



1 **ELM-TAM: a structure-based, function-oriented land model embracing fine-root system**
2 **complexity**

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11 **Abstract**

12 Land models typically represent the entire fine-root system as a single homogeneous pool,
13 collapsing structural and functional complexity into one set of parameters. This simplification
14 weakens the belowground feedbacks that balance source-driven carbon dynamics. Here, we
15 integrate the TAM (Transport and Absorptive fine roots with Mycorrhizal fungi) framework into
16 the E3SM Land Model (ELM), replacing the single fine-root pool with three pools — transport
17 roots, absorptive roots, and mycorrhizal fungi — defined by their roles in resource conduction,
18 nutrient acquisition, and symbiotic exchange, each governed by pool-specific C:N ratios,
19 longevity, allocation coefficients, and litter chemistry (21 new parameters). Sobol sensitivity
20 analysis at 13 FLUXNET sites spanning 13 natural PFTs in ELM reveals a two-strategy
21 parameterization dichotomy: deciduous and grass plant functional types (PFTs) concentrate
22 variance in 2–3 allocation parameters, while evergreen PFTs distribute sensitivity across 5–6
23 parameters spanning chemistry, longevity, and allocation. Surrogate-assisted Bayesian calibration



24 produces emergent fine-root properties that diverge from ELM defaults, with system-level
25 nitrogen demand increasing at 10 of 14 PFTs (up to 4.3×) and absorptive-root longevity spanning
26 0.5–3.5 yr. A three-tier validation framework—monthly evaluation, temporal out-of-sample, and
27 spatial out-of-sample—demonstrates that these changes yield transferable improvements:
28 improved seasonal amplitude fidelity (mean GPP amplitude ratio 0.99 vs. 1.38 for the baseline),
29 near-elimination of ER bias at a deciduous site (MBE from +515 to +33 gC m⁻² yr⁻¹), and cross-
30 continental parameter transfer for C4 grasses (81 % RMSE reduction). Degradation at evergreen
31 sites where the baseline overestimates productivity identifies a scope boundary where a
32 belowground-only improvement cannot remedy upstream source-side bias. The function-oriented
33 design provides natural coupling points for future extensions, including mechanistic root–water
34 interactions and depth-resolved root profiles. ELM-TAM demonstrates that resolving
35 belowground structural heterogeneity strengthens sink-based controls on the carbon cycle without
36 overparameterization, establishing a foundation for these extensions and for global benchmarking
37 in Earth System land models.

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47 1. Introduction

48 Land models that predict terrestrial dynamics within the Earth System still carry substantial
49 uncertainty. Achieving robust, reliable, and realistic predictions is a critical need, as land
50 projections inform proactive environmental, energy, and socio-economic policy (Schimel and
51 Miller, 2023; Rockström et al., 2021). Theory-driven model development that synthesizes
52 physiochemical, biological, and ecological understanding into process representations has been
53 ongoing since the 1970s and will continue with the complementary support from data-driven
54 approaches. A fundamental challenge throughout this effort has been accurately specifying the
55 external and internal controls of ecosystem dynamics to predict emergent carbon cycling. Model
56 benchmarking shows performance improvements over time, yet current models still present large
57 uncertainties and low confidence in these formulations (Hoffman et al. 2025). While land use
58 change and ecological disturbances pose challenges for representing exogenous controls
59 (Randerson et al., 2025; Liu et al., 2025), one fundamental endogenous control that remains poorly
60 formulated is the balance between source-driven and sink-driven regulation of vegetation carbon
61 turnover. Because this source–sink balance constitutes an ecological basis of ecosystem carbon
62 dynamics, improving its representation is a high priority.

63 The conceptual importance of balancing source- and sink-driven controls has long been
64 recognized, and increasing empirical evidence reveals fine-root systems as playing a central role
65 in this balance. Over half a century ago, Mooney (1972) framed belowground allocation as a first-
66 order control on the whole-plant carbon balance of gain, use, and loss. Roughly half of GPP is
67 allocated belowground in many ecosystems, and the fine roots and mycorrhizal fungi that receive
68 this carbon regulate nutrient and water uptake, respiration, and litter inputs to soil (Weigelt et al.,
69 2021). At the ecosystem scale, the source–sink imbalance manifests as a widely observed



70 decoupling between photosynthesis and growth. CO₂ enrichment does not simply translate into
71 proportional biomass growth (Norby et al., 2004); increases in gross primary production (GPP)
72 often fail to yield commensurate increases in net primary production (NPP), and NPP itself can
73 decouple from long-term carbon storage under global change (Körner et al., 2007; Leuzinger et
74 al., 2013). Such decoupling is the signature of belowground sink limitation on the carbon cycle.
75 Yet empirical advances over the past two decades have established that these fine-root systems are
76 far more structurally complex. Different root orders display distinct anatomy, morphology,
77 chemistry, longevity, and mycorrhizal colonization (Pregitzer et al., 2002; Guo et al., 2008;
78 McCormack et al., 2015, 2017). This variation defines a clear functional differentiation: lower-
79 order absorptive roots, in close association with mycorrhizal fungi, specialize in nutrient
80 acquisition and turn over rapidly, while higher-order transport roots persist for years as structural
81 conduits.

82 Despite this empirical progress, the structural representation of roots in land models has
83 remained essentially static for five decades. Aboveground model development has progressed
84 through multiple generations of increasing complexity: from big-leaf radiation schemes to two-
85 stream canopy models, multilayer canopy representations (Bonan et al., 2021), and most recently
86 vegetation demographic models (e.g., Moorcroft et al., 2001; Fisher et al., 2018) that resolve
87 within-stand competition and across-stand heterogeneity arising from disturbances based on
88 individual-based forest gap models (Shugart et al. 1984; Shugart et al., 2018; Zhang et al. 2026).
89 Each generation introduced new structural degrees of freedom to better capture controls on
90 photosynthesis and light interception. Belowground structural representation, by contrast, has
91 scarcely moved since its origin. Nearly half a century ago, Shugart et al. (1977) introduced a single
92 lumped compartment of "small roots"—the very tissues we now call fine roots—into one of the



93 earliest forest ecosystem models, and that same undifferentiated pool still underpins the
94 belowground structure of today's land models. This asymmetry persists even in models that have
95 substantially improved belowground process representation. Cost–benefit optimization
96 frameworks (e.g., the FUN model; Fisher et al., 2010), dynamic nitrogen cycle models (Thornton
97 et al., 2007; Zachle and Friend, 2010), and root–soil hydraulic schemes (Dukes et al., 2026) have
98 all improved individual processes including nutrient uptake, water acquisition, and respiration, but
99 all still operate on a single, undifferentiated fine-root pool (Wang et al., 2023). The structural
100 problem thus persists regardless of the process sophistication layered on top.

101 This structural misspecification has measurable consequences for model predictions. When
102 models treat fine roots as a single pool with uniform chemistry, longevity, and respiration rates,
103 they conflate tissues that in reality turn over on timescales ranging from months (absorptive roots)
104 to nearly a decade (transport roots). The resulting homogeneous pool cannot correctly partition
105 carbon among litter pools of different decomposability, cannot generate pool-specific nutrient
106 demands, and cannot represent the differential respiratory costs of functionally distinct tissues.
107 Model structure constrains performance by governing parameter interactions; consequently,
108 structure and parameters are inseparable sources of uncertainty (Beven, 2006; Gupta et al., 2012;
109 Foster et al., 2026). A practical signature of this misspecification is that current models predict
110 near-constant carbon use efficiency under rising CO₂ (i.e., relative changes in NPP closely tracking
111 relative changes in GPP) against rich empirical evidence of a more complex response (Friend et
112 al., 2019; Graven et al., 2024). The resulting overestimation of CO₂ fertilization is not merely a
113 tuning problem; it reflects a structural inability to represent the sink-side feedbacks that modulate
114 how photosynthate is cycled belowground (Fatichi et al., 2019; Kou-Giesbrecht et al., 2025).



115 This structural gap has persisted despite decades of empirical progress for both
116 observational and conceptual reasons. On the observational side, belowground processes have
117 historically been far more difficult to measure than aboveground ones, and the hierarchical
118 structure of fine-root systems was not systematically characterized until the 2000s (Guo et al. 2008;
119 Weigelt et al., 2021). On the conceptual side, models are not animations of physical reality (Levins
120 1966). Incorporating the full anatomical complexity of branching root orders and mycorrhizal
121 associations into an ecosystem model, though epistemically worthwhile (Edmonds, 2000), is not
122 tractable at the scale of Earth system prediction. What is needed is a principled structural
123 compression, that is, a representation that captures the essential functional differentiation of fine-
124 root systems without replicating their full anatomical complexity.

125 The TAM framework provides such a compression. We proposed TAM to aggregate fine-
126 root systems and their mycorrhizal associations into three functional pools: transport roots (T),
127 absorptive roots (A), and mycorrhizal fungi (M) (Wang et al., 2023). Each pool is defined by its
128 dominant function (structural support and resource conduction; nutrient acquisition; symbiotic
129 nutrient exchange), and each carries distinct properties for C:N stoichiometry, longevity,
130 allocation, and litter chemistry. Such a three-pool structure intends to capture the essential
131 functional differentiation documented empirically including the contrast between persistent
132 transport tissues and ephemeral absorptive tissues, the distinct chemical signature of mycorrhizal
133 biomass, while remaining tractable for global-scale application. This aggregation follows a long
134 tradition of structure-based, function-oriented lumping in ecology (Raunkiaer, 1934; Root, 1967;
135 Grime, 1974; Smith et al. 1997). Nair (2023) characterized this three-pool representation as a step
136 toward a more holistic view of belowground structure in vegetation models. Wang et al. (2023)
137 demonstrated that TAM improved site-level simulations of ecosystem carbon fluxes in a stand-



138 alone ecosystem model. However, the framework has not yet been implemented in a land model
139 capable of representing all major vegetation types and of coupling with other Earth system
140 components.

141 Here we present ELM-TAM, the E3SM Land Model with the TAM framework fully
142 integrated. We chose ELM for its representative structure and its role in energy and climate
143 research (Leung et al. 2020), although the structural simplification that ELM-TAM addresses—a
144 single homogeneous fine-root pool—is shared by all major land models. The current development
145 establishes the TAM structure and its integration into the carbon–nutrient cycle; the function-
146 oriented design provides natural coupling points for extensions such as mechanistic root–water
147 interactions and depth-resolved root profiles in later phases. We evaluate ELM-TAM through three
148 stages. First, we conduct a Sobol global sensitivity analysis across FLUXNET sites spanning all
149 natural plant functional types (PFTs) in ELM to characterize how parameter importance varies
150 across vegetation types. Second, we perform Bayesian calibration at these sites to estimate PFT-
151 specific TAM parameters and examine the emergent fine-root system properties they imply. Third,
152 we apply a three-tier validation framework of increasing independence (monthly evaluation at
153 calibration sites, temporal out-of-sample testing, and spatial out-of-sample testing at new sites) to
154 assess whether the added structural complexity yields transferable predictive improvements.
155 Together, these analyses are designed to establish whether a principled structural decomposition
156 of fine-root pools can serve as a foundation for improving sink-based controls in Earth system
157 predictions.

158



159 **2. Model Description**

160 **2.1 Overview of ELM-TAM**

161 ELM-TAM decomposes ELM's single fine-root pool into three functionally distinct TAM
162 pools within the existing prognostic C–N–P framework (**Fig. 1**). The model inherits the spatial
163 tiling and biogeochemical structure of ELM without modification to the model grid or soil
164 discretization (e.g., Burrows et al. 2020). Each grid cell is subdivided into topographic units, land
165 units, columns, and plant functional type (PFT) patches; the TAM development focuses on the
166 natural vegetation land unit, in which a single soil column is shared by multiple PFT patches in
167 fractional coverage. Globally, 14 PFTs (11 woody + 3 grass types) represent the natural vegetation
168 of the terrestrial biosphere. Each PFT tracks 68 prognostic C/N/P state variables—24 for carbon,
169 22 each for nitrogen and phosphorus. Five organs (leaf, live stem, dead stem, live coarse root, dead
170 coarse root) carry the standard active/storage/transfer triplet (15 pools per element), while fine root
171 splits into three TAM pools sharing a single storage and transfer pool (5 pools per element), giving
172 20 organ-level pools per element. All three elements carry a temporary labile pool; carbon adds an
173 excess maintenance-respiration pool and growth-respiration storage and transfer pools; nitrogen
174 and phosphorus additionally carry a re-translocation pool. The soil column is discretized into
175 layers with vertically resolved carbon, nutrient, and water pools. The T, A, and M states are tracked
176 as column-integrated quantities per PFT patch, even though the root profile used for nutrient
177 uptake and litter distribution is vertically distributed (Sect. 2.4). Root activity is constrained by
178 bedrock depth and, in permafrost regions, by the active layer depth. By resolving belowground
179 heterogeneity at the level of functionally distinct tissue pools, ELM-TAM introduces an explicit
180 mechanism through which belowground sinks feed back on whole-ecosystem carbon dynamics,
181 which is the structural basis for stronger sink-based control on carbon cycling.

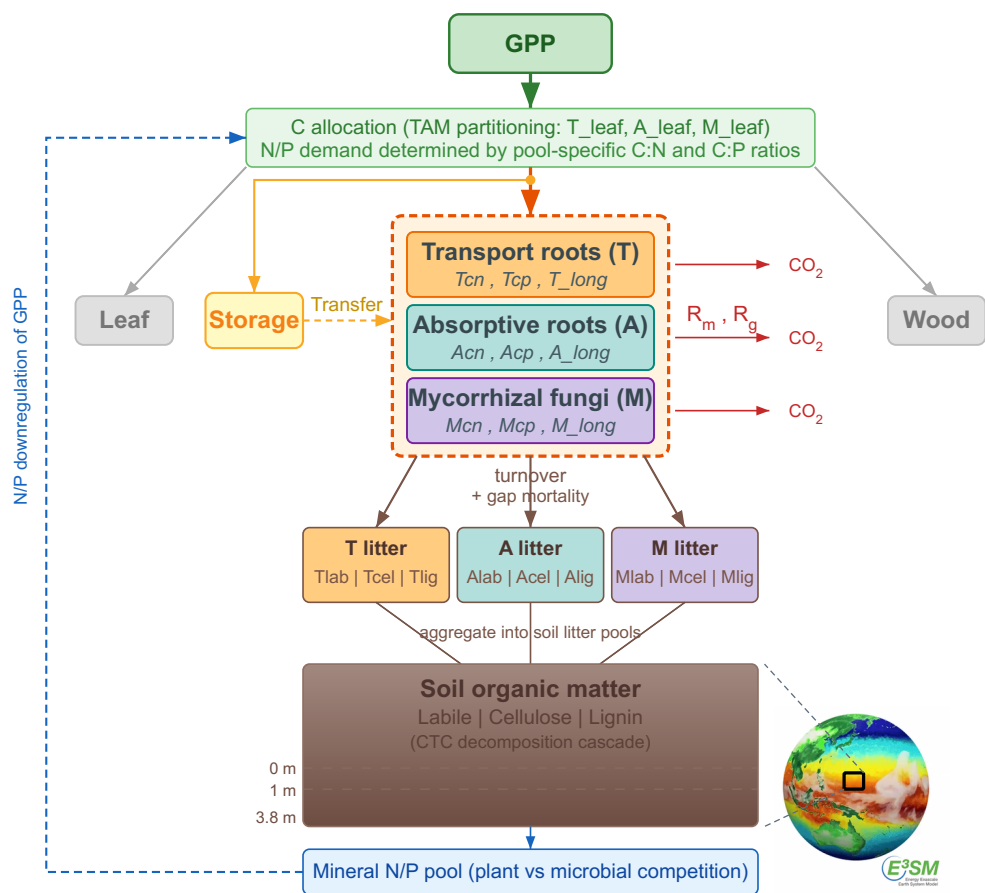


182 The scope of the TAM modification reflects a deliberate parsimony–fidelity balance: we
183 resolve the belowground structural heterogeneity that most directly governs carbon allocation,
184 nutrient demand, and litter quality, while retaining standard ELM formulations for processes not
185 yet coupled to the TAM structure. Photosynthesis uses the soil moisture stress factor rather than a
186 mechanistic root-hydraulic approach, so the TAM pools do not feed back on transpiration or
187 stomatal conductance in the current implementation. Nutrient re-translocation operates on leaves
188 and live wood but not on fine roots in standard ELM, and the TAM pools inherit this treatment;
189 all nitrogen and phosphorus in senescing TAM tissue enters the litter pathway. Soil organic matter
190 decomposition follows the converging trophic cascade (CTC) framework with vertically resolved
191 pools and relative-demand nutrient competition. Fire dynamics and land cover change are likewise
192 unmodified. This design establishes the TAM structure and isolates the structural effect of fine-
193 root pool differentiation on carbon and nutrient cycling, providing a clean baseline against which
194 future extensions, e.g., mechanistic root–water coupling and depth-resolved TAM profiles, can be
195 evaluated incrementally.

196 Concretely, the TAM modification introduces 21 new parameters governing the properties
197 of the three fine-root pools (**Table 1**). These parameters fall into five functional categories
198 including C:N and C:P ratios, carbon pool sizes, longevity, litter chemistry fractions, and root–leaf
199 allocation scaling, and collectively determine how photosynthetic carbon is partitioned
200 belowground, how quickly each pool turns over, and what litter chemistry enters the soil. The
201 implementation modified 41 Fortran modules in the E3SM codebase; the complete source code is
202 available at <https://github.com/bioatmosphere/E3SM/tree/bwang>. The subsections below describe
203 the three principal process categories altered by the TAM structure: growth and allocation (Sect.



204 2.2), respiration (Sect. 2.3), and turnover and decomposition (Sect. 2.4). Throughout, we use
205 subscript $i \in \{T, A, M\}$ to index the three TAM pools.
206



207
208 **Figure 1. Conceptual schematic of the ELM-TAM structure.** The single fine-root pool in
209 standard ELM is replaced by three structurally and functionally distinct pools—transport roots (T),
210 absorptive roots (A), and mycorrhizal fungi (M)—each with pool-specific C:N and C:P ratios,
211 longevity, allocation coefficients, and litter chemistry. Photosynthetic carbon is allocated to TAM
212 pools through direct allocation and indirect transfer via a shared storage pool; storage release is



213 phenology-dependent: continuous (evergreen), onset pulse (seasonal deciduous), and adaptive
214 (stress-deciduous). TAM litter fluxes are split by biochemical composition (labile, cellulose,
215 lignin), vertically distributed, and merged into the existing soil organic matter decomposition
216 cascade.



Table 1. Definitions, units, and prior ranges of the 21 TAM parameters introduced in ELM-TAM. Seventeen parameters are free, which are constrained by observations and experiments (Wang et al. 2023) and sampled from uniform priors during Sobol sensitivity analysis and MCMC calibration. Four are directly constrained, among which three lignin litter fractions determined algebraically (lignin = 1 – labile – cellulose) and the mycorrhizal root–leaf ratio is derived from the total fine-root allocation once transport and absorptive allocations are set).

#	Symbol	Code name	Description	Unit	Prior range	Status
Carbon-to-nitrogen ratios						
1	Tcn	<i>froottcn</i>	Transport fine-root C:N ratio	g C g ⁻¹ N	20–184	Free
2	Acn	<i>frootacn</i>	Absorptive fine-root C:N ratio	g C g ⁻¹ N	11–119	Free
3	Mcn	<i>frootmcn</i>	Mycorrhizal C:N ratio	g C g ⁻¹ N	7–25	Free
Carbon-to-phosphorus ratios						
4	Tcp	<i>froottcp</i>	Transport fine-root C:P ratio	g C g ⁻¹ P	375–1125	Free
5	Acp	<i>frootacp</i>	Absorptive fine-root C:P ratio	g C g ⁻¹ P	250–750	Free
6	Mcp	<i>frootmcp</i>	Mycorrhizal C:P ratio	g C g ⁻¹ P	10–1600	Free
Root–leaf allocation scaling						
7	T_leaf	<i>froott_leaf</i>	Transport fine-root to leaf allocation ratio	–	0.05–0.40	Free
8	A_leaf	<i>froota_leaf</i>	Absorptive fine-root to leaf allocation ratio	–	0.20–0.60	Free
9	M_leaf	<i>frootm_leaf</i>	Mycorrhizal to leaf allocation ratio (derived)	–	—	Constrained
Longevity (turnover time)						
10	T_long	<i>froott_long</i>	Transport fine-root longevity	yr	3–10	Free
11	A_long	<i>froota_long</i>	Absorptive fine-root longevity	yr	0.5–4	Free
12	M_long	<i>frootm_long</i>	Mycorrhizal longevity	yr	0.13–1	Free
Litter chemistry — labile fractions						
13	Tlab	<i>frit_flab</i>	Transport fine-root labile litter fraction	–	0.10–0.35	Free
14	Alab	<i>fria_flab</i>	Absorptive fine-root labile litter fraction	–	0.10–0.35	Free
15	Mlab	<i>fri_m_flab</i>	Mycorrhizal labile litter fraction	–	0.10–0.35	Free
Litter chemistry — cellulose fractions						
16	Tcel	<i>frit_fcel</i>	Transport fine-root cellulose litter fraction	–	0.35–0.65	Free



1	Acel	<i>fra_fcel</i>	Absorptive fine-root cellulose litter fraction	—	0.35–0.65	Free
7						
1	Mcel	<i>frm_fcel</i>	Mycorrhizal cellulose litter fraction	—	0.35–0.65	Free
8						
Litter chemistry — lignin fractions (derived)						
1	Tlig	<i>firt_flg</i>	Transport fine-root lignin fraction	—	—	Constrained
9						
2	Alig	<i>fra_flg</i>	Absorptive fine-root lignin fraction	—	—	Constrained
0						
2	Mlig	<i>frm_flg</i>	Mycorrhizal lignin fraction	—	—	Constrained
1						

223



224 2.2 TAM growth and allocation

225 Carbon allocation is the primary mechanism through which the TAM structure exerts sink-
226 based control: by partitioning photosynthate among three pools with distinct stoichiometry, the
227 model generates pool-specific nutrient demands that feed back on growth. TAM growth proceeds
228 through two complementary pathways—direct allocation of current photosynthate and indirect
229 transfer from a shared storage pool—both governed by PFT-specific allometric coefficients and
230 stoichiometric ratios.

231 2.2.1 Carbon availability and allocation allometry

232 As in standard ELM, ELM-TAM first determines the carbon available for new growth by
233 subtracting maintenance respiration and storage replenishment demands from gross primary
234 production (GPP):

$$235 \quad C_{\text{avail}}(p) = \text{GPP}(p) - R_{\text{maint}}(p)$$

236 where p denotes the PFT patch. The available carbon is then allocated to all tissue types—leaves,
237 TAM pools, stems, and coarse roots—according to PFT-specific allometric ratios. In standard
238 ELM, a single parameter a_1 (*froot_leaf*) governs the ratio of new fine-root carbon to new leaf
239 carbon. ELM-TAM replaces this single parameter with three allocation parameters, one for each
240 TAM pool:

$$241 \quad a_{1,i} = a_1 \cdot f_{r,i}, \quad i \in \{T, A, M\}$$

242 where $f_{r,i}$ is the fractional partitioning of total fine-root allocation to pool i , determined by the
243 root–leaf scaling parameters (*froott_leaf*, *froota_leaf*, *frootm_leaf*). The partitioning fractions
244 satisfy:

$$245 \quad f_{r,T} + f_{r,A} + f_{r,M} \leq 1$$



246 When the sum equals 1, all allocated carbon enters TAM pools; when the sum is less than 1, the
247 residual implicitly represents root exudation.

248 The TAM partitioning and pool-specific C:N and C:P ratios jointly determine the PFT-
249 specific allocation allometry. For woody PFTs (PFTs 1–11), the carbon, nitrogen, and phosphorus
250 allometric ratios, that is, expressing the total new growth per unit new leaf growth, are:

$$251 \quad C_{\text{allom}} = (1 + g_1)[1 + a_1 + a_3(1 + a_2)]$$

$$252 \quad N_{\text{allom}} = \frac{1}{\text{CN}_{\text{leaf}}} + a_1 \sum_{i=1}^3 \frac{f_{r,i}}{\text{CN}_{fr,i}} + \frac{a_3 a_4 (1 + a_2)}{\text{CN}_{\text{livewood}}} + \frac{a_3 (1 - a_4) (1 + a_2)}{\text{CN}_{\text{deadwood}}}$$

$$253 \quad P_{\text{allom}} = \frac{1}{\text{CP}_{\text{leaf}}} + a_1 \sum_{i=1}^3 \frac{f_{r,i}}{\text{CP}_{fr,i}} + \frac{a_3 a_4 (1 + a_2)}{\text{CP}_{\text{livewood}}} + \frac{a_3 (1 - a_4) (1 + a_2)}{\text{CP}_{\text{deadwood}}}$$

254 where a_1 through a_4 are the standard ELM allometric parameters (a_1 : fine root to leaf ratio; a_2 :
255 coarse root to stem ratio; a_3 : stem to leaf ratio; a_4 : live wood to total wood ratio), g_1 is the growth
256 respiration fraction, and $\text{CN}_{fr,i}$ and $\text{CP}_{fr,i}$ are the C:N and C:P ratios of TAM pool i (frootcn,
257 frootacn, frootmcn and their phosphorus analogues). For non-woody PFTs (PFTs 12–14), the same
258 expressions apply without the woody tissue terms (i.e., $a_2 = a_3 = a_4 = 0$):

$$259 \quad C_{\text{allom}} = (1 + g_1)(1 + a_1)$$

$$260 \quad N_{\text{allom}} = \frac{1}{\text{CN}_{\text{leaf}}} + a_1 \sum_{i=1}^3 \frac{f_{r,i}}{\text{CN}_{fr,i}}$$

261 These equations reveal the key structural effect of the TAM framework on allocation: nitrogen and
262 phosphorus demands of fine-root growth are now controlled by three distinct C:N (and C:P) ratios
263 rather than a single ratio. Because absorptive roots and mycorrhizal fungi typically have lower
264 C:N ratios than transport roots, consistent with the empirical pattern of decreasing C:N with
265 decreasing root order (Pregitzer et al., 2002; McCormack et al., 2015), the TAM structure generally



increases the nitrogen demand per unit carbon allocated belowground. This is the mechanism through which fine-root pool differentiation strengthens the sink-based nutrient constraint on growth. Given the allometric ratios, the total nitrogen and phosphorus demands for new growth are:

$$N_{\text{demand}}(p) = C_{\text{avail}}(p) \cdot \frac{N_{\text{allom}}}{C_{\text{allom}}}$$

$$P_{\text{demand}}(p) = C_{\text{avail}}(p) \cdot \frac{P_{\text{allom}}}{C_{\text{allom}}}$$

2.2.2 Nutrient competition and downregulation

The elevated nutrient demands generated by pool-specific stoichiometry enter the existing ELM nutrient competition framework without modification to the competition algorithm itself. All PFTs sharing a soil column compete as a unified plant community against microbial decomposers, nitrifiers, and denitrifiers for available soil mineral nitrogen (sequentially: NH_4^+ first, then NO_3^- for unmet demand) and solution phosphorus. Combined plant demand is distributed vertically using availability-weighted nutrient uptake profiles. After competition is resolved independently for nitrogen and phosphorus, Liebig's Law of the Minimum is applied: whichever nutrient is more limiting controls the downregulation of GPP and, consequently, actual carbon allocation.

2.2.3 Direct allocation to TAM pools

Once nutrient limitation has downregulated GPP, the actual carbon allocation to each TAM pool is:

$$C_{\text{pool} \rightarrow i}(p) = C_{\text{nle}}(p) \cdot a_1 \cdot f_{r,i} \cdot (1 - f_{\text{cur}})$$

where C_{nle} is the nutrient-limited new leaf carbon, f_{cur} is the fraction allocated to current-year growth (versus storage), and $i \in \{T, A, M\}$. The corresponding nitrogen allocations are:

$$N_{\text{pool} \rightarrow i}(p) = C_{\text{nle}}(p) \cdot a_1 \cdot \frac{f_{r,i}}{\text{CN}_{f_{r,i}}} \cdot (1 - f_{\text{cur}})$$



288 and analogously for phosphorus with $CP_{fr,i}$. The allocation to the shared TAM storage pool
289 aggregates the contributions from all three pools:

290
$$C_{\text{pool} \rightarrow \text{TAM,stor}}(p) = C_{\text{nle}}(p) \cdot a_1 \cdot f_{\text{cur}}$$

291
$$N_{\text{pool} \rightarrow \text{TAM,stor}}(p) = C_{\text{nle}}(p) \cdot a_1 \cdot \left(\sum_{i=1}^3 \frac{f_{r,i}}{CN_{fr,i}} \right) \cdot f_{\text{cur}}$$

292 **2.2.4 Indirect transfer from storage**

293 Not all belowground growth comes from current photosynthate. TAM growth from stored
294 carbon follows PFT-dependent phenological mechanisms through a single shared transfer pool:
295 carbon moves from storage to a transfer pool, and from the transfer pool to the three displayed
296 TAM pools proportional to their scaling relationships with leaf (*froott_leaf*, *froota_leaf*,
297 *frootm_leaf*). The phenological strategy of each PFT determines the timing and rate of this transfer.

298 For evergreen PFTs, a constant background transfer rate operates year-round. A fixed
299 fraction of the storage pool (0.5 yr^{-1}) is moved to the transfer pool, converted to a per-second rate
300 by dividing by the number of seconds per year:

301
$$F_{\text{stor} \rightarrow \text{xfer}}(p) = \frac{0.5}{\tau_{\text{yr}}} \cdot C_{\text{TAM,stor}}(p)$$

302 where $\tau_{\text{yr}} = 365.25 \times 86400 \text{ s}$. All mass in the transfer pool is then moved to displayed growth
303 at each time step, partitioned evenly among the three TAM pools.

304 For seasonal deciduous PFTs (PFTs 3, 7, 8), TAM growth from storage occurs exclusively
305 during a dedicated onset period ($n_{\text{onset}} = 30 \text{ days}$). The transfer rate ramps linearly during this
306 period: the fraction of current storage moved into the transfer pool increases at each time step until
307 the final step, when all remaining storage is transferred. During onset, the rate coefficient at each
308 time step is:



309
$$r_{\text{xfer}} = \frac{2 \cdot \Delta t}{\tau_{\text{onset}}^2}$$

310 where τ_{onset} is the remaining time in the onset period. On the final time step, all residual storage is
311 flushed:

312
$$F_{\text{stor} \rightarrow \text{xfer}}(p) = \frac{1}{\Delta t} \cdot C_{\text{TAM,stor}}(p)$$

313 For stress-deciduous PFTs (PFTs 6, 10, 13, 14—grasses and tropical drought-deciduous
314 trees), the phenological behavior depends on climate seasonality. In strongly seasonal climates,
315 these PFTs behave like seasonal deciduous plants with discrete onset–offset cycles that may occur
316 multiple times per year. In weakly seasonal environments (e.g., aseasonal tropics), they converge
317 toward evergreen behavior: a long growing season factor (*lgstf*, ranging from 0 to 1 as the
318 continuous active period exceeds one year) modulates a background transfer rate:

319
$$F_{\text{bgtr}}(p) = \frac{1}{\tau_{\text{yr}}} \cdot \text{lgstf}(p) \cdot C_{\text{TAM,stor}}(p)$$

320 This mechanism ensures that stress-deciduous plants with persistent canopies in the absence of a
321 suitable cold or drought trigger transition to quasi-evergreen root maintenance.

322 **2.3 TAM respiration**

323 Respiration is the second pathway through which the TAM structure alters carbon cycling:
324 because the three pools differ in nitrogen concentration, they generate distinct maintenance
325 respiration costs even under a shared rate formulation.

326 **2.3.1 Maintenance respiration**

327 Maintenance respiration follows the standard ELM formulation, in which the respiration
328 rate of each live tissue pool is proportional to its nitrogen content and modulated by a temperature
329 response function:

330
$$R_{\text{maint},i}(p) = N_i(p) \cdot r_{\text{base}} \cdot f(T)$$



331 where $N_i(p)$ is the nitrogen content of TAM pool i , r_{base} is a base respiration rate per unit nitrogen
332 (identical for all TAM pools and unchanged from ELM), and $f(T)$ is a Q_{10} -based temperature
333 response. The TAM framework does not introduce pool-specific respiration rates or temperature
334 sensitivities. Differentiation in maintenance respiration among the three pools arises entirely from
335 their distinct nitrogen contents, which are governed by pool-specific C:N ratios. Because
336 absorptive roots and mycorrhizal fungi have lower C:N ratios (higher nitrogen concentrations)
337 than transport roots, they incur proportionally higher maintenance respiration costs per unit carbon,
338 a parsimonious representation of the metabolic cost of maintaining nutrient-acquisition tissues.

339 **2.3.2 Growth respiration**

340 Growth respiration associated with TAM pool construction is calculated as a fixed fraction
341 of carbon allocation fluxes:

$$342 \quad R_{\text{growth},i}(p) = g_{\text{perc}} \cdot C_{\text{alloc},i}(p)$$

343 where $g_{\text{perc}} = 0.3$ is the growth respiration coefficient (ratio of growth respiration carbon to new
344 growth carbon), unchanged from ELM. For TAM growth from the storage pool, the timing of
345 growth respiration is governed by g_{now} , a PFT-specific parameter (default 0.5) that partitions
346 growth respiration between the time of initial allocation to storage and the time of display growth:

$$347 \quad R_{\text{growth,stor}}(p) = g_{\text{perc}} \cdot g_{\text{now}} \cdot C_{\text{alloc,stor}}(p)$$

348 with the remaining fraction $(1 - g_{\text{now}})$ deferred to the onset period when storage is converted to
349 displayed TAM biomass.

350 **2.4 TAM turnover and decomposition**

351 Turnover is the third and final pathway through which the TAM structure reshapes carbon
352 cycling: pool-specific longevity and litter chemistry determine not only how fast carbon leaves
353 each pool but what biochemical form it takes when entering the soil.



2.4.1 Endogenous turnover

TAM turnover to litter is controlled by pool-specific longevity parameters (*froott_long*, *froota_long*, *frootm_long*), with PFT-dependent phenological mechanisms distinguishing evergreen, seasonal deciduous, and stress-deciduous behavior.

For evergreen PFTs, TAM litterfall occurs year-round at a constant rate inversely proportional to pool longevity:

$$F_{i \rightarrow \text{litter}}(p) = \frac{1}{\lambda_i} \cdot C_i(p)$$

where λ_i is the longevity of TAM pool i (in seconds) and $C_i(p)$ is the current carbon content. The empirical basis for distinguishing longevity among the three pools derives from field observations of a dramatic increase in survivorship with root diameter even within narrow ranges (≤ 0.5 mm) and from direct measurements of fungal tissue lifespan (e.g., Reid et al., 1993; McCormack et al., 2010; Allen and Kitajima, 2013). The longevity ordering ($\lambda_T > \lambda_A > \lambda_M$) reflects the empirical pattern that thicker, higher-order transport roots persist longer than ephemeral absorptive tips and their fungal partners.

For seasonal deciduous PFTs, TAM litterfall occurs during a discrete offset period ($n_{\text{off}} = 15$ days) triggered when day length drops below a critical threshold after the summer solstice. During the offset period, litter flux follows an accelerating ramp:

$$F_{i \rightarrow \text{litter}}(p, t) = F_{i \rightarrow \text{litter}}(p, t - \Delta t) + \frac{2\Delta t}{\tau_{\text{off}}^2} \cdot [C_i(p) - F_{i \rightarrow \text{litter}}(p, t - \Delta t) \cdot \tau_{\text{off}}]$$

where τ_{off} is the remaining time in the offset period. The rate starts near zero and accelerates, ensuring that on the final time step all remaining TAM carbon is transferred to litter:

$$F_{i \rightarrow \text{litter}}(p, t_{\text{final}}) = \frac{1}{\Delta t} \cdot C_i(p) + C_{\text{alloc} \rightarrow i}(p)$$



375 For stress-deciduous PFTs, the dual phenological behavior described in Sect. 2.2.4 extends
376 to turnover. In strongly seasonal climates, offset can be triggered by sustained drought, freezing,
377 or extreme short day length, producing complete shedding via the same accelerating ramp as
378 seasonal deciduous PFTs, with potentially multiple onset–offset cycles per year. In weakly
379 seasonal environments, stress-deciduous PFTs converge toward evergreen-like background
380 turnover, with the long growing season factor modulating the litterfall rate.

381 **2.4.2 Gap-phase mortality**

382 In addition to endogenous turnover, all three TAM pools are subject to gap-phase mortality
383 representing the aggregate effects of wind throw, insect attack, disease, drought stress, and age-
384 related decline. The TAM framework uses the same PFT-specific annual mortality rate ($m = 0.02$
385 yr^{-1} by default) as other plant tissues, converted to a per-second rate and applied uniformly to
386 each TAM pool and its corresponding storage and transfer pool:

$$387 \quad F_{i,\text{mort}}(p) = \frac{m}{\tau_{\text{yr}}} \cdot C_i(p)$$

388 The mortality rate may also vary by soil order, reflecting the influence of soil fertility on stand
389 turnover. Fire-induced and land-cover-change mortality are treated separately in ELM and are not
390 modified by the TAM framework.

391 **2.4.3 Litter chemistry and decomposition**

392 Carbon, nitrogen, and phosphorus fluxes from TAM litter are split into three biochemical
393 fractions — labile, cellulose, and lignin — using pool-specific litter chemistry parameters:

$$394 \quad F_{i,\text{labile}} = f_{i,\text{lab}} \cdot F_{i \rightarrow \text{litter}}$$

$$395 \quad F_{i,\text{cellulose}} = f_{i,\text{cel}} \cdot F_{i \rightarrow \text{litter}}$$

$$396 \quad F_{i,\text{lignin}} = f_{i,\text{lig}} \cdot F_{i \rightarrow \text{litter}}$$



397 where $f_{i,\text{lab}}$, $f_{i,\text{cel}}$, and $f_{i,\text{lig}}$ are the labile, cellulose, and lignin fractions for TAM pool i (**Table 1**),
398 with $f_{i,\text{lig}} = 1 - f_{i,\text{lab}} - f_{i,\text{cel}}$. The same biochemical split applies to the nitrogen and phosphorus
399 components of TAM litter, so the C:N and C:P ratios of each biochemical fraction at a given soil
400 layer equal the weighted average of the contributing TAM pools at that layer.

401 TAM litter fluxes are vertically distributed within the soil profile following the PFT-
402 specific cumulative root distribution of Jackson et al. (1996):

403
$$r_{\text{root},j} = \beta^{100 z_{j-1}} - \beta^{100 z_j}$$

404 where β is a PFT-dependent root distribution parameter (dimensionless, typically 0.94–0.99;
405 higher values correspond to deeper rooting profiles), z_{j-1} and z_j are the depths (m) of the upper
406 and lower interfaces of soil layer j , and the factor of 100 converts depth from meters to centimeters
407 to match the original parameterization. The profile is normalized over the hydrologically active
408 soil layers above permafrost to ensure $\sum_{j=1}^{N_{\text{active}}} r_{\text{root},j} = 1$. In fully frozen columns, all fine root litter
409 is assigned to the top soil layer. Because ELM-TAM does not maintain vertically resolved root
410 biomass pools (Sect. 2.1), this profile serves exclusively to distribute litter inputs into the vertically
411 resolved soil organic matter pools. The same profile is applied to all three TAM pools without
412 differentiation, consistent with the assumption that the first-order control on litter distribution is
413 the shared rooting depth of the PFT rather than pool-specific depth preferences.

414 The vertically distributed TAM litter fluxes from all three pools are aggregated and merged
415 with leaf litter and coarse woody debris fragmentation into the three soil litter pools (labile,
416 cellulose, and lignin) at each layer. These litter pools are subsequently decomposed following the
417 converging trophic cascade (CTC) model with first-order kinetics subject to temperature, moisture,
418 and stoichiometric constraints, as in standard ELM. The net effect of the TAM litter chemistry is
419 that the same total fine-root carbon flux now enters decomposition with a composition that reflects



420 the relative contributions of three functionally distinct tissues — transport roots contributing more
421 lignin-rich, slowly decomposable litter, while absorptive roots and mycorrhizal fungi contribute
422 more labile, rapidly cycling substrates. This differentiated litter input is absent in standard ELM
423 and represents a qualitatively new control on soil carbon dynamics.

424

425 **3. Methods**

426 The structural decomposition introduced above raises three questions: which of the 21 new
427 TAM parameters most strongly control simulated carbon fluxes, what parameter values best
428 reproduce observed fluxes, and whether the resulting parameterization transfers across temporal
429 scales, time periods, and geographic locations. To address these questions, we designed a
430 workflow comprising Sobol global sensitivity analysis (Sect. 3.2), Bayesian parameter calibration
431 at 13 FLUXNET eddy covariance sites spanning all natural PFTs in ELM (Sect. 3.3), and a three-
432 tier validation framework of increasing independence (Sect. 3.4). Because the thousands of
433 forward evaluations required by sensitivity analysis and Markov chain Monte Carlo (MCMC)
434 sampling are computationally prohibitive with full ELM-TAM runs, we trained neural-network
435 surrogate models as efficient emulators (Sect. 3.1). These surrogates served as the forward model
436 for sensitivity analysis and calibration, after which the calibrated parameter sets were applied in
437 full ELM-TAM simulations for validation.

438 **3.1 Simulation sites and experimental setup**

439 We identified one representative FLUXNET eddy covariance site for each of the 14 natural
440 PFTs in ELM, selecting for data availability, record length, and representativeness of the assigned
441 PFT (**Fig. 2**; Table A1). Of these, 13 sites entered the surrogate-based sensitivity analysis and
442 MCMC calibration workflow. PFT 9 (broadleaf evergreen shrub) was excluded because PFT 9 has



the smallest spatial coverage among the 14 natural PFTs in ELM and representative flux tower data are limited; its TAM parameter values were instead directly prescribed from published fine-root trait observations and expert judgment (Table 2). The dominant PFT at each site's grid cell was confirmed against the ELM surface dataset, and site marker colors in Fig. 2 indicate the dominant mycorrhizal association—ectomycorrhizal (EM), arbuscular (AM), or dual (EM/AM)—which governs the relative functional importance of the mycorrhizal pool in the TAM framework.

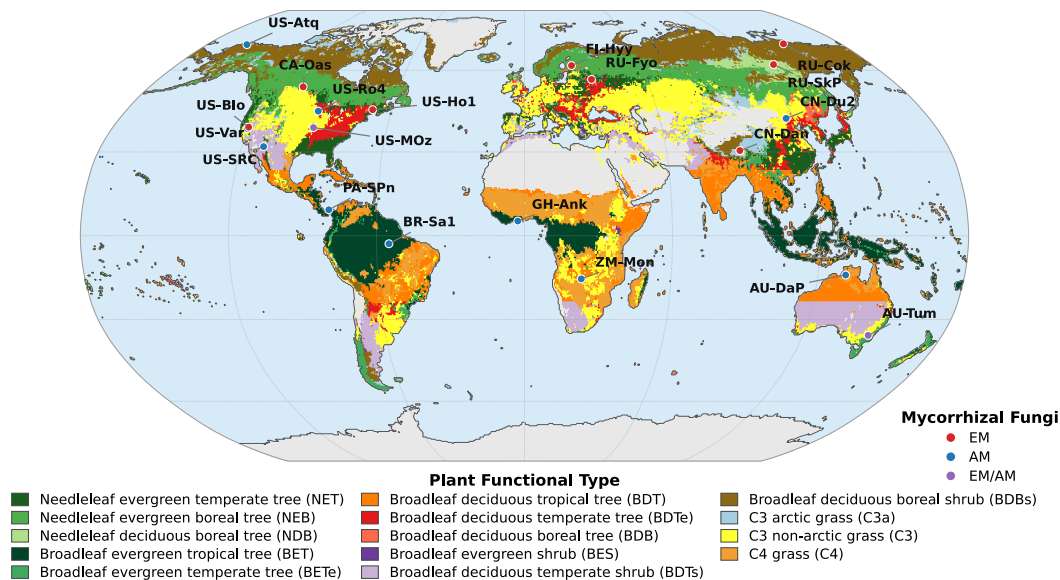


Figure 2. Global distribution of dominant plant functional types in the ELM surface dataset (0.5° resolution) with FLUXNET eddy covariance sites used for sensitivity analysis, calibration, and validation. Colors indicate the PFT with the highest fractional coverage at each grid cell; gray shading marks land areas where no single natural PFT exceeds 5 % coverage. Thirteen sites (one per PFT, excluding PFT 9; see text) entered the surrogate-based sensitivity analysis and MCMC calibration; 7 additional sites were used for spatial out-of-sample validation



457 (Tier 3; Sect. 3.4.3). Marker colors denote the dominant mycorrhizal association: ectomycorrhizal
458 (EM, red), arbuscular mycorrhizal (AM, blue), or dual association (EM/AM, purple).

459

460 In addition to the 13 calibration sites, **Fig. 2** shows the seven independent validation sites
461 used for spatial out-of-sample testing (Tier 3; Sect. 3.4.3), which span seven PFTs across four
462 continents. The geographic separation between calibration and validation sites of the same PFT—
463 for example, US-Ho1 (Maine, USA) versus US-Blo (California, USA) for PFT 1, or US-Atq
464 (Alaska, USA) versus CN-Dan (Tibetan Plateau, China) for PFT 12—illustrates the stringency of
465 the spatial transferability test.

466 All simulations followed a common three-stage protocol: (i) accelerated spinup (compset
467 ICB1850CNRDCTCBC) to equilibrate carbon and nitrogen pools, (ii) final spinup (compset
468 ICB1850CNRDCTCBC) with coupled carbon–nitrogen–phosphorus cycling, and (iii) transient
469 simulation (compset ICB20TRCNPRDCTCBC) driven by meteorological forcing. Each site was
470 run as a single-point simulation in which domain, surface (except for reconfigured PFT
471 composition), and land use data were extracted from global datasets at 0.5° resolution using a
472 KDTree nearest-neighbor lookup, with coordinates subsequently overwritten to the exact site
473 latitude and longitude. Meteorological forcing for the calibration period was derived from the
474 GSWP3 reanalysis dataset, which covers 1901–2014 and serves as the default atmospheric driver
475 in ELM; extended validation runs (Tier 2; Sect. 3.4.2) used the CRUJRA2024 reanalysis dataset
476 covering 1901–2023.

477 At each of the 13 calibration sites, we ran the baseline ELM with default parameters and
478 an ensemble of ELM-TAM simulations in which the 17 free TAM parameters (**Table 1**) were
479 perturbed across their prior ranges. The four constrained parameters (*frt_flg*, *fra_flg*, *frm_flg*,



480 and *frootm_leaf*) were excluded from the ensemble because each pool's three litter chemistry
481 fractions (labile + cellulose + lignin) must sum to 1.0, so the lignin (and one cellulose) fraction is
482 determined by the other two. Ensemble outputs of annual GPP and ER were used to train site-
483 specific surrogate models as described below.

484 **3.1.1 Surrogate model construction**

485 Because surrogate models underpin both sensitivity analysis and calibration, their fidelity
486 is a prerequisite for the analyses that follow. Surrogate models were built by training multi-layer
487 perceptron (MLP) neural networks (scikit-learn MLPRegressor; Pedregosa et al., 2011) to emulate
488 ELM-TAM annual GPP and ER as functions of the 17 free TAM parameters. A separate surrogate
489 was trained for each target variable at each site. Ensemble (n=1000) simulation outputs were
490 filtered to remove invalid samples (if exist for reasons of fill values or physically implausible
491 values), then split into training (80 %) and testing (20 %) sets with a fixed random seed for
492 reproducibility. Both input parameters and target variables were independently standardized to
493 zero mean and unit variance prior to training.

494 Optimal network configurations were identified through an exhaustive grid search with 5-
495 fold cross-validation, evaluating 36 hyperparameter combinations. The search space included
496 hidden-layer architectures of one layer (50 or 100 neurons) and two layers (100 and 50 neurons);
497 tanh and ReLU activation functions; Adam and L-BFGS solvers; L2 regularization strengths of
498 0.0001, 0.01, and 0.05; and constant or adaptive learning-rate schedules. Training was capped at
499 2000 iterations with early stopping enabled: 20 % of the training data was reserved as an internal
500 validation set, and training halted after 10 consecutive iterations without improvement in
501 validation loss. Surrogate performance was evaluated using the coefficient of determination (R^2)
502 between predicted and simulated values on both training and held-out test sets. Across the 13



503 calibration sites, all surrogates achieved $R^2 > 0.97$ for both GPP and ER on held-out data,
504 confirming that the emulators faithfully reproduce ELM-TAM behavior across the full parameter
505 space (Fig. A1). At inference time, new parameter vectors were standardized using the stored
506 training scalers, passed through the best-performing model, and inverse-transformed to recover
507 physical units.

508 **3.2 Sensitivity analysis**

509 With the surrogate models, the first analytical step was to identify which of the 17 free
510 TAM parameters most strongly control simulated GPP and ER, and whether these controls vary
511 across PFTs. We performed global sensitivity analysis using the Sobol variance-decomposition
512 method (Sobol', 2001) implemented in the SALib Python package (Herman and Usher, 2017),
513 with surrogates serving as the forward model. The Sobol method decomposes model output
514 variance into contributions from individual parameters (first-order indices, S1), pairwise parameter
515 interactions (second-order indices, S2), and all higher-order interactions. The total-effect index
516 (ST) for a given parameter captures its first-order effect plus all interaction terms in which it
517 participates.

518 For each of the 13 calibration PFTs (PFT 9 excluded), we generated 10,000 quasi-random
519 parameter combinations from the parameter prior distributions using Saltelli's extension of the
520 Sobol sequence (Saltelli, 2002). Each combination was evaluated through the site-specific
521 surrogate model, and Sobol indices were computed separately for GPP and ER. For each
522 simulation year we computed a combined sensitivity index as the mean of the GPP and ER indices
523 $[S_combined,y = (S_GPP,y + S_ER,y) / 2]$, then averaged these combined indices across all years
524 to obtain the final per-parameter ranking to reflect parameter influence on the net ecosystem carbon
525 cycle. To enable cross-PFT comparison, we applied two normalization schemes: (i) max-



normalization, dividing each PFT's indices by its maximum value to reveal the relative importance ranking within each PFT, and (ii) absolute ST values to compare magnitudes across PFTs. We separated the top eight most influential parameters from the remaining nine using an empirical gap in the ST distribution at 0.15 (**Fig. A2**).

3.3 Parameter calibration

Guided by the sensitivity analysis, we calibrated the 17 free TAM parameters at each of the 13 calibration sites using Bayesian inference via an enhanced Metropolis–Hastings Markov chain Monte Carlo (MCMC) algorithm with adaptive proposal distributions (Haario et al., 2001). The surrogate models served as the forward model in place of full ELM-TAM runs, reducing the computational cost of likelihood evaluations by several orders of magnitude while preserving the parameter–response relationships learned from the ELM-TAM ensemble. For PFT 9 (broadleaf evergreen shrub), which was excluded from the surrogate-based workflow, TAM parameter values were directly prescribed from published fine-root trait data and expert judgment rather than MCMC optimization; the resulting values are included in **Table 2** alongside the 13 MCMC-calibrated PFTs.

Uniform prior distributions were assigned to each parameter based on empirical constraints compiled from field observations of fine-root traits across ecosystems (Wang et al., 2023; **Table 1**). These priors bound the physically and biologically plausible range for each parameter while remaining uninformative within those bounds. The likelihood function assumes independent Gaussian observational errors:

$$p(\mathbf{y} | \boldsymbol{\theta}) = \prod_{v=1}^V \prod_{t=1}^{T_v} \frac{1}{\sqrt{2\pi\sigma_{v,t}^2}} \exp\left(-\frac{(y_{v,t} - f_v(\boldsymbol{\theta}, t))^2}{2\sigma_{v,t}^2}\right)$$



547 where V is the number of observed variables (GPP and ER), T_v is the number of annual time points
548 for variable v , $y_{v,t}$ is the observation at time t , $\sigma_{v,t}$ is the observational uncertainty, and $f_v(\boldsymbol{\theta}, t)$ is
549 the surrogate-model prediction for parameter vector $\boldsymbol{\theta}$.

550 Observational data were obtained from the FLUXNET2015 dataset (Pastorello et al.,
551 2020), which provides standardized eddy covariance measurements with comprehensive quality
552 control and uncertainty quantification. We used the night-time partitioning method with constant
553 u^* threshold (NT-CUT) reference values for GPP and ER along with their 5th- and 95th-percentile
554 uncertainty bounds, which reflect the spread of plausible values arising from different gap-filling
555 strategies, friction velocity threshold selection, and flux partitioning approaches. We used annual
556 flux observations for calibration because (i) the surrogate models were trained on annual model
557 output, (ii) annual aggregation reduces temporal autocorrelation, better satisfying the
558 independence assumption in the Gaussian likelihood, and (iii) annual carbon budgets are more
559 robust to structural model errors in sub-annual dynamics.

560 The 90 % confidence interval (5th to 95th percentile) was converted to a standard deviation
561 assuming a Gaussian error distribution:

562
$$\sigma_{v,t} = \frac{P_{95}(v, t) - P_5(v, t)}{3.29}$$

563 where the conversion factor 3.29 derives from the normal-distribution relationship $2 \times 1.645\sigma \approx$
564 3.29σ for the 5th-to-95th percentile span. Only observations with quality-control flags exceeding
565 0.8 (indicating > 80 % measured rather than gap-filled data) were retained for calibration; invalid
566 or low-quality measurements were excluded from the likelihood calculation.

567 Given the 17-dimensional parameter space and the potential for correlated parameters, we
568 implemented a three-phase adaptive burn-in strategy to accelerate convergence. Phase 1 (30 % of
569 burn-in) emphasizes aggressive exploration using enlarged proposal steps to locate high-



570 probability regions. Phase 2 (50 % of burn-in) implements adaptive Metropolis sampling in which
571 the proposal covariance is iteratively updated based on the empirical covariance of recent chain
572 samples, with scaling factors adjusted to maintain acceptance rates near the optimal 23 % for
573 multivariate normal proposals (Roberts et al., 1997). Phase 3 (20 % of burn-in) applies
574 conservative fine-tuning to stabilize the proposal distribution. Prior to burn-in, a preconditioning
575 phase of 50 samples provides rapid initial estimates of the covariance structure using eigenvalue
576 decomposition for numerical stability. To improve mixing efficiency for correlated parameters,
577 we implemented block sampling in which strongly correlated parameter groups, identified from
578 empirical correlation analysis of the chain, are updated jointly. Global sensitivity analysis results
579 informed the proposal distribution: smaller step sizes were applied to high-sensitivity parameters
580 (requiring precise estimation) and larger steps to low-sensitivity parameters (enabling faster
581 exploration). The algorithm employs eigenvalue decomposition for proposal generation to ensure
582 numerical stability when the covariance matrix becomes ill-conditioned, with automatic detection
583 and correction of conditioning issues. Convergence diagnostics include real-time monitoring of
584 acceptance rates and effective sample size (ESS) calculated via FFT-based autocorrelation
585 analysis. Multiple chains were initialized from overdispersed starting points to ensure adequate
586 exploration of the posterior. For each of the 13 calibrated PFTs, we report the maximum a
587 posteriori estimate for each parameter as the calibrated value used in subsequent validation runs
588 (Table 2).

589 3.4 Validation

590 Calibration establishes that ELM-TAM can reproduce observed fluxes at the sites and years
591 used for parameter estimation; the critical question is whether this skill transfers. We evaluated
592 ELM-TAM predictive skill through a three-tier validation design that progressively increases the



593 degree of independence between calibration and evaluation data. Tier 1 tests whether the TAM
594 structure produces realistic seasonal dynamics when only annual budgets were constrained, which
595 is a necessary condition before interpreting performance at other sites or time periods. Tier 2
596 isolates the question of whether calibrated values are overfit to the training period by testing
597 parameter robustness under novel climate forcing. Tier 3 provides the most stringent test: whether
598 PFT-level parameters transfer to independent sites across diverse climates, continents, and
599 ecosystems. Together, these tiers provide a systematic assessment of ELM-TAM transferability
600 prior to comprehensive global benchmarking with ILAMB (Collier et al., 2018). **Figure 2** provides
601 a spatial overview of all the sites entering the validation framework.

602 **3.4.1 Tier 1: Monthly evaluation at calibration sites**

603 To test whether ELM-TAM captures sub-annual dynamics not targeted during calibration,
604 we evaluated model predictions against monthly eddy covariance observations at all 13 calibration
605 sites over the same years used for calibration. Parameter calibration was performed against annual
606 sums of GPP and ER at the 13 calibration sites. The annual objective function constrains the total
607 carbon budget at each site but leaves the seasonal distribution of fluxes within each year entirely
608 unconstrained. This tier is particularly informative for the TAM framework because the
609 phenology-dependent allocation and turnover schemes (Sect. 2.2–2.3: year-round background
610 transfer for evergreen PFTs versus discrete onset/offset periods for deciduous PFTs) produce
611 distinct seasonal signatures that annual calibration does not directly constrain. Realistic seasonal
612 dynamics under annual-only calibration would indicate that the TAM structure encodes
613 mechanistically meaningful seasonal behavior rather than compensating errors that cancel at the
614 annual scale. Monthly observations of GPP and ER were derived from the FLUXNET2015 dataset
615 using the NT-CUT method, aggregated from half-hourly to monthly resolution, retaining only



616 months with quality-control flags exceeding 0.8. While mean seasonal cycles were analyzed at six
617 representative sites spanning the three functional strategies (evergreen: FI-Hyy, AU-Tum;
618 deciduous: PA-SPn, US-MOz; grass: US-Var, AU-DaP), a Taylor diagram was generated to
619 summarize correlation and normalized variability across all 13 calibration sites.

620 **3.4.2 Tier 2: Temporal out-of-sample validation**

621 To test whether the optimized parameter sets generalize beyond the calibration period, we
622 ran ELM-TAM with the posterior-mode parameter estimates at a subset of calibration sites for
623 which extended eddy covariance observations are available and easily accessible from the
624 AmeriFlux network: US-Ho1 (PFT 1, needleleaf evergreen temperate tree, 2015–2021), US-MOz
625 (PFT 7, broadleaf deciduous temperate tree, 2015–2021), and US-Var (PFT 13, C3 non-Arctic
626 grass, 2015–2021). These extended runs used the CRUJRA2024 atmospheric forcing dataset that
627 covers 1901–2023. This change in meteorological driver introduces an additional degree of
628 independence, as the model must reproduce observed fluxes under forcing data it was not
629 calibrated against. For each site, we ran both the optimized ELM-TAM parameterization and the
630 baseline ELM with default parameters, both driven by CRUJRA2024, to quantify the improvement
631 attributable to the TAM structure and its calibrated parameters.

632 These three sites sample distinct sensitivity profiles across the PFT spectrum—an
633 evergreen tree (US-Ho1), a deciduous tree (US-MOz), and a grass (US-Var)—providing a
634 representative test of parameter robustness under novel forcing. We report annual time series of
635 predicted and observed GPP and ER at these three sites (**Fig. 7**) to visualize how ELM-TAM tracks
636 interannual variability, complementing the aggregate metrics in the validation scorecard (**Fig. 5**).



637 3.4.3 Tier 3: Spatial out-of-sample validation

638 We ran ELM-TAM with optimized parameters at seven sites not included in the calibration,
639 spanning seven PFTs across four continents (**Fig. 2; Table A2**). The strongest test of model
640 generality is whether PFT-level parameters calibrated at one site transfer to an independent site of
641 the same PFT. The validation sites were selected to maximize ecological and climatic contrast with
642 their corresponding calibration sites while sharing the same PFT classification: US-Blo (PFT 1,
643 2000–2006; parameters from US-Ho1), RU-Fyo (PFT 2, 1998–2014; from FI-Hyy), GH-Ank (PFT
644 4, 2011–2014; from BR-Sa1), ZM-Mon (PFT 6, 2000–2009; from PA-SPn), CN-Dan (PFT 12,
645 2004–2005; from US-Atq), CN-Du2 (PFT 13, 2006–2008; from US-Var), and US-Ro4 (PFT 14,
646 2014–2023; from AU-DaP).

647 These sites differ from their respective calibration sites in climate, species composition,
648 and stand characteristics. For example, US-Blo (ponderosa pine, Mediterranean climate,
649 California) contrasts with US-Ho1 (spruce–hemlock, humid continental, Maine) despite both
650 being PFT 1; RU-Fyo (spruce–birch mixed forest, central European Russia) differs from FI-Hyy
651 (Scots pine, southern Finland); and CN-Dan (alpine meadow at 4300 m on the Tibetan Plateau)
652 presents a radically different environment from US-Atq (Arctic coastal plain tundra, Alaska)
653 despite both being classified as C3 Arctic grass (Fig. 2). These contrasts test whether the calibrated
654 parameters capture PFT-level functional strategies rather than site-specific conditions—the core
655 premise underlying global application of ELM-TAM. For all spatial validation sites, we compared
656 ELM-TAM predictions against eddy covariance observations from the FLUXNET2015 dataset or
657 the AmeriFlux network.



3.4.4 Performance metrics

Model performance was assessed using four complementary metrics applied to GPP and ER predictions. Root mean square error (RMSE; $\text{gC m}^{-2} \text{ yr}^{-1}$) quantifies the magnitude of prediction errors:

$$\text{RMSE} = \sqrt{\frac{1}{n} \sum_{t=1}^n (y_{\text{obs},t} - y_{\text{mod},t})^2}$$

Mean bias error (MBE; $\text{gC m}^{-2} \text{ yr}^{-1}$) characterizes systematic over- or under-estimation:

$$\text{MBE} = \frac{1}{n} \sum_{t=1}^n (y_{\text{mod},t} - y_{\text{obs},t})$$

For each metric, we report values for both the optimized ELM-TAM and baseline ELM to quantify the improvement attributable to the TAM framework. Performance was evaluated separately for GPP and ER to assess whether the model captures carbon uptake and respiratory fluxes with comparable skill. For the monthly evaluation (Tier 1), we additionally report the Pearson correlation coefficient (r) of monthly time series and the ratio of simulated to observed seasonal amplitude ($A_{\text{mod}}/A_{\text{obs}}$, where amplitude is the difference between maximum and minimum monthly flux) to separately characterize the model's ability to reproduce the phase and magnitude of the seasonal cycle. The primary summary metric used to compare ELM-TAM against baseline ELM across all sites and tiers is the relative RMSE change:

$$\Delta \text{RMSE}\% = \frac{\text{RMSE}_{\text{ELM-TAM}} - \text{RMSE}_{\text{ELM}}}{\text{RMSE}_{\text{ELM}}} \times 100$$

Negative values indicate that ELM-TAM reduces prediction error relative to the baseline. A validation scorecard offering an overview of $\Delta \text{RMSE}\%$ across all sites and tiers is presented, in addition to detailed site-level results for each tier.



4 Results
4.1 Sensitivity of ELM-TAM simulating GPP and ER

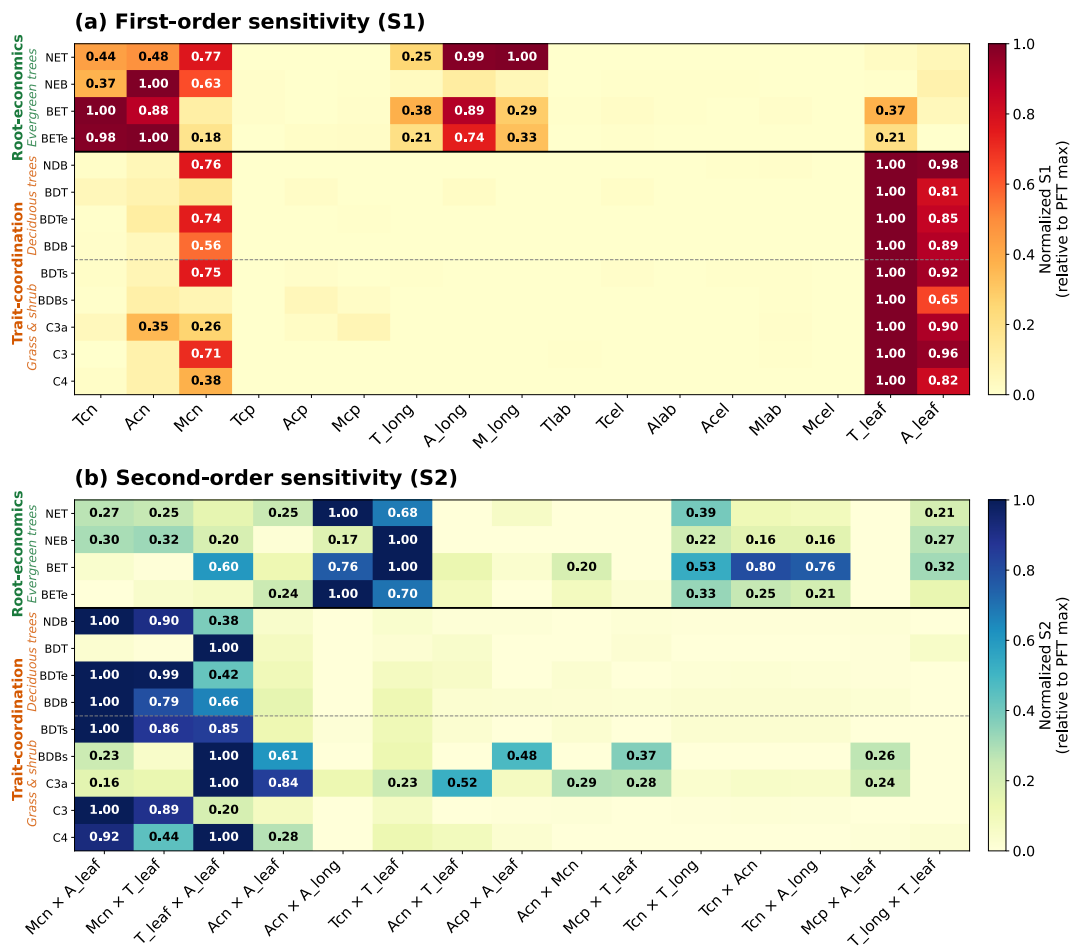


Fig. 3. Sobol sensitivity analysis reveals a two-strategy parameterization dichotomy across plant functional types. Cross-site sensitivity of 17 TAM root parameters for combined carbon fluxes (GPP + ER) across 13 PFTs. PFTs are grouped by parameterization strategy: root-economics (evergreen trees, PFTs 1, 2, 4, 5) and trait-coordination (deciduous trees and grass/shrub, PFTs 3, 6–8, 10–14). PFT 9 is excluded owing to its limited spatial coverage and flux tower data availability. (a) Normalized first-order sensitivity (S1): values within each PFT row are



687 scaled by that PFT's maximum S1 so that the darkest cell identifies the dominant parameter. **(b)**
688 Normalized second-order sensitivity (S2) for the 15 strongest pairwise interactions (out of 136
689 possible pairs), scaled by each PFT's maximum S2. Values ≥ 0.15 are annotated. All indices are
690 derived from Sobol variance decomposition of combined GPP and ER, averaged across multi-year
691 simulations. Total-effect indices (ST) for the eight most influential parameters are shown in **Fig.**
692 **A2.**

693

694 We performed Sobol global sensitivity analysis to quantify how 17 free TAM parameters
695 of the 21 total (the remaining 4 are constrained by sum-to-one relationships) influence ecosystem
696 carbon fluxes across 13 calibrated PFTs. The analysis decomposed output variance into first-order
697 effects (S1), pairwise interactions (S2), and total effects (ST), revealing a clear two-strategy
698 dichotomy in parameter control of carbon cycling (**Fig. 3**).

699 Evergreen tree PFTs (1, 2, 4, 5) distributed sensitivity across 3–6 parameters encompassing
700 root chemistry, longevity, and allocation (**Fig. 3a**). These PFTs showed normalized S1 = 0.8–1.0
701 for multiple parameters, primarily C:N ratios (*frootacn*, *froottcn*, *frootmcn*) and root longevity
702 (*froota_long*, *frootm_long*). For example, PFT 2 (boreal needleleaf evergreen, FI-Hyy) showed
703 *frootacn* = 1.00, *frootmcn* = 0.63, and *froottcn* = 0.37, indicating that root chemical quality, rather
704 than allocation, controls carbon cycling in this system. Tropical and temperate evergreen broadleaf
705 forests (PFTs 4–5) showed similar multi-parameter patterns but with additional emphasis on
706 absorptive-root longevity (*froota_long*: S1 = 0.74–0.89). The interaction analysis reinforced this
707 pattern: PFT 4 (Amazon tropical forest, BR-Sa1) exhibited strong pairwise interactions between
708 chemistry and longevity parameters (*froottcn* $\times$ *froota_long*: S2 = 0.80; *frootacn* $\times$ *froota_long*:
709 S2 = 0.76), indicating that carbon flux sensitivity in tropical evergreen systems emerges from



710 trade-offs across the root economics spectrum rather than simple parameter additivity (**Fig. 3b**).
711 The total-effect indices (ST) confirm this multi-parameter pattern: evergreen PFTs show $ST \geq 0.15$
712 for five or more parameters spanning all three functional categories (**Fig. A2**). Because dominant
713 parameters (C:N ratios and root longevity) span the acquisition–conservation trade-off (short-
714 lived/cheap/N-rich tissue vs. long-lived/expensive/N-poor tissue), which is precisely the axis
715 defining the root economics spectrum in trait databases (Reich, 2014), we refer to these PFTs as
716 root-economics strategy.

717 In contrast, deciduous and grass PFTs (3, 6–8, 10–14; 69 % of the 13 analyzed systems)
718 exhibited remarkably convergent sensitivity patterns dominated by just two root-to-leaf allocation
719 parameters: *froott_leaf* and *froota_leaf* (normalized $S1 = 1.00$), with $S1 < 0.3$ for most other
720 parameters, though *frootmcn* (mycorrhizal C:N) reaches moderate sensitivity ($S1 = 0.3–0.8$) at
721 several deciduous and shrub PFTs (**Fig. 3a**). This convergence persisted across dramatic
722 environmental and taxonomic gradients spanning 63° of latitude and encompassing both woody
723 and herbaceous growth forms: tropical deciduous forests (PFT 6, PA-SPn), temperate deciduous
724 forests (PFT 7, US-MOz), boreal deciduous stands (PFT 8, CA-Oas), Arctic grasses (PFT 12, US-
725 Atq), Mediterranean grasslands (PFT 13, US-Var), and tropical savannas (PFT 14, AU-DaP). The
726 interaction analysis confirmed that second-order effects in these PFTs were concentrated among
727 the same allocation parameters, reinforcing rather than complicating the main-effect hierarchy
728 (**Fig. 3b**). Because of the dominance by parameters *froott_leaf*, *froota_leaf*, and *frootm_leaf*, which
729 are about the below- and aboveground allometric coupling (Poorter et al. 2012), we refer to these
730 PFTs as trait-coordination strategy.

731 The total sensitivity indices (ST), integrating main effects, interactions, and higher-order
732 terms, further delineate the two strategies (**Fig. A2**). The eight parameters with the highest ST in



at least one PFT—*froott_leaf*, *froota_leaf*, *froottcn*, *frootacn*, *frootmcn*, *froota_long*, *froott_long*,
and *frootm_long*—are cleanly separated from the remaining nine by an empirical gap (the 8th-
ranked parameter reaches $ST = 0.155$ while the 9th drops to 0.081). ST values for these top eight
range from 0.12 to 0.70 across PFTs. In deciduous and grass PFTs the two allocation parameters
dominate total sensitivity, whereas in evergreen PFTs the ST budget is spread across C:N ratios,
longevity, and allocation—consistent with the first-order patterns in **Fig. 3a**. Litter chemistry
parameters (*firt_flab*, *fira_fcel*, *fira_fcel*) contributed negligible sensitivity across all PFTs for the
combined GPP + ER metric. Longevity parameters exhibited both high main-effect and high
interaction sensitivity with C:N ratios exclusively in evergreen PFTs, providing a mechanistic
basis for the observed strategy separation.

This two-strategy dichotomy, trait-coordination in deciduous and grass systems versus
root-economics in evergreen systems, has direct implications for parameter estimation. It predicts
that deciduous and grass PFTs, controlled by only 2–3 parameters, should be tractable targets for
calibration, while evergreen PFTs, with sensitivity distributed across 5–6 interacting parameters,
face greater equifinality risk. The calibration results below test this prediction.

4.2 Calibration results

We calibrated the 17 free TAM parameters independently for each of 13 PFTs using
Bayesian MCMC optimization against annual GPP and ER observations at one FLUXNET site
per PFT (**Table 1**). For PFT 9 (broadleaf evergreen shrub), TAM parameter values were prescribed
from published fine-root trait data owing to its limited spatial coverage and flux tower data
availability (**Fig. 2**). The remaining 4 parameters (*frootm_leaf*, *firt_flg*, *fira_flg*, *fira_flg*) are
determined by sum-to-one constraints. **Table 2** reports the full set of 21 parameter values,



755 including 13 sets of MCMC posterior modes, 1 set of literature-prescribed values, and 4 derived
756 for all 14 PFTs.



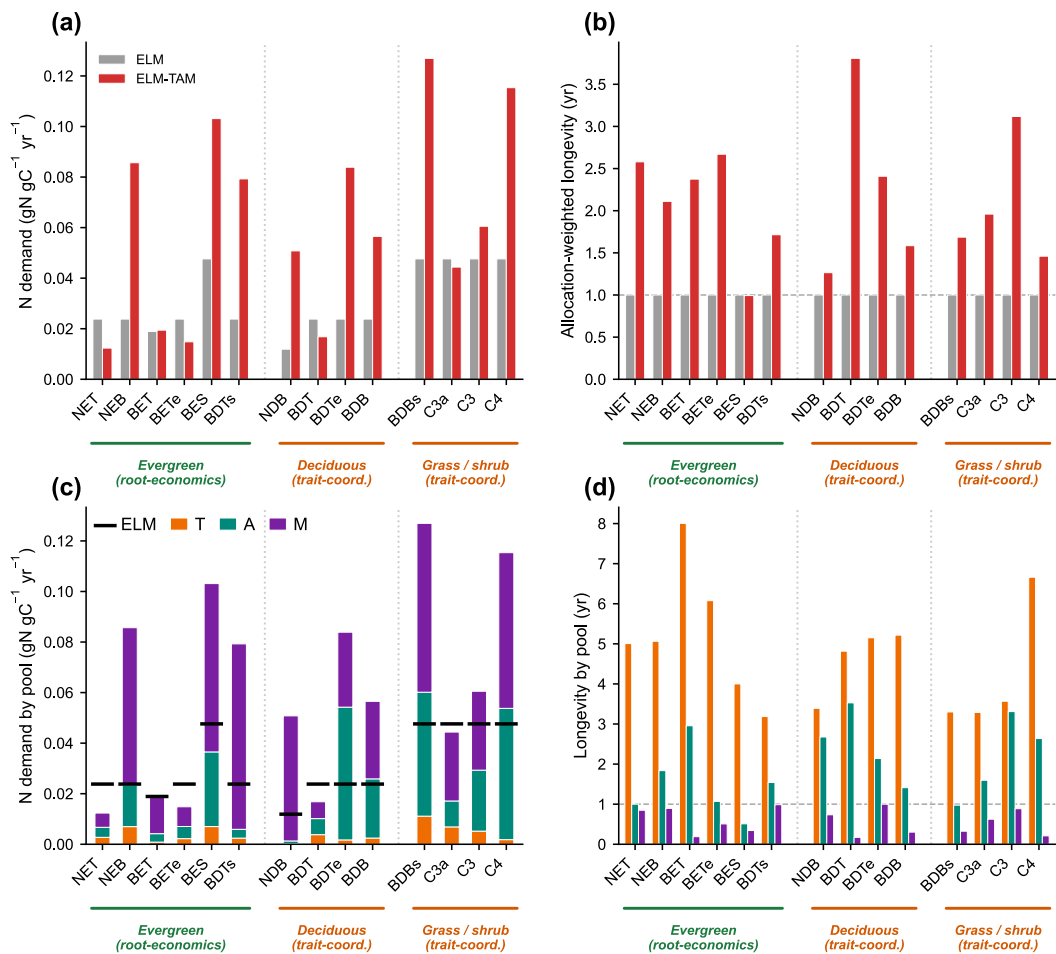
Table 2. TAM parameter values for 14 plant functional types: MCMC posterior modes for 13 calibrated PFTs; literature-prescribed values for PFT 9.

PF T	Code	<i>froott_leaf</i>	<i>froota_leaf</i>	<i>frootm_leaf</i>	<i>frootcn</i>	<i>frootacn</i>	<i>frootmen</i>	<i>froott_long</i>	<i>froota_long</i>	<i>frootm_long</i>	<i>frootcp</i>	<i>frootacp</i>	<i>frootmcp</i>	<i>frit_flab</i>	<i>fira_flab</i>	<i>firm_flab</i>	<i>frit_fcel</i>	<i>fira_fcel</i>	<i>firm_fcel</i>	<i>frit_flg</i>	<i>fira_flg</i>	<i>firm_flg</i>
1	NET	0.40	0.51	0.09	145	129	16	5.01	1.00	0.85	901	658	1264	0.23	0.34	0.35	0.65	0.65	0.37	0.12	0.01	0.28
2	NEB	0.25	0.20	0.55	35	12	9	5.06	1.84	0.90	764	494	604	0.11	0.25	0.26	0.64	0.44	0.65	0.25	0.31	0.10
3	NDB	0.05	0.20	0.75	113	93	8	3.39	2.68	0.74	538	375	693	0.13	0.28	0.34	0.37	0.40	0.36	0.50	0.32	0.30
4	BET	0.12	0.45	0.43	112	107	22	8.01	2.96	0.19	1015	477	1588	0.26	0.28	0.24	0.61	0.64	0.39	0.13	0.08	0.37
5	BETemp	0.34	0.52	0.14	151	108	18	6.08	1.07	0.51	756	597	784	0.22	0.22	0.30	0.61	0.57	0.62	0.17	0.21	0.08
6	BDTrop	0.40	0.54	0.07	104	84	10	4.82	3.53	0.17	635	643	938	0.11	0.34	0.11	0.36	0.47	0.65	0.53	0.19	0.24
7	BDTemp	0.18	0.59	0.24	104	11	8	5.15	2.14	1.00	719	691	676	0.30	0.35	0.30	0.58	0.65	0.60	0.12	0.00	0.10
8	BDB	0.14	0.56	0.31	55	24	10	5.22	1.41	0.30	552	268	314	0.11	0.14	0.35	0.35	0.35	0.37	0.54	0.51	0.28
9	BES	0.16	0.44	0.40	45	30	12	4.00	0.51	0.34	600	400	600	0.30	0.28	0.32	0.41	0.55	0.44	0.30	0.17	0.24
10	BDTemp _S	0.28	0.20	0.52	115	58	7	3.19	1.54	0.99	478	289	304	0.29	0.22	0.10	0.36	0.37	0.39	0.36	0.41	0.51
11	BDBS	0.40	0.28	0.33	71	11	10	3.30	0.98	0.33	509	306	561	0.11	0.14	0.31	0.57	0.35	0.65	0.32	0.51	0.04
12	C3Arc	0.29	0.59	0.13	83	115	9	3.29	1.60	0.63	567	452	965	0.31	0.15	0.10	0.35	0.65	0.62	0.33	0.20	0.28
13	C3	0.35	0.53	0.12	134	44	7	3.57	3.31	0.89	578	330	206	0.31	0.34	0.31	0.38	0.38	0.50	0.31	0.28	0.20
14	C4	0.07	0.33	0.60	76	13	19	6.66	2.64	0.21	763	500	782	0.23	0.27	0.23	0.60	0.60	0.55	0.17	0.13	0.22



760 The calibrated parameters produce system-level fine-root properties that diverge markedly
761 from ELM's defaults, even though both models simulate the same ecosystem carbon fluxes. ELM
762 prescribes uniform fine-root properties for all PFTs: a single root pool with fixed longevity (1 yr),
763 a single C:N ratio, a single C:P ratio, and fixed litter chemistry fractions. ELM-TAM replaces this
764 single pool with three functionally distinct pools whose calibrated properties aggregate to PFT-
765 specific system-level values for nitrogen demand and effective turnover time (**Fig. 4**).

766



767



Fig. 4. Emergent fine-root properties from calibration: ELM defaults versus ELM-TAM calibrated values across 14 PFTs, grouped by parameterization strategy. (a) System-level fine-root nitrogen demand, computed as the allocation-weighted sum of pool-specific N demands ($\text{gN gC}^{-1} \text{yr}^{-1}$). Gray bars: ELM default (single pool); red bars: ELM-TAM (three-pool aggregate). **(b)** Allocation-weighted fine-root longevity (yr). The dashed line marks ELM's uniform default of 1 yr. **(c)** ELM-TAM nitrogen demand decomposed by pool: transport roots (orange), absorptive roots (teal), and mycorrhizal fungi (purple). Black dashes indicate the ELM default for reference. **(d)** ELM-TAM longevity decomposed by pool. Dotted vertical lines separate the three PFT groups; colored brackets and labels follow the strategy grouping of Fig. 3.

Although ELM-TAM also introduces pool-specific C:P ratios (*froottcp*, *frootacp*, *frootmcp*; **Table 2**), the emergent-property analysis here focuses on nitrogen rather than phosphorus for three reasons. First, the sensitivity analysis showed that C:P parameters contributed negligible first-order sensitivity to the combined GPP + ER metric across all 13 PFTs, ranking consistently below the empirical ST gap at 0.15. Second, the calibration targeted carbon fluxes at sites where nitrogen is the dominant nutrient limitation; phosphorus limitation is most acute in highly weathered tropical soils, which are represented by only one PFT (PFT 4) in the current calibration set. Third, ELM's phosphorus cycle operates on longer timescales through mineral weathering and sorption dynamics that are less directly coupled to the annual carbon fluxes used as calibration targets (Zaehle and Friend, 2010). The C:P parameters are nonetheless retained because they govern litter P content entering the soil decomposition module and will become critical when ELM-TAM is evaluated against phosphorus-limited ecosystems or when P-cycle outputs are used as calibration targets in future work.



ELM-TAM's calibrated N demand exceeds ELM's default at 10 of 14 PFTs (**Fig. 4a**); four PFTs show decreased N demand (PFTs 1, 5, 6, and 12), where the calibrated C:N ratios are higher than ELM's defaults. The increases are largest for evergreen PFTs; NEB (PFT 2) reaches 0.086 gN gC⁻¹ yr⁻¹, roughly 3.6× the ELM default, reflecting the low C:N ratios of absorptive roots and mycorrhizal fungi in these systems (**Table 2**). Among the deciduous group, three of four PFTs show increased N demand (PFTs 3, 7, 8; up to 4.3×), driven primarily by the absorptive-root pool which accounts for the largest share of total N demand (**Fig. 4c**), while PFT 6 (tropical deciduous) shows a decrease (0.71×) owing to its high calibrated C:N ratios. Grass and shrub PFTs show intermediate increases, with the boreal deciduous shrub (PFT 11) displaying the highest N demand in this group (0.127 gN gC⁻¹ yr⁻¹), followed closely by the C4 grass (PFT 14, 0.115 gN gC⁻¹ yr⁻¹), both driven by high absorptive-root allocation. The pool decomposition (**Fig. 4c**) reveals that across all PFTs, the absorptive-root and mycorrhizal pools together contribute 77–100% of total system N demand despite comprising a smaller fraction of total root biomass, a pattern consistent with empirical observations of fine-root nutrient economics (McCormack et al., 2015; See et al., 2019).

The calibrated parameters also restructure fine-root turnover. ELM assigns a uniform 1-yr fine-root longevity to all PFTs (**Fig. 4b**). ELM-TAM's allocation-weighted longevity exceeds this default at 13 of 14 PFTs (PFT 9, the prescribed Mediterranean shrub at 0.99 yr, is the sole exception), with the largest increases in the deciduous group: BDT (PFT 6) reaches 3.8 yr and BDTe (PFT 7) reaches 2.4 yr. The pool decomposition (**Fig. 4d**) shows that this divergence arises from the long-lived transport root pool, whose calibrated longevity ranges from 3 to 8 yr across PFTs—substantially longer than the absorptive roots (0.5–3.5 yr) and mycorrhizal fungi (0.17–1.0 yr). Transport roots dominate the weighted average because they receive a substantial allocation



814 fraction ($f_{root_leaf} = 0.05\text{--}0.40$; Table 2) while turning over slowly. Absorptive roots turn over
815 faster than transport roots across all PFTs but span a broad range themselves, from 0.5 yr (PFT 9,
816 broadleaf evergreen shrub) to 3.5 yr (PFT 6, tropical deciduous), consistent with minirhizotron
817 observations showing order-of-magnitude variation in fine-root lifespan across biomes
818 (McCormack et al., 2012; Iversen et al., 2017). Mycorrhizal fungi are the shortest-lived pool at
819 every PFT (0.17–1.0 yr), consistent with the rapid turnover of external hyphae documented in
820 isotope-tracer studies. Among the evergreen PFTs, allocation-weighted longevity ranges from 1.7
821 yr (PFT 10) to 2.7 yr (PFT 5), a narrower spread than in the deciduous group, reflecting the more
822 balanced allocation across the three pools characteristic of the root-economics strategy.

823 The three-group ordering in **Fig. 4** reveals systematic contrasts that echo the sensitivity
824 dichotomy. Within the evergreen group (root-economics strategy), the PFTs with the largest N
825 demand increases (PFTs 2, 10; $3.3\text{--}3.6\times$) are those where calibrated C:N ratios diverge most from
826 ELM's defaults, while others (PFTs 1, 5) show decreased N demand, reflecting the distributed,
827 multi-parameter control identified in the sensitivity analysis. Several deciduous PFTs (trait-
828 coordination strategy) show the largest longevity increases (PFT 6: 3.8 yr; PFT 7: 2.4 yr),
829 consistent with their allocation-dominated sensitivity where f_{root_leaf} , f_{roota_leaf} , and
830 f_{roota_leaf} control the partitioning among long-lived transport root and short-lived absorptive root
831 and mycorrhizal fungi pools. Grass and shrub PFTs, also trait-coordination, show a distinct pattern:
832 moderate longevity increases with relatively high absorptive-root N demand, reflecting the rapid-
833 turnover growth strategy characteristic of herbaceous systems.

834 These emergent differences in N demand and turnover constitute the mechanism through
835 which ELM-TAM alters carbon cycling relative to ELM. Higher N demand drives stronger
836 nutrient limitation feedbacks; differentiated turnover rates produce heterogeneous litter inputs with



837 pool-specific chemistry fractions (**Table 2**), which in turn alter soil decomposition dynamics and
838 nutrient mineralization timing. The magnitude of these changes (up to 4× for N demand where
839 increases occur, up to 3.8× for effective longevity) indicates that the TAM structural
840 decomposition into three pools is not a minor perturbation but a fundamental restructuring of the
841 belowground carbon and nutrient economy. Whether these calibration-derived changes translate
842 into improved flux predictions under independent conditions is tested in the three-tier validation
843 below.

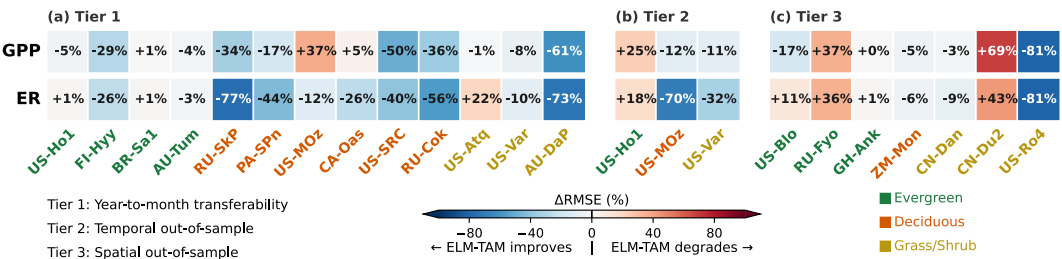


Fig. 5. Validation scorecard of Δ RMSE (%) for ELM-TAM relative to baseline ELM across three evaluation tiers. Each cell shows the percentage change in RMSE when replacing the baseline with ELM-TAM; negative values (blue) indicate improvement, positive values (red) indicate degradation. Site labels are colored by groups: evergreen/root-economics (green), deciduous/trait-coordination (orange), and grass and shrub (gold). **(a)** Tier 1—monthly RMSE at 13 calibration sites, computed from FLUXNET MM observations and monthly model output over the calibration period. **(b)** Tier 2—annual RMSE at 3 calibration sites during the post-calibration period (2015–2021). **(c)** Tier 3—annual RMSE at 7 independent validation sites not used in calibration.



859 4.3 Validation results

860 The scorecard reveals a central pattern that cuts across all three tiers: RMSE reductions
861 concentrate at grass and deciduous sites, while degradations concentrate at evergreen sites (**Fig.**
862 **5**). This functional-strategy dependence mirrors the sensitivity dichotomy and suggests that PFTs
863 controlled by fewer allocation parameters (deciduous/grass) are more tractable calibration targets
864 than PFTs with distributed parameter sensitivity (evergreen), which require fundamentally
865 different parameterization approaches. The three tiers form a hierarchy of increasing independence
866 that together bracket ELM-TAM's current credibility: emergent seasonal dynamics not targeted
867 during calibration (Tier 1) establish mechanistic plausibility, temporal generalization at deciduous
868 and grassland sites (Tier 2) demonstrates predictive skill, and the mixed spatial transferability
869 results (Tier 3) define the next methodological frontier—transitioning from single-site to multi-
870 site and even tighter trait-constrained calibration. The subsections below present the tier-specific
871 evidence underlying these patterns.

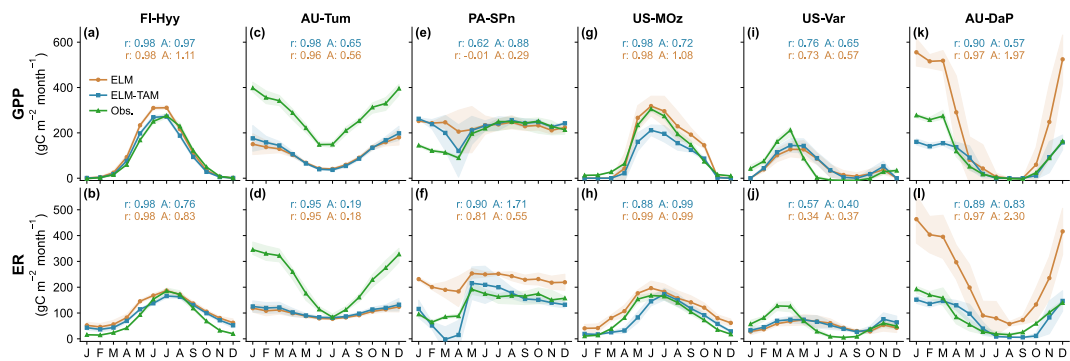


Fig. 6. Composite mean seasonal cycles at six representative calibration sites. Each column shows one site with GPP (top) and ER (bottom); two sites per functional strategy (evergreen: FI-Hyy, AU-Tum; deciduous: PA-SPn, US-MOz; grass: US-Var, AU-DaP). Solid lines show multi-year mean monthly fluxes ($\text{gC m}^{-2} \text{ month}^{-1}$) for ELM (orange), ELM-TAM (blue), and FLUXNET observations (green triangles); shading indicates ± 1 standard deviation across years. Pearson correlation (r) and amplitude ratio ($A = [\text{model max} - \text{min}] / [\text{obs max} - \text{min}]$) between each model's mean seasonal cycle and observations are reported. Observations are converted from $\text{gC m}^{-2} \text{ d}^{-1}$ (FLUXNET MM) to $\text{gC m}^{-2} \text{ month}^{-1}$ by multiplying by days per month.



883 4.3.1 Tier 1—Year-to-month transferability

884 Tier 1 tests whether parameters optimized against annual sums capture seasonal patterns
885 that were not explicitly constrained by comparing monthly model predictions against FLUXNET
886 eddy covariance observations (MM datasets) at all 13 calibration sites using correlation coefficient
887 (r), peak month agreement, and seasonal amplitude ratio (**Fig. 6**) and then disaggregating by
888 functional strategy to connect the results to the sensitivity dichotomy (**Fig. A3**). Overall, ELM-
889 TAM reproduces monthly patterns not targeted during calibration, with systematic amplitude
890 improvements across most sites—evidence that the differentiated root pools capture
891 mechanistically meaningful seasonal processes rather than achieving annual agreement through
892 compensating errors.

893 In detail, across the 13 evaluated sites, ELM-TAM and baseline ELM achieved comparable
894 mean monthly correlations for GPP ($r = 0.70$ vs. 0.70) and ER ($r = 0.84$ vs. 0.86). Site-level
895 differences are nonetheless substantial. At PA-SPn (tropical deciduous, PFT 6), ELM-TAM
896 improves the seasonal correlation over the baseline for both GPP ($r = 0.62$ vs. -0.01) and ER ($r =$
897 0.90 vs. 0.81 ; **Fig. 6**), indicating that the TAM stress-deciduous phenology scheme captures the
898 basic seasonal rhythm even where the absolute phase remains shifted. Peak month agreement
899 reinforces this picture: ELM-TAM correctly identifies the peak GPP month at 7 of 13 sites and the
900 peak ER month at 6 of 13, with the strongest agreement at high-latitude deciduous and boreal sites
901 (US-Atq, US-Var, AU-DaP, and RU-Cok) and the weakest in the tropics. At BR-Sa1 (PFT 4) both
902 models place peak GPP in July rather than the observed December, and at PA-SPn both produce
903 peak GPP in January instead of October, which are phase errors that likely reflect limitations in
904 prescribed phenology and moisture-driven seasonality in the forcing data rather than TAM-specific
905 deficiencies.

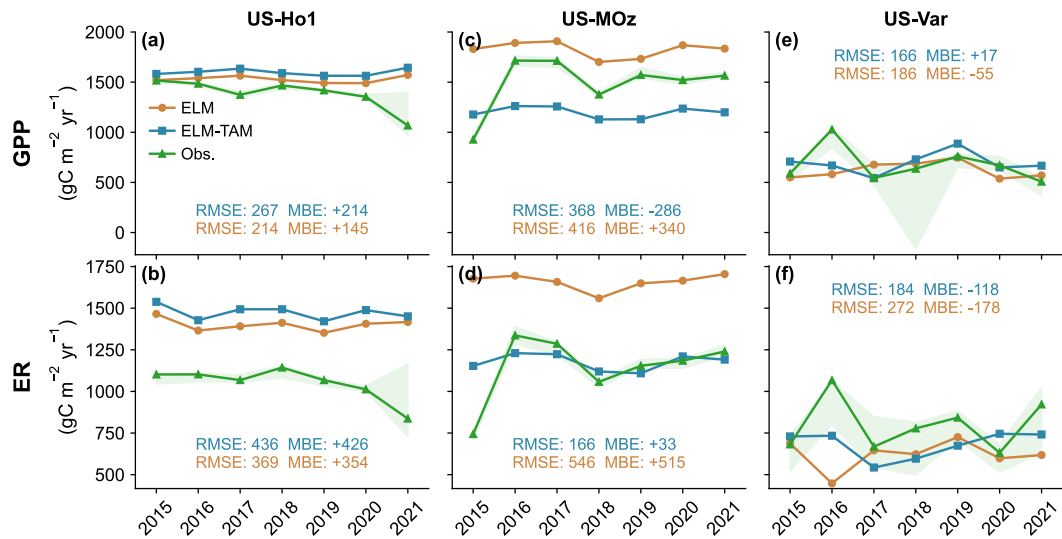


906 ELM-TAM also produces more realistic seasonal amplitudes than the baseline across the
907 majority of sites. The mean GPP amplitude ratio is 0.99 for ELM-TAM versus 1.38 for the
908 baseline; for ER, it is 1.05 versus 1.34. Individual sites illustrate the magnitude of this correction:
909 at RU-SkP (deciduous boreal, PFT 3), ELM-TAM achieves near-perfect ER amplitude ($A = 1.01$)
910 compared to the baseline's three-fold overestimate ($A = 3.03$), and at AU-DaP (C4 grass, PFT 14),
911 ELM-TAM reduces the GPP amplitude ratio from 1.97 to 0.57 (**Fig. 6**).

912 Disaggregating by functional strategy clarifies where these improvements originate. The
913 Taylor diagram (**Fig. A3**) confirms that ELM-TAM's primary monthly-scale improvement is in
914 variability rather than correlation: ELM-TAM markers cluster closer to unit normalized standard
915 deviation, while baseline markers scatter out to $\sigma = 2.0$ – 2.6 . Deciduous and grass PFTs show
916 higher mean monthly correlations (GPP $r = 0.77$; ER $r = 0.81$) than evergreen PFTs (GPP $r = 0.55$;
917 ER $r = 0.89$), with the largest individual ER correlation gain at US-Var ($\Delta r = +0.23$). Amplitude
918 improvements also concentrate in the deciduous and grass group (mean GPP amplitude ratio 0.85
919 vs. baseline 1.40), while evergreen PFTs show little change as a group, though individual sites
920 such as FI-Hyy achieve strong seasonal reproduction (GPP $r = 0.98$, amplitude ratio 0.97). This
921 strategy dependence connects directly to the sensitivity analysis: deciduous PFTs, controlled by
922 allocation parameters (*froott_leaf*, *froota_leaf*, and *frootm_leaf*), produce seasonal dynamics
923 through discrete onset/offset periods that generate clear seasonal signals even under annual-only
924 calibration, while evergreen PFTs governed by C:N ratios and longevity generate weaker seasonal
925 contrasts.



926 4.3.2 Tier 2—Temporal out-of-sample validation



927
928 **Fig. 7. Tier 2 temporal out-of-sample validation: annual GPP and ER at three calibration**
929 **sites during 2015–2021.** Each column shows one site with GPP (top) and ER (bottom): US-Ho1
930 (PFT 1, needleleaf evergreen temperate), US-MOz (PFT 7, broadleaf deciduous temperate), US-
931 Var (PFT 13, C3 non-Arctic grass). Lines connect annual values (gC m⁻² yr⁻¹) for ELM (orange),
932 ELM-TAM (blue), and AmeriFlux observations (green triangles); green shading shows the 5th–
933 95th percentile uncertainty range of the observations. RMSE and MBE (gC m⁻² yr⁻¹) are reported
934 for each model.

935
936 Tier 2 tests whether calibrated parameters generalize to years outside the calibration
937 window. We evaluated ELM-TAM at three sites (US-Ho1, US-MOz, US-Var) for 2015–2021
938 using CRUJRA2024 forcing and AmeriFlux observations (**Fig. 7**). Beyond aggregate error
939 metrics, the direction of MBE provides mechanistic insight into how the TAM framework alters
940 carbon flow through the plant–soil system.



941 At US-MOz, ELM-TAM substantially outperformed the baseline, most dramatically for
942 ER (RMSE = 165 vs. 545 gC/m²/yr). The baseline overestimated both fluxes (GPP MBE = +340,
943 ER MBE = +515 gC/m²/yr), consistent with known positive GPP bias in standard ELM at
944 productive deciduous sites. ELM-TAM corrected the ER bias almost entirely (MBE = +33
945 gC/m²/yr) but reversed the sign of the GPP bias (MBE = -286 gC/m²/yr). This sign reversal has a
946 clear mechanistic origin: the TAM allocation scheme redirects carbon from leaves to the three root
947 pools via *froott_leaf* and *froota_leaf*—the dominant parameters for deciduous PFTs (Sect. 4.1)—
948 correcting the baseline's GPP overestimate but overcorrecting to produce an underestimate of
949 comparable magnitude. The near-elimination of ER bias, however, indicates that the TAM
950 framework's partitioning of belowground carbon across pools with distinct turnover rates produces
951 a more realistic respiratory flux than the baseline's single fine-root pool. The year-by-year
952 trajectory (Fig. 7) confirms this: ELM-TAM's ER predictions track observations throughout 2015–
953 2021, while the baseline consistently overshoots by 360–934 gC/m²/yr.

954 At US-Var, ELM-TAM improved both fluxes relative to the baseline (GPP RMSE = 166
955 vs. 186 gC/m²/yr; ER RMSE = 184 vs. 272 gC/m²/yr). The baseline underestimated both GPP
956 (MBE = -55 gC/m²/yr) and ER (MBE = -178 gC/m²/yr) at this California annual grassland. The
957 negative GPP bias reflects a structural limitation of standard ELM: its single fine-root pool with
958 fixed turnover does not capture the rapid root proliferation that C3 grasses use to exploit ephemeral
959 soil moisture pulses. ELM-TAM's separate absorptive root pool—with its own C:N ratio
960 (*frootacn*) and fast turnover (*froota_long*)—represents this strategy more faithfully, nearly
961 eliminating the GPP bias (MBE = +17 gC/m²/yr). The ER bias also improved (MBE = -118 vs.
962 -178 gC/m²/yr), though a negative residual persists. This remaining underestimate likely reflects
963 soil decomposition limitations outside the TAM scope: the Mediterranean wet-season rewetting of



964 dry soils triggers microbial respiration pulses (the Birch effect) that ELM's soil carbon module
965 does not fully capture (Wang and Allison 2021). The year-by-year data (**Fig. 7**) support this
966 interpretation, as the largest ER underestimates occur in high-rainfall years (e.g., 2016) when the
967 Birch effect would be strongest.

968 At US-Ho1, ELM-TAM did not improve over the baseline during the validation period
969 (GPP RMSE = 267 vs. 214 gC/m²/yr; ER RMSE = 436 vs. 369 gC/m²/yr). Both models
970 overestimated fluxes throughout the record (Fig. 7), and ELM-TAM amplified the positive bias
971 for both GPP (MBE = +214 vs. +145 gC/m²/yr) and ER (MBE = +426 vs. +354 gC/m²/yr). At this
972 site, ELM-TAM's calibrated root C:N ratios are higher than ELM's defaults (**Fig. 4a**), reducing
973 system-level N demand. In ELM's N-limitation framework, lower N demand weakens the down-
974 regulation of potential GPP, allowing more carbon to be assimilated. The additional carbon
975 allocated to longer-lived transport roots (**Fig. 4d**) in turn raises maintenance respiration and litter
976 inputs, amplifying ER. Because the baseline already overestimates potential photosynthesis at this
977 site, both effects, relaxed N constraint on GPP and elevated root respiration, compound rather than
978 correct the positive bias. Even in years of anomalously low observed productivity (e.g., 2021:
979 observed GPP = 1067 gC/m²/yr, both models >1570), the positive bias persists. The degradation
980 at US-Ho1 illustrates a scope boundary rather than a structural deficiency in ELM-TAM: the
981 dominant error source is upstream canopy photosynthesis, which neither model corrects. A holistic
982 recalibration that jointly optimizes photosynthesis and root parameters would allow the improved
983 belowground representation to operate on a more realistic carbon input, potentially converting the
984 degradation into an improvement.



985 4.3.3 Tier 3—Spatial out-of-sample validation

986 Spatial transferability was tested at seven independent sites spanning seven PFTs across
987 four continents (**Fig. 5c; Fig. A4a–b**). Site-level MBE values for both models are shown in Fig.
988 **A4c–d**. Of the 14 site–variable pairs evaluated, ELM-TAM improved RMSE relative to the
989 baseline in 8 cases (57 %), with one site (GH-Ank, $n = 4$) showing negligible change ($<1\%$
990 Δ RMSE).

991 The most successful parameter transfer occurred at US-Ro4 (Rosemount, Minnesota,
992 2014–2023), where ELM-TAM reduced both GPP and ER RMSE by 81 % relative to the baseline
993 (GPP: 164 vs. 845 $\text{gC/m}^2/\text{yr}$; ER: 217 vs. 1136 $\text{gC/m}^2/\text{yr}$). The baseline massively overestimated
994 both fluxes (GPP MBE = +830, ER MBE = +1083 $\text{gC/m}^2/\text{yr}$; **Fig. A4c–d**), while ELM-TAM
995 brought predictions close to observations (GPP MBE = –62, ER MBE = +194 $\text{gC/m}^2/\text{yr}$). The
996 parameters calibrated at AU-DaP (tropical C4 savanna, Darwin, Australia) thus transferred
997 remarkably well to a temperate C4 grassland in a continental climate, suggesting that the TAM
998 parameterization captures fundamental C4 grass physiology rather than site-specific conditions.

999 Moderate improvements emerged at two additional sites. At US-Blo (Blodgett Forest,
1000 California, 2000–2006), ELM-TAM improved GPP relative to the baseline (RMSE = 441 vs. 533
1001 $\text{gC/m}^2/\text{yr}$, –17 %), reducing the negative bias (MBE = –324 vs. –444 $\text{gC/m}^2/\text{yr}$), though ER was
1002 slightly degraded (+11 %). At ZM-Mon (Mongu, Zambia, 2000–2009), ELM-TAM modestly
1003 improved both GPP (–5 %) and ER (–6 %), with the TAM parameters from PA-SPn (tropical
1004 deciduous, Panama) partially correcting the baseline's ER underestimate.

1005 Three sites showed degradation that illuminates the limits of single-site calibration for
1006 PFTs spanning wide environmental gradients. At CN-Du2 (Inner Mongolia, PFT 13, 2006–2008),
1007 the US-Var grassland parameters produced excessive productivity when transferred to this



1008 semiarid steppe (GPP RMSE +69 %), because allocation parameters calibrated under the
1009 Mediterranean climate of coastal California do not generalize to a continental semiarid regime. At
1010 RU-Fyo (central Russia, PFT 2, 1998–2014), the FI-Hyy boreal parameters underestimated fluxes
1011 (GPP RMSE +37 %, ER +36 %; n = 17 years), reflecting the climatic and species-composition
1012 differences between a Scots pine stand in southern Finland and a mixed spruce–birch forest in
1013 central European Russia. At CN-Dan (Tibetan Plateau, 4300 m, PFT 12, 2004–2005), both models
1014 overestimated GPP by a factor of four, as the US-Atq Arctic tundra parameters cannot represent
1015 an alpine meadow despite sharing the same PFT classification.

1016 Across the seven sites, parameter transfer success is partly associated with the magnitude
1017 of baseline model bias. The strongest improvement (US-Ro4, –81 % RMSE) occurred where the
1018 baseline had the largest systematic error, while degradation occurred where calibration and
1019 validation sites differ substantially in productivity or climate despite sharing a PFT class. These
1020 degradations are not failures of the TAM framework itself but of the single-site calibration strategy
1021 applied to PFTs that span wide environmental gradients. The TAM structure provides the
1022 mechanistic scaffolding for differentiated root representation; realizing its potential at these PFTs
1023 requires multi-site calibration, sub-PFT stratification, and/or trait-based priors.

1024

1025 **5 Discussion**

1026 The three-tier validation, together with the sensitivity analysis and calibration results,
1027 establishes ELM-TAM as a structurally viable alternative to the homogeneous fine-root
1028 representation in ELM and other land models. The validation also delineates where the TAM
1029 framework succeeds, where it falls short, and what this means for the path toward global
1030 application. We organize the discussion around five themes: the mechanistic evidence for sink-



1031 based control (5.1), the parameterization dichotomy and its implications (5.2), the roadmap from
1032 single-site calibration to global benchmarking (5.3), limitations of the current implementation
1033 (5.4), and broader implications for land model development strategy (5.5).

1034 **5.1 TAM strengthens sink-based control through belowground structural realism**

1035 The central motivation of ELM-TAM is to restore the balance between source-driven and
1036 sink-based controls on carbon cycling. In conventional land models, photosynthesis determines
1037 growth and downstream fluxes follow passively, leaving belowground processes underrepresented
1038 (Fatichi et al., 2014; Cabon et al., 2022; Friend et al., 2019). ELM-TAM strengthens the sink side,
1039 so that it operates on a more equal footing with the source side. Three lines of validation evidence
1040 indicate that this rebalancing improves model performance.

1041 First, the Tier 2 results at US-MOz deliver the most direct demonstration. The baseline
1042 ELM overestimated ER by +515 gC/m²/yr. This overestimate is a consequence of the source-
1043 driven cascade: overestimated GPP inflates all downstream carbon pools and their litter inputs to
1044 soil respiration. ELM-TAM nearly eliminates this bias (MBE = +33 gC/m²/yr; **Fig. 7**) by
1045 partitioning belowground carbon into three functionally distinct pools with different turnover rates.
1046 Fast-cycling absorptive roots contribute contemporaneous litter, long-lived transport roots provide
1047 a slow background decomposition flux, and mycorrhizal tissue mediates an intermediate pathway.
1048 This heterogeneous litter input profile produces a respiratory flux that tracks observed seasonal
1049 and interannual dynamics far more closely than the baseline's single-pool turnover. That this
1050 improvement emerges in a post-calibration period (2015–2021) under different meteorological
1051 forcing provides evidence that the differential turnover rates encode real process relationships
1052 rather than compensating for training-period forcing characteristics.



1053 Second, the Tier 1 seasonal amplitude correction demonstrates that sink-based control
1054 operates at the sub-annual scale. ELM-TAM's mean amplitude ratio is 0.99 for GPP and 1.05 for
1055 ER, compared to 1.38 and 1.34 for the baseline (**Fig. 6; Fig. A3**). The baseline's amplitude
1056 overestimate arises because a single root pool with one turnover rate either releases too much
1057 carbon during the growing season or too little during the dormant season; the TAM framework's
1058 differentiated pools smooth out this temporal mismatch. This amplitude correction was not
1059 explicitly constrained during calibration (annual sums were the only objective), yet it emerges
1060 consistently across deciduous, grass, and several evergreen PFTs, a hallmark of structural
1061 correctness in which the right mechanisms produce the right dynamics at scales they were not
1062 trained on.

1063 Third, the evergreen degradation at US-Ho1 (Tier 2) delineates the scope boundary of a
1064 belowground-only structural improvement. Both the baseline and ELM-TAM overestimate GPP
1065 at this site, and ELM-TAM's MBE worsens from +145 to +214 gC/m²/yr (**Fig. 7; Fig. A4c**). Two
1066 specific pathways connect the TAM structure to this amplification. First, the calibration assigns
1067 PFT 1 higher pool-specific C:N ratios than ELM's default (**Fig. 4**), which reduces system-level N
1068 demand and thereby weakens the N-based down-regulation of potential GPP; more carbon is
1069 assimilated, compounding the upstream photosynthesis bias rather than correcting it. Second,
1070 longer-lived transport roots accumulate more standing biomass, inflating maintenance respiration
1071 and litter inputs that further amplify ER. These pathways do not indicate a failure of the TAM
1072 framework itself. They indicate that a belowground structural improvement cannot remedy a
1073 source-side bias when TAM parameters are calibrated in isolation from the photosynthesis module.
1074 The constructive implication is that evergreen PFTs require holistic source–sink coupled



1075 recalibration, in which canopy and belowground parameters are optimized jointly rather than
1076 sequentially.

1077 Underpinning these flux improvements is a fundamentally restructured belowground
1078 nutrient economy. The calibration shows that TAM amplifies system-level N demand by up to
1079 4.3× and replaces ELM's uniform 1-yr default with absorptive-root longevity ranging from 0.5 to
1080 3.5 yr across PFTs (**Fig. 4**). These changes intensify the nutrient limitation feedback and produce
1081 heterogeneous litter inputs with pool-specific chemistry, altering soil decomposition dynamics and
1082 nutrient mineralization timing. This represents one key mechanism through which ELM-TAM
1083 strengthens sink-based control. The generally equal or better ER performance relative to GPP
1084 across deciduous and grass PFTs (**Fig. 5**) supports this interpretation. Yet the strength and direction
1085 of this belowground regulation vary sharply across vegetation types: the US-MOz correction and
1086 the US-Ho1 degradation are comparable in magnitude but opposite in sign. What determines
1087 whether TAM's structural realism helps or hinders at a given PFT?

1088 **5.2 The two-strategy parameterization dichotomy and its validation consequences**

1089 The answer lies in the two-strategy parameterization dichotomy identified in the sensitivity
1090 analysis (**Fig. 3**): trait-coordination PFTs (69% of the 13 analyzed systems) concentrate variance
1091 in 2–3 allocation parameters, while root-economics PFTs distribute sensitivity across 5–6
1092 parameters spanning chemistry, longevity, and allocation. The validation independently confirms
1093 that these two strategies have fundamentally different transferability properties.

1094 For deciduous and grass PFTs governed by the trait-coordination strategy, the validation
1095 results support robust transferability. These PFTs transfer well temporally: US-MOz and US-Var
1096 both improve over the baseline during 2015–2021 (Tier 2; **Fig. 7**). The concentrated sensitivity
1097 means that once *froott_leaf*, *froota_leaf*, and *frootm_leaf* are correctly calibrated, the model's



1098 seasonal and interannual behavior is largely determined. However, spatial transfer is more fragile
1099 for PFTs spanning wide productivity ranges. At CN-Du2 (Tier 3), the US-Var parameters degrade
1100 GPP by +69% when applied to a semiarid Inner Mongolian steppe, because the allocation ratios
1101 calibrated at a productive Californian grassland overcorrect at a site where water and temperature
1102 constrain productivity far more severely. The implication is that for allocation-dominated PFTs,
1103 multi-site calibration or productivity-dependent scaling of *froott_leaf*, *froota_leaf*, and *frootm_leaf*
1104 would likely resolve the spatial transfer problem without requiring additional structural
1105 complexity. The 2–3 parameter sensitivity means that even with multiple calibration sites, the
1106 optimization problem remains tractable.

1107 For evergreen PFTs governed by the root-economics strategy, the outcome diverges
1108 sharply. These PFTs degrade even temporally: US-Ho1 worsens during 2015–2021 despite strong
1109 calibration-period performance. Spatially, RU-Fyo (PFT 2) degrades by +37% despite a 17-year
1110 comparison. The distributed sensitivity across 5–6 parameters makes calibration susceptible to
1111 equifinality: multiple parameter combinations can produce similar annual fluxes during calibration
1112 but diverge under novel conditions. The validation thus prescribes a fundamentally different
1113 strategy for evergreen PFTs: tighter trait-based priors to reduce the effective parameter space
1114 before flux-based optimization. Our calibration already draws on trait measurements compiled
1115 from the published literature and trait databases to set prior ranges for root C:N, longevity, and
1116 mycorrhizal parameters (Sect. 3.3; Wang et al., 2023). The limitation is that current trait coverage
1117 for evergreen root systems is relatively sparse compared with deciduous counterparts (Iversen et
1118 al., 2017), so the priors are necessarily broad. Expanded measurements, e.g., direct tissue C:N,
1119 minirhizotron longevity estimates, and mycorrhizal colonization surveys, would narrow these
1120 priors sufficiently to transform the calibration from a 6-parameter optimization against flux data



1121 alone into a 2–3 parameter optimization, potentially restoring the tractability that deciduous PFTs
1122 enjoy.

1123 The two-strategy dichotomy thus prescribes distinct paths toward global application. The
1124 two strategies map onto phenological type rather than geography or taxonomy: trait-coordination
1125 governs the deciduous and grass PFTs (PFTs 3, 6, 7, 8, 10, 11, 12, 13, and 14), where short leaf
1126 and fine-root lifespans tie belowground allocation tightly to seasonal source activity, whereas root-
1127 economics governs the evergreen PFTs (PFTs 1, 2, 4, and 5), where multi-year tissue persistence
1128 makes chemistry and longevity the primary levers on carbon return. Because this mapping is
1129 phenological, paired leaf–root measurements from functional trait databases [e.g., TRY (Kattge et
1130 al., 2020) and FRED (Iversen et al., 2017)] could be synthesized into predictive scaling
1131 relationships that cross taxonomic and geographic boundaries. Such relationships would provide
1132 globally applicable parameter estimates for the 9 trait-coordination PFTs while focusing targeted
1133 observational campaigns on the evergreen systems where they are most needed. The validation
1134 results indicate where these two different strategies are most urgently required.

1135 **5.3 From single-site calibration to global application: a roadmap**

1136 The Tier 3 validation provides quantitative evidence for translating these prescriptions into
1137 a concrete path from the current calibration to global application. As a starting point, we report the
1138 complete set of calibrated TAM parameter values for all 14 PFTs in Table 2, providing the
1139 community with a ready-to-use baseline parameterization that can be refined as additional
1140 observations become available. The US-Ro4 result (–81% RMSE for both GPP and ER)
1141 demonstrates that PFT-level calibration can transfer across continents when the TAM
1142 parameterization captures fundamental physiology. In this case, the relevant physiology is C4
1143 grass carbon cycling. Parameters calibrated at a tropical C4 savanna (AU-DaP, Darwin, Australia)



1144 transferred remarkably well to a temperate C4 grassland in a continental climate (Rosemount,
1145 Minnesota), providing an encouraging proof of concept that TAM parameters can encode PFT-
1146 level functional strategies rather than site-specific conditions.

1147 The degradation cases indicate what is needed to achieve this more broadly. Three
1148 strategies emerge from the validation: First, multi-site calibration would address the spatial transfer
1149 failures observed within PFTs that span wide productivity ranges. Rather than calibrating
1150 *froott_leaf*, *froota_leaf*, and *frootm_leaf* at a single site, the MCMC objective function should
1151 aggregate misfit across multiple sites per PFT. The Tier 3 results indicate which PFTs need this
1152 most urgently (**Fig. A4**): PFT 13, where CN-Du2 degrades by +69% under US-Var parameters,
1153 and PFT 2, where RU-Fyo degrades by +37% under FI-Hyy parameters. For PFTs where the
1154 sensitivity analysis shows only 2–3 dominant parameters, multi-site optimization remains
1155 computationally feasible even with the surrogate model approach.

1156 Second, sub-PFT stratification is needed for PFTs that span qualitatively different
1157 environments where no single parameter set can be adequate. PFT 12 (C3 Arctic grass), for
1158 example, encompasses Arctic coastal tundra (US-Atq) and high-altitude alpine meadows (CN-
1159 Dan, 4300 m). These environments are so climatologically distinct that shared parameters
1160 inevitably compromise at both sites. Splitting PFT 12 into Arctic and alpine sub-PFTs, or
1161 conditioning parameters on environmental covariates such as mean annual temperature and
1162 growing-season length, would address this without proliferating the total number of PFTs.

1163 Third, tighter trait-informed priors offer the most promising path forward for evergreen
1164 PFTs, where equifinality undermines the current calibration. The present study already
1165 incorporates published measurements and trait database values to set prior ranges for root and
1166 mycorrhizal parameters (Sect. 3.3). The priors nevertheless remain broad because direct root and



1167 mycorrhizal observations for evergreen systems are relatively sparse. The TRY database (Kattge
1168 et al., 2020) and regional trait networks (e.g., Wang et al., 2022) offer extensive leaf-economic
1169 measurements and increasingly include corresponding fine-root and mycorrhizal fungi traits, yet
1170 root longevity and chemistry data for evergreen species remain comparatively thin (Iversen et al.,
1171 2017). Expanding this coverage through targeted field campaigns, guided by the clear mechanistic
1172 interpretation of sensitivity patterns, would narrow the trait-informed priors and, in turn, collapse
1173 the 5–6 parameter optimization toward a more tractable 2–3 parameter problem akin to that
1174 enjoyed by deciduous PFTs.

1175 With these strategies in place, regional and global benchmarking with ILAMB (Collier et
1176 al., 2018) represents the natural next step. The demonstration of robust performance across an
1177 order of magnitude in productivity (from ~100 to >3000 gC/m²/yr) and across all major biome
1178 types establishes the framework's readiness for larger-scale evaluation. Most current land models
1179 share the simplification of homogenizing diverse belowground processes into a single pool (Wang
1180 et al., 2023). ELM-TAM would provide a platform to test whether this homogenization propagates
1181 systematic biases into regional and global carbon balance estimates.

1182 **5.4 Limitations of the current implementation**

1183 The roadmap outlined above assumes that the current limitations are surmountable. Here
1184 we distinguish a methodological limitation of the calibration strategy from structural
1185 simplifications that define the boundaries of what ELM-TAM can represent.

1186 On the methodological side, the calibration targets only two flux variables, GPP and ER,
1187 leaving the 17-dimensional parameter space underconstrained. For evergreen PFTs, where
1188 sensitivity is distributed across 5–6 interacting parameters (Sect. 4.1), this underconstraint
1189 manifests as equifinality: multiple parameter combinations yield similar annual fluxes during



1190 calibration but diverge under novel conditions. Even for the best-performing deciduous sites,
1191 compensating errors reveal the cost of limited constraints: at US-MOz, ELM-TAM nearly
1192 eliminates the baseline ER bias but flips the GPP bias from +340 to $-286 \text{ gC/m}^2/\text{yr}$, achieving
1193 correct ER partly at the expense of canopy productivity. Incorporating additional observational
1194 targets such as soil respiration partitioning, root biomass, mycorrhizal colonization rates, or litter
1195 chemistry could break the parameter degeneracy that permits such trade-offs. A complementary
1196 extension, motivated by the US-Ho1 scope boundary (Sect. 5.1), is holistic source–sink coupled
1197 recalibration, in which canopy and belowground parameters are optimized jointly rather than
1198 treating TAM parameters as a downstream correction layer applied atop fixed photosynthesis
1199 settings. Even so, TAM's gains would remain bounded by ELM's unchanged process
1200 representations. The persistent ER residual at US-Var ($\text{MBE} = -118 \text{ gC/m}^2/\text{yr}$), traceable to soil
1201 decomposition limitations, and the tropical phase errors at BR-Sa1 and PA-SPn, traceable to the
1202 phenology scheme, illustrate that TAM is a necessary but not sufficient improvement.

1203 Part of this insufficiency traces not to calibration but to the TAM framework itself, which
1204 incorporates structural simplifications that bound its representational scope. Two are particularly
1205 critical, although it is imperative to eventually relax the assumption of big-leaf approach in ELM-
1206 TAM to integrate with demographic vegetation representation (Wang et al., 2023). First, the TAM
1207 pools do not feed back on ecosystem hydrology. ELM-TAM retains the empirical soil moisture
1208 stress factor rather than coupling root traits to a mechanistic hydraulic scheme. Absorptive root
1209 density and mycorrhizal networks govern water uptake and drought responses in reality (e.g.,
1210 Kakouridis et al., 2022), but they are not coupled to the water cycle in the current implementation.
1211 This decoupling likely contributes to the spatial transfer failures at water-limited sites such as CN-
1212 Du2 (semiarid steppe), where root-driven drought responses may be as important as carbon



1213 allocation in controlling productivity. Mechanistic root–water coupling, together with mechanistic
1214 root-nutrient coupling, would allow TAM to influence ecosystem water balance alongside carbon
1215 and nutrient cycling.

1216 Another related issue is applying the same vertical root distribution to all three TAM pools.
1217 In reality, absorptive roots and mycorrhizal hyphae concentrate in organic-rich topsoil while
1218 transport roots extend deeper (e.g., McElrone et al., 2004; Robin et al., 2019). Because litter
1219 chemistry differentiation and exudation are the primary mechanism through which TAM alters
1220 soil carbon dynamics, its impact is muted when all three litter streams enter the same depth profile.
1221 Depth-resolved TAM pools would direct labile absorptive and mycorrhizal litter and exudates into
1222 shallow, fast-cycling soil layers and lignin-rich transport root litter into deeper, slower pools. This
1223 vertical separation could amplify TAM's influence on both the magnitude and distribution of soil
1224 carbon storage (e.g., Billings et al., 2025).

1225 Decoupled root hydraulics and uniform vertical distribution thus define two concrete
1226 extensions that would broaden TAM's mechanistic scope. Each issue requires new process
1227 representation in coordination with photosynthetic allocation rather than additional parameter
1228 tuning (Wang et al., 2023). This distinction of process representation vs. parameter tuning matters
1229 for how the community should prioritize development effort.

1230 **5.5 Implications for land model development strategy**

1231 Our results suggest that the marginal return on development investment may be higher for
1232 improving root representation than for further refining aboveground processes. Belowground
1233 structural representation has lagged aboveground refinement for decades (Wang et al., 2023). Our
1234 results demonstrate that belowground structural complexity yields measurable, transferable gains.
1235 Evidence from ELM-TAM supports this view across multiple lines of evidence: ecologically



coherent parameter differentiation (**Fig. 4**), consistent ER improvement at deciduous and grass PFTs (**Fig. 5**), emergent seasonal amplitude correction at scales not targeted during calibration (**Fig. 6**), and cross-continental parameter transfer at US-Ro4 (−81% RMSE; **Fig. 5**). The evergreen degradation at US-Ho1 and RU-Fyo reinforces rather than undermines this conclusion: gains are largest where observational constraints match the added structural complexity, pointing to a clear path for extending these benefits to currently underperforming PFTs. This argues for a targeted strategy — prioritize TAM implementation for PFTs where it demonstrably helps (deciduous and grass) while pursuing tighter trait-informed priors, supported by expanded root and mycorrhizal trait measurements, for PFTs where performance remains bounded by sparse data (evergreen).

This selective success also challenges the prevailing assumption that increased model complexity necessarily degrades performance through equifinality and overparameterization (Luo and Schuur 2020; Famiglietti et al., 2021). Although TAM introduces 21 new parameters, only 8 of 17 free parameters exceed the empirical ST threshold at any PFT, and the calibrated values produce emergent properties—PFT-specific N demand and turnover time (**Fig. 4**)—that are consistent with independent root trait observations. Model complexity should therefore be evaluated not by parameter count alone but by the alignment between model structure and the dominant controls on ecosystem function.

These findings also carry a cautionary message for the growing trend toward replacing mechanistic process development with machine learning emulators. Such tools are valuable for model analysis, as our own surrogate-based sensitivity analysis and calibration demonstrate, but they are fundamentally constrained by the physics embedded in the model they emulate. A surrogate of a structurally incomplete model inherits and potentially amplifies its structural biases (Gyllingberg et al., 2023; Nartallo-Kaluarachchi et al., 2025). ELM-TAM's improvements arise



precisely because the TAM framework introduces new mechanistic pathways that no emulator of the original ELM could have represented. Continued investment in mechanistic process representation therefore remains essential for the structural advances from which predictive gains in Earth system land models ultimately arise.

6. Conclusions

This study presented ELM-TAM, a new version of the E3SM Land Model that replaces the single homogeneous fine-root pool with three functionally distinct pools representing transport roots, absorptive roots, and mycorrhizal fungi. This structural decomposition introduces 21 new parameters governing root allocation, chemistry, longevity, and litter quality. Through Sobol global sensitivity analysis, Bayesian calibration at 13 FLUXNET sites spanning all natural PFTs in ELM, and a three-tier validation framework of increasing independence, we evaluated whether this added belowground complexity yields measurable and transferable improvements in simulated carbon fluxes.

The sensitivity analysis revealed a two-strategy parameterization dichotomy: deciduous and grass PFTs (69% of analyzed systems) follow a trait-coordination strategy controlled by 2–3 allocation parameters, while evergreen PFTs follow a root-economics strategy that distributes sensitivity across 5–6 parameters spanning C:N ratios, longevity, and allocation. This dichotomy persists across more than 100° of latitude and across woody to herbaceous growth forms, suggesting that phenological strategy determines the dominant controls on belowground carbon cycling. An empirical gap in total-effect indices separates 8 influential parameters from the remaining 9, indicating that the effective dimensionality is far smaller than the nominal parameter count.



1281 Bayesian calibration produced emergent fine-root properties that diverge from ELM's
1282 defaults: system-level nitrogen demand increased at 10 of 14 PFTs (up to 4.3×), with absorptive
1283 roots and mycorrhizal fungi contributing 77–100% of total N demand; absorptive-root longevity
1284 ranged from 0.5 to 3.5 yr across PFTs, replacing ELM's uniform 1-yr default with PFT-specific
1285 turnover shaped by pool composition. The three-tier validation established that these changes
1286 improve predictive skill in transferable ways. Seasonally (Tier 1), ELM-TAM improved amplitude
1287 fidelity not targeted during calibration (mean GPP amplitude ratio 0.99 vs. 1.38 for the baseline).
1288 Temporally (Tier 2), the differentiated pools nearly eliminated the baseline's ER overestimate at
1289 US-MOZ (MBE from +515 to +33 gC m⁻² yr⁻¹). Spatially (Tier 3), C4 grass parameters transferred
1290 across continents with 81% RMSE reduction, while PFTs spanning wide environmental gradients
1291 (PFTs 2, 12, 13) require multi-site calibration or sub-PFT stratification. The validation also defined
1292 a boundary: at evergreen sites where the baseline already overestimates productivity, a
1293 belowground-only structural improvement cannot remedy the upstream source-side bias and
1294 instead amplifies it.

1295 The two-strategy dichotomy prescribes distinct development paths: multi-site calibration
1296 of 2–3 allocation parameters for trait-coordination PFTs, sub-PFT stratification for PFTs that span
1297 qualitatively different environments (e.g., PFT 12), and tighter trait-informed priors, supported by
1298 expanded root and mycorrhizal trait measurements, for root-economics PFTs. Because the current
1299 development focuses on the TAM structure and its integration into the carbon–nutrient cycle, the
1300 function-oriented design provides natural coupling points for mechanistic root–water interactions
1301 and depth-resolved root profiles in future phases. Global benchmarking with ILAMB represents
1302 the natural next step. More broadly, ELM-TAM demonstrates that mechanistic belowground
1303 complexity, when grounded in observable traits and guided by sensitivity analysis, can improve



1304 predictive skill without creating an overparameterization burden. The consistent pattern across all
1305 validation tiers—improvement where TAM addresses genuine structural deficiencies,
1306 interpretable degradation where errors originate upstream—establishes the framework's
1307 mechanistic credibility and identifies the steps needed to extend it from site-level demonstration
1308 to global application in Earth system land models.

1309

1310 **Appendix A**

1311 **A1 Site metadata**

1312 **Table A1. Calibration and sensitivity analysis sites.** Thirteen FLUXNET eddy covariance sites
1313 used for ELM-TAM development, one per ELM plant functional type (PFT). Thirteen sites entered
1314 the surrogate-based sensitivity analysis and MCMC calibration; PFT 9 was prescribed from
1315 literature. Coordinates are site-level values used in single-point ELM simulations. The calibration
1316 period denotes the years over which annual GPP and ER were compared to FLUXNET2015
1317 observations. The mycorrhizal association (EM = ectomycorrhizal, AM = arbuscular mycorrhizal)
1318 governs the relative functional importance of the mycorrhizal pool in the TAM framework.

1319

							Calibration	
PFT	Site	PFT name	Lat	Lon	IGBP	Myc.	period	Calibration
1	US-	Needleleaf	45.20	−68.74	ENF	EM	2000–2006	MCMC
	Ho1	evergreen						
		temperate tree						



2	FI- Hyy	Needleleaf evergreen boreal tree	61.85	24.29	ENF	EM	1997–2014	MCMC
3	RU- SkP	Needleleaf deciduous boreal tree	62.26	129.17	ENF	EM	2004–2014	MCMC
4	BR- Sal	Broadleaf evergreen tropical tree	−2.86	−54.96	EBF	AM	2002–2011	MCMC
5	AU- Tum	Broadleaf evergreen temperate tree	−35.66	148.15	EBF	EM/AM	2002–2014	MCMC
6	PA- SPn	Broadleaf deciduous tropical tree	9.32	−79.63	DBF	AM	2008–2012	MCMC
7	US- MOz	Broadleaf deciduous temperate tree	38.74	−92.20	DBF	EM/AM	2005–2014	MCMC
8	CA- Oas	Broadleaf deciduous boreal tree	53.63	−106.20	DBF	EM	1997–2010	MCMC
10	US- SRC	Broadleaf deciduous	31.91	−110.84	OSH	AM	2008–2014	MCMC



		temperate						
		shrub						
11	RU-	Broadleaf	70.83	147.49	OSH	EM	2003–2014	MCMC
	Cok	deciduous						
		boreal shrub						
12	US-	C3 Arctic	70.47	−157.41	WET	AM	2004–2008	MCMC
	Atq	grass						
13	US-	C3 non-	38.41	−120.95	GRA	AM	2001–2014	MCMC
	Var	Arctic grass						
14	AU-	C4 grass	−14.06	131.32	GRA	AM	2008–2014	MCMC
	DaP							

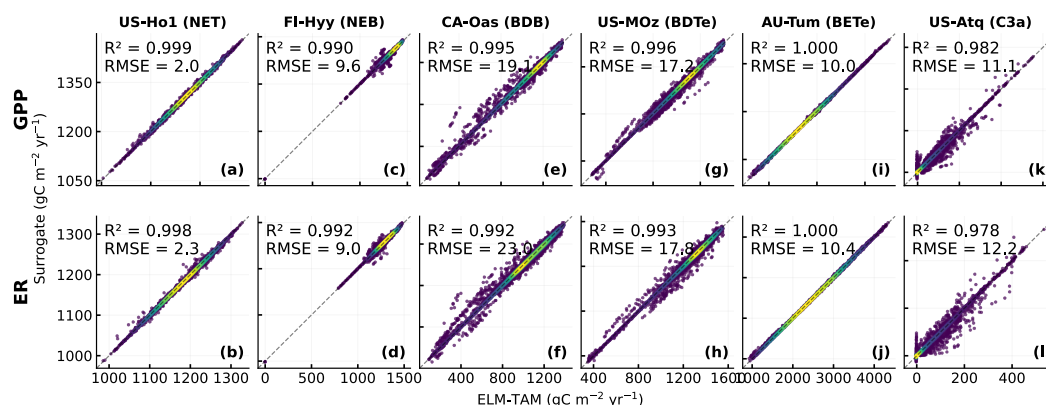
1320

1321 **Table A2. Tier 3 spatial validation sites.** Seven independent FLUXNET sites used for spatial
 1322 out-of-sample validation (Tier 3; Sect. 3.4.3). Each site shares the same ELM PFT classification
 1323 as its corresponding calibration site but differs in climate, species composition, and geographic
 1324 location. Parameters were transferred from the calibration site without re-tuning.

Validation		Calibration	Validation			
site	PFT	donor	period	Lat	Lon	Key contrast
US-Blo	1	US-Ho1	2000–2006	38.90	−120.63	Ponderosa pine, Mediterranean vs. spruce– hemlock, humid continental



RU-Fyo	2	FI-Hyy	1998–2014	56.46	32.92	Spruce–birch mixed forest, central Russia vs. Scots pine, Finland
GH-Ank	4	BR-Sa1	2011–2014	5.27	–2.69	West African semi-deciduous forest vs. Amazonian rainforest
ZM-Mon	6	PA-SPn	2000–2009	–15.44	23.25	Miombo woodland, Zambia vs. tropical dry forest, Panama
CN-Dan	12	US-Atq	2004–2005	30.50	91.07	Alpine meadow, Tibetan Plateau (4300 m) vs. Arctic tundra, Alaska
CN-Du2	13	US-Var	2006–2008	42.05	116.28	Temperate steppe, Inner Mongolia vs. Mediterranean grassland, CA
US-Ro4	14	AU-DaP	2014–2023	44.68	–93.07	Tallgrass prairie, Minnesota vs. tropical savanna, N. Australia



1326

1327 **Figure A1. Surrogate model performance for six representative calibration sites.** Each panel
 1328 shows a 1:1 scatter plot of surrogate-predicted versus ELM-TAM-simulated annual flux values
 1329 (gC m⁻² yr⁻¹) across 1000 ensemble members and all calibration years, with points colored by
 1330 kernel density estimation. Left column: gross primary production (GPP); right column: ecosystem
 1331 respiration (ER). Coefficient of determination (R²) and root mean square error (RMSE) are
 1332 annotated in each panel. The dashed line indicates the 1:1 reference.



1333 A2 Surrogate model performance

1334 Neural-network surrogate models (multi-layer perceptron regressors; Sect. 3.1) served as
1335 computationally efficient emulators of ELM-TAM for both sensitivity analysis and MCMC
1336 calibration. Because all downstream inferences depend on surrogate fidelity, we assessed emulator
1337 accuracy by comparing surrogate predictions against the actual ELM-TAM ensemble outputs on
1338 held-out test data (20 % of ensemble members withheld during training).

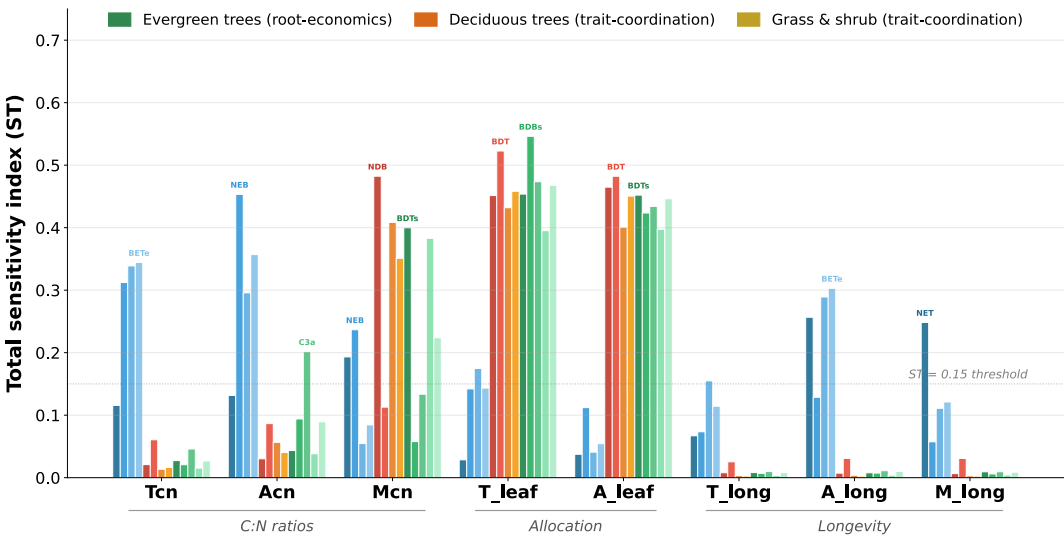
1339 **Figure A1** presents density-coloured 1:1 scatter plots of surrogate-predicted versus ELM-
1340 TAM-simulated annual GPP and ER for six representative sites spanning the PFT diversity: US-
1341 Ho1 (PFT 1, needleleaf evergreen temperate), FI-Hyy (PFT 2, needleleaf evergreen boreal), CA-
1342 Oas (PFT 8, broadleaf deciduous boreal), US-MOz (PFT 7, broadleaf deciduous temperate), AU-
1343 Tum (PFT 5, broadleaf evergreen temperate), and US-Atq (PFT 12, C3 Arctic grass). These sites
1344 sample both parameterization strategies (root-economics and trait-coordination) and span a wide
1345 range of flux magnitudes, from approximately $200 \text{ gC m}^{-2} \text{ yr}^{-1}$ at the Arctic tundra site (US-Atq)
1346 to over $5000 \text{ gC m}^{-2} \text{ yr}^{-1}$ at the temperate broadleaf evergreen site (AU-Tum).

1347 All 12 panels exhibit tight clustering along the 1:1 line with $R^2 \geq 0.978$, and the highest-
1348 fidelity surrogates (AU-Tum, US-Ho1) achieve $R^2 = 1.000$ and 0.999 respectively. Root mean
1349 square errors are small relative to the flux magnitudes at each site ($\text{RMSE} / \text{mean flux} < 2\%$ in all
1350 cases shown). Point density, depicted by kernel density estimation coloring, confirms that the
1351 surrogate fidelity is uniformly high across the full parameter space rather than being concentrated
1352 in a narrow region. These results hold across all 13 calibration sites (not shown), confirming that
1353 the surrogate models are sufficiently accurate to support the sensitivity analysis and Bayesian
1354 calibration presented in the main text.

1355



1356 **A3 Sensitivity analysis: total-effect indices**



1357
1358 **Figure A2. Total-effect sensitivity indices (ST) for the eight most influential TAM parameters**
1359 **across 13 calibrated PFTs, grouped by functional category.** Bar colors denote parameterization
1360 strategy: blue for root-economics (evergreen PFTs) and orange for trait-coordination (deciduous
1361 and grass PFTs). ST values represent the combined GPP + ER sensitivity. The eight parameters
1362 were identified by an empirical gap at $ST = 0.15$ in the cross-PFT distribution; the remaining nine
1363 parameters contribute negligible total sensitivity.

1364
1365 **Figure A2** complements the first-order and second-order Sobol heatmap (**Fig.3**) by
1366 showing the absolute magnitudes of total-effect sensitivity indices (ST) for the eight most
1367 influential TAM parameters. Total-effect indices integrate direct effects, pairwise interactions, and
1368 all higher-order terms, providing an upper bound on each parameter's contribution to output
1369 variance. The eight parameters were separated from the remaining nine by an empirical gap in the
1370 cross-PFT ST distribution at 0.15. Bar heights represent the combined GPP + ER sensitivity



1371 $(S_{\text{combined}} = (S_{\text{GPP}} + S_{\text{ER}}) / 2)$ for each of the 13 calibrated PFTs, grouped by functional
1372 category (chemistry, allocation, longevity, litter chemistry) and colored by parameterization
1373 strategy (blue: root-economics, evergreen PFTs; orange: trait-coordination, deciduous and grass
1374 PFTs).

1375 For trait-coordination PFTs, the allocation parameters `froott_leaf` and `froota_leaf` dominate
1376 the ST budget, consistent with their S1 dominance in **Fig. 3a**. For root-economics PFTs, ST is
1377 more evenly distributed across C:N ratios (`frootten`, `frootacn`, `frootmcn`), longevity (`froott_long`,
1378 `froota_long`, `frootm_long`), and allocation, reflecting the broader parameter sensitivity landscape
1379 characteristic of evergreen vegetation. The clear separation between the two strategy groups —
1380 visible as distinct color clustering within each functional category — reinforces the dichotomy
1381 identified in the main-text sensitivity analysis and provides a mechanistic basis for the
1382 parameterization strategies discussed in Sect. 5.2.

1383

1384 **A4 Validation: Taylor diagram for Tier 1 monthly evaluation**

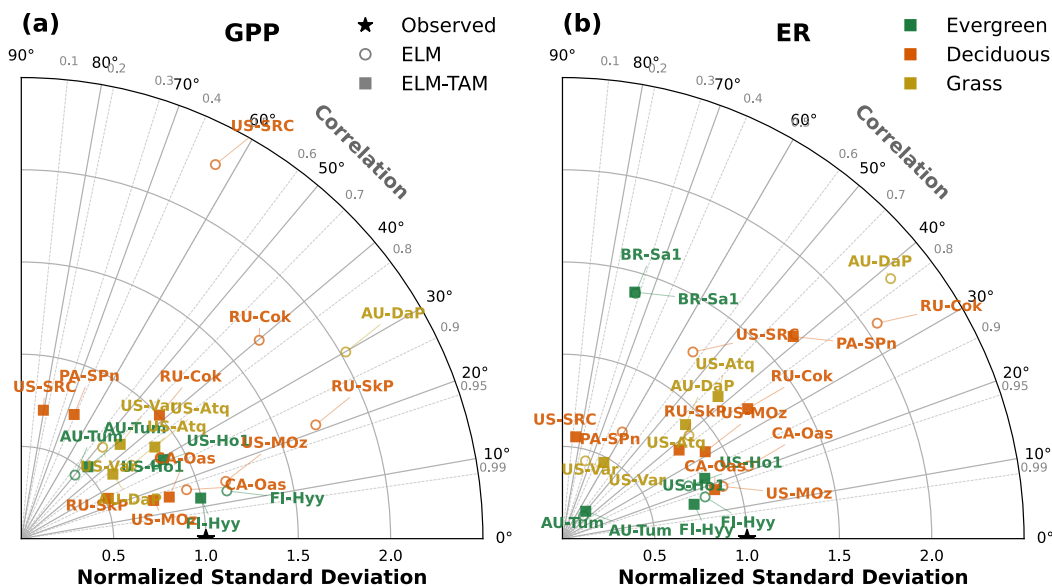
1385 The Taylor diagram provides a compact summary of Tier 1 monthly evaluation
1386 performance across all 13 calibration sites evaluated (ES-LJu excluded; Sect. 4.3). Each point
1387 represents the monthly time series of GPP or ER at one site, positioned according to the Pearson
1388 correlation coefficient (angular axis), normalized standard deviation (radial axis), and centered
1389 root mean square difference (contours) relative to observations. Filled symbols denote ELM-TAM;
1390 open symbols denote baseline ELM.

1391 The diagram reveals two key patterns. First, ELM-TAM shifts most site-variable
1392 combinations toward higher correlation and lower centered RMSD relative to baseline ELM, with
1393 the largest improvements at deciduous and grass sites where the trait-coordination strategy



concentrates sensitivity in allocation parameters that govern seasonal dynamics. Second, the normalized standard deviation ratios cluster near 1.0 for ELM-TAM, indicating that the optimized model reproduces the observed amplitude of the seasonal cycle more faithfully than baseline ELM, whose markers scatter out to $\sigma = 2.0$ – 2.6 , reflecting systematic overestimation of seasonal variability. These patterns are consistent with the composite seasonal cycles shown for six representative sites in Fig. 6.

1400



1401

Figure A3. Taylor diagram summarizing Tier 1 monthly evaluation of GPP and ER at 13 calibration sites. Each point represents the monthly time series at one site for one variable. Filled markers: ELM-TAM with calibrated TAM parameters; open markers: baseline ELM. Angular position indicates Pearson correlation with observations; radial distance indicates normalized standard deviation (model / observed); gray contours show centered root mean square difference.

1406



Points closer to the reference point (correlation = 1, normalized SD = 1) indicate better agreement with observations.

A5 Validation: Tier 3 spatial transferability

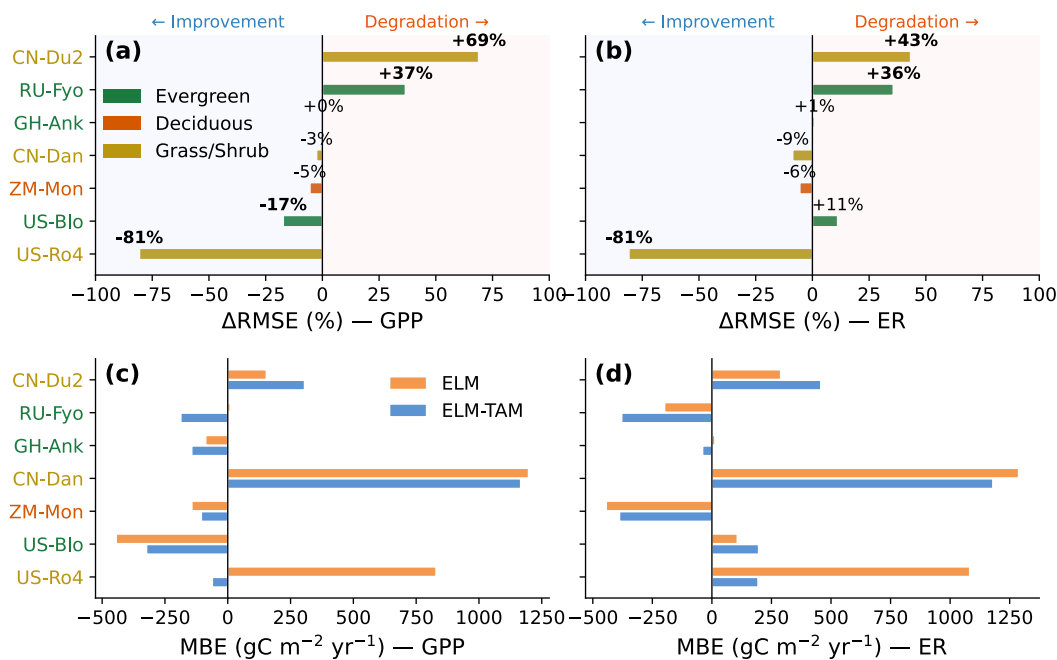


Figure A4. Tier 3 spatial validation at seven independent sites, sorted by GPP Δ RMSE% magnitude. (a–b) Relative RMSE change (Δ RMSE%) for GPP and ER; negative values indicate that ELM-TAM reduces prediction error. Bars are colored by parameterization strategy: evergreen/root-economics (green), deciduous/trait-coordination (orange), and grass/shrub (gold). (c–d) Mean bias error (MBE; $\text{gC m}^{-2} \text{yr}^{-1}$) for GPP and ER, showing paired bars for baseline ELM (orange) and ELM-TAM (blue) at each site. Bars closer to zero indicate smaller systematic bias.



1419 **Fig. A4** complements the validation scorecard (**Fig. 5c**) by presenting the relative RMSE
1420 change ($\Delta\text{RMSE}\%$) and mean bias error (MBE) at the seven spatial validation sites, sorted by GPP
1421 $\Delta\text{RMSE}\%$ magnitude and color-coded by functional strategy. Of 14 site–variable pairs, ELM-
1422 TAM improves RMSE in 8 cases (57 %). The $\Delta\text{RMSE}\%$ panels (a–b) show that the strongest
1423 improvements concentrate at grass and deciduous sites (e.g., US-Ro4, –81 %), while degradations
1424 occur where calibration and validation sites differ substantially in climate despite sharing a PFT
1425 class (e.g., CN-Du2, +69 %). The MBE panels (c–d) reveal the underlying bias structure: at US-
1426 Ro4, ELM-TAM nearly eliminates a baseline overestimate exceeding $800 \text{ gC m}^{-2} \text{ yr}^{-1}$ for both
1427 GPP and ER, whereas at CN-Dan both models show large positive biases that the TAM parameters
1428 do not correct. These patterns indicate that the degradations reflect limits of the single-site
1429 calibration strategy rather than the TAM framework itself.

1430

1431 **Code and data availability**

1432 Data and code used in this manuscript were archived at <https://doi.org/10.5281/zenodo.20310624>
1433 (Wang 2026). Living analysis code available at <https://github.com/bioatmosphere/TAM>, and the
1434 ELM-TAM codebase at <https://github.com/bioatmosphere/ELM-TAM>.

1435

1436 **Author contributions**

1437 B.W. conceived the study, performed simulations and analyses, and wrote the manuscript with
1438 contributions from all co-authors.

1439

1440 **Competing interests:** The authors declare that they have no conflict of interest.

1441



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1456

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