum near the polar regions ($\lambda = 90^\circ$) and its maximum at the equator ($\lambda = 0^\circ$). It should be noted that this magnetic field expression is only an approximation, which may introduce deviations in the calculated flux and production rates. It is also worth pointing out that this dipole field approximation introduces certain deviations in low-latitude regions, particularly over the South Atlantic Anomaly. Nevertheless, for a global-scale benchmark simulation, the balance between computational efficiency and physical simplicity is reasonable.

3.2.2 Earth's Composition and Structure

In the simulations presented herein, the Earth is approximated as a uniform sphere with a radius of 6378 km and a surface density of 2 g/cm³ (with elemental composition and proportions listed in Table 1). The Earth's atmosphere is modeled as a spherical shell of 100 km thickness, further subdivided into 60 concentric layers: the first 50 layers each with a thickness of 1 km, and the remaining 10 layers each with a thickness of 5 km. The average chemical composition of the atmosphere in each layer adopts an approximate ratio (N: 75.5%, O: 23.2%, Ar: 1.3%), while the vertical distribution of atmospheric density and temperature follows the 1976 U.S. Standard Atmosphere model(Coesa, 1976), thereby ensuring the realism and reliability of the simulations.

Table 1 Composition and proportions of elements on the Earth's surface

Element	Soil
H	0.002
O	0.473
Na	0.025
Mg	0.040
Al	0.060
Si	0.290
Ca	0.050
Fe	0.060



219 3.2.3 Physics Interaction Models

220 In this study, the QGSP_BIC_HP physics list in Geant4 is selected as the collection of physical
 221 processes for simulation. This physics list is specifically designed for hadronic interactions and
 222 high-precision neutron physics, making it highly suitable for simulation studies of cosmic-ray
 223 interactions with atmospheric and surface materials. The QGSP_BIC_HP physics list encompasses
 224 electromagnetic interactions, strong interactions, high-precision neutron physics (HP), nuclear
 225 reaction processes, decay processes, and others. The production rate of cosmogenic nuclides can
 226 be calculated using the following expression(Leya et al., 2000): as shown in **Eq. (3)**

$$227 \quad P_i = \sum_k \sum_j N_j \int J_k(E, d) \sigma_{i,k}(E) dE \quad (3)$$

228 where N_j is the concentration of target element j in the material, $J_k(E, d)$ is the differential
 229 flux of particle type k at depth d below the material surface, and $\sigma_{i,k}^j(E)$ is the excitation function
 230 for the interaction of particle type k with target element j at energy E , producing nuclide i .

231 4. Results

232 Based on Geant4 simulations, this study obtained the neutron flux scaling coefficients for
 233 different latitudes and altitudes (Table 2).

234 **Table 2** Neutron flux scaling coefficients at different latitudes and altitudes based on Geant4
 235 simulations

altitude \ latitude	0 km	1 km	2 km	3 km	4 km	5 km
0°-10°	0.43	0.87	1.68	2.93	4.85	7.23
10°-20°	0.47	0.96	1.87	3.33	5.49	8.31
20°-30°	0.52	1.11	2.15	3.93	6.67	10.35
30°-40°	0.68	1.49	2.99	5.62	9.61	15.28
40°-50°	0.87	2.02	4.16	7.98	14.24	23.05
50°-60°	0.94	2.26	4.87	9.54	17.27	29.31
60°-70°	1	2.32	4.88	9.74	17.77	30.07
70°-90°	1	2.24	4.81	9.39	17.59	29.83

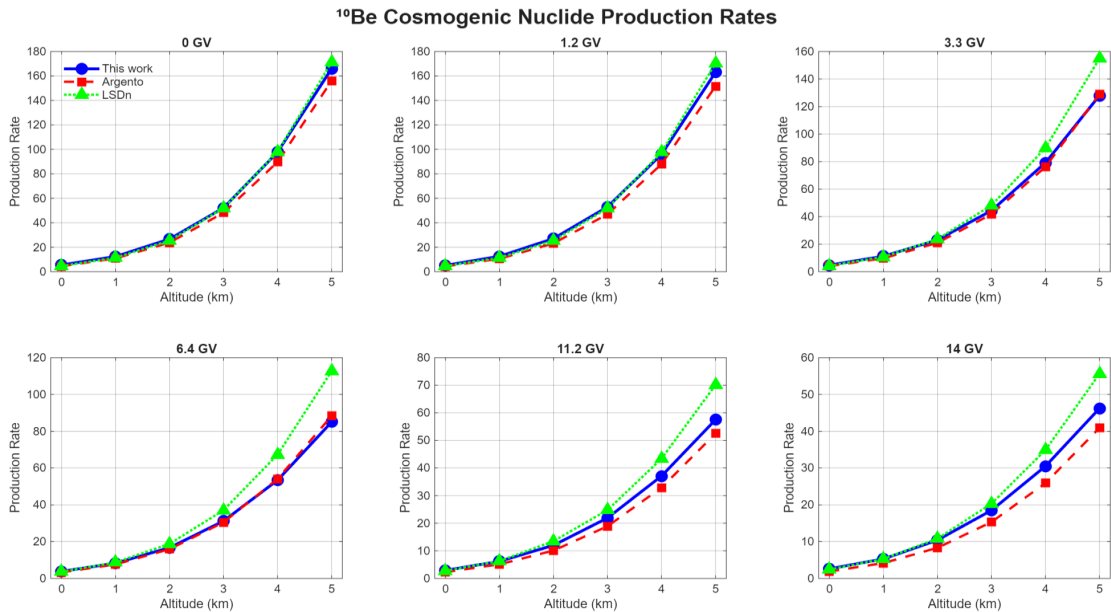


236 Based on Equation (3), the production rates of ^{10}Be , ^{26}Al , ^{14}C , and ^{21}Ne in silica (SiO_2) at an altitude
237 of 5 km in the reference region (0° – 10° latitude) were calculated [units: atoms/(g·year)]. The results
238 are presented in Table 3.

239 **Table 3** Cosmogenic nuclide production rates in the low-latitude (0° – 10°) region at 5 km altitude
240 [atoms/(g·year)]

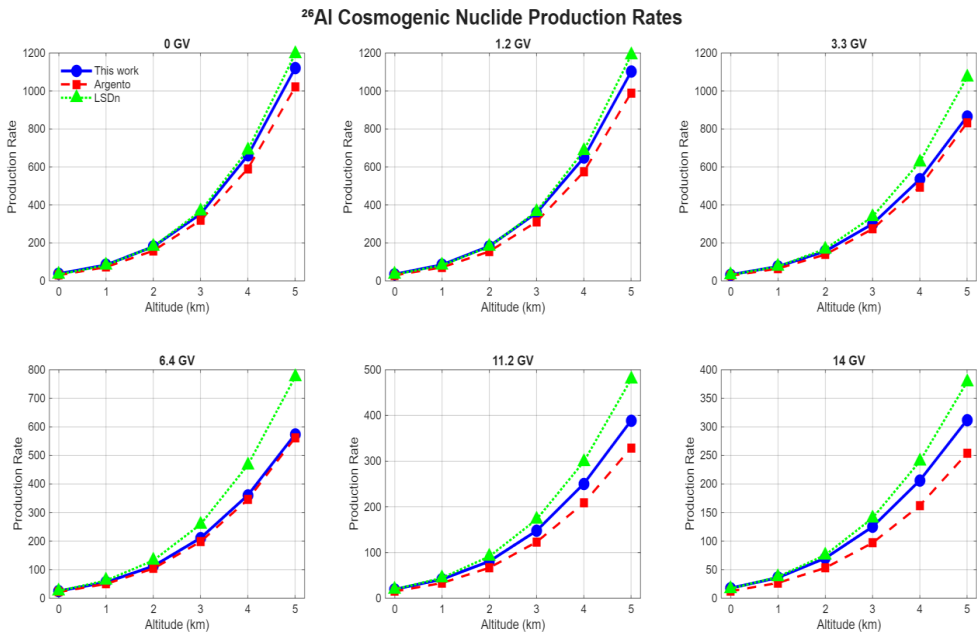
	This work	Target
^{10}Be	40.2	SiO_2
^{26}Al	271.6	SiO_2
^{21}Ne	156.8	SiO_2
^{14}C	122.5	SiO_2

241 Based on the neutron flux scaling coefficients obtained from Geant4 simulations in Table 3, the
242 spatial distributions of the production rates for the aforementioned nuclides in each region were
243 further derived. The results are presented in Figures 1 through 4, respectively.

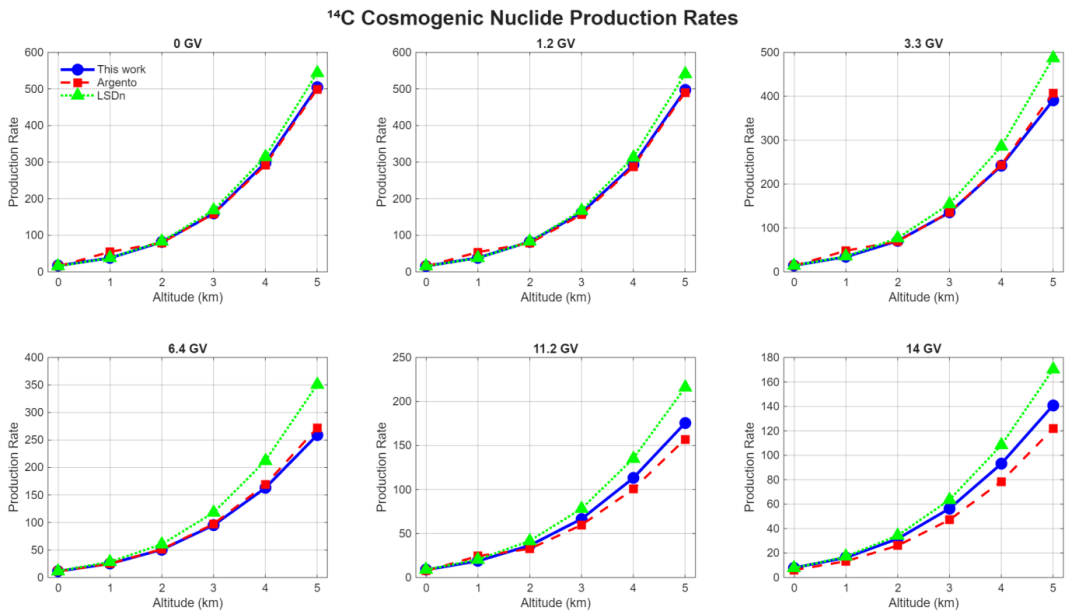


244 **Fig. 1** ^{10}Be production rate versus altitude under different cutoff rigidities.

245



246 **Fig. 2** ^{26}Al production rate versus altitude under different cutoff rigidities.



247 **Fig. 3** ^{14}C production rate versus altitude under different cutoff rigidities.

248

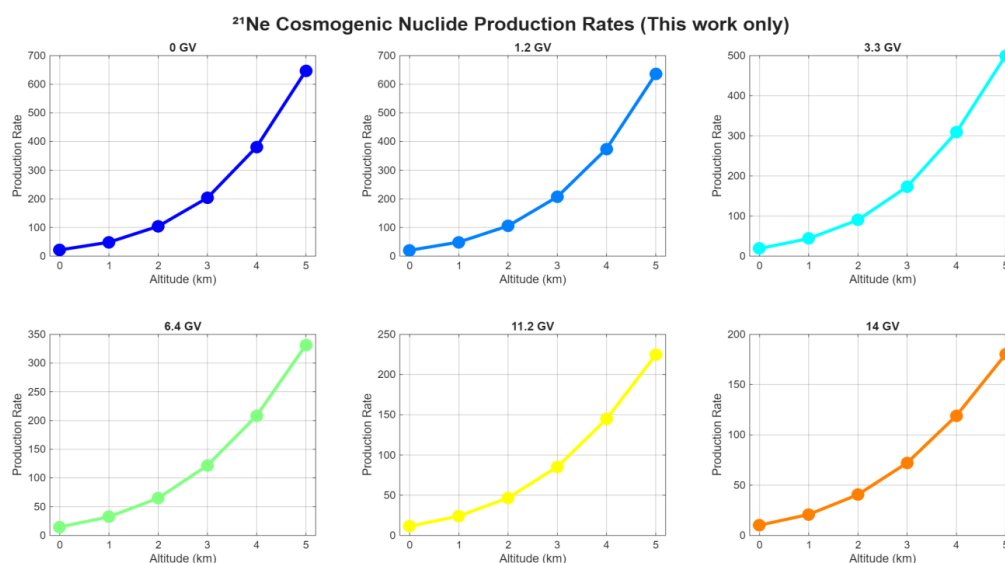


Fig. 4 ^{21}Ne production rate versus altitude under different cutoff rigidities

A systematic comparison was conducted between the results of this work and those of Argento (MCNP-based simulation) and the LSDn model (see Tables S1–S4). For ^{10}Be and ^{26}Al , the values calculated in this work fall, under the vast majority of conditions, between the Argento and LSDn results, exhibiting an "intermediate" characteristic. At low altitudes (0–2 km), the results are in excellent agreement with LSDn (within $\pm 5\%$ deviation), while at mid-to-high altitudes (3–5 km), the discrepancies increase systematically. The physical origin of this lies in the fact that at high altitudes, the thinner atmosphere leads to a sharp increase in the proportion of high-energy secondary particles, amplifying the fundamental differences among models in nuclear databases and transport algorithms. In terms of latitudinal gradients, all three models converge at low cutoff rigidities (polar regions), while discrepancies are amplified at high cutoff rigidities (equatorial regions). Furthermore, ^{26}Al exhibits a larger dispersion than ^{10}Be due to its greater sensitivity to spectral shape. For ^{14}C , the results show excellent consistency with LSDn at low altitudes and in polar regions. However, systematic deviations appear at mid-to-high altitudes under intermediate cutoff rigidities, where the values are even lower than both reference models. This is attributed to the particular dependence of ^{14}C on thermal neutron capture reactions, where the differences between Geant4's HP neutron transport module and MCNP in thermal neutron cross-sections and



moderation treatments are further amplified under the complex geomagnetic field configurations at intermediate latitudes. This deviation precisely exposes the systematic differences among different code schemes in the thermal neutron energy region, and the pure Geant4 framework of this work provides a self-consistent reference system for identifying this issue. For the stable nuclide ^{21}Ne , the production rate exhibits a slow increase at low altitudes and a steeper increase at high altitudes with rising elevation, and increases monotonically with decreasing cutoff rigidity. Its spatial distribution pattern is physically self-consistent with cosmic-ray transport physics, providing benchmark parameters for relevant geological applications.

5. Discussion and Conclusion

In this study, a numerical model of cosmic-ray interactions with the Earth's atmosphere was established within the Geant4 framework. The neutron flux distribution at various latitudes and altitudes was systematically simulated on a global scale, and the production rates of key cosmogenic nuclides— ^{10}Be , ^{26}Al , ^{14}C , and ^{21}Ne —were calculated using the "benchmark production rate + flux scaling coefficient" strategy. Under a Galactic cosmic-ray modulation potential of 550 MV, the calculated production rates for all nuclides are in good agreement with the Argento (MCNP) and Lifton (LSDn) models under most conditions. All scaling coefficients for the spatial distribution of production rates are derived from unified Geant4 physical simulations, without introducing any empirical correction factors based on fits to measured data. The discussion of results indicates that, although the overall consistency with existing models validates the effectiveness of the present scheme, there remain systematic biases that could be further optimized. The simplified geomagnetic model ($R_c = 14.9 \cos^4\lambda$), while computationally feasible, neglects the non-dipole components and regional anomalies of the actual geomagnetic field (such as the South Atlantic Anomaly), potentially introducing local production rate biases at low latitudes. Future work could incorporate higher-order models such as the International Geomagnetic Reference Field (IGRF) to improve the accuracy of geomagnetic cutoff rigidity calculations. From the analytical estimations of Lal & Peters (1967), to the LCS numerical simulations of Masarik (1995), the GEANT/MCNP hybrid scheme of Masarik & Beer (2009), the MCNP6 simulations of Argento (2015), and the LSDn empirical correction model of Lifton (2014), existing methods have relied,



295 to varying degrees, on analytical approximations, cross-code data exchange, switching between
296 external nuclear databases, or empirical data-fitting corrections. The present work, under a pure
297 Geant4 framework with a single physics list (QGSP_BIC_HP), a single nuclear database (G4NDL),
298 and a unified particle emission geometry, independently completes the entire workflow from GCR
299 incidence to global spatial distribution of production rates in a self-contained benchmark simulation.
300 This methodological advantage positions the results of this work as a physical reference baseline
301 for subsequent hybrid schemes and empirical model calibrations.

302 In summary, the main contribution of this study is the development of a physically self-
303 consistent and computationally efficient simulation framework. This framework innovatively
304 combines a spherical-shell particle source with a flux scaling strategy, enabling global predictions
305 of multi-nuclide production rates while maintaining computational efficiency. Although there
306 remains room for improvement in low-energy neutron simulations and geomagnetic modeling, the
307 overall model performance is robust, providing a reliable theoretical foundation and computational
308 tool for cosmogenic nuclide dating techniques, particularly suitable for regions lacking empirical
309 calibration data. Future work could further enhance the model's prediction accuracy in
310 geomagnetically anomalous regions by incorporating more refined physical models and more
311 realistic geomagnetic field data.

312

313 **Code and data availability**

314 The Geant4 simulation code and the cosmogenic nuclide production rate datasets generated in this
315 study have been deposited in an open-access repository and are freely available
316 at <https://doi.org/10.5281/zenodo.18653593> (Chen, 2026). The data are publicly accessible and no
317 restrictions apply.

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321 **Author contributions**

322 Dingxiong Chen, Hongtao Shen ,conceptualized the study, designed the model framework, and led
323 the writing. All authors contributed to the interpretation of results and editing of the manuscript.

324 **Competing interests**

325 The authors declare that they have no conflict of interest.

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406