



1 **Selection of onset of acceleration points and failure time**
2 **prediction of landslides based on ground-based radar**

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13 **Abstract:** The inverse velocity method (INV) based on the onset of acceleration
14 (OOA) point is widely used in landslide time prediction. However, the selection of
15 OOA point affects the accuracy of INV prediction results. This study proposed a
16 deformation standard deviation-OOA (DSD-OOA) point identification method based
17 on the statistical characteristics of ground-based radar landslide area deformation data.
18 By introducing a controllable variable, a modified INV method was derived. The
19 OOA point identified by DSD-OOA was substituted into the modified INV method
20 for landslide time prediction and compared with the prediction results of the moving
21 average-OOA (MA-OOA) point method. Results show that compared to MA-OOA,
22 the inverse velocity time series after the OOA point identified by DSD-OOA exhibits



smaller fluctuations and is closer to linear change. The INV predictions using MA-OOA (MA-OOA-INV) consistently lag behind the actual landslide time, while the INV predictions using DSD-OOA (DSD-OOA-INV) are more stable and consistently precede the actual landslide time of failure. Furthermore, the root mean square error (*RMSE*) and coefficient of determination (R^2) indicate that the DSD-OOA-INV method predicts landslide lifetime with higher accuracy, suggesting that OOA points identified by the DSD-OOA method can more precisely predict landslide time of failure.

Keywords: Onset of Acceleration; Landslide; Time Prediction; Ground-Based Radar

1 Introduction

Landslides are among the most common geological hazards, posing severe threats to human life and property (Abuda et al., 2026; Dille et al., 2026; Nava et al., 2026). Over the past few years, the expansion of China's mining sector has driven year-on-year growth in both the quantity and dimensions of open-pit operations, contributing to increasingly frequent landslides at mine sites (Jia et al., 2023; Wang et al., 2024). Given the necessity to ensure the safe evacuation of on-site personnel and equipment during mining landslides, the prediction of landslide failure time is of paramount importance (Intrieri et al., 2012; Szczepanek et al., 2024). To address this, ground-based radar has been widely applied in mine monitoring due to its various advantages (Zhou et al., 2021; Tan et al., 2023). The deformation data obtained through this method enables effective analysis and prediction of slope deformation trends (Wu et al., 2025; Wu et al., 2026).



45 Since the 1960s, many researchers have investigated landslide forecasting
46 through laboratory tests and field-based studies. Saito (1965) divided the landslide
47 deformation process into three stages based on the creep theory. Dick et al. (2015)
48 suggested that the linear fitting of INV versus time should use data after the OOA
49 prior to slope failure. Carlà et al. (2017) proposed using the intersection point of
50 short-term and long-term velocity moving averages as the OOA point, successfully
51 applying it to the inverse velocity method. Building on Carlà et al.'s research,
52 Bozzano et al. (2018) further discussed the effects of sampling frequency and onset of
53 acceleration point on INV fitting, and proposed a new method for continuously
54 updating INV analysis. Zhou et al. (2020) modified the traditional INV method,
55 making it applicable for predicting landslide time when deformation velocity is
56 decelerating during the pre-failure stage, and validated it using ground-based radar
57 monitoring data. The INV method has become a widely used tool for landslide time
58 prediction due to its simplicity and practicality. However, the INV method also has
59 certain limitations. When using inverse velocity data following different OOA points
60 for prediction, the results can vary significantly. Therefore, there is an urgent need to
61 find an OOA point identification method suitable for improving INV.

62 In summary, this study proposed an onset of acceleration (OOA) point
63 identification method suitable for improved inverse velocity method (INV) based on
64 landslide surface deformation data obtained from ground-based radar. Firstly, this
65 work introduced the process and principles of the modified inverse velocity method
66 and OOA point identification method. Secondly, the applicability and stability of the



67 proposed method were verified using three open-pit mine landslide cases. Finally, the
68 prediction accuracy of the deformation standard deviation-OOA (DSD-OOA) point
69 method and the moving average-OOA (MA-OOA) point method was evaluated using
70 statistical error analysis indexes.

71 **2 Method**

72 **2.1 Modified inverse velocity method**

73 In 1985, Japanese researcher Fukuzono (1985a, 1985b) simulated
74 rainfall-induced landslides through large-scale indoor experiments and proposed the
75 inverse velocity concept for predicting the time of slope failure. The inverse velocity
76 method is based on creep theory and analyzes the relationship between the reciprocal
77 of velocity ($1/v$) and time during the accelerating deformation stage of slope
78 movement. When landslides enter the tertiary creep stage, plotting inverse velocity
79 against time typically produces a linear trend that can be extrapolated to zero to
80 predict the failure time. Based on this concept, Voight (1988) conducted theoretical
81 analyses of pure shear processes and exponential creep processes under static loading,
82 establishing a relationship between displacement acceleration and velocity:

$$83 \quad \dot{V} = AV^\alpha \quad (1)$$

84 Where: A 、 α is the fitting parameter, V is velocity, and $\dot{V}$ is acceleration.

85 When $\alpha > 1$, after integrating with respect to time, the equation becomes:

$$86 \quad V = [A(\alpha - 1)(t_f - t) + V_f^{(1-\alpha)}]^{-\frac{1}{1-\alpha}} \quad (2)$$

87 Where: t is the monitoring time, t_f is the time of landslide occurrence, and V_f is the
88 velocity at the time of landslide.



89 When a landslide occurs, the velocity is typically assumed to be infinite, and thus
90 equation (2) can be simplified to:

$$91 \quad \frac{1}{V} = [A(\alpha - 1)(t_f - t)]^{\frac{1}{\alpha-1}} \quad (3)$$

92 According to the experimental results and studies of Voight (1989) and Rose
93 (2007), α typically ranges between 1.5 and 2.2. When $1.5 < \alpha < 2$, the inverse velocity
94 curve is concave; when $\alpha > 2$, the curve is convex; and when $\alpha = 2$, the curve is linear.
95 Statistical analysis has shown that most landslide inverse velocity curves are linear,
96 i.e., $\alpha = 2$. Therefore, Equation (3) can be simplified to:

$$97 \quad \frac{1}{V} = A(t_f - t) \quad (4)$$

98 Based on Equation (4), assuming t equals t_0 (where t_0 is the acceleration
99 initiation point) and letting V equal V_0 (where V_0 is the velocity at t_0), we can obtain:

$$100 \quad \frac{1}{V_0} = A(t_f - t_0) \quad (5)$$

101 Dividing Equation (4) by Equation (5) and simplifying yields the modified
102 inverse velocity method model, as shown in the following equation:

$$103 \quad \frac{1}{V} = \frac{1}{V_0} \times \left(1 + \frac{t_0 - t}{t_f - t_0}\right) \quad (6)$$

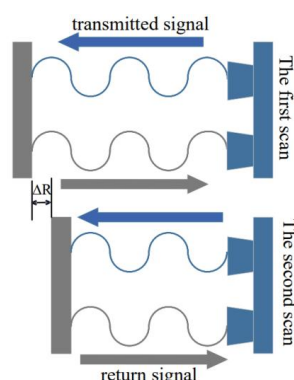
104 Based on Equation (6), the landslide failure time could be calculated by fitting
105 the inverse velocity-time scatter points. The modified inverse velocity method
106 considered the influence of different onset of acceleration (OOA) points on landslide
107 failure time prediction. Therefore, to accurately predict landslide failure time, it was
108 crucial to study the applicability of different OOA point identification methods.

109 2.2 Selection of onset of acceleration point

110 Ground-based radar has been widely used in landslide time of failure prediction



111 due to its advantages of high precision, area monitoring, long-range capability, and
112 high frequency (Mazzanti et al., 2015; Dick et al., 2015; Zhou et al., 2021). The
113 principle is that the two-dimensional sequential complex images acquired by the radar
114 contain amplitude and phase information of the monitored target. By comparing radar
115 image data from two different times to obtain their phase differences, high-precision
116 deformation information of the observed targets can be derived (Wang et al., 2022; Qi
117 et al., 2020), as shown in Figure 1.



118

119 Fig. 1. Principle of deformation acquisition

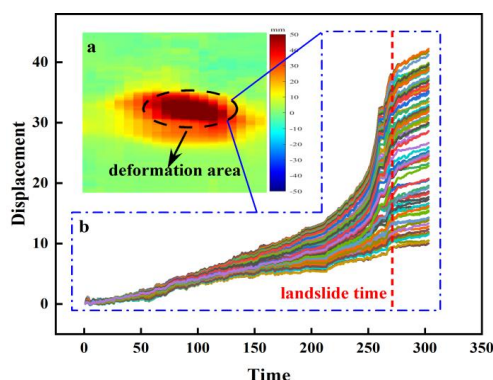


Fig. 2. Landslide failure measurements

captured by radar

121 When deformation occurs in the monitored slope, the radar deformation image
122 effectively illustrates its pattern of change, as shown in Figure 2a. In the displacement
123 map, the intensity of the colors corresponds to the magnitude of displacement, with
124 green representing no deformation, blue indicating negative deformation, and darker
125 red indicating larger positive displacements. The black oval delineates the primary
126 deformation area where significant slope movement is concentrated. Each pixel in the
127 deformation zone forms an independent cumulative deformation curve over time, as



128 shown in Figure 2b (due to the large number of pixels, Figure 2b only shows a portion
129 of them). As observed in Figure 2b, when the slope is in stable creep deformation, the
130 deformation values of all pixels fluctuate within a small range around a fixed value,
131 approximating linear variation. However, when the slope undergoes accelerated
132 deformation and approaches the time of landslide occurrence, the deformation values
133 of all pixels exhibit greater fluctuation ranges at the same temporal instant, with the
134 degree of dispersion in deformation values becoming increasingly significant. This
135 phenomenon can be described using statistical theory, as shown in the following
136 equation:

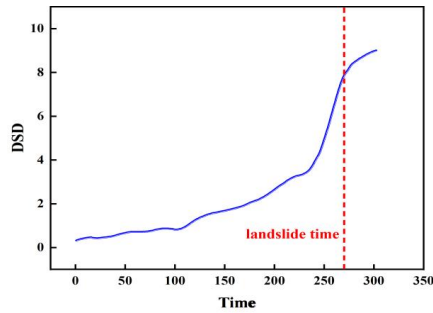
$$DSD = \sqrt{\frac{\sum_{i=1}^n (d_i - \bar{d})^2}{n-1}} \quad (7)$$

138 Where: DSD is standard deviation of displacement in the landslide area; d_i is
139 displacement of different pixels at a given time; $\bar{d}$ is average displacement of different
140 pixels at a given time; and n is the total number of pixel points at the same time.

141 The calculation results based on equation (7) are shown in Figure 3. As shown in
142 Figure 3, the DSD-time curve integrates the variation patterns of all pixels in the
143 landslide area and effectively describes the evolution process of landslide deformation.
144 It demonstrates that during creep deformation, DSD increases almost linearly, while
145 during accelerated deformation and approaching failure time, DSD increases sharply
146 until after the landslide occurs. Based on the variation pattern of the DSD curve
147 during the landslide deformation process, this work proposed a method for
148 determining OOA points using DSD (referred to as the DSD-OOA method). This
149 method involves piecewise linear fitting of the DSD-time curve, where the



150 intersection point of the two fitted lines represents the OOA point, as shown in Figure
151 4. The inverse velocity analysis starting from the obtained OOA point is termed the
152 DSD-OOA-INV method.



153

154 Fig. 3. DSD-time curve

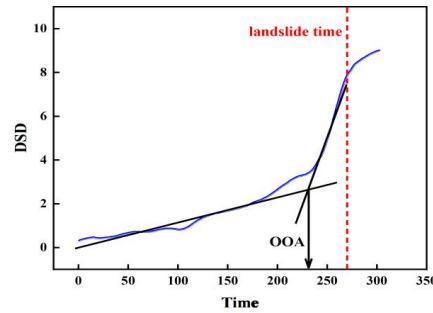


Fig. 4. Selection method of DSD-OOA point

155 Carlà et al. (2017) proposed a simple and innovative method for identifying the
156 onset of acceleration points based on the intersection of short-term and long-term
157 moving average velocity curves (abbreviated as MA-OOA method in this work). This
158 method has been widely applied (Zhang et al., 2021), and the calculation process for
159 long-term and short-term moving average velocities is as follows:

160
$$\bar{v} = \frac{v_t + v_{t-1} + \dots + v_{t-n+1}}{n} \quad (8)$$

161 Where: $\bar{v}$ is the moving average velocity; v is the velocity at time t ; n is an integer
162 multiple of the unit time, with $n=3$ typically used for short-term moving average
163 velocity and $n=7$ for long-term moving average velocity.

164 Based on equation (8), the temporal variation curves of long-term and short-term
165 moving average velocities were calculated, where their intersection point represents
166 the OOA point (when the short-term moving average velocity curve is above the
167 long-term moving average velocity curve), as shown in Figure 5. The inverse velocity



analysis starting from the identified OOA point is termed the MA-OOA-INV method.

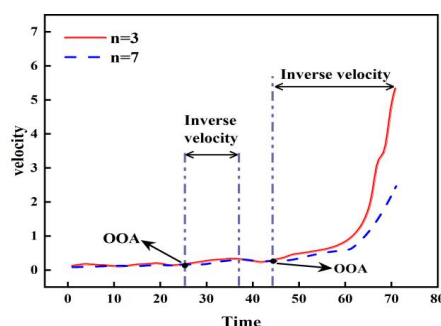


Fig. 5. Selection method of MA-OOA point

3 Case studies

3.1 Case Study 1: An open-pit coal mine

The mining area extends 3.3 kilometers east-west and 0.9 kilometers north-south, covering an area of 2.9 square kilometers. The altitude of the mining area ranges from 995.5 to 1,213.8 kilometers, with a relative height difference of 80 to 218.3 meters. The mine is mainly composed of grayish-white, grayish-black, and grayish-green sandstone, mudstone, and conglomerate. On June 18, 2024, a small landslide occurred due to the impact of construction vibrations, as shown in Figure 6.

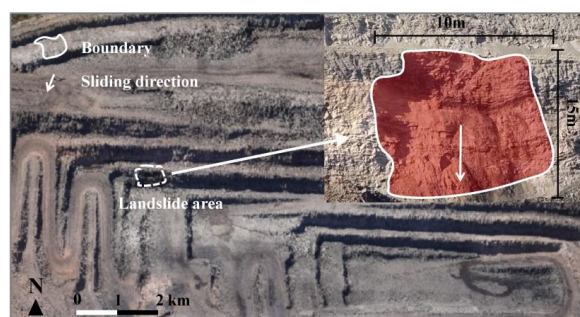


Fig. 6. Photographs of the mining area and landslide site

Around 12:00 on June 17, the standard deviation of deformation in this area



182 began to increase continuously, and the landslide occurred at 07:50 on June 18, as
183 shown in Figure 7. The landslide had a relatively short duration but high displacement
184 velocity. From initiation to failure, the velocity increased continuously, which is
185 consistent with the classical creep theory model. Following the OOA identification
186 methods described in section 2.2, we analyzed the inverse velocity time series after
187 21:09 on June 17 (MA-OOA method) and 01:31 on June 18 (DSD-OOA method), as
188 shown in Figure 7 and 8. The inverse velocity showed an approximately linear
189 distribution over time, with fitting coefficients of 0.801 and 0.873 for the MA-OOA
190 and DSD-OOA methods, respectively.

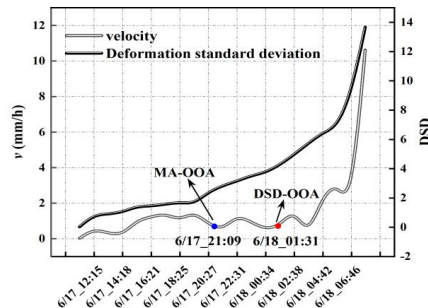


Fig. 7. DSD and velocity curves

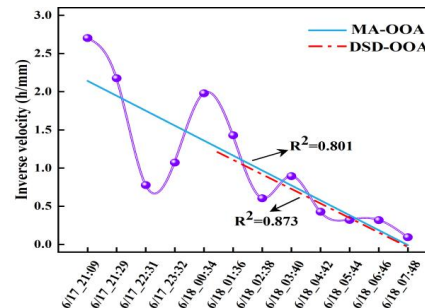


Fig. 8. Inverse velocity curves

193 Based on equation (6), we used the MA-OOA-INV and DSD-OOA-INV
194 methods to fit inverse velocity scatter points and calculate the life expectancy of
195 landslide, as shown in Figure 9. The life expectancy of landslide can be updated with
196 the increase of data, which is an intuitive method to characterize the landslide time of
197 failure. As shown in Figure 9, there are noticeable differences in the expected lifetime
198 results calculated using the inverse velocity method based on OOA points obtained
199 from MA and DSD approaches. The landslide time of failure predicted by the



MA-OOA-INV method show high fluctuation and significant errors, with a maximum error of 25.66%. Furthermore, the predicted failure time is mostly later than the actual landslide occurrence time. However, the landslide time curve predicted by the DSD-OOA-INV method approximately coincide with the actual landslide curve, with most predictions occurring before the actual failure time. As monitoring data increased, the prediction results of the DSD-OOA-INV method became increasingly closer to the actual failure time. The above analysis indicate that OOA points calculated from the DSD-time curve were more suitable for inverse velocity method predictions.

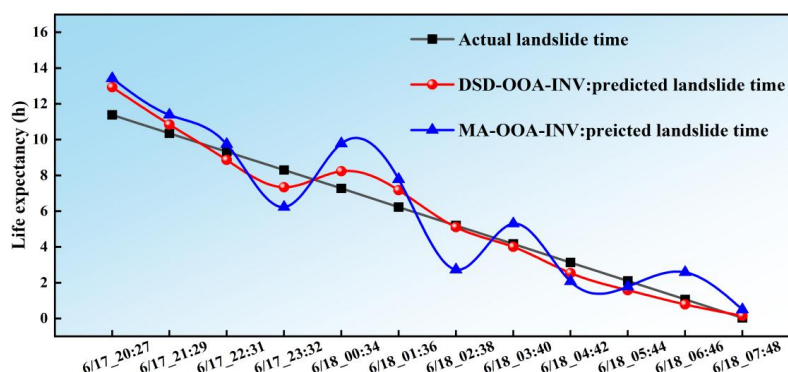


Fig. 9. The life expectancy of landslide

3.2 Case Study 2: An open-pit metal mine

The study site is a terraced open-pit metal mine in northwestern China, situated at elevations of approximately 1000~1300 m. The local strata are mainly composed of gneiss and other rocks. Prolonged excavation across the rugged terrain has created a series of mining benches (Figure 10a). On April 21, 2021, slope failure occurred following successive rainfall events, together with disturbances caused by long-term haulage activities (Figures 10a and 10b).

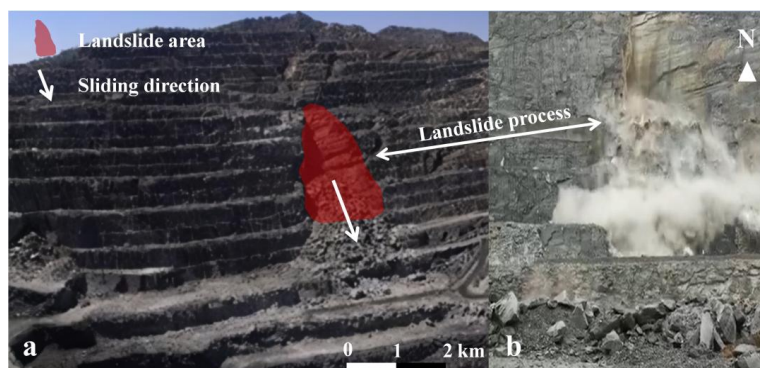


Fig. 10. Photographs of the mining area and landslide site

Figure 11 illustrates the deformation standard deviation and velocity evolution process of the landslide. As shown in Figure 11, prior to 19:20 on April 20, the deformation standard deviation exhibited near-linear growth while the velocity fluctuated around 0.2, indicating that the landslide was in a uniform deformation stage. Subsequently, the deformation standard deviation rose rapidly, accompanied by a sharp increase in velocity, culminating in the landslide occurrence at approximately 09:37 on April 21. The OOA points were identified using both MA-OOA and DSD-OOA methods, and their corresponding inverse velocity time series were analyzed, as presented in Figure 11 and 12. The results demonstrate that the inverse velocity time series following the OOA point identified by the DSD-OOA method exhibits a more pronounced linear trend, with a high fitting coefficient of 0.947. In contrast, the inverse velocity time series following the OOA point identified by the MA-OOA method shows greater fluctuations, yielding a lower fitting coefficient of 0.914.

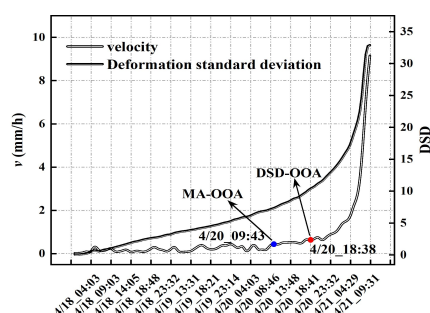


Fig. 11. DSD and velocity curves

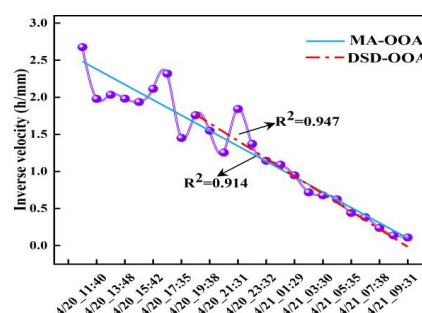


Fig. 12. Inverse velocity curves

The inverse velocity scatter points were fitted and the life expectancy of landslide was calculated using both MA-OOA-INV and DSD-OOA-INV methods, as illustrated in Figure 13. Figure 13 reveals that the MA-OOA-INV method yields predictions with considerable fluctuations. Although the predictions gradually approach the actual landslide time of failure as monitoring data accumulates, they consistently lag behind the actual occurrence time. In contrast, the DSD-OOA-INV method demonstrates that its expected slope lifetime curve closely aligns with the actual lifetime expectancy curve after the slope enters the acceleration stage, producing more stable predictions. With the increase of time series, the prediction time is closer to the actual landslide time of failure, and the prediction results are ahead of the actual landslide time of failure. Furthermore, the maximum error of predictions using the MA-OOA-INV method reaches 18.48%, whereas the DSD-OOA-INV method exhibits a significantly lower maximum error of only 8.39%. These analyses conclusively demonstrate that the DSD-OOA-INV method achieves superior predictive accuracy compared to the MA-OOA-INV method.

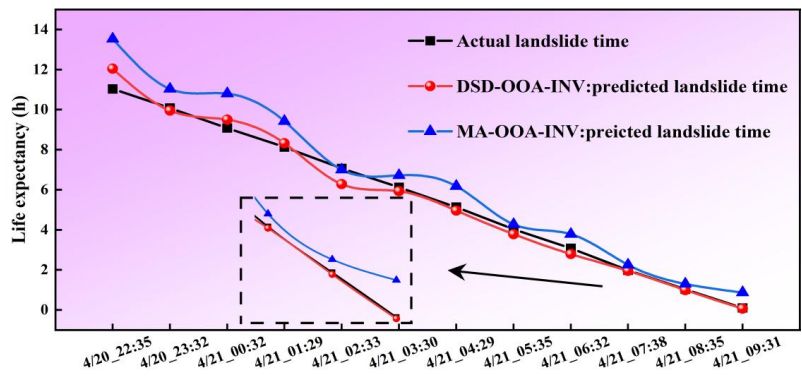


Fig. 13. The life expectancy of landslide

3.3 Case Study 3: An open-pit coal mine

The case study concerns a high-elevation open-pit coal mine in northwestern China (Figure 14a). The site lies between 1760 and 2025 m above sea level and occupies approximately 7.72 km² (Figure 14b). Its geological setting is characterized by a steep monocline, with strata striking 170° ~190°. The main rock type in the mining area is sandstone, and its compressive strength under saturated conditions ranges from 9.92 Mpa to 41.2 Mpa. On June 7, 2024, construction-induced vibrations triggered a slope failure at the mine (Figure 14c).

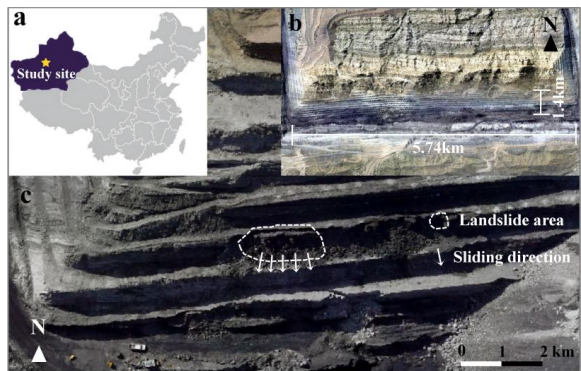


Fig. 14 Photographs of the mining area and landslide site

Figure 15 illustrates the evolution of deformation standard deviation and velocity



264 variations in the landslide. As evident from Figure 15, the deformation standard
265 deviation can be divided into three distinct stages. In the first stage, the deformation
266 standard deviation gradually increased, accompanied by distinct patterns in velocity
267 changes, indicating slope displacement. Notably, at approximately 15:06 on the 6th,
268 the displacement standard deviation increased rapidly, with velocity significantly
269 rising to approximately 6 mm/h. Field inspection by personnel revealed the
270 development of tension cracks at the slope's rear edge, as shown in Figure 16. During
271 the second stage, the DSD increased gradually in an approximately linear manner,
272 while velocity oscillated around a fixed value, reflecting uniform slope deformation.
273 After the onset of acceleration, both the displacement standard deviation and velocity
274 rose sharply, ultimately resulting in the landslide at 05:50 on the 7th.

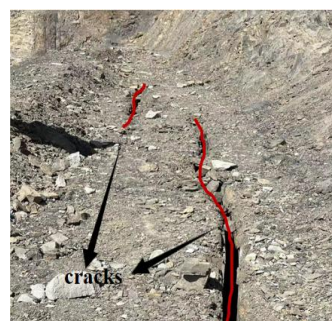
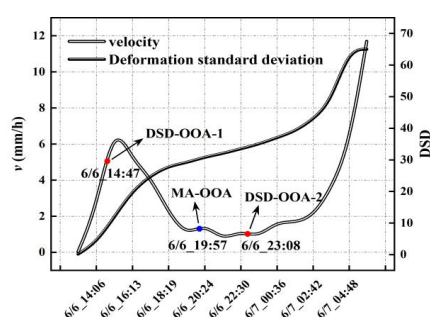


Fig. 15. DSD and velocity curves

Fig. 16. The photo of site cracks

277 The OOA points were identified using the MA-OOA and DSD-OOA methods at
278 19:57 on the 6th, and at 14:47 and 23:08 on the 6th, respectively, as shown in Figure
279 15. Due to the brief increase in velocity after 14:47 (DSD-OOA-1) and then the
280 continuous decline to a stable level, the inverse velocity did not show a linear trend
281 tending towards 0. Therefore, the DSD-OOA-1 point will not be analyzed here and



will be discussed in detail in the method limitations section of the discussion part. The inverse velocity time series of the remaining two OOA points were analyzed, as shown in Figure 17. As shown in the figure, with increasing data points, the inverse velocity gradually approaches a linear trend following initial fluctuations. The OOA point identified by the DSD-OOA method is closer to the linear stage of the inverse velocity time series, achieving a high fitting coefficient of 0.983. In contrast, the inverse velocity time series following the OOA point identified by the MA-OOA method exhibits greater initial fluctuations before gradually transitioning to linear behavior, yielding a fitting coefficient of 0.941.

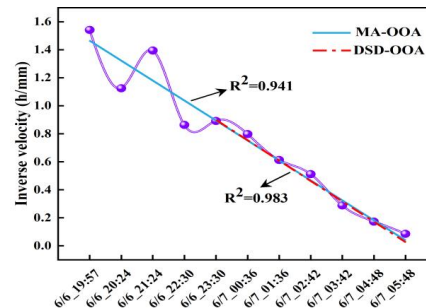


Fig. 17. Inverse velocity curves

The inverse velocity scatter points were fitted and the landslide lifetime was calculated using both MA-OOA-INV and DSD-OOA-INV methods, as illustrated in Figure 18. As shown in Figure 18, the MA-OOA-INV method exhibited significant fluctuations in its initial predictions. As monitoring data accumulated, the predicted landslide lifetime curve intersected with the actual lifetime curve at 23:25 on June 6, ultimately deviating from the actual landslide time of failure and demonstrating a lag effect in prediction performance. In contrast, the DSD-OOA-INV method produced



300 more stable predictions, with its landslide lifetime curve maintaining an
301 approximately parallel relationship with the actual lifetime curve. As the time series
302 expanded, after 23:30 on June 6, the expected lifetime curve showed both parallel
303 convergence and overlapping convergence with the actual lifetime curve. However, it
304 never fully coincided with the actual lifetime curve, demonstrating an early warning
305 signal effect. Furthermore, the maximum prediction error of the MA-OOA-INV
306 method was 18.71%, while the DSD-OOA-INV method achieved a lower maximum
307 error of 10.07%.

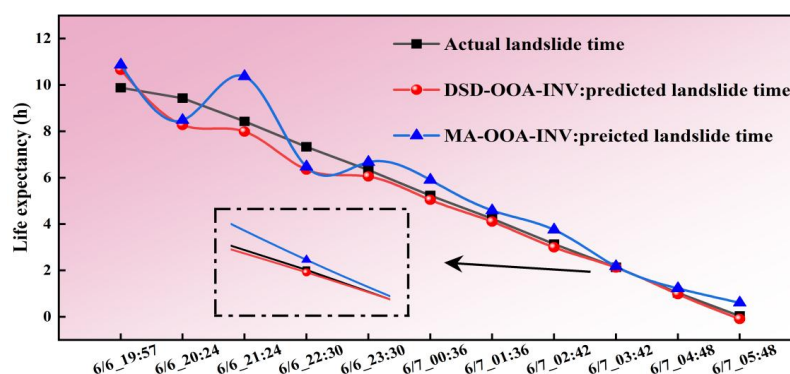


Fig. 18. The life expectancy of landslide

4 Discussion

4.1 Accuracy analysis of landslide lifetime prediction model

312 To further quantitatively evaluate the accuracy of landslide lifetime prediction
313 models, statistical indexes were employed for analysis in this section. In statistics,
314 common evaluation indexes for error estimation include root mean square error
315 ($RMSE$), mean square error (MSE), mean absolute error (MAE), and coefficient of
316 determination (R^2) (Roy et al., 2019; Qiu et al., 2024; Wang et al., 2026). $RMSE$
317 addresses the issues of non-smoothness in MAE function and dimensional



inconsistency between MSE and original data, while R^2 serves as a normalized index that intuitively reflects the deviation between predicted and actual values. Therefore, $RMSE$ and R^2 were selected as evaluation indexes for assessing prediction accuracy in this section.

The $RMSE$ is defined as the square root of the ratio between the squared deviation of actual and predicted landslide lifetimes and the number of predictions, as shown in equation (9):

$$RMSE = \sqrt{\frac{1}{N} \sum_{i=1}^N (f(x) - t(x))^2} \quad (9)$$

Where: N is the number of predictions, $f(x)$ represents the actual landslide lifetime, and $t(x)$ denotes the predicted landslide lifetime.

The R^2 is calculated according to equation (10):

$$R^2 = 1 - \frac{\sum_i (y_i - \bar{y}_i)^2}{\sum_i (\hat{y}_i - y_i)^2} \quad (10)$$

Where: y_i represents the actual landslide lifetime, $\bar{y}_i$ denotes the predicted landslide lifetime, and $\hat{y}_i$ is the arithmetic mean of actual landslide lifetimes.

In evaluating the prediction results, smaller $RMSE$ values and R^2 values closer to 1 indicate higher prediction accuracy, as presented in Table 1.

Table 1 Results of $RMSE$ and R^2

Case type and method		Method	
		$RMSE$	R^2
Case 1	DSD-OOA-INV	0.726	0.958
	MA-OOA-INV	1.568	0.806



Case 2	DSD-OOA-INV	0.417	0.985
	MA-OOA-INV	1.100	0.899
Case 3	DSD-OOA-INV	0.545	0.972
	MA-OOA-INV	0.843	0.932

As shown in Table 1, both prediction methods demonstrate relatively small *RMSE* values, indicating high prediction accuracy for both approaches. However, the *RMSE* values of the DSD-OOA-INV method were consistently lower than those of the MA-OOA-INV method, with minimum *RMSE* values of 0.417 and 0.843, respectively. Furthermore, the R^2 values of the DSD-OOA-INV method were consistently above 0.95 and higher than those of the MA-OOA-INV method. These analyses further demonstrate that the DSD-OOA-INV method achieves higher accuracy in landslide lifetime prediction, indicating that the OOA points identified by the DSD-OOA method are more suitable for the modified inverse velocity method than those identified by the MA-OOA method.

4.2 The limitations and applications of the DSD-OOA-INV method

The accuracy analysis presented above demonstrates that the DSD-OOA-INV method exhibits satisfactory prediction accuracy when valid OOA points are identified. However, the DSD-OOA method is also susceptible to false positives, as exemplified by the DSD-OOA-1 point illustrated in Figure 15. The inverse velocity analysis conducted using the velocity time series after this point is presented in Figure 19. As shown in the figure, the inverse velocity data during the DSD-OOA-INV-1 stage exhibit strong nonlinear characteristics, with the coefficient of determination (R^2)



353 of the fitted line being only 0.169, indicating an extremely poor linear fit. This
354 suggests that the DSD-OOA-1 point is actually a false positive, where the
355 deformation had not genuinely entered the accelerating stage at that moment, thereby
356 precluding the establishment of a valid prediction model through inverse velocity
357 analysis. In contrast, during the subsequent DSD-OOA-INV-2 stage, the inverse
358 velocity data display a well-defined linear decreasing trend, with the R^2 of the fitted
359 line reaching 0.983, indicating a remarkably high degree of linear correlation. This
360 demonstrates that the DSD-OOA-2 point represents the truly valid OOA point, after
361 which the deformation process conforms to accelerating creep characteristics,
362 enabling reliable failure time prediction using the INV method. This comparison
363 clearly illustrates that although the DSD-OOA method can identify potential onset
364 points of acceleration, subsequent inverse velocity analysis is still required to verify
365 their validity and eliminate false positive interference, thereby ensuring the reliability
366 of prediction results.

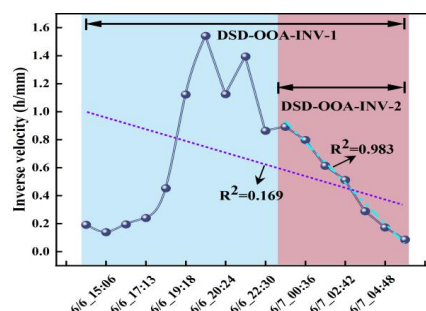


Fig. 19. Inverse velocity time series

369 The presence of false positives can lead to premature early warnings, potentially
370 resulting in unnecessary resource waste. Therefore, in practical applications, it is



371 essential to verify whether the identified OOA points are genuinely valid by
372 incorporating the fitting performance of inverse velocity analysis (e.g., R^2 value),
373 thereby enhancing the accuracy and reliability of early warnings. Moreover, false
374 positive points typically manifest as short-term velocity spikes that subsequently
375 stabilize or decline, failing to maintain a sustained acceleration trend. Based on these
376 characteristics, the following measures are recommended for practical implementation.
377 First, establish an R^2 threshold criterion, such as $R^2 \geq 0.6$, as the qualification
378 condition for valid OOA points. Second, implement a dynamic updating mechanism
379 for OOA points, whereby when an identified OOA point is verified as a false positive
380 through inverse velocity analysis, the prediction process for that point should be
381 immediately terminated, and the DSD-OOA algorithm should be reactivated to
382 perform rolling identification on subsequent data to locate new valid OOA points.
383 Third, adopt a tiered warning strategy, issuing an attention-level warning for initially
384 identified OOA points, and upgrading to alert-level or danger-level warnings only
385 after verification and confirmation, thus balancing the timeliness and accuracy of
386 early warnings.

387 Although the DSD-OOA-INV method proposed in this study demonstrates
388 promising application potential in slope failure early warning, several aspects warrant
389 further investigation and refinement in future research. The current method primarily
390 relies on R^2 thresholds and manual judgment to distinguish valid OOA points from
391 false positives. Future work could incorporate machine learning or deep learning
392 techniques to establish automated OOA point identification models, thereby



enhancing the intelligence level of the warning system. The existing method is predominantly based on displacement-velocity data from monitoring points. Future research should explore fusion identification techniques integrating multi-source heterogeneous data, such as rainfall, groundwater level, and acoustic emission, to reduce false positive risks from multiple dimensions. In addition, this study mainly focuses on slope instability prediction. Future work could attempt to extend the methodology to predictions in other domains, such as those dominated by quasi-brittle failure mechanisms and seismic event forecasting (Zhang et al., 2020; Niu et al., 2021; Riveros et al. 2026).

5 Conclusions

This work investigated the influence of different OOA point selection methods on inverse velocity prediction results based on ground-based radar data. Firstly, we derived and modified upon the traditional inverse velocity method. Secondly, the OOA point selection method was developed based on statistical patterns of radar data from landslide areas. Finally, the prediction accuracy and stability of DSD-OOA-INV and MA-OOA-INV methods were compared using three open-pit mine landslide cases. The main conclusions are as follows:

(1) The inverse velocity time series following the OOA point identified by the DSD-OOA method exhibits more linear behavior, whereas the inverse velocity time series following the OOA point identified by the MA-OOA method shows greater fluctuations.

(2) The MA-OOA-INV method yields predictions with significant fluctuations



415 and consistently lags behind actual landslide occurrence times. In contrast, the
416 DSD-OOA-INV method produces more stable predictions and consistently provides
417 early warnings before actual landslide occurrences.

418 (3) Analysis of $RMSE$ and R^2 demonstrates that the DSD-OOA-INV method
419 achieves higher accuracy in landslide lifetime prediction, indicating that OOA points
420 identified by the DSD-OOA method are more suitable for the modified INV method
421 than those identified by the MA-OOA method. The modified INV method can
422 improve the prediction accuracy by changing the selection of OOA points.

423 **Data availability**

424 The datasets supporting this study are available from the corresponding author upon
425 reasonable request.

426 **Author contributions**

427 Hui Wu: Methodology, Writing-original draft. Pingping Huang: Conceptualization,
428 Funding acquisition, Writing—review & editing. Weixian Tan: Resources, Funding
429 acquisition, review & editing. Yaolong Qi: Validation. Wei Xu: Validation. Yuejuan
430 Chen: Supervision.

431 **Competing interests**

432 The contact author has declared that none of the authors has any competing interests.

433 **Acknowledgments**

434 This study is supported in part by the Inner Mongolia Autonomous Region Science
435 and Technology Program Project (Grant No. 2025KJTW0004), National Natural
436 Science Foundation of China (Grant No. U25A20408), and Inner Mongolia



437 Autonomous Region Science and Technology Program Project (Grant No.
438 2025KYPT0128).

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