



# Observed modulation of wintertime Western Arctic mixed-phase cloud properties by sea ice conditions, their long-term variabilities and trends

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**Abstract.** To assess the long-term interaction between sea ice conditions and Arctic mixed-phase cloud (MPC) properties, fourteen winter seasons of observations from the North Slope of Alaska are analysed. MPC properties are set into context with sea ice conditions by determining the sea ice sectors which are most relevant to interact with the observed clouds. A conical sector of 6° and 50 km radius of upstream sea ice concentration (SIC) is considered based on the azimuth direction of the maximum water vapour transport (WVT) within the atmospheric boundary layer. The WVT height is used as indicator for the WVT interacting with the cloud, which is categorized as cloud-coupled or decoupled. The MPC properties are classified according to the presence of high or low pressure systems and analysed as a function of SIC. Results highlight which MPC properties do increase in magnitude as SIC decreases. The long-term time series evolution shows positive and negative trends in MPC properties, depending on the coupling status and the atmospheric pressure system. The study found statistically significant positive trends suggesting an increase of sea ice-MPC coupled liquid water path ( $+35.0 \pm 0.9 \text{ g m}^{-2} \text{ decade}^{-1}$ ), cloud base height ( $+44.0 \pm 0.7 \text{ m decade}^{-1}$ ) and cloud top temperature ( $+2.2 \pm 0.7 \text{ K decade}^{-1}$ ) under low pressure weather systems. It has been revealed that the evolution of MPC properties presents cyclical characteristics and it is hypothesized that those are in phase with climate oscillations like ENSO or PDO. Although the results support this hypothesis, a direct causation is not trivial.

## 1 Introduction

Climate physics has long ago established that increases in atmospheric concentrations of greenhouse gases warms the atmosphere (Arrhenius, 1897; Hegerl, 2022). Observations in recent decades have suggested that the Arctic is warming two to four times faster than the whole Earth (Rantanen et al., 2022; Wendisch et al., 2023), a phenomenon known as Arctic amplification (AA) (Serreze and Francis, 2006; Serreze and Barry, 2011). Studies have shown that AA in climate models is related to the response to external forcings, primarily the atmospheric lapse-rate feedback as well as sea ice related feedbacks. However, the



lack of full consensus on the magnitude of AA is attributed to the failure to simulate the sensitivity of Arctic sea ice loss to the rise of global temperature (Notz and Community, 2020; Rantanen et al., 2022).

During Polar night, Arctic mixed-phase clouds have a positive cloud radiative effect (CRE), which foster the warming of the surface beneath (Shupe and Intrieri, 2004; Cox et al., 2015). The CRE feedback mechanism contributes to AA and to sea ice decline. The magnitude of this forcing depends on micro- and macro-physical cloud properties (Shupe and Intrieri, 2004; Tan and Storelvmo, 2019). Extensive efforts are currently being performed to improve the understanding of the role MPCs in a changing Arctic (Morrison et al., 2012; Korolev and Milbrandt, 2022) as well as to improve their representation in weather and climate models (Schemann and Ebell, 2020; Hofer et al., 2024; Tan et al., 2025). Recently Cesana et al. (2025), albeit focused on Antarctica, found that prescribing winds in climate models improves the modeled variability of sea ice and clouds compared to satellite observations. They further pointed out that a realistic representation of clouds is crucial to capture the observed sea ice trends that climate models struggle to reproduce. Large scale Pan-Arctic studies have highlighted contrasting differences between clouds located above sea ice or open water: Palm et al. (2010) reported that areas with little or no sea ice are correlated with more cloudiness and a higher frequency of low level clouds. They also found an increase of geometrically thicker clouds over open water. Li et al. (2020b) explained that newly re-frozen sea ice areas can mitigate the development of low level clouds due to the imbalanced heat and moisture sources. Furthermore, the thermodynamic phase distribution of wintertime MPC can be perturbed by sea ice concentration changes due to the convective heat transfer over leads or polynyas (Andreas and Cash, 1999). Papakonstantinou-Presvelou et al. (2022) found that Arctic low-level clouds contain more ice crystals over sea ice than over open ocean, which is attributed to the amount and type of aerosols characteristic of each surface. While sea ice leads have been identified as main wintertime source of sea spray aerosols, there are limitations regarding the quantification of amounts and drivers of sea spray emitted from leads (Lapere et al., 2024).

Using synergistic atmospheric observations onboard the research vessel (RV) Polarstern during the year-long Multidisciplinary drifting Observatory for the Study of Arctic Climate MOSAiC expedition (Shupe et al., 2022) from 2019 to 2020, Saavedra Garfias et al. (2023) have proposed a mechanism to physically link the sea ice states in the vicinity of RV Polarstern with the MPC observed above it. By exploiting a novel high-quality, high-resolution satellite based sea ice lead fraction estimation, which was specifically derived for MOSAiC along the RV Polarstern drifting path (von Albedyll et al., 2024), Saavedra Garfias et al. (2023) found that some properties of MPC when coupled to the sea ice leads via the water vapour transport, are correlated to the upstream sea ice lead fraction. Among those properties the most remarkable is the liquid water path (LWP) which is positively correlated with the amount of sea ice lead fraction. Conversely, the ice water path (IWP) was not found to be correlated with sea ice leads.

The majority of previous studies relating MPC properties and sea ice state either consider large spatial scales or short term observations. This hinders the evaluation of those findings within a climate modelling context. Although models are able to capture several aspects of MPC realistically, they e.g. struggle to accurately represent thermodynamic phase and ice/liquid water path (Schemann and Ebell, 2020; Pithan et al., 2014). At the same time, current climate models do not sufficiently take into account how MPC properties change in a warming climate (Cesana et al., 2025; Nakanishi and Michibata, 2025). Thus, long-term cloud observations are paramount to evaluate climate models. Manaster et al. (2017) analysed over 20 years



of multi-satellite products to estimate global liquid water path (LWP) trends over ocean and evaluated them against CMIP5 models. Although they did not include the polar regions, their results are one of the few references for the long-term rate of change of LWP, with positive trends of about  $1\text{--}2\text{ g m}^{-2}\text{ dec}^{-1}$  reported for the Southern Ocean and the North Pacific. They also found that discrepancies between observations and CMIP5 models cannot be explained by removing sources of inter-annual variability like El Niño Southern Oscillation (ENSO), concluding that ENSO is not a major parameter to affect the LWP trends. They did however not discard the possibility that other modes of variability could have a larger impact on LWP trends, e.g. the Pacific Decadal Oscillation (PDO).

This brings up two questions: Firstly, can the findings of Saavedra Garfias et al. (2023) obtained for one winter of observations of MPC properties linked to sea ice state in the Central Arctic be confirmed for long-term observations in the Western Arctic? Secondly, are Arctic MPC properties correlated with climate variability modes that are not evident from short-term studies? Answering these questions will advance our knowledge on how ocean-sea ice-atmosphere interaction and feedback processes modulate Arctic cloud properties, which in turn provides valuable information for better representation of MPC in weather and climate models. For this purpose, the present study applies the methodology developed by Saavedra Garfias et al. (2023) to long-term wintertime MPC observations in the Western Arctic ranging from 2011 to 2024.

The manuscript is organized as follows: in Sec. 2 we present details about the measurement site, instrumentation, data processing, and analysis methods adopted for the present study. Results are presented in Sec. 3. Specifically, the new findings regarding the modulation of MPC properties by sea ice conditions for the entire 14 years as well as the year-to-year-variability and trends are reported in Sec. 3.1 and Sec. 3.2 - Sec. 3.2.3, respectively. These results are further discussed in Sec. 3.3 by highlighting how the present work corroborates or contradicts previous results from the MOSAiC expedition in the Central Arctic. Finally, Sec. 4 summarizes the implications of our results. Additionally, detailed descriptions of data availability, statistical methods, climatological analysis, nomenclature description, and ancillary results can be found in the appendixes and in the supplementary document, respectively.

## 2 Data and Methodology

The Atmospheric Radiation Measurement (ARM) program of the US Department of Energy ([www.arm.gov](http://www.arm.gov)) provides long-term comprehensive high-quality observations for clouds and radiation at multiple locations around the world. In particular for Arctic studies one of the few sources of quasi uninterrupted long-term observations is the ARM's North Slope of Alaska (NSA), observational site located at a latitude  $71.323^\circ$  North and longitude of  $156.609^\circ$  West, in Utqiagvik, Alaska, in the Western Arctic (Fig. 1). In the present study, we utilize cloud observations of fourteen winter seasons ranging from November 1<sup>st</sup> to April 30<sup>th</sup> from the NSA site to characterize MPC and investigate the change of their properties governed by different upstream sea ice conditions. For that purpose, the methodology developed by Saavedra Garfias et al. (2023) (hereafter referred to PSG23) is adapted and applied to the suite of instrumentation available at the NSA site, as described in the following section.

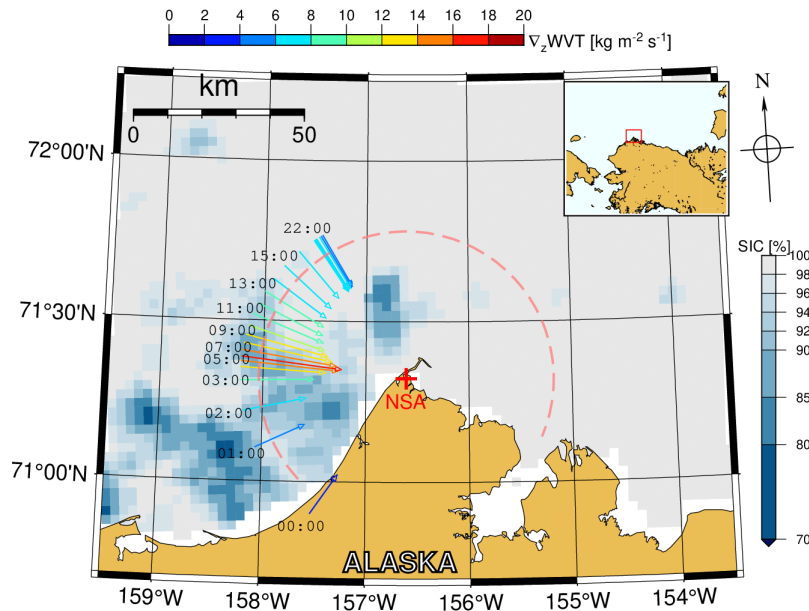
**Table 1.** Specifications of instrumentation, data products and their references used for this study. VAP refers to ARM's Value Added Product.

NSA site observatory					
Instrument/VAP	Full name	Variables/Products **	Resolution		Reference
			time	range	
MWR RET	passive microwave radiometer	LWP, IWV	1 s	-	Zhang (2024)
MWR LOS*	passive microwave radiometer	LWP, IWV	1 s	-	Cadeddu et al. (2024)
KAZR ARSCL	Ka-band cloud radar	$Ze$ , $V_D$ , $S_w$ , LDR	3 s	30 m	Johnson et al. (2024)
KAZR CORRGE*	Ka-band cloud radar	$Ze$ , $V_D$ , $S_w$ , LDR	3 s	30 m	Toto and Giangrande (2024)
CEIL10m	Ceilometer 10m	$\beta$ , CBH	16 s	10 m	Zhang et al. (2024)
INTERPSONDE	Interpolated Radiosonde	$T$ , $P$ , $q_v$ , $V$	1 min	20 m	Jensen et al. (2024)
FLUXRAD	Down/upwelling longwave radiation	$T_{skin}$ , $Ri_b$ , PBLH	1 min	-	Riihimaki et al. (2024)
GND_IRT*	Ground Infrared Thermometer	$T_{skin}$ , $Ri_b$ , PBLH	1 min	-	Shi et al. (2024)
Space-borne sensor					
AMSR2	region Chukchi-Beaufort	n3125 SIC	1 day	3.2 km	Melsheimer and Spreen (2019)
AMSR2*	region North West Passage	n3125 SIC	1 day	3.2 km	Melsheimer and Spreen (2019)
SSMIS17*	region North West Passage	n3125 SIC	1 day	3.2 km	Melsheimer and Spreen (2019)
Ancillary data					
ECMWF	Cloudnet Numerical Prediction	all	1 hour	-	O'Connor (2025)
-	Arctic Oscillation index	AO	1 day	-	NOAA AO
-	El Niño Southern Oscillation	ENSO	1 week	-	JPL ENSO
-	Pacific Decadal Oscillation	PDO	1 week	-	JPL PDO

\* used as alternative to reduce data gaps. \*\*See appendix D for full definition of acronyms.

## 2.1 ARM atmospheric remote sensing instrumentation

The primary set of remote sensing instruments from which data was used to characterize MPC are the ARM Ka-band zenith-pointing cloud radar (KAZR), the Vaisala CL31 cloud lidar (ceilometer) and a dual-frequency microwave radiometer (MWR). Moreover, the atmospheric boundary layer parameters and thermodynamic states are estimated from the synergy of ground infrared radiometer (GND\_IRT) and radiosondes launched regularly from the NSA site. Table 1 summarizes the instruments, relevant data products, their spatial and temporal resolutions, and a list of corresponding references that are utilized in the present study. A detailed availability time-line for the total period of study is shown in Fig. S10 of supplementary material S3. Additionally, observations of sea ice conditions from space-borne sensors are needed to complement the set of required data for the application of the PSG23 method. The processing and merging of sea ice data with the atmospheric observations is explained in Sec. 2.3.

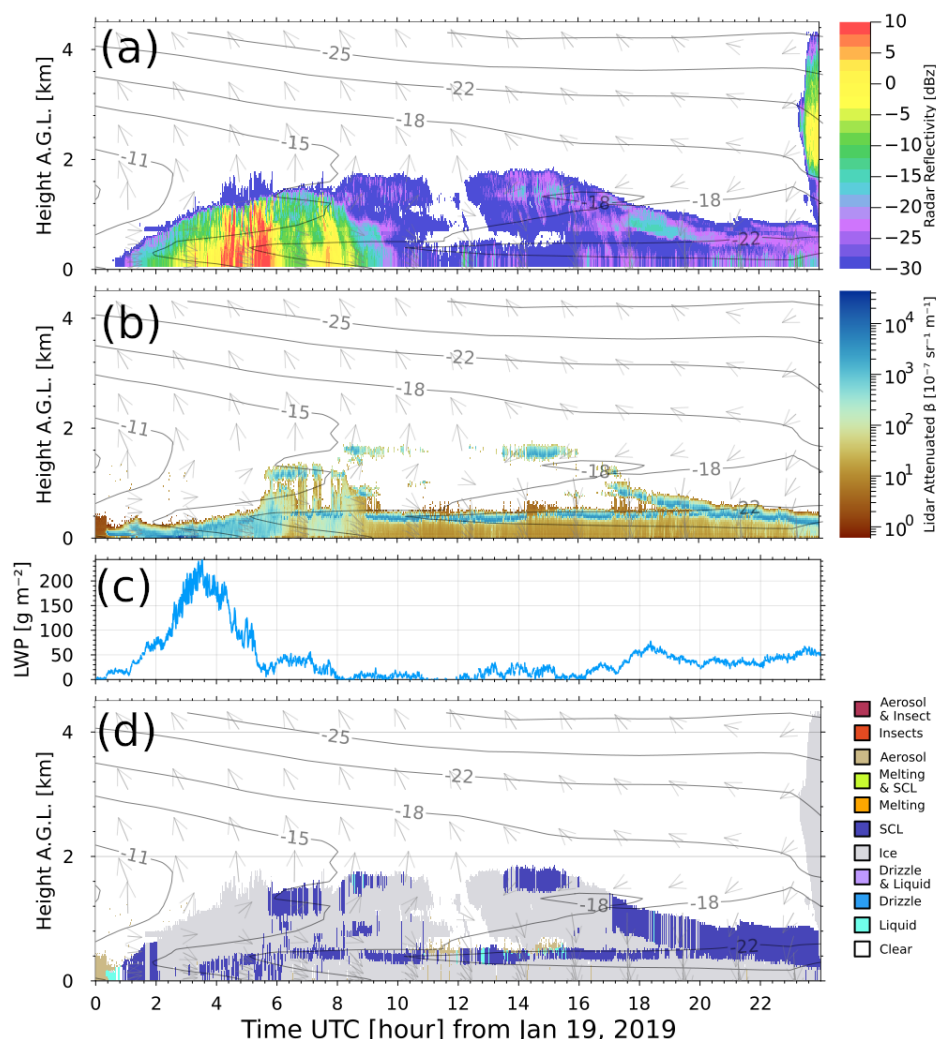


**Figure 1.** ARM's North Slope of Alaska NSA site (red cross: 71.23° North, 156.61° West) in Utqiagvik, Alaska (top right inlet). Right-bottom colour scale indicates the AMSR2 sea ice concentration (SIC) from January 19th, 2019. Red-dashed 50 km semi-circle marks the sub-sector around NSA site considered in this study. The coloured radial arrows depict several directions of  $\nabla_z$ WVT throughout the day (see Sec. 2.4) as observed above NSA site.

## 2.2 Characterization of the cloudy atmosphere

Figure 2 shows an example for the synergy of observations by the KAZR cloud radar, the ceilometer and the MWR for the case of January 19th, 2019. These sets of observations together with the atmospheric thermodynamic information obtained either from the ECMWF numerical weather model (O'Connor, 2025) or radiosonde profiles are the basis for the algorithm that classifies the thermodynamic phase and hydrometeor type of the cloudy atmosphere. The retrieval algorithm utilized in this study is the state-of-the-art Cloudnet target classification algorithm (Illingworth et al., 2007; Tukiainen et al., 2020) version CloudnetPy 1.68.1 shown in Fig. 2 (d). By default the ARM data are not supported by CloudnetPy, therefore the data from the instrumentation listed in Table 1 had to be adapted to be a compliant input (Saavedra Garfias and Kalesse-Los, 2022). In addition to the standard Cloudnet classification products, other atmospheric and cloud properties are calculated, namely: atmospheric boundary layer height, cloud base and top heights, and cloud top temperature for each cloud layer. Readers are referred to PSG23 for details.

Accurate characterization of Arctic low-level stratus clouds is compromised when the base of a liquid-containing cloud layer is detected by the lidar at altitudes below the radar lowest detection range: in that case, if the liquid layer extends above the radar lowest detection range Cloudnet misinterprets that cloud as missing liquid layer and classifies as pure ice. If an other liquid cloud layer is present higher up, Cloudnet distributes the LWP measured by the radiometer to that layer, otherwise



**Figure 2.** Synergistic ground-based remote sensing observations at NSA on January 19, 2019. Ka-band cloud radar (KAZR) reflectivity factor (a), ceilometer Vaisala CL31 attenuated backscattering coefficient  $\beta$  (b), dual-frequency MWR liquid water path (c), Cloudnet target classification (d) with supercooled liquid (SCL) in blue. Panels (a), (b) and (d) include profiles of the ECMWF numerical weather prediction model horizontal wind vector (arrows) and temperature (iso-therms).

Cloudnet ignores the LWP. Griesche et al. (2020, 2024) reported for the MOSAiC expedition that such low-level stratus cloud cases occur more than 25% of the observation time. For the NSA site the lidar can detect liquid at altitudes as low as 10 m whereas the radar has a lowest detection range of 160/100 m for the KAZR's ARSCL/CORRGE products, respectively. The present study has found that low-level clouds below radar detection range of 160 m (100 m) comprises about 26% (22.5%) of data. To overcome this limitation, a flat extrapolation of KAZR's radar reflectivity is applied down to the lidar liquid layer detection, before the cloud characterization is performed. The Cloudnet processing chain, applied to 14 years of NSA data, is





the backbone for creation of a combined dataset of macro- and micro-physical cloud properties merged with sea ice conditions  
120 (as explained in Sec. 2.3) similarly to Saavedra Garfias and Kalesse-Los (2023).

### 2.3 Characterization of sea ice conditions around NSA site

The PSG23 method utilized sea ice lead fraction (LF) at a high spatial resolution of 700 m. LF was derived from sea ice diver-  
gence imaging from Synthetic Aperture Radar satellite specifically developed for the MOSAiC expedition (von Albedyll et al.,  
2024). That quality level of LF product does not exist for the multi-year observations at the NSA site, which is a major differ-  
125 ence for the application of the PSG23 method in the present study. Instead, sea ice concentration (SIC) is obtained from the  
University of Bremen public repository ([www.seaice.uni-bremen.de](http://www.seaice.uni-bremen.de), e.g. (Spreen et al., 2008; Melsheimer and Spreen, 2019))  
to characterize the ocean conditions surrounding NSA site. SIC is retrieved from brightness temperatures observations by the  
Advanced Microwave Scanning Radiometer-2 (AMSR2) sensor which has been in operation onboard the Global Change Ob-  
servation Mission 1st GCOM-W1 satellite since autumn 2012. The product retrieved is the AMSR2 sea ice (ASI) concentration  
130 at a Polar stereographic grid size of 3.124 km and daily temporal resolution (Spreen et al., 2008) (see “Space-borne sensor”  
in Table 1). The University of Bremen provides ASI products for the whole Arctic as well as selected regions of interest. The  
present study uses the regions identified as “Chukchi-Beaufort” (Fig. 1) which is centered close to the NSA site longitude and  
covers the western- and eastern-part of the Chukchi and Beaufort seas, respectively. Furthermore, from the whole “Chukchi-  
Beaufort” sector only a small subset of grid cells are considered to be relevant for the PSG23 method, i.e. sea ice conditions  
135 that are most likely to interact with the atmospheric boundary layer clouds at the NSA site (Sec. 2.2). The sub-sector consid-  
ered for the present study is a semi-circle centered at NSA site with 50 km radius and limited from  $-125^\circ$  to  $110^\circ$  azimuth  
(red-dashed delimited semi-circle sector in Fig.1). Because we are exclusively interested in the sea ice-cloud interaction, the  
complementary semi-circular sector covering the land is dismissed. This means MPC with  $CTH \leq 3$  km being advected from  
the land to the NSA site are excluded from this study, which corresponds to  $\sim 8.1\%$  of the data.

140 Mean and standard deviation of the SIC are used here. It is assumed that SIC follows a truncated normal distribution with  
lower and upper truncation limits of 0% and 100%, respectively. The PSG23 method considers only a conical sector extending  
from the NSA site outwards up to 50 km with angular width of  $\pm 3^\circ$ . The azimuth of the conical sector is governed by the  
horizontal wind vector  $\mathbf{v}_w$  at a height where  $\nabla_z WVT$  is at maximum (details in Sec. 2.4). Subsequently, the mean sea ice  
concentration within the conical sector is denoted by SIC, whereas the mean sea ice concentration for the entire 50 km semi-  
145 circular sector (red-dashed in Fig. 1) is denoted by  $SIC_\odot$  (Fig. 3). Details about the yearly difference between the statistics  
given by the entire circle around NSA site  $SIC_\odot$  and the conical sector SIC aligned to  $\mathbf{v}_w$ , are shown in Fig. S1 in supplement  
S1.1.

Between 2011 and 2024, the Chukchi-Beaufort seas area experienced winters with extraordinary low sea ice concentration  
( $SIC_\odot \lesssim 50\%$  in Fig. 3 and Fig. S1), e.g. 2012/13, 2016/17, 2017/18, 2019/20, 2023/24, and 2024/25. These anomalously  
150 low sea ice winters can be partially related to climatological variability and/or forcing from low latitudes. For example, using  
observations and model simulations for the Barents-Kara seas area Zhang et al. (2023) revealed that the decrease of sea ice  
area is correlated with an increase of the frequency of atmospheric rivers reaching the Arctic in winter. They prevent the sea ice



recovering from summer melt and from growing to the climatologically expected sea ice coverage in winter. For the Chukchi-Beaufort seas, and for the period 2011 to 2020, the frequency of atmospheric rivers (averaged over November to April) has maximum values of 5.3% in 2018/19, an intermediate value of 2.6% in 2013/14, 2014/15, and 2019/20, plus a minimum value of 0.2% in 2015/16 (personal communication with Zhang et al. (2023) lead author). The wintertime 2018-2019 with a less frequent but still noticeable  $SIC_{\odot} \lesssim 50\%$  in Fig. S1, can be attributed to the anomalous warm ocean water as response to the southerly winds associated with episodic atmospheric blocking over the Bering Sea in September 2018 which was directly observed by the R/V Mirai Arctic Expedition in November 2018 (Kodaira et al., 2020).

## 2.4 Coupling sea ice - atmosphere via water vapour transport

Winter sea ice open areas (e.g. leads or polynyas) are effective local sources of heat and moisture released to the atmosphere. Because of convection and advection, plumes of heat and moisture can be transported afar from the location where the sea ice lead or polynya occurs and interact with the clouds. This interaction is needed to be established in order to relate the sea ice concentration and the cloud properties. This is performed by applying the PSG23 methodology. Whether a cloud is influenced by the sea ice-ocean system or not is determined by taking advantage of the water vapour transport (WVT) as a physical mechanism to link the upstream sea ice conditions and the measured cloud properties above the NSA site. Specifically, the WVT, which is estimated from radiosonde profiles, was proposed by Saavedra Garfias et al. (2023) to physically link, akin a conveyor belt, the heat and moisture released by sea ice openings and transport them downstream to interact with the cloud (over an observatory location) and perturb its properties.

The WVT normally consists of several bands of different magnitudes along the vertical profile. In order to determine which bands are the most relevant to be interacting with a cloud, the PSG23 method limits the WVT vertical profile to the planetary boundary layer height (PBLH), which is estimated by the bulk Richardson number when it is  $Ri_b \approx 1$ . The PSG23 method determines the most relevant WVT band (if several are present) by means of its vertical gradient ( $\nabla_z WVT$  [kg m<sup>-2</sup> s<sup>-1</sup>]) calculated using Eq. 1. Please note that a detailed derivation is given in Saavedra Garfias et al. (2023). In summary, to classify cases where the WVT is coupled or decoupled to the cloud, the cumulative variance of virtual potential temperature  $\theta_v$  is analysed from the cloud base/top height downwards/upwards to bottom/top altitudes where the variance exceeds a certain threshold. These altitudes are then assigned as cloud mixing layer limits. When the  $\nabla_z WVT$  vertical profile has a local maximum at an altitude within the cloud mixing layer limits, that cloud is assigned to be coupled (denoted as “co”) to the sea ice-WVT system, otherwise is considered to be decoupled (denoted as “de”).  $\nabla_z WVT$  is calculated as

$$\nabla_z WVT = -\frac{10^2}{g} |q_v \cdot \mathbf{v}_w| \frac{dP}{dz} \quad (1)$$

where  $\nabla_z$  indicates the vertical gradient,  $g$  is the constant of gravity, with the specific humidity  $q_v$  [g kg<sup>-1</sup>], horizontal wind speed  $\mathbf{v}_w$  [m s<sup>-1</sup>], and air pressure  $P$  [Pa] at altitudes  $z$  [m].

From all ASI grid cells within the 50 km semi-circle centered at NSA site, only SIC cells are considered that are located within the conical sector of  $\pm 3^\circ$  around the upwind direction. An example is shown in Fig. 1 where the radial arrows depict





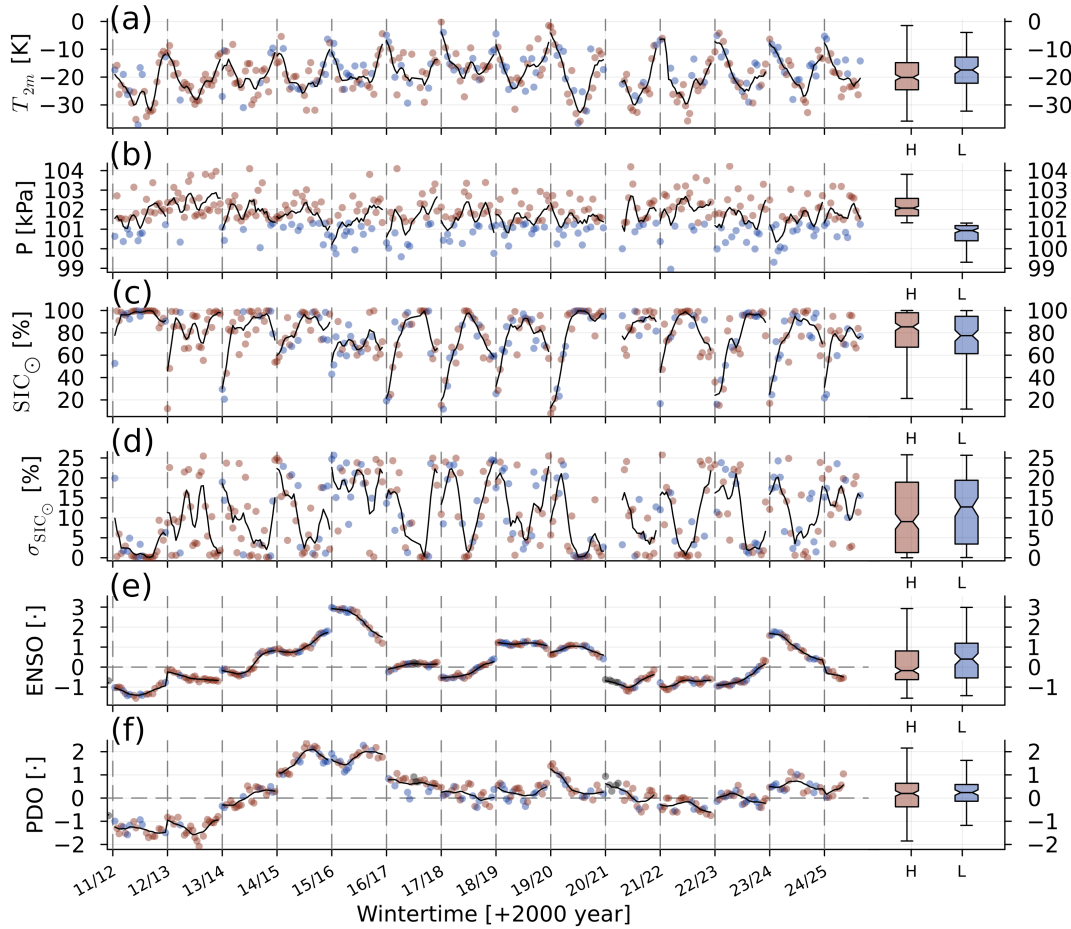
185 the direction of  $\nabla_z \text{WVT}$ . Arrows are color-coded by the maximum  $\nabla_z \text{WVT}$ . At a given time the azimuth of the conical sector is governed by the upwind direction obtained from the altitude where reaches its maximum. In the following, the statistics are based uniquely on sea ice concentration present within the  $\pm 3^\circ$  conical sector. Situations with winds coming from the land (i.e. Southerly flow) are not considered in the analyzed dataset. Figure S1 stresses the fact that the sea ice conditions around NSA site are of completely different statistically nature than the sea ice conditions within the  $\pm 3^\circ$  conical sector that interacts  
190 with the clouds above NSA site. Therefore, relating cloud characteristics observed from satellite or in-situ observations with a large area of sea ice can lead to ill-posed correlations since not all sea ice conditions play a relevant role to explain observed cloud properties (e.g. Palm et al. (2010); Li et al. (2020a, b)).

## 2.5 NSA site atmospheric pressure systems and climatology

Atmospheric surface pressure is a useful indicator of events characterized by synoptically high (H-) or low (L-) pressure  
195 systems over NSA site (Fig. 3). Atmospheric air temperature and pressure are closely related to stability or instability in the atmosphere which strongly influences the formation of clouds. The classification of local pressure system at any given time and base on measured local pressure and temperature is estimated by the following steps: i) a reference virtual isobaric surface  $P_0$  is assumed to separate the H- or L-pressure observations, ii) from the measured surface pressure and temperature, the relative height of the virtual isobar  $P_0$  is determined. The relative height of  $P_0$  is expressed in terms of geopotential height difference  
200 derived from the equation of state (Rogers and Yau, 1991):

$$\Delta Z = \frac{R\bar{T}}{g_0} \log \left( \frac{P_0}{P} \right) \quad (2)$$

where  $R$  is the specific gas constant  $287.05 \text{ J kg}^{-1} \text{ K}^{-1}$ ,  $g_0$  the acceleration of gravity at the surface  $9.81 \text{ m s}^{-2}$ ,  $\bar{T}$  the mean temperature within the layer [K],  $P_0$  the reference isobar surface (in this case the mean sea level pressure of 101.32 kPa), and  $P$  is the measured local surface pressure [kPa] at a given time.  $\Delta Z$  takes negative values for observations with a H-pressure  
205 (i.e.  $P > P_0$ ), conversely  $\Delta Z$  is positive for L-pressure (i.e.  $P < P_0$ ). The  $\bar{T}$  is assumed to be the measured 2 m air temperature, and its effect is to adjust the magnitude of  $\Delta Z$  when  $P$  considerable departures from the reference  $P_0$ . Within the analysed winters from 2011 to 2024, surface pressures measured at NSA are biased towards H-pressure with a median of 101.69 kPa and Inter-Quantile Region (IQR) of 100.95 to 102.50 kPa. H-pressure systems were observed slightly more frequently (56.3% of the time) than L-pressure systems (43.7% of the time). The distribution of  $\Delta Z$  reveals an ample difference when sorted by  
210 the corresponding cloud observations' coupled or decoupled classification.  $\Delta Z$  for coupled cases have a median of -9.45 m (IQR: -65.05 m, 44.72 m). In contrast decoupled cases have a median of -30.98 m (IQR: -86.95 m, 18.74 m). Accordingly, H-pressure systems favour the formation of decoupled clouds. It is important to note that  $\Delta Z$  is meant to be a representation of the local pressure at NSA site and cannot be taken as a substitute to synoptic pressure systems for the Western Arctic found in weather maps.



**Figure 3.** Wintertime climatology for the NSA site as time series from 2011 to 2024 for: (a) 2 m air temperature, (b) surface atmospheric pressure, (c) average  $SIC_{\odot}$  within the whole 50 km semi-circle around NSA site, (d) standard deviation of  $SIC_{\odot}$ , (e) ENSO index, (f) PDO index. Circle symbols indicate weekly averages, the solid black line is the weekly moving average. On the right of each panel the whole data distribution is shown as boxplot separated according to Eq. 2 for H- and L-pressure systems in light-red and light-blue, respectively.

### 215 3 Results and discussion

NSA site wintertime (November 1<sup>st</sup> to April 30<sup>th</sup>) observations from 2011 to 2024 were analysed in accordance with the methodology outlined in the previous sections. The results are presented after the observations were clustered between high ( $\Delta Z < 0$ ) and low ( $\Delta Z \geq 0$ ) pressure weather systems and coupled (co), decoupled (de) status. Statistics of wintertime cloud properties are reported based on two approaches: as a function of SIC as in Saavedra Garfias et al. (2023) (Sec. 3.1), and as  
220 time series along the 14 years (Sec. 3.2). The results are presented as descriptive statistics by the distribution's median ( $\mu_{1/2}$ ) and distribution's variability by the median absolute deviation (MAD) defined by  $\sigma_{mad} = \pm median(|X_i - \mu_{1/2}|)$ . Other statistical



distribution descriptors have been used, for example the geometric mean ( $\mu_g$ ), the 25<sup>th</sup>, and 75<sup>th</sup> percentiles, however, if not explicitly noted otherwise, the following results are referring to  $\mu_{1/2} \pm \sigma_{\text{mad}}$ .

### 3.1 Modulation of MPC properties as a function of SIC, coupling status, and pressure system

225 To investigate the effects of sea ice on the cloud properties, the data are sorted as a function of SIC with a bin width centered every 20<sup>th</sup> percentile. The MPC property is represented by the median  $\mu_{1/2}$  and its MAD  $\sigma_{\text{mad}}$  of its distribution contained within a specific SIC bin.

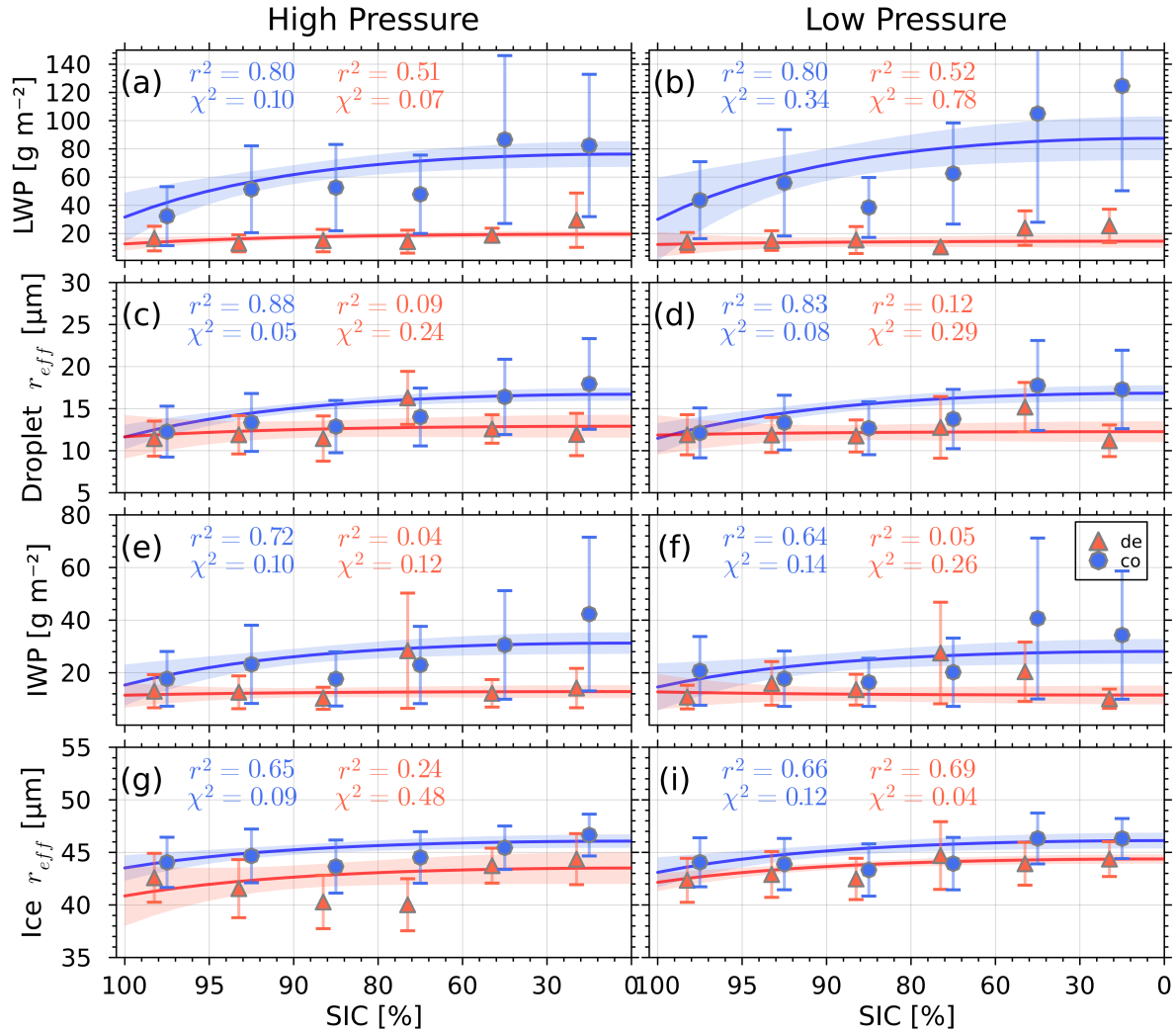
Figure 4 presents the liquid water path (LWP), cloud droplet effective radius  $r_{\text{eff}}$ , ice water path (IWP), and ice particle effective radius  $r_{\text{eff}}$  as a function of the upwind sea ice concentration along the  $\pm 3^\circ$  of the maximum  $\nabla_z \text{WVT}$  direction. Observations from H-pressure systems are shown on the left side (Fig. 4 a,c,e,g) and L-pressure on the right side (Fig. 4 b,d,f,i). The upwind  $\nabla_z \text{WVT}$  coupled/decoupled cases are indicated by blue-circles/orange-triangles, respectively. For clarity, circles and triangles belonging to the same SIC bin are displaced by -3%. To describe the data behaviour, the empirical model's best fit is indicated by the solid colored lines, the 95% confidence interval (CI) is marked as shadowed area around the solid lines along with the coefficient of determination  $r^2$  and goodness of fit  $\chi^2$  for coupled (blue) and decoupled (orange) cases as defined in App. A, Eq. A3 and Eq. A2, respectively.

The results in Fig. 4 reveal the tendency for several microphysical cloud properties to increase in magnitude as SIC decreases. The lower SIC gets, the less pronounced the increase in cloud microphysical property becomes until it reaches a certain plateau where the property levels off. It has been found that the best empirical model representing the described behaviour is given by Eq. 3 with a level-off value of  $\beta_1 + \beta_2$  for  $\text{SIC} \rightarrow 0\%$ .

$$240 \quad \mathcal{F}_{\text{var}}(\text{sic}; \beta) = \beta_1 + \beta_2 \exp(\text{sic}^2) \quad (3)$$

where  $\text{sic} \in \{0, \dots, 1\}$  is the normalized sea ice concentration,  $\mathcal{F}_{\text{var}}$  is the observed cloud property to be examined as a function of sic (for instance  $LWP$ ,  $IWP$ , droplet  $r_{\text{eff}}$ , ice particle  $r_{\text{eff}}$ ).  $\beta_1, \beta_2$  are the empirical coefficients obtained from the best non-linear curve fit. In this study Eq. 3 was favoured over the power law function proposed as  $\mathcal{F} = a \text{SIC}^b$  by PSG23. The reasoning for that is that during MOSAiC wintertime the observed SIC were mostly above 90% (with sparse cases of SIC between 80% and 90%). Contrarily, the present study covers SIC observations ranging from 0% to 100% during the 14 years providing a more complete picture for the sensitivity of cloud properties to change as a function of SIC.

Specifically in Fig. 4, panels (a) and (b) reveal a clear relationship between LWP and SIC in coupled cases: LWP (blue circles) increases as sea ice coverage diminishes. Specifically, LWP increases steadily until it levels-off at a median value of  $\sim 80$  to  $120 \text{ g m}^{-2}$  for  $\text{SIC} \lesssim 30\%$ . Moreover, when the observations are sorted according to the presence of H- or L-pressure weather systems at NSA site, further differences are found. For instance, the data fits Eq. 3 better for the H-pressure ( $r^2=0.80$  and  $\chi^2=0.1$ ), than for the L-pressure cases ( $r^2=0.80$  but  $\chi^2=0.34$ ). In addition, for L-pressure, LWP data is more variable which results in larger uncertainties for the  $\beta_1$  and  $\beta_2$  parameters in Eq. 3 (i.e. wider shaded area around best fit line in Fig. 4 (b)), especially due to outliers that can be spotted at around 90-80% SIC. The found behaviour of LWP for decoupled cases (orange triangles), is in agreement with findings by Saavedra Garfias et al. (2023) confirming that LWP in decoupled scenarios does



**Figure 4.** Cloud microphysical properties as a function of SIC (for  $\text{SIC} > 5\%$ ) for coupled (blue circles) and decoupled (orange triangles) classes during the wintertime period from 2012 to 2024. H-/L-pressure systems are arranged on the left/right columns, respectively. Liquid water path (a, b); droplet effective radius (c,d); ice water path (e,f); ice effective radius (g,i). Symbols/bars represent the median/ $\pm\sigma_{\text{mad}}$  for the distribution within SIC bins of every  $20^{\text{th}}$  percentile. Lines indicate the best fit with 95% confidence interval (CI) shading around the solid lines. The  $r^2$  and  $\chi^2$  are the best fit indicators for the model Eq. 3 for coupled/decoupled. Note that x-axis ticks and labels are not equidistant.

not follow any significant relationship with SIC. This is supported by largely reduced  $r^2$  of 0.51/0.52 for H-/L-pressure cases, respectively. Droplet effective radius  $r_{eff}$  (Fig. 4 (c) and (d)) shows similar behaviour as LWP, with the coupled droplet  $r_{eff}$  being strongly negatively correlated with SIC. At the same time, droplet  $r_{eff}$  was not found to be correlated with SIC for decoupled MPC clouds.



Regarding IWP, Fig. 4 (e) and (f) contrast the MOSAiC findings that IWP does not exhibit any change in relation with  
260 different SIC values. Instead, at NSA site a positive correlation with increasing IWP in decreasing SIC situations was found for  
coupled cases with  $r^2$  as high as 0.72 for H-pressure cases. For decoupled cases however, IWP does not present any statistically  
significant difference as SIC changes.

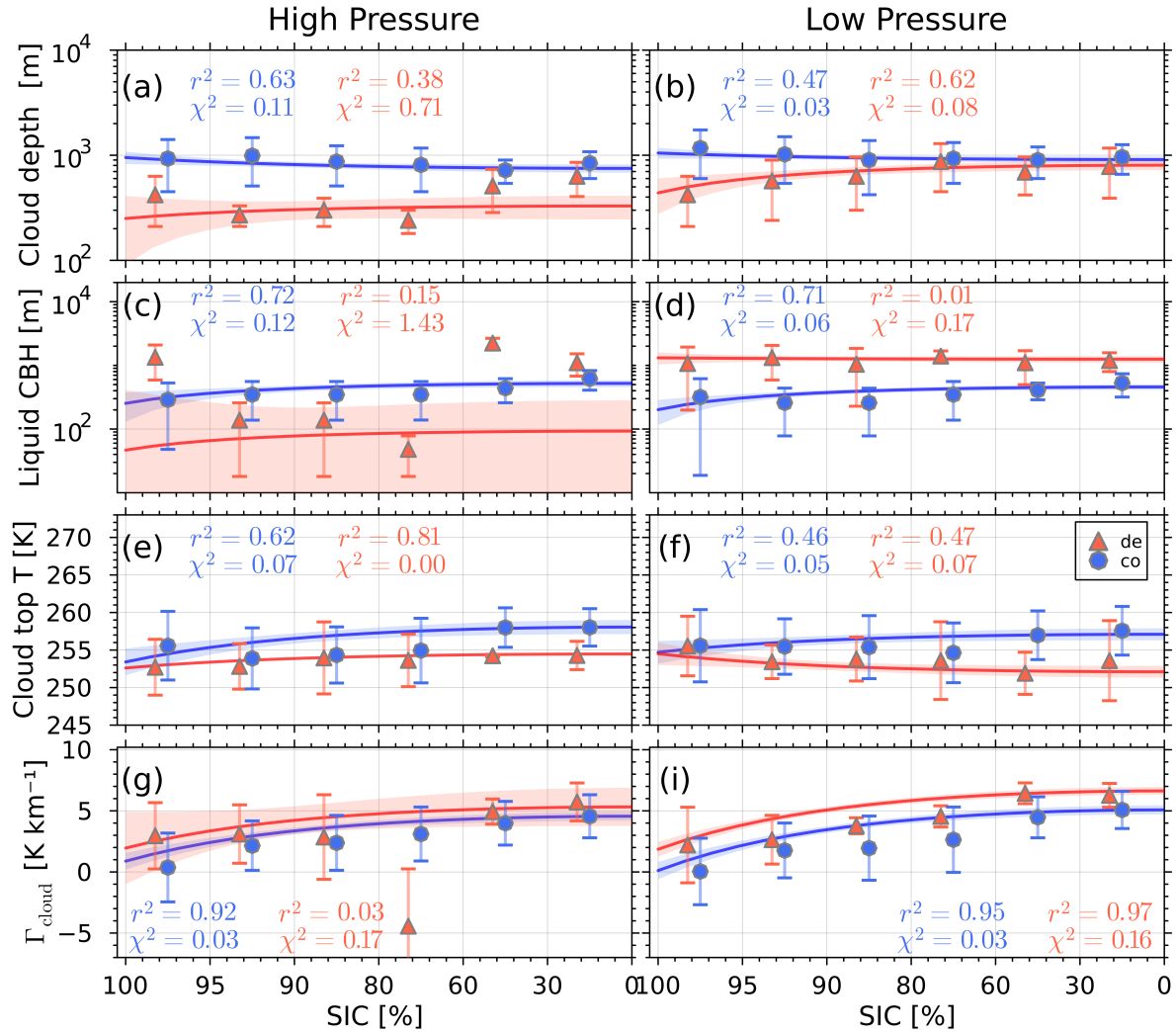
In coupled scenarios, the ice effective radius (Ice  $r_{eff}$ , Fig. 4 (g) and (i)) shows a significant relationship with SIC when  
fitted to Eq.3 as it is indicated by their  $r^2=0.65/0.66$  and  $\chi^2=0.09/0.12$  (Fig. 4 (g) and (h) for H-pressure and L-pressure cases),  
265 respectively. However, the change in magnitude of ice particle  $r_{eff}$  for changing SIC is less pronounced compared to cloud  
droplet  $r_{eff}$ . Interestingly, for ice  $r_{eff}$  in decoupled situations, a similar relationship is observed albeit with more widely  
scattered data that reduces the  $r^2$  to 0.24 for H-pressure cases. Moreover, decoupled LWP, IWP, droplet  $r_{eff}$ , and ice  $r_{eff}$  have  
systematically lower values as their counterparts in coupled situations.

A set of MPC macrophysical properties are displayed in Fig. 5: Cloud geometrical depth ( $\delta_h$ : cloud top minus cloud base  
270 heights) in Fig. 5 (a) and (b), liquid layer cloud base height (CBH) in Fig. 5 (c) and (d), cloud top temperature (CTT) in  
Fig. 5 (e) and (f), and cloud layer temperature lapse-rate ( $\Gamma_{cloud}$ ) in Fig. 5 (g) and (i).

Fig. 5 reveals that mostly decoupled MPC macrophysical properties and SIC have no clear correlation. This is e.g. evident  
from the coefficient of determination  $r^2$  of 0.38 for  $\delta_h$  and of 0.15 for CBH especially for MPC observed in H-pressure system  
situations, respectively. For coupled MPC cases a clear relationship of  $\delta_h$  and SIC is found, with cloud depth tending to decrease  
275 as SIC decreases ( $r^2=0.63$ ). With reference to the results from the MOSAiC expedition, the findings that can be confirmed are:  
for coupled cases  $\delta_h$ /CBH are thicker/lower than their decoupled counterparts, independent of SIC with the exception of higher  
liquid CBH in coupled cases when H-pressure are present.

The results for CTT (Fig. 5 (e) and (f)) show some statistically significant difference between coupled/decoupled cases.  
Nonetheless, a noticeable dependency to SIC can be identified, with colder CTT for sea ice covered ocean and warmer CTT  
280 for large areas of open water, with the only exception for decoupled clouds and H-pressure (see Fig. 5 (f)). The model Eq.3 fits  
better in decoupled cases ( $r^2=0.81$  and  $r^2=0.47$  for H- and L-pressure, respectively) as compared to coupled cases ( $r^2=0.62$   
and  $r^2=0.46$ ), respectively. For coupled cases, CTT is generally slightly higher than for decoupled cases.

The temperature lapse-rate within a cloud layer is defined as  $\Gamma_{cloud} = -\left(\frac{T_{top}-T_{base}}{CTH-CBH}\right)$ , is the single macrophysical prop-  
erty that poses a pronounced modulation of its magnitude as a function of SIC (Fig. 5 (g) and (i)). The  $\Gamma_{cloud}$  under H- and  
285 L-pressure systems depicts a systematic bias with  $\Gamma_{cloud}$  for decoupled cases having larger values than the coupled cases,  
mainly for  $SIC \gtrsim 60\%$ . Moreover,  $\Gamma_{cloud}$  observations are well represented by the empirical model Eq. 3 with a robust coeffi-  
cient of determination of  $r^2=0.95$  and  $\chi^2=0.03$  for the L-pressure and coupled cases. The dynamic of  $\Gamma_{cloud}$  ascribed by SIC  
suggests that for conditions with dominant sea ice coverage ( $SIC \gtrsim 95\%$  for H-pressure and L-pressure systems) the coupled  
lapse-rate median (blue dots in Fig. 5 (g) and (i)  $SIC > 95\%$ ) shows that about the half of the  $\Gamma_{cloud}$  distribution is found to  
290 be negative. This implies a temperature inversion within the cloud layer ( $T_{top} > T_{base}$ ). When SIC decreases e.g.  $SIC < 95\%$ ,  
 $\Gamma_{cloud}$  becomes clearly positive (i.e.  $T_{top} < T_{base}$ ) meaning the cloud temperature cools with height, resembling a moist adia-  
batic process.



**Figure 5.** Same as Figure 4 but for cloud depth (a, b); liquid layer cloud base height (c,d); cloud top temperature (e,f); cloud layer temperature lapse-rate (g,i). Symbols (bars) represent the distribution's median ( $\pm$ MAD) for SIC bin widths at every 20<sup>th</sup> percentile.

### 3.2 Year-to-year variability and trends

In this section, MPC properties are clustered for each considered winter and then analyzed as time series to study year-to-year variability and/or trends. No separation for SIC variation has been made here. Each data point in the time series is comprised of descriptive statistics from the distribution of observations from a given wintertime referred to using the nomenclature “2012/13” to represent, for example, wintertime (WT) from 1st November, 2012 to 30 April, 2013. The time series is composed of 14 years denoted as  $WT = \{2011/12, 2012/13, \dots, 2024/25\}$ , and the MPC micro- and macro-physical properties are studied as a function of  $WT$ .





300 A first attempt to analyse MPC time series observations at NSA site has been reported by Saavedra Garfias and Kalesse-  
Los (2024) for only coupled/decoupled classes for a shorter period of 10 years. Firstly, these preliminary findings stressed  
the oscillatory nature of the magnitude of some MPC properties with time. Secondly, a lack of statistically significant trends  
which were estimated directly using Ordinary Linear Regression (OLR) from the wintertime average was reported. That trend  
estimation approach, however, suffers of two major shortcomings: i.e. heteroskedasticity and residuals' bias with skewed  
305 distributions. Both make the applicability of OLR questionable. Heteroskedasticity happens due to a distribution's variability  
being higher when the median values are larger; i.e. the larger the median LWP the wider its variance in a given wintertime.  
The second shortcoming occurs due to the oscillatory time series e.g. a local maximum LWP was found at 2016/17 between  
two local minima in 2013/2014 and 2018/2019 respectively. This results in the regression residuals to be biased with skewed  
distributions towards large LWP values, i.e. residuals do not adhere to a normal distribution with population mean of zero.  
310 To overcome these shortcomings the oscillatory nature of the signal needs to be considered. This is achieved by exploring  
two commonly used methods in time series analysis (Chang et al., 2021):

- i.* the oscillatory magnitude is eliminated by using a moving window average over all time series data points with an running  
window of 10 years. For example, the data point for 2016/17 is averaged over  $\pm 5$  winter seasons. Then a weighted linear  
regression (WLR) is applied. The WLR is an efficient way for fixing heteroskedasticity in linear regression.
- 315 *ii.* the signal is considered to follow a natural cycle with a frequency occurring within the 14 years period. For example,  
oscillations alike any Arctic intradecadal climate variability that has the potential to modulate the sea ice or cloud  
properties. In this case a non-linear regression with cyclical terms (Harmonic functions) needs to be applied.

In both methods the distribution variance of cloud properties within a wintertime period is taken into account by applying a  
weighted regression, with the weights being proportional to the inverse of the variance as given by Eq. A1 where  $\sigma \equiv \sigma_{\text{mad}}$   
320 when the fitting is performed over the median  $\mu_{1/2}$  or the standard deviation when the mean is used. The time series WLR  
fitting model to be applied for the methods *i* and *ii* are given by:

$$\mathcal{Y}(t; \beta) = \begin{cases} \beta_1 + \beta_2 t + \varepsilon & \text{method } i. \\ \beta_1 + \beta_2 t + \beta_3 \cos(2\pi\nu_k t - \beta_4) + \varepsilon & \text{method } ii. \end{cases} \quad (4a)$$

where  $\mathcal{Y}(t; \beta)$  is the time dependent cloud parameter to be fitted (e.g. LWP, IWP, cloud droplet/ice particle  $r_{\text{eff}}$ , etc.) in  
accordance with method *i* or *ii*. In Eq. 4,  $t$  runs over the sequence of wintertime  $WT$  and the coefficient to fit is denoted by  
325 the vector  $\beta = [\beta_1, \beta_2, \dots]$ , and  $\varepsilon$  represents the model residuals. In both Eq. 4a and 4b the time series trend is determined  
from  $\frac{\Delta \mathcal{Y}}{\Delta t} \equiv \beta_2$ . For Eq. 4b,  $\nu_k$  is an extra parameter, with units of  $\text{yr}^{-1}$ , that represents the frequency of the oscillating signal  
with phase shift  $\beta_4$ . Note that in Eq. 4b,  $\nu_k$  is not an element of the fitting coefficients vector  $\beta$  but rather a so-called “free  
parameter”, i.e. its value is not determined by the regression's best fit from the time series data. Instead it is obtained from an  
external source; the selection of this free parameter is presented in detail later in Sec. 3.2.2.

330 In the following, the results from time series analysis is presented according to methods *i* (Sec. 3.2.1) and *ii* (Sec. 3.2.2),  
followed by a comparison of the results by both methods.



### 3.2.1 Method i: Trend estimation using moving-average time series

Using the time series of MPC properties after smoothing the data by the moving average method, the data is fitted to Eq. 4a by applying WLR. The trend is then assumed to be the fitted parameter  $\beta_2$  and the results are assorted by the cloud coupling class and pressure system at NSA site.

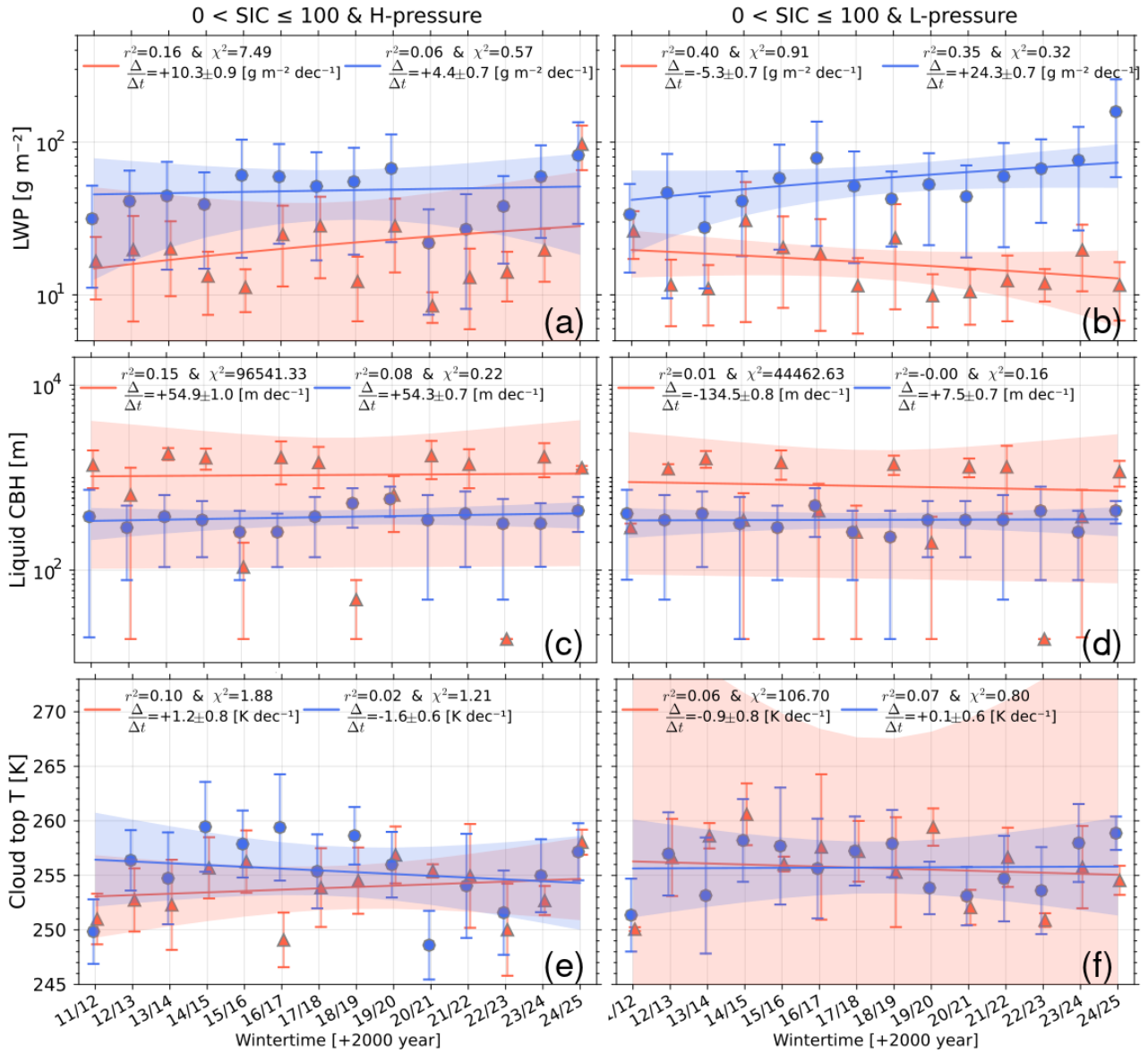
Figure 6 depicts the time series of selected MPC properties that exhibit the largest variability along the years, namely LWP, liquid CBH and CTT. As in previous figures the MPC properties are separated by coupled (blue circles), decoupled (orange triangles) status and pressure system. A distinctive variability of LWP per wintertime is evident, which is reflected by the magnitude of the trends for coupled LWP of  $+4.4 \pm 0.7 \text{ g m}^{-2} \text{ dec}^{-1}$  for H-pressure and  $+24.3 \pm 0.7 \text{ g m}^{-2} \text{ dec}^{-1}$  for L-pressure in Fig. 6 (a) and (b), respectively. The decoupled LWP confirm the systematically lower values compared to the coupled counterparts (as in Sec. 3.1) in this time series perspective. Decoupled LWP also show more stochastic variability resulting in a less pronounced and negative trend for L-pressure system of  $-5.3 \pm 0.7 \text{ g m}^{-2} \text{ dec}^{-1}$ .

The liquid layer CBH time series is shown in Fig. 6 (c) and (d). This property also has a noticeable evolution along the years for H- and L-pressure systems, with the first having similar positive trends ( $+54.3 \pm 0.7 \text{ m dec}^{-1}$ ) and ( $+54.9 \pm 1.0 \text{ m dec}^{-1}$ ) for coupled and decoupled CBH, respectively; whereas CBH for L-pressure depicts the opposite trends (coupled: almost no trend with  $+7.5 \pm 0.7 \text{ m dec}^{-1}$ , decoupled:  $-134.5 \pm 0.8 \text{ m dec}^{-1}$ ).

Similar as in Sec. 3.1, Fig. 4 for variable SIC regimes, CTT does not show a distinct magnitude difference for coupled and decoupled cases, the same is found in time series basis (Fig. 6 (e) and (f)). In general, the wintertime CTT median has the tendency to slightly decrease over time, albeit the strength of that reduction depends on the coupled status and pressure system. The largest reduction happens for H-pressure and coupled cases (trend:  $-1.6 \pm 0.6 \text{ K dec}^{-1}$ ) and the lowest for L-pressure decoupled cases with a non-significant trend of  $-0.9 \pm 0.8 \text{ K dec}^{-1}$ .

### 3.2.2 Method ii: Trends estimation considering cyclical time series

Given the oscillatory nature of observed time series of MPC properties, first reported by Saavedra Garfias and Kalesse-Los (2024), in the present study we propose the hypothesis that those oscillations might be induced by the climate variability at intra-decadal time scales. Generally speaking, climate teleconnections can influence the formation or melting of sea ice in the Arctic, as a result of which MPC properties are changed according to the findings from previous Sec. 3.1. That might imply the observed MPC time series fluctuations can be explained by the modulation of relevant climate modes in the Arctic. The motivation to postulate this hypothesis is twofold: Firstly, there are numerous studies supporting climate teleconnections between the Tropical Pacific, sub-tropical regions and the Arctic (Timmermann et al., 2018; Kodaira et al., 2020; Zhang et al., 2023; Deng and Dai, 2024; Zhong et al., 2024). Secondly, a noticeable pattern of MPC time series that resembles the ENSO or PDO evolution along the study period; for instance, Fig. 6 (a) and (b) where LWP time series present a crest closely aligned with strong El Niño events (positive ENSO in 2016 and 2023 in Fig. 3). Conversely LWP time series' minima show parallels to La Niña events (negative ENSO in 2020 to 2022). Similar patterns can be observed for CTT,  $\delta_h$ , etc., or even with a certain difference in phase (e.g. CBH) and varying intensity of the oscillation.



**Figure 6.** MPC time series for coupled (blue circles) and decoupled (orange triangles) represented by the median ( $\mu_{1/2}$ ) and  $\sigma_{mad}$  (bars) of wintertime distributions. H-pressure (left column) and L-pressure (right column) for LWP (a, b), liquid layer CBH (c, d), and cloud top temperature (e, f). The linear trends ( $\pm$  uncertainty) are indicated with the solid lines (shared area is 95% confidence interval) and trend values in units per decade, the coefficient of determination  $r^2$ , and  $\chi^2$  are presented in legend.

365 Since no absolute certainty can be obtained about which single or combination of climate modes are modulating the MPC observations, three common indices are considered, namely: Arctic Oscillation (AO), PDO, and ENSO. In Eq. 4b the free parameter  $\nu_k$  (frequency of signal) was selected among a set of frequencies from relevant harmonics of these three climate



indices. The set of values for  $\nu_k$  was obtained after a discrete Fourier analysis performed over the ENSO, PDO and AO signals (details in App. C). Only frequencies associated with strong Fourier components (amplitudes larger than 100) were considered to be relevant (red triangles over the x-axis of Fig. C1 (c) in App. C):  $\nu_k = \{0.093, 0.155, 0.186, 0.217, 0.248, 0.279, 0.341, 0.434\} \text{ yr}^{-1}$  which corresponds to periods of  $\{10.8, 6.5, 5.4, 4.6, 4.0, 3.6, 2.9, 2.3\} \text{ yr}$ , values in agreement with other more extensive analysis i.e. 2.8, 4.3, and 5.7 yr period for AO, plus 12 yr for ENSO (Zhang and Moore, 2011). All  $\nu_k$  values are common harmonics for ENSO, PDO and AO, albeit with various levels of contribution to the climate indices. The time series are fitted to Eq.4b using all values of  $\nu_k$  (e.g. six fitted curves), and the three goodness of fit parameters are calculated, namely  $\chi^2$ , coefficient of determination  $r^2$ , and the normalized root mean square error nRMSE. Then the best  $\nu_k$  is determined by minimizing a cost function (Eq. A5) dependent of  $\chi^2$ ,  $r^2$ , and nRMSE. The corresponding parameter definitions and description of the procedure can be found in Appendix A1 and Fig. A1 for LWP and CTT as examples.

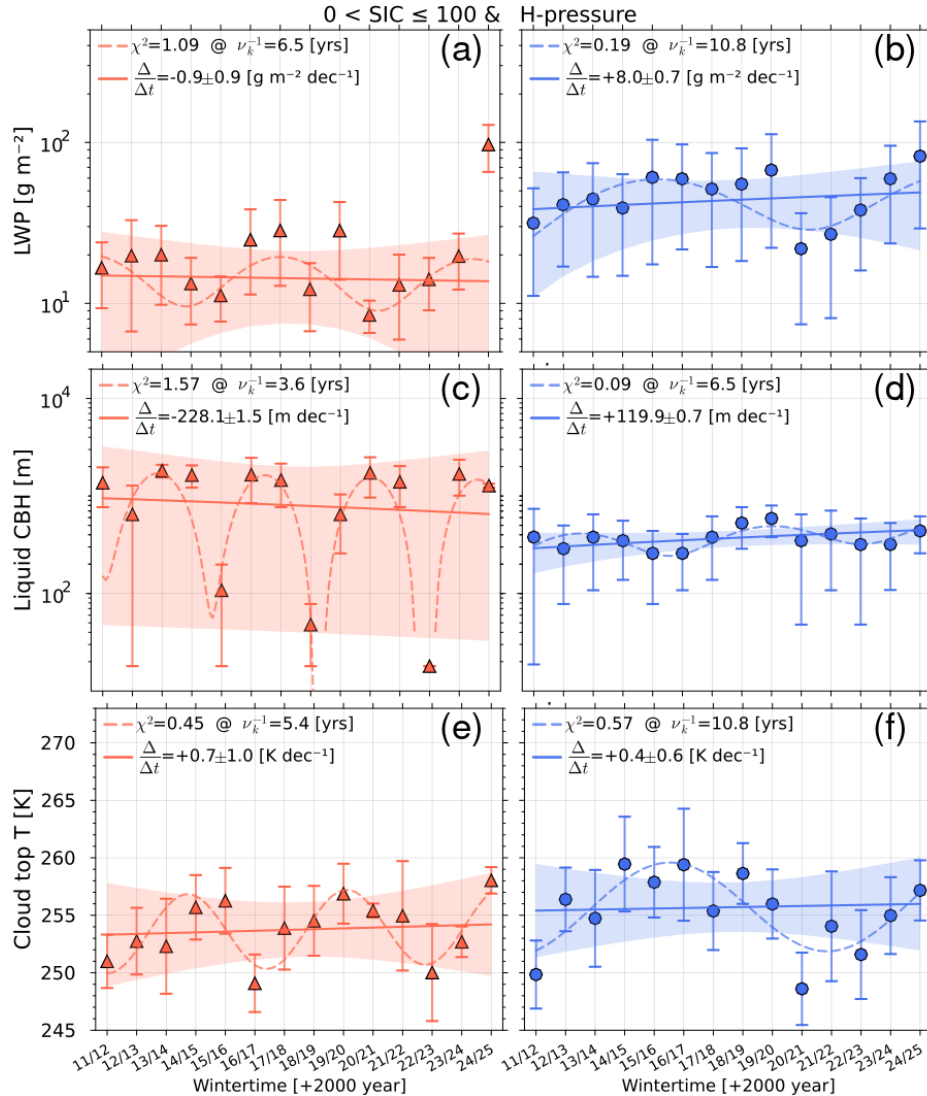
The time series of MPC properties fitted to Eq. 4b to obtain the coefficients  $\beta$  are shown in Fig. 7 for H-pressure systems, while the cases for L-pressure systems are presented in Appendix Fig. B1. The fitting to Eq. 4b is performed for all values of  $\nu_k$ , then a single frequency  $\nu_k$  is selected based on the goodness of fit test (shown as legend in Fig. 7) which, along with the set of  $\beta$  parameters, represents the best fit for the data (dashed-lines in Fig. 7).

From Fig. 7 (a) and (b) it can be seen that under H-pressure systems, decoupled LWP is better represented by a cyclical signal with a period of 6.5 years, while coupled LWP by 10.8 years. That difference in periods together with the amplitude coefficients  $\beta$ , fitted to Eq. 4b in each case, yield to dissimilar trends ( $\frac{\Delta}{\Delta t} \equiv \beta_2$  in Eq. 4b) for decoupled ( $-0.9 \pm 0.9 \text{ g m}^{-2} \text{ dec}^{-1}$ ) and coupled ( $+8.0 \pm 0.7 \text{ g m}^{-2} \text{ dec}^{-1}$ ) cases. Moreover, based on the Fourier transform analysis of the climate indicators, the period of 6.5 year suggest that decoupled LWP is likely linked to AO and PDO while the coupled LWP has a stronger modulation by harmonics of ENSO and PDO.

The liquid layer cloud base height CBH for wintertime MPC (Fig. 7 c and d) shows a best fit for periodic signal with periods of 3.6/6.5 years for decoupled/coupled, respectively. For decoupled cases, a negative CBH trend was found:  $-228.1 \pm 1.5 \text{ m dec}^{-1}$ . Contrarily, for coupled cases a positive liquid CBH trend of  $+119.9 \pm 0.7 \text{ m dec}^{-1}$  was found. Concerning cloud top temperature CTT (Fig. 7 e and f) a slightly positive, albeit not statistically significant trend is found for both decoupled:  $+0.7 \pm 1.0 \text{ K dec}^{-1}$ , and coupled:  $+0.4 \pm 0.6 \text{ K dec}^{-1}$  cases, with good fit to periods of 5.4 and 10.8 years respectively. From the three climate indices analysed in Appendix C, the period of 10.8 years is intelligibly present in the PDO and ENSO power spectra, with the strongest component belonging to PDO. A period of 5.4 years is the strongest signal for the intra-decadal ENSO variability, and the second strongest for PDO, while non-present for AO.

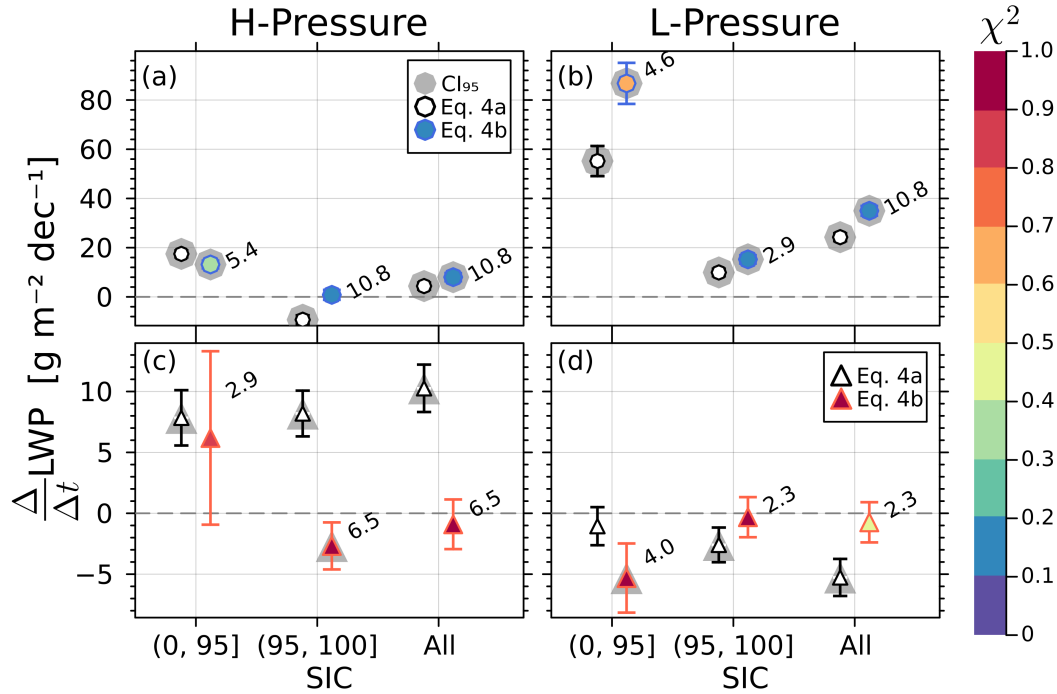
### 3.2.3 Comparison of trends obtained by the two methods

The results for trends presented in Sec. 3.2.1 and Sec. 3.2.2 have been estimated considering data for all SIC conditions above zero. Additionally, the same procedure was performed considering subsets of SIC comprised by the lower and upper 50th percentiles of the total distribution of SIC. Those quantiles translate to two bins of SIC, i.e. the set of  $\text{SIC} = \{(0, 95], (95, 100]\} \%$ , for which their corresponding trends were estimated. Here the notation of, for example (0, 95], indicates that only data with  $0\% < \text{SIC} \leq 95\%$  was used to perform the procedures shown in previous sections.



**Figure 7.** Same as in Fig. 6 but applying method *ii* for H-pressure systems. With LWP (a) and (b), liquid layer CBH (c, d), and CTT (e, f). Left column panels (a,c,e) show decoupled MPC (orange triangles) cases and right column (b,d,f) coupled MPC cases (blue circles). The best fit curves are dashed-lines and linear trends are the solid lines (shared area is 95% CI). The goodness of fit coefficient  $\chi^2$ , the period of the cyclical curve  $\nu_k^{-1}$ , and trend values, in units per decade, are indicated in legend.

In Fig. 8 the set of LWP trends as a function of SIC subset is summarized. The SIC on the-axis indicated as “All” corresponds to the results shown in Fig. 6 and Fig. 7. The coupled cases are presented on the top row of panels in Fig. 8 (a and b), while the decoupled cases on the bottom row (c and d). The trends estimated using Eq. 4a (method *i*) are hollow symbols, whereas the trends estimated fitting Eq. 4b (method *ii*) are the coloured symbols where the colour indicates the goodness of fit parameter



**Figure 8.** LWP trends for SIC subsets as indicated in the abscissae. The hollow symbols indicate the trend using method *i* (Eq. 4a), coloured symbols show results using method *ii* (Eq. 4b), grey shadows behind symbols indicate the trend is statistically significant ( $p < 0.05$ ), and the number next to the coloured symbols are the period in years for the best fit Eq. 4b. The colour bar represents the goodness of fit  $\chi^2$  value. MPC observed in the presence of H-pressure systems in panel (a) and (c) for coupled and decoupled cases, respectively. MPC in the presence of L-pressure systems in panels (b) and (d) for coupled (upper row) and decoupled (lower row) cases, respectively.

$\chi^2$  (the lower the value the better the fit). Next to every coloured symbol the period related to the best fit  $\nu_k^{-1}$  in Eq. 4b is indicated.

It is noticeable from panel a and b in Fig. 8, that with respect to MPC-LWP the coupled clouds' trends agree between the two methods, especially for  $\text{SIC} > 95\%$  (50th percentile), while for  $\text{SIC} < 95\%$  the two methods start showing differences with an extreme value of  $\approx +55$  and  $\approx +86 \text{ g m}^{-2} \text{ dec}^{-1}$  for SIC within the lower 50th percentile under L-pressure for methods *i* and *ii*, respectively. Most of the LWP trends in the coupled cases follow time series oscillation with periods of 4.6, 5.4, and 10.8 years, characteristics for PDO and ENSO oscillations.

On the contrary, for the decoupled clouds (panels c and d in Fig. 8)) a large variability of the trend values was found. Specifically for method *ii*, trends were found to reverse sign from positive to negative as the SIC increases when H-pressure systems are present over NSA site. LWP-trends for MPC in decoupled situations and under L-pressure system were slightly negative for both methods and low and high SIC (Fig. 8 d). The oscillation periods for decoupled cases are dominated mainly by AO and ENSO signals (i.e. 2.3, 2.9, 4.0, 6.5 years) and thus somewhat shorter than for coupled cases.





### 3.3 Discussion

The findings presented in this study are the result of two approaches: first, an extension of the PSG23 method from one winter of observations during the MOSAiC expedition in the Central Arctic to multi-year observations within the Western Arctic (in Sec. 3.1); and second, the multi-year time series analysis of the MPC properties (Sec. 3.2). To account for this, the following discussion is split based on results reported in this study set into context with the MOSAiC expedition, and the results from the time series analysis.

#### On the MPC properties modulated as a function of SIC, coupling status, and pressure system

Section 3.1 along with Fig. 4 and Fig. 5 are only partially comparable to the findings reported by PSG23 for the MOSAiC expedition. As previously mentioned, this is because the MOSAiC study mainly relies on the sea ice lead fraction (LF) to represent the sea ice states. Contrarily, for the present study, long-term and continuous LF data are not available. Furthermore, SIC MOSAiC winter was mostly above 90% while during the 14 years of Nov-April observations at NSA site considered here, a large variation in SIC was covered. Keeping these caveats in mind, the following phenomena reported by Saavedra Garfias et al. (2023) can be confirmed:

- LWP of coupled wintertime MPC increases as the sea ice states trend to larger openings, whereas decoupled LWP has no relationship with SIC. The present study thus confirms MOSAiC findings and extends its validity for SIC as low as 5%.
- Cloud layers for coupled cases are thicker and have a lower liquid layer base height than the decoupled cases.
- The temperature lapse-rate within the cloud layer ( $\Gamma_{\text{cloud}}$ ) for coupled cases and  $\text{SIC} > 95\%$  is distributed from negative to positive values while decoupled cases have a distribution predominantly above zero. For  $\text{SIC} < 95\%$   $\Gamma_{\text{cloud}}$  increases with increasing sea ice opening for both coupled and decoupled clouds.

Conversely, new findings that the study from the MOSAiC expedition did not conclude (e.g. because no distinction between pressure system was made there) can be summarized as follows:

- Coupled liquid cloud base height is lower than for the decoupled cases for L-pressure systems and all SIC. For H-pressure systems that is only evident for  $\text{SIC} \gtrsim 95\%$ .
- A relationship between IWP and SIC was found, albeit only for coupled MPC for H-pressure/L-pressure cases.
- The liquid and ice effective radii ( $r_{\text{eff}}$ ), which Saavedra Garfias et al. (2023) reported not to present a clear difference when sorted by coupled status or lead fraction, was found to have a strong dependency on SIC for coupled cases.
- For coupled MPC, negative  $\Gamma_{\text{cloud}}$  (in-cloud temperature inversion) at  $\text{SIC} > 95\%$  is possible. For low SIC values the  $\Gamma_{\text{cloud}} > 0$ , i.e. a tendency towards a moist adiabatic lapse-rate is observed. Decoupled  $\Gamma_{\text{cloud}}$  cases exclusively show a moist adiabatic lapse-rate enhancing in magnitude as SIC reduces, especially for L-pressure systems.



## On the long-term trends of MPC properties

The application of two methods for trend estimation has shown a dependency of results based on the specific procedure adopted for trend estimation. Although method *i* is a standard procedure for signals with stochastic variability or well-known periodicity, its biggest limitation is the sensitivity to the edges and the width of moving average window. That is especially the case for finite oscillatory signals, where the time series' cut-off edges produce the average window to be either overestimated (signal crest) or underestimated (signal trough). Disagreements in the method's results refer to the magnitude of the trends and the tendency of change. For instance, for L-pressure trends of LWP of decoupled MPC differ considerably from method *i* ( $-5.3 \pm 0.7 \text{ g m}^{-2} \text{ dec}^{-1}$ ) versus method *ii* ( $+0.9 \pm 0.9 \text{ g m}^{-2} \text{ dec}^{-1}$ ). The underlying reason for that is that for all time-series method *i* uses a constant moving window size, whereas the best cyclical signal fit suggests a period of 6.5 years which is much lower than the window size (10 years), thus method *i* oversmooth the time series.

An example of tendency disagreement occurs for the liquid cloud base height of decoupled MPC, where method *i* results in a positive trend of  $+54.9 \pm 1.0 \text{ m dec}^{-1}$  in contradiction to method *ii* with a negative trend of  $-228.1 \pm 1.5 \text{ m dec}^{-1}$ , both statistically significant. Figure 7 (c) shows how method *ii* favours a periodic signal of 3.6 years to properly fit the low CBH values observed during negative ENSO phases (e.g. 2018/19, 2022/23), whereas method *i* with an average window of  $\pm 5 \text{ yr}$  smoothes out these low CBH observations.

The IWP (shown in supplementary material S2.2) for H-pressure shows a remarkable agreement of both methods, with a trend for coupled cases of  $+3.5 \pm 0.8 \text{ g m}^{-2} \text{ dec}^{-1}$  and  $+4.4 \pm 1.0 \text{ g m}^{-2} \text{ dec}^{-1}$  for method *i* and *ii*, respectively, at a signal period of 10.8 years (characteristic for ENSO and PDO).

The assumption that climate modes variability might modulate the observed oscillatory nature of MPC properties has been tested by fitting the data to Eq. 4b with one relevant harmonic as a free parameter  $\nu_k$ . In other words, the NSA site observations' time series can be explained by the ENSO, PDO, or AO characteristic intra-decadal periods. Among the values of  $\nu_k$ , it has been found that the PDO and ENSO period of 10.8 or 5.4 years are representative for the fluctuation of several MPC parameters. The ENSO and AO period of 2.3 and 2.9 years are the second most frequent. AO and PDO's period of 6.5 has additionally been found among the best fits. In summary, properties of decoupled MPC under H-pressure influence vary within middle range periods (3.6, 4.0, 5.4 years), while coupled MPC variation in on longer periods (6.5, 10.8 years). Conversely, the variability of decoupled MPC L-pressure cases is mostly found at 2.3 to 6.5 years, while properties of coupled MPC cases mostly oscillate at 2.9, and 10.8 years, depending on the specific MPC property.

## 4 Conclusions

The method proposed by Saavedra Garfias et al. (2023) to study the relationships of atmospheric boundary layer MPC properties coupled to sea ice leads during the MOSAiC expedition in the central Arctic has been successfully implemented and extended to the Western Arctic. Fourteen winter seasons of multi-sensor synergistic observations by the ARM's NSA site were analysed to characterize MPC properties along with space-borne observed sea ice conditions. We found a remarkable relation-



480 ship between the reduction of sea ice concentration and an increase of some MPC properties such as LWP, effective radius of cloud droplets and ice particles effective, and cloud top temperature (CTT).

The MOSAiC expedition's systematic difference between MPC properties belonging to clouds coupled or decoupled via the water vapour transport-sea ice system has been confirmed for the NSA site. Additionally, the multi-year dataset allowed to study the influence of the weather pressure system in which the observation took place. We found that some MPC properties can  
485 increase or decrease in magnitude depending not only on their coupling status but also as a function of the atmospheric weather pressure system. Conclusive is that for L-pressure systems the long-term rate of change for LWP, cloud top temperature, and liquid layer base height in wintertime MPC is positive for coupled cases. For decoupled cases, no trend in LWP and CTT was detectable while liquid layer base height was found to decrease. When H-pressure systems are considered, mostly the same tendency of change in wintertime MPC properties was found albeit with different magnitudes.

490 We applied two methods to estimate the rate of change of MPC properties and found that the method used plays a decisive role: the estimated time series trends were found to depend on which methods was applied. Furthermore, we discovered that Arctic wintertime MPC properties fluctuate over time analogous to oscillations of Arctic relevant climate modes, like ENSO, PDO, or AO. This commonality permits the exploitation of known ENSO or PDO frequencies of oscillation to physically constrain the detected undulating nature of MPC properties, thereby trends are accurately estimated. We found that properties like  
495 LWP, CTT, and surface skin temperature show features that resemble ENSO cycles, with maxima/minima for years characterized by El Niño/La Niña events, respectively. Based on time series of surface skin temperature as indicator of coupled clouds radiative feedback, we found that a continuing warming in the Western Arctic can only be reckoned under a L-pressure system linked to observations with  $SIC < 95\%$ . Contrarily, under high pressure systems and  $SIC \geq 95\%$ , our results show that the cloud radiative induced surface temperature is decreasing.

500 This study put into consideration empirical mathematical models derived from long-term observations as parameterization for the modelling of atmospheric boundary layer MPC ascribed to Arctic sea ice conditions. We suggest that the sea ice-atmospheric feedback processes that are represented in Arctic weather and climate models certainly should aim to mirror the complexity of relationships that the present study has uncovered. This implies the consideration of not only small-scale horizontal moist air mass transport that serves as physical link between sea ice openings and clouds downstream, but also  
505 weather patterns, atmospheric circulation processes, intra- and multi-decadal climate oscillations, and teleconnections between the Arctic and lower latitudes. Recent studies reported that this complexity has implications for the prospect of decadal climate predictability (Timmermann et al., 2018; Mann et al., 2020; Cesana et al., 2025). With this study we acknowledge the immense importance of long-term stations like the ARM NSA site for the continuous monitoring of the Arctic which made this study possible.

510 *Code and data availability.* Code and data available at Saavedra Garfias and Kalesse-Los (2022) and references listed in Table 1.



## Appendix A: Statistical parameters used in the data analysis

The statistics for cloud properties are represented by the geometric mean, median or 1st and 3rd quantile. The variability within the distribution is expressed by the standard deviation ( $\sigma_g$ ) or MAD ( $\sigma_{\text{mad}}$ ). When the data mean or median is used to fit an analytical model, the variability within the distribution is taken into account by performing a weighted fitting either by linear or non-linear regression. The weights are modelled as

$$\omega_j = \frac{\sigma_j^{-2}}{\langle \sigma_j^{-2} \rangle} \quad (\text{A1})$$

with  $\sigma_j^{-2}$  is the inverse of the variance (with  $\sigma_j$  can be  $\sigma_g$  or  $\sigma_{\text{mad}}$ ), and  $\langle \sigma_j^{-2} \rangle = \frac{1}{N} \sum_j \sigma_j^{-2}$  is the inverse variance mean. The index  $j$  represents a distribution of cloud properties, which for the case of Sec. 3.1  $j \in SIC = \{10, 20, \dots, 100\}$  is the distribution within binned sea ice concentration, and for the case of Sec. 3.2  $j \in WT = \{2011/12, \dots, 2024/25\}$  for the wintertime. In both cases  $N$  is the length of  $j$  set. The Eq. A1 penalize large variability within the distribution  $j$  and will influence less the fitting algorithm.

### A1 Model Goodness of fit test

To quantify the degree of a fitted model can represent the observations, the following parameters for goodness of fit are used:

- $\chi^2$ : is the sum over residuals square divided by the fitting model degrees of freedom  $\nu$ , which indicates how close the model prediction is from the data,

$$\chi^2 = \frac{1}{\nu} \sum_{j=1}^N \left( \frac{\varepsilon_j}{\sigma_j} \right)^2 \quad (\text{A2})$$

where  $\varepsilon = \hat{y}_j - y_j$  are the residuals (difference between model prediction  $\hat{y}_j$  and observed value  $y_j$ ) in Eq. 3, Eq. 4a, and Eq. 4b; with  $\nu = 2, 2$ , and 4, respectively. The closer  $\chi^2$  is to zero, the better the fir curve represent the data.

- $r^2$ : is the coefficient of determination, which quantifies how good the model explains the change in observed value,

$$r^2 = 1 - \frac{\sum_j \varepsilon_j^2}{\sum_j (\langle y_j \rangle - y_j)^2} \quad (\text{A3})$$

where  $\langle y_j \rangle$  is the average over all observed values  $y_j$ . Worth to note that  $r^2$  is generally a valid parameter for linear relationships, while for non-linear regression it could produce unexpected results like negative values or larger than one (Spiess and Neumeyer, 2010).

- nRMSE: is the normalized root mean square error, which is the overall mean squared residual between model fitted and observed value,

$$\text{nRMSE} = \frac{\sqrt{\frac{1}{N} \sum_j (\omega_j^2 \varepsilon_j^2)}}{\text{IQR}} \quad (\text{A4})$$

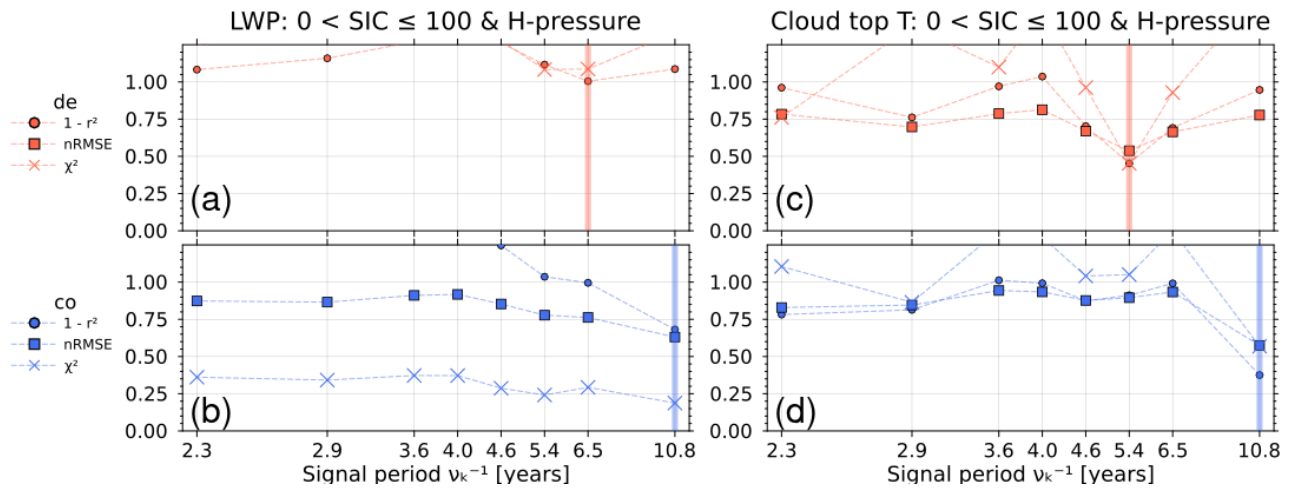


with IQR is the distribution inter-quantile region, and  $\omega_j$  the weights as in Eq. A1. Values of nRMSE larger than one signalize a very poor agreement between fitted model and observations.

Given a set of fitted parameters to Eq.4b corresponding to the six  $\nu_k$  values, a goodness of fit test is performed to determine which single  $\nu_k$  represents the data the best. This is done by minimizing a cost function which is dependent of all three goodness of fit parameter  $\chi^2$ , nRMSE, and the reciprocal of  $r^2$  i.e.  $1-r^2$ , thus all three parameters range from zero (best) to higher values (worst):

$$\mathcal{L} = \sqrt{\chi^2 + \text{nRMSE}^2 + (1 - r^2)} \quad (\text{A5})$$

As an example of how the minimum is found, in Fig. A1 can be seen the cost function for two MPC parameters: LWP and CTT, with the minimum of the cost function  $\mathcal{L}$  indicated by the vertical thick line.



**Figure A1.** Determination of the best  $\nu_k$  value, from the combination of all three goodness of fit parameters. LWP coupled (a) and decoupled (b), cloud top temperature coupled (c) and decoupled (d). The  $\chi^2$  is shown as crosses, nRMSE as squares, and the reciprocal of  $r^2$  as circles. The thick vertical line is the value of  $\nu_k$  that minimizes the cost function  $\mathcal{L}$ .

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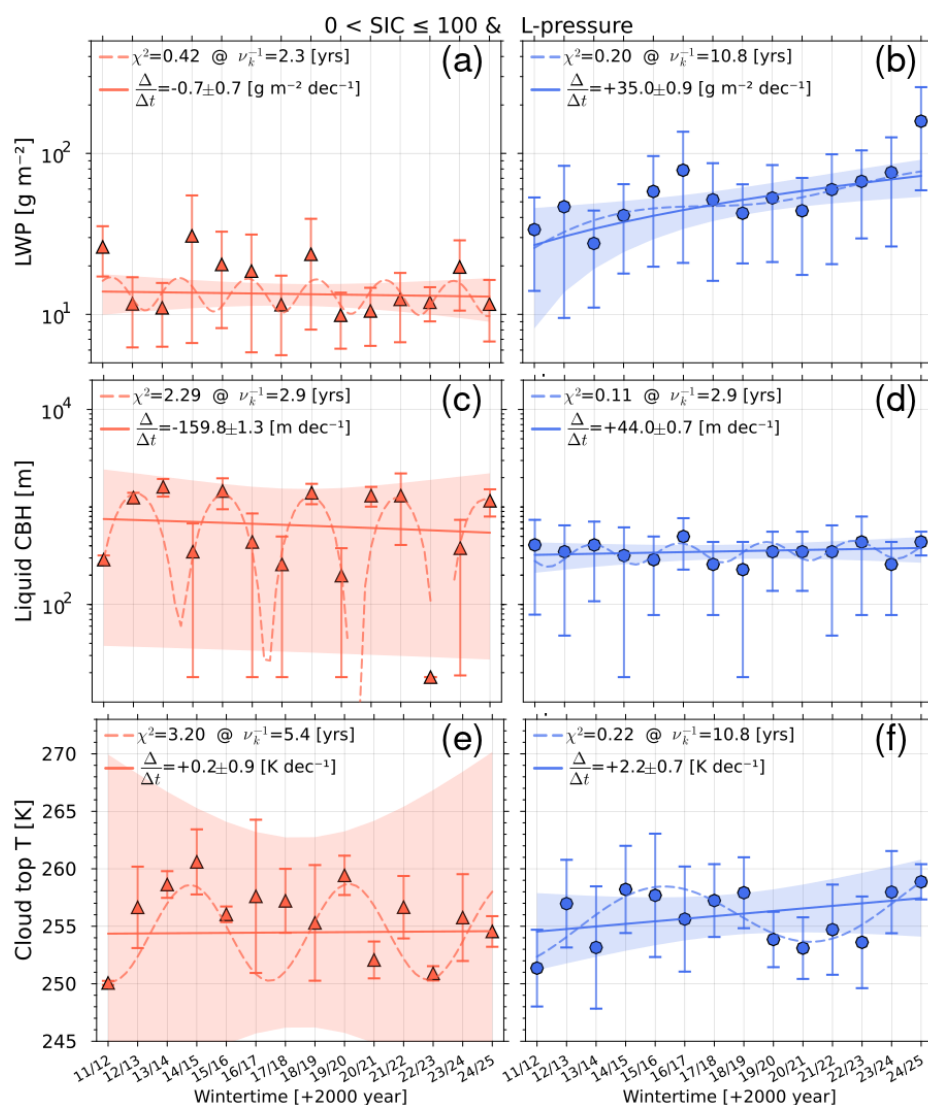
## Appendix B: Results for trend estimation

To complement Sec. 3.2.2, the equivalent of Fig. 7 but for L-pressure systems is shown in Fig. B1 with LWP in panels (a) and (b), liquid CBH in panels (c) and (d), and cloud top temperature in panels (e) and (f). Further results of time series trends of other MPC properties can be found in the supplementary material.



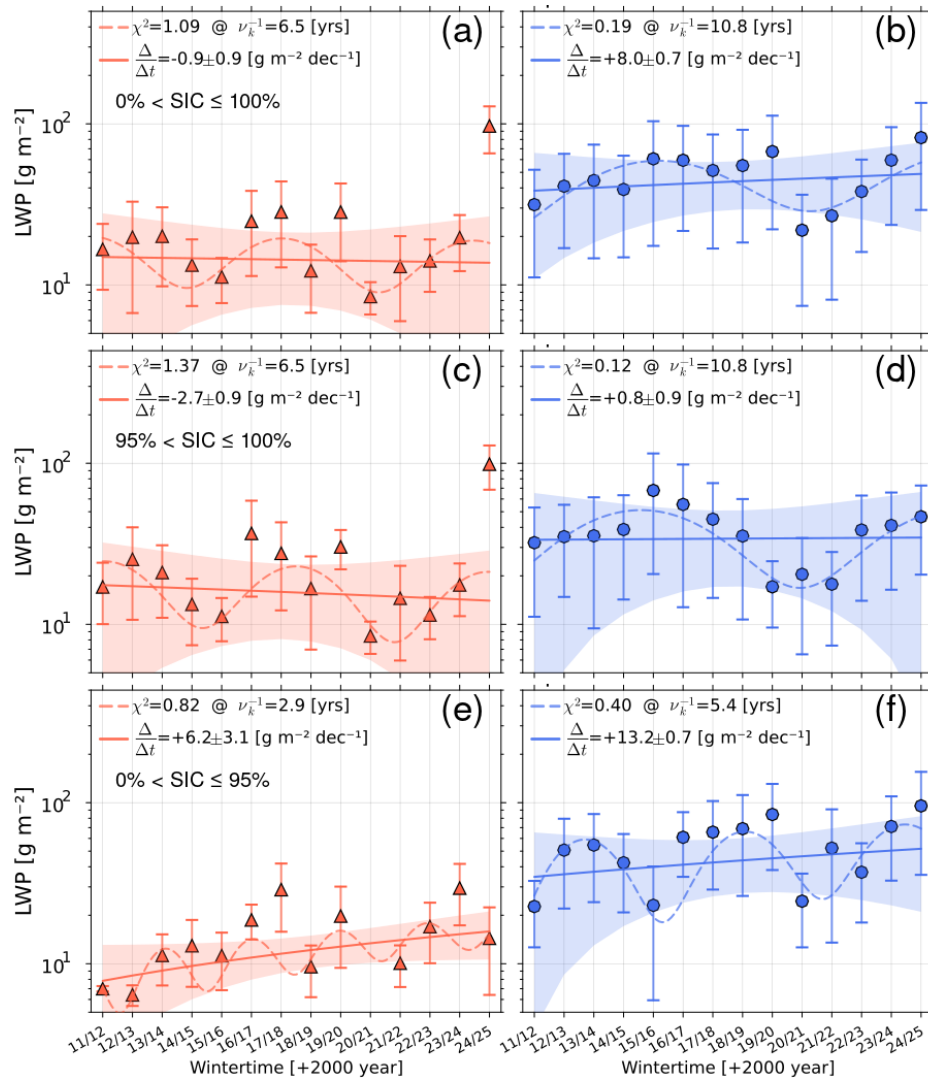
## 550 B1 Time series for the lower/upper 50th percentile SIC decomposition

The time series' trend analysed by method *ii* are decomposed by the lower and upper 50th percentile of sea ice concentration. For the period of 14 years observations the lower 50th percentile comprises of data with SIC between 0% and 95%, whereas the upper half from SIC above 95% to 100%. Figure B2 shows the LWP SIC decomposition.



**Figure B1.** Same as in Sec. 3.2.2, Fig. 7 but for time series comprised of L-pressure systems.



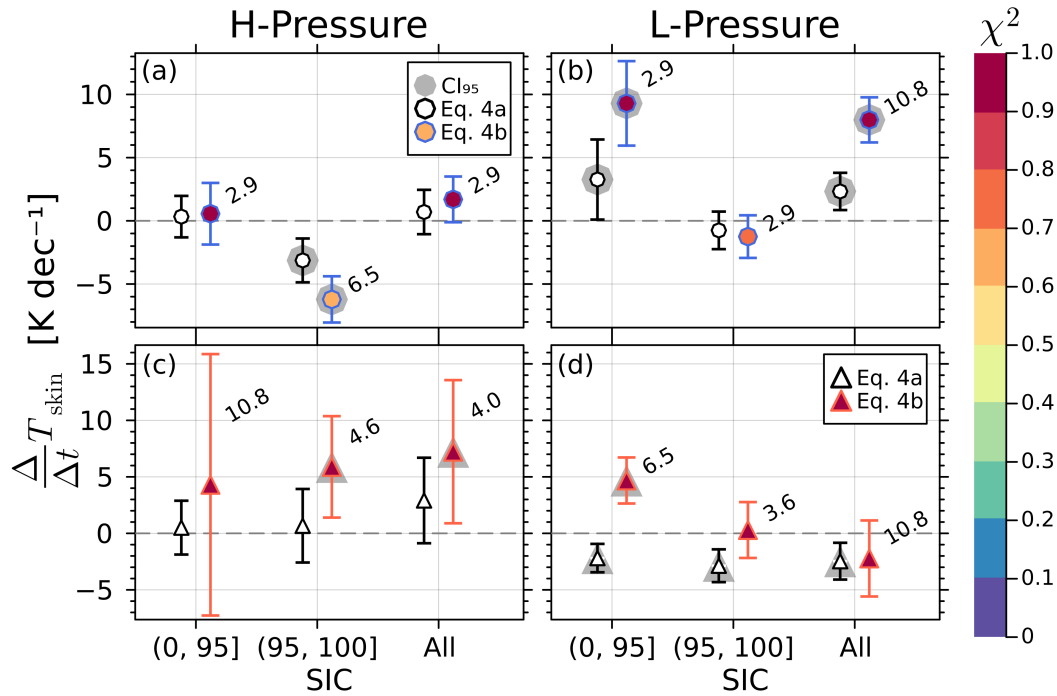


**Figure B2.** Time series of LWP for coupled and decoupled clouds under H-pressure systems. The time series are decomposed by the range of SIC: (a) and (b) all SIC considered, (c) and (d) for SIC > 95% and SIC ≤ 100%, and (e) and (f) for SIC > 0% and SIC ≤ 95%.



## B2 Surface skin temperature trend results after SIC decomposition

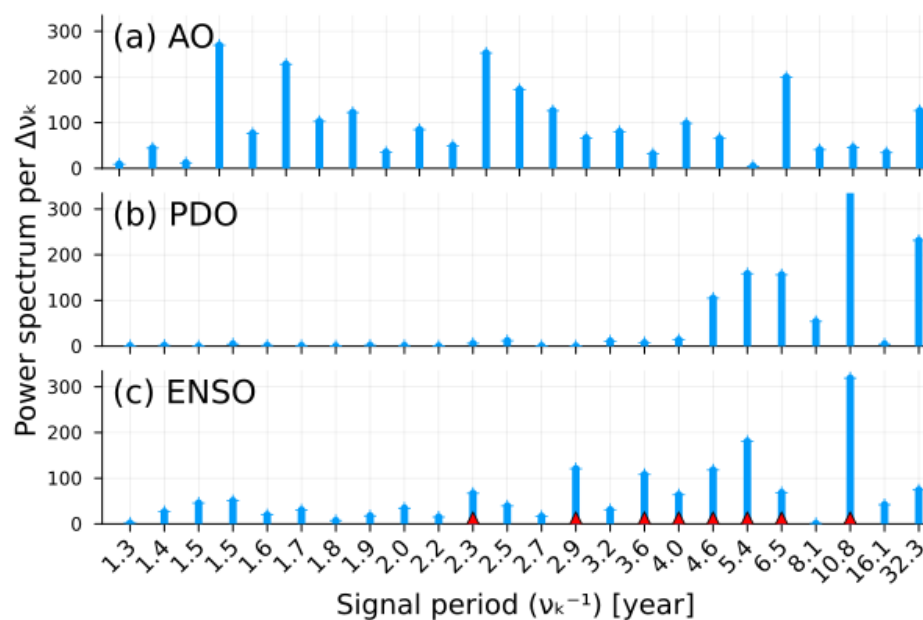
555 Time series analysis for the surface skin temperature  $T_{\text{skin}}$ , estimated from the net down- and up-welling longwave radiation flux (Saavedra Garfias et al., 2024), or by down-welling infrared radiometer when the former data is not available, after being decomposed in SIC subsets of 50th percentiles (shown in Sec. S2.3, Fig. S8) applied to methods in Sec. 3.2.1 and Sec. 3.2.2 are displayed in Fig. B3. These results are discussed in Sec. 3 in relation to the warming in the western Arctic,



**Figure B3.**  $T_{\text{skin}}$  rate of change for SIC subsets in the abscissae. The hollow symbols are trends using method *i* (Eq. 4a), coloured symbols use method *ii* (Eq. 4b), grey shadows behind symbols indicate the trend is statistically significant ( $p < 0.05$ ), and the number next to the coloured symbols is the period in years for the best fit Eq. 4b. The colour table represents the goodness of fit  $\chi^2$  value. H-pressure systems in panel (a) and (c) for coupled and decoupled cases. L-pressure systems in panels (b) and (d) for coupled and decoupled, respectively.

## Appendix C: Frequency decomposition for climate indicators

560 A discrete Fourier analysis has been performed to obtain the frequency harmonics  $\nu_k$  from three climate indicators: Arctic oscillation (AO), Pacific Decadal Oscillation (PDO), and El Niño Southern Oscillation (ENSO). The power spectrum as a function of the signal harmonics expressed as periods ( $\nu_k^{-1}$ ) is shown in Fig. C1, with the set of harmonics used to test the fitting of Eq. 4b indicated by a red triangle at the bottom of panel (c) in Fig. C1. Note that the limits of the absciss in Fig. C1



**Figure C1.** Power spectrum per frequency bandwidth for three climate indicators: (a) Arctic Oscillation, (b) Pacific Decadal Oscillation, (c) El Niño Southern Oscillation. The relevant frequencies are indicated by red triangles at the bottom of panel (c). Note, the peak at 10.5 year in panel (b) is cut at 300 for comparison reasons.

is intentionally cut for the range relevant to the 12 year of observation period, the signal can contain multi-decadal harmonics that exceeds the 12 years period.



## Appendix D: List of Acronyms and variables

Acronym	Description
AMSR2	Advanced Microwave Scanning Radiometer 2
AO	Arctic Oscillation
ASI	Arctic sea ice algorithm
CEIL10m	Ceilometer 10 m resolution
CRE	Cloud Radiative Effect
ENSO	El Niño Southern Oscillation
INTERPSONDE	Interpolated Radiosonde
KAZR	Ka Zenith Radar
MPC	Mixed-phase Clouds
NSA	North Slope of Alaska
MWR	Microwave Radiometer
PDO	Pacific Decadal Oscillation

Symbol	Description	Unit
LWP	liquid water path	$\text{g m}^{-2}$
IWP	ice water path	$\text{g m}^{-2}$
$\nabla_z \text{WVT}$	vertical gradient of water vapour transport	$\text{kg m}^{-2} \text{s}^{-1}$
CBH	liquid cloud base height	m
CTH	cloud top height	m
CMLH	cloud mixing-layer height	m
CTT	cloud top temperature	K
SIC	sea ice concentration	%
$Z_e$	radar equivalent reflectivity factor	dBz
$\beta$	lidar attenuated backscattering coefficient	$\text{m}^{-1} \text{sr}^{-1}$
$P$	atmospheric pressure	Pa
$q_v$	specific humidity	$\text{g g}^{-1}$
$v_w$	horizontal wind speed	$\text{m s}^{-1}$
$W_d$	wind direction from North	°
$\theta_v$	virtual potential temperature	K
$Ri_b$	bulk Richardson number	-
$T_{skin}$	skin surface temperature	K
$\Gamma_{cloud}$	cloud layer temperature lapse rate	$\text{K km}^{-1}$
$r_{eff}$	cloud layer average effective radius	$\mu\text{m}$



570 *Author contributions.* PSG conceptualized the research idea, performed the data processing, and analysis of results. HKL conceptualized the research idea, provided advise and supervision. Both authors were involved in the manuscript preparation.

*Competing interests.* No competing interests.

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