

# Rockfall triggering and meteorological variables in the Dolomites (Italian Eastern Alps)

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**Abstract.** Alpine areas are experiencing substantial changes in both temperature and rainfall intensity, both critical triggers for rockfall events. To better understand these evolving climatic scenarios in the Dolomites from 1970 to 2019 and their implications for historical rockfall occurrences, we developed a novel approach based on the frequency analysis of meteorological variables.

10 Our analysis considered key climate variables including mean air temperature, precipitation, thermal amplitude, freeze-thaw cycles, and icing, examined at various aggregation scales. Results unequivocally show a significant warming trend, with the highest warming rates (up to 0.3°C per decade) observed during spring. This warming has led to an earlier onset of summer and a delayed end of winter, altering seasonal lengths. We also detected a notable decline in cold-related phenomena, with an estimated decrease of 7.3 freeze-thaw days and 2.2 icing days per decade. Precipitation patterns are changing too, with an 15 increasing frequency of high-intensity rainfall events, particularly in winter, and a reduction in low-intensity events across all seasons. The Rescaled Adjusted Partial Sums (RAPS) method further confirmed long-term precipitation trends, revealing that climatic evolution is driven by shifts in variable frequencies rather than just extreme values. Employing a Bayesian method, we investigated the conditional probability of rockfall occurrences knowing that a meteorological variable is within a given range. Our findings reveal several key correlations: in the last decade high-intensity rainfall correlates with rockfalls in autumn, 20 showing conditional probabilities of 12.4% below 1000 m and 22.2% between 1000-2000 m. Mean air temperature correlates with rockfalls in summer, for instance, with a 12.7% probability for 21-24°C between 1000-2000 m, and in autumn, such as a 2.2% probability for 17.6-20.8°C above 2000 m. Temperature amplitude shows high rockfall probabilities in spring, reaching 28.6% for 8.8-9.9°C below 1000 m, and in winter, with a 5.8% probability for 9-10°C between 1000-2000 m. Beyond these 25 meteorological links, rockfall frequency exhibits three main peaks: November, February-April, and August. Regarding rockfall source aspect, north component has significant increment from 1970-1999 to 2000-2025 (from 4% to 12% +3%) above 2000 m, a pattern likely linked to permafrost thawing. This study underscores the critical influence of changing climate dynamics on rockfall activity in Alpine environments, providing quantitative links between specific meteorological shifts and rockfall occurrence.

Rockfalls are sudden and dangerous landslide events where rock blocks detach from steep cliffs and move rapidly downslope through free-falling, bouncing, rolling, and sliding (Varnes, 1978). These phenomena pose significant hazards to human lives, structures, and infrastructure, varying widely in volume and impact (Bunce et al., 1997; Crosta and Agliardi, 2004; Hilker et al., 2009; Volkwein et al., 2011; Zhao et al., 2017). Numerous intrinsic and external parameters, which vary considerably in space and time, can trigger rockfalls (Volkwein et al., 2011). These include earthquakes (Valagussa et al., 2014), intense rainfall (Palladino et al., 2018), snowmelt, permafrost degradation (Ravanel et al., 2017), freeze-thaw cycles (Matsuoka and Sakai, 1999), and ground temperature oscillations (Luethi et al., 2015; Palau et al., 2024; Stoffel et al., 2024), both in cold and warm conditions. Understanding the evolution of slopes in response to climate change, and its impact on rockfall frequency and seasonality, is therefore crucial (Davies et al., 2001; Fischer et al., 2006; Stoffel and Huggel, 2012; Corò et al., 2015; Palau et al., 2024).

40 Mountain regions, particularly the Alps, have experienced significant temperature increases over the last 150 years (Pepin et al., 2022; Schär et al., 2004), with annual mean warming rates in the Alps of approximately 0.5°C per decade since 1980 (Böhm et al., 2001; Allen and Huggel, 2013). These accelerated changes in the Alpine environment exacerbate rockfall activity. The impacts of climate change in the Alps manifest as: (i) a substantial rise in temperature (Beniston, 2006; Brunetti et al., 45 Gobiet et al., 2014), (ii) increased frequency and intensity of extreme events like floods, droughts, rockfalls, and landslides (Gariano and Guzzetti, 2016; Palladino et al., 2017), and (iii) more frequent medium and extreme precipitation events, particularly during autumn and winter (Krautblatter and Moser, 2009; Schmidli and Frei, 2005). A direct consequence of global warming is the accelerated degradation of permafrost in many high-mountain, steep rock slope environments (Noetzli et al., 2003; Gobiet et al., 2014; Draebing et al., 2019; Manent et al., 2024; Salzmann et al., 2007). This degradation 50 significantly impacts slope stability, as warming air temperatures at high altitudes alter the thermal and hydraulic conditions of the rock mass (Gruber and Haeberli, 2007) and reduce rock mass shear strength by modifying active layer thickness and fracture conditions (Davies et al., 2001; Krautblatter et al., 2013).

55 The widespread effects of changing mean and extreme temperatures and precipitation are expected to influence both the temporal frequency and magnitude of future mass movements across the Alps. Numerous studies have established the relationship between rockfall occurrence and climate conditions in the Alpine environment. For instance, correlations have been found with freeze-thaw cycles (Frayssines and Hantz, 2006; D'Amato et al., 2016), rainfall and minimum temperature (Delonca et al., 2014), and seasonality. Macchiotta et al. (2015, 2017) highlighted the importance of freeze-thaw in early spring, while Perret et al. (2006) observed a positive correlation with temperature in early summer. More recently, Stoffel et al. (2024) analyzed a 100-year rockfall time-series in the Swiss Alps, revealing that interannual and decadal rockfall activity correlates 60 with summer air temperatures, increasing with warmer conditions. This pattern, observed during the Early Twentieth Century Warming (ETCW) and since the mid-1980s, strongly suggests that degrading permafrost contributes to slope instability and rockfalls, with other factors (e.g., snow cover, ground heat, and soil moisture) influencing interannual variations.

65 Previous research, such as that by Paranunzio et al. (2015, 2016, 2019), Viani et al. (2020), and Paranunzio and Marra (2024), proposed a nonparametric method to characterize relationships between climate variables and slope failures by analyzing climate anomalies associated with different time aggregations. This method, based on ranking climatic variable values (in ascending order for a specific scale aggregation) and computing a probability of anomalies, links extreme climate values with rockfall events, but does not fully account for their frequency. However, during periods of climate change, variations in frequency occur across the entire range of meteorological variables, not just at their extremes. These changes can also influence the onset of rockfalls.

70 The aim of this study is therefore to calculate the spatial and temporal frequency variations of various climate variables in the eastern Italian Alps in order to understand climate evolution and its impact on the distribution of rockfall frequency at different elevations. To this end, we propose a new method that builds on Paranunzio's (2015) methodology to include the frequencies

of both anomalous and non-anomalous climate variables affecting rockfall events. This refined method was applied to a comprehensive database of rockfall events within the study area.

75 This paper is organized as follows: Section 2 describes in detail the study area and the collection of rockfall and climate data. Section 3 describes the methodology used for climate analysis and rockfall characterization. Section 4 presents the results of the analyses. Section 5 discusses some issues with previous work. Finally, the conclusion reports on the correlation between climate change and rockfall events.

## 2 Case study

### 80 2.1 Study area

The study area, encompassing approximately 24,500km<sup>2</sup> in the eastern Italian Alps, includes the Trentino-Alto Adige Region, along with the provinces of Belluno (Veneto region), Pordenone and Udine (Friuli Venezia Giulia region). This area is home to the Dolomites region, a group of carbonate platforms within the Southern European Alps, a south-vergent Neogene thrust-and-fold belt, which constitutes a structural unit of the Alpine chain (Doglioni, 1987, Bosellini et al., 2003). The Periadriatic Lineament, a major fault system of Oligocene-Neogene age, separates the Dolomites from the Austroalpine Unit. A small portion of the Tauern tectonic window, where the lower Penninic Unit crops out, is also present in the northernmost sector of Bolzano Province (Aurina Valley) (Dal Piaz et al., 2003; Corò et al., 2015).

85 The bedrock of the study area consists of various lithologies. It ranges from Permian terrigenous deposits, such as the Val Gardena Sandstone (sandstone with conglomerates) and the Bellerophon Formation (dolostone with gypsum), to early 90 Cretaceous carbonate rocks. These carbonate formations include the Werfen Formation, Serla Dolostones, Contrin Formation, Marmolada Limestone, Sciliar Formation, Cassiano Dolostones, Raibl Formation, and Dolomia Principale Formation, characterized by grey dolostone with oolites, breccias, limestone and claystone. These successions are prevalent in the province 95 of Belluno, Trento, Pordenone and Udine. In the central Trentino-Alto Adige region, the “Gruppo Vulcanico Atesino” comprises volcanic rocks (pyroclastic flow, with subordinate domes and lavas) that can reach a thickness of 2000 metres. Additionally, the province of Bolzano, particularly north and northwest of the Periadriatic Lineament, features micaschists, 100 phyllites and gneisses (Corò et al., 2015) (Figure 1).

The local morphology is primarily controlled by the geological and structural settings, characterized by rock types with varying 105 mechanical properties (Frattini et al., 2008). These rocks underwent significant folding and faulting, followed by uplift during various phases of the Alpine orogeny. Pleistocene glaciations further dramatically reshaped the landscape. Throughout the study area, the landscape is distinctly marked by landforms such as cirques and U-shaped valleys, sculpted by glacial tongues that occupied the region during the Last Glacial Maximum (LGM) and retreated to the highest valleys during the Late glacial period (Bassetti and Borsato, 2015).

The topography of the study area is very irregular, characterized by valleys situated at an altitude less than 400 m, such as Val 110 d'Adige, Valsugana, Riva del Garda and Valle del Piave, and peaks up to altitudes of over 3000 m, such as Ortles (3900 m), Presanella Group (3500 m), Marmolada (3350 m), Antelao (3264 m). In literature at these altitudes it is declared the presence of permafrost (i.e., a portion of soil or rock that remains at a temperature below freezing for at least two consecutive years). In the study area, thanks to the Alpine Permafrost Index Map (APIM) (Boeckli et al., 2011), it could be observed the presence of permafrost at altitudes above 2500 m for north-facing walls and above 2700 m for south-facing walls. The distribution of permafrost with the orientation of the rock walls shows a high frequency towards on walls with orientations approximately in a range between 300° and 50° N.

The region's climate is alpine with continental characteristics and exhibits significant local variations due to microclimates. The Belluno Valley and the Po basin in the Friuli Venezia Giulia Region are influenced by humid breezes from the Adriatic Sea (Desiato et al., 2005). In contrast, the internal mountainous areas experience a typically continental climate, characterised

115 by cold winters and mild summers. Rainfall mainly occurs as brief summer thunderstorms, whereas autumn rainfall is more prolonged (Coro et al., 2015; Frattini et al., 2008).

## 2.2 Data collection

To investigate the relationship between climate variation and rockfall events (as reported in Sect. 3), a comprehensive record of meteorological variables and rockfall data was essential. The methods used for data acquisition are detailed below.

### 2.2.1 Meteo-climatic time-series

120 Meteorological time-series data were collected from the SCIA website (<https://scia.isprambiente.it/>; Desiato et al., 2011; Padulano et al., 2021). To ensure a homogeneous dataset, only weather stations with complete daily time-series of climatic variables were included. This selection process resulted in 277 out of 1244 weather stations being selected (Fig. 1). The selected climatic variables were total daily rainfall, daily minimum temperatures, and daily maximum temperatures. The daily time-series covered the period from January 1, 1970, to December 31, 2019.

125 For each climatic variable, a dataset was generated, containing: (i) an identification code for each station, (ii) the coordinates of each station, and (iii) daily values for the respective climatic variable.

### 2.2.2 Rockfall catalogue

130 A new rockfall dataset was compiled from 5628 events gathered from various sources: (i) 5432 from the Italian Landslide Inventory project (IFFI <https://idrogeo.isprambiente.it/>; Trigila et al., 2007), (ii) 112 rockfalls from the Geomorphological impacts of Climate change in the Alps (GeoClimAlp <https://geoclimalp.irpi.cnr.it/>; Nigrelli et al., 2024) database, (iii) 18 from Gruppo Rete Ferroviaria Italiana (RFI) dataset, and (iv) 66 from online news sources (<https://www.iladolomiti.it/>; <https://www.ladige.it/>; <https://www.guidedolomiti.com/tag/frane-crolli/>). To establish a correlation between climatic variables and rockfall events, it was crucial to have information on the day, month, and year of occurrence. Therefore, 2971 events (out of the initial 5628) were considered, as complete date information was available for these events (Figure 1). A comprehensive dataset was generated for these events, including: identification code (ID), coordinates (x, y, z), date of event (dd/mm/yyyy), and the associated three closer weather station.

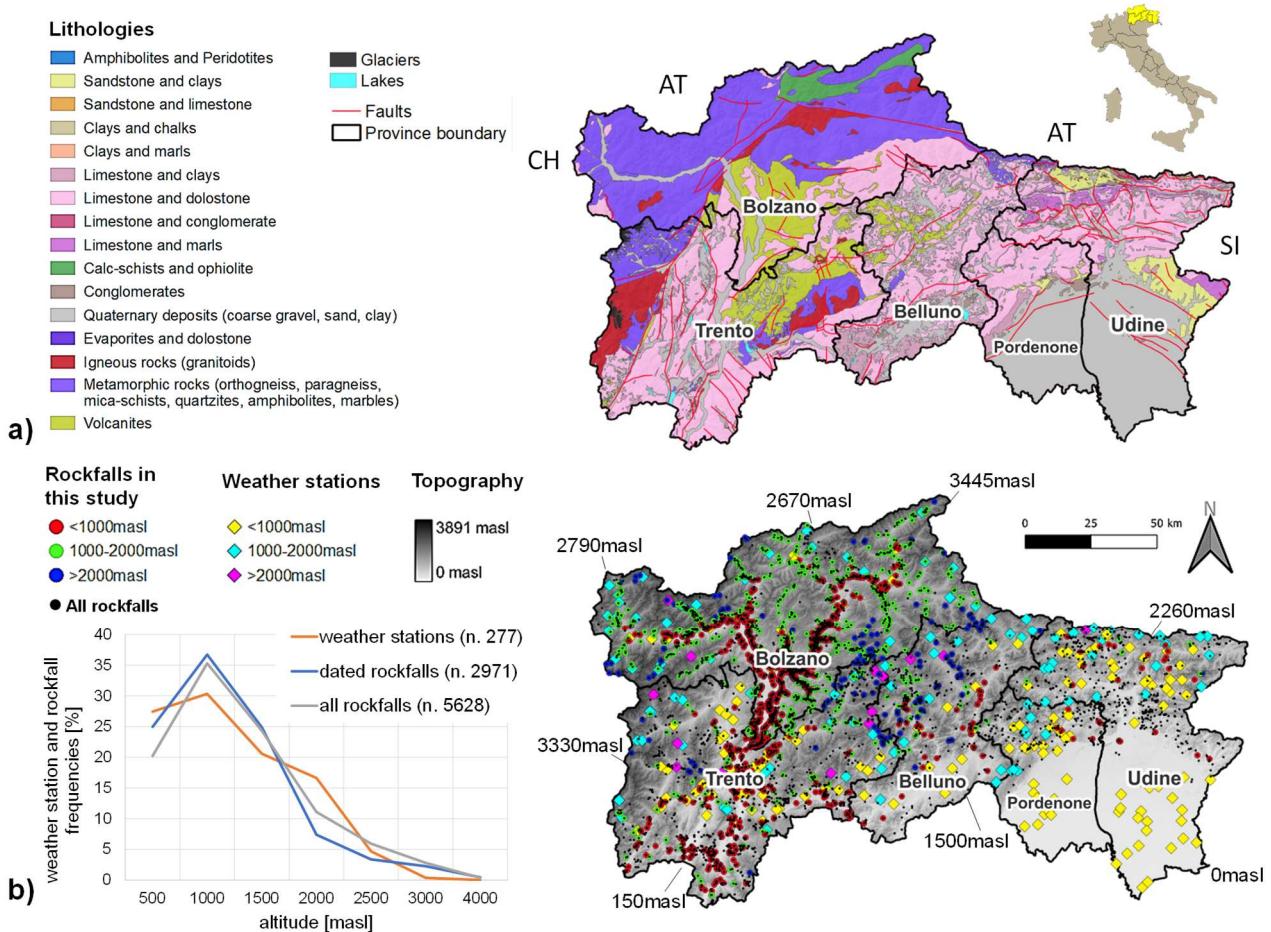


Figure 1. (a) Geological setting of the study area (lithology modified from regional open source data). (b) Location and distribution according to altitude of 277 weather station (diamonds), 5628 rockfall data (black dots) and 2971 dated rockfall events (dots) used in the analyses. Meteorological stations: 87 in Trento Province, 46 in Bolzano Province, 30 in Belluno Province, 37 in Pordenone Province and finally 77 in Udine Province. The monitoring network considered from SCIA are: Idrografica, Regionale and Sinottica. Rockfall events are located: 410 in Trento Province, 2391 in Bolzano Province, 132 in Belluno Province, 9 in Pordenone Province and 29 in Udine Provinces.

### 3 Methods

The proposed method aims to assess both the variation of climatic conditions in an area and the effects of this variation on rockfall occurrence. This analysis computes the frequency of meteorological data by creating sampled time-series from recorded weather station data, a procedure detailed in the following sub-sections. Differently from Paranunzio et al. (2015, 2016), which focused on identifying anomalies in meteorological variables time series, this method emphasizes the frequency of statistical samples of meteorological variables within their characteristic value ranges defined as the interval between the maximum and minimum values obtained from the used time series.

The *measured meteorological variables* from the weather station used in this study were consistent with those in Paranunzio et al. (2015, 2016): daily minimum air temperature  $T_0$ , daily maximum air temperature  $T_1$ , and daily precipitation  $R$ .

*Derived meteorological variables* included: daily mean air temperature,  $T_m$ , and daily air temperature amplitude,  $T_a = (T_1 - T_0)$ . To analyse the effects induced by both freeze-thaw cycles and icing, two Boolean variables were introduced: freeze-thaw cycle,  $C_{FT}$ , which is 1 if the cycle occurs ( $T_0 \leq 0^\circ\text{C}$  and  $T_1 > 0^\circ\text{C}$ ), and icing,  $I$ , which is true (1) if both  $T_0$  and  $T_1$  are negative. These derived climatic variables were selected based on previous studies indicating their potential to trigger rockwall instabilities in the alpine environment (Douglas, 1980; Sanderson et al., 1996; Matsuoka and Sakai, 1999; Frayssines and Hantz, 2006; Letortu 2013; D'Amato et al., 2016; Macciotta et al., 2017).

### 3.1 Computed time-series of meteorological variables

160 Daily measurements of meteorological variables do not directly capture the effects of multi-day processes. To address this, *computed time-series* were derived from the original data using various computational methods that account for multi-day aggregation scales ( $S_a$ ). Consider a time series of a meteorological variable:

$$(D_i, V_i) \quad i = 1, \dots, n_t \quad (1)$$

165 where  $V_i$  represents the meteorological variable value,  $D_i$  is the corresponding date, and  $n_t$  is the length of the time-series (i.e., the number of record values). Computed time-series can be derived using three basic procedures: mean, addition and subtraction.

For the mean procedure, the new time-series is obtained by computing the average as shown in Eq.(2):

$$\bar{V}_i = \text{avg}([V_{i-S_a}; V_i]) \quad i = S_a, \dots, n_t \quad (2)$$

170 where  $\text{avg}$  is the average operator,  $\bar{V}_i$  is the mean of the values within the closed interval  $[V_{i-S_a}; V_i]$ . Consequently, the mean time-series takes the form:

$$(D_i, \bar{V}_i) \quad i = S_a, \dots, n_t \quad (3)$$

For the addition procedure, new values are computed as indicated in Eq. (4):

$$V_i^a = \sum_{j=1}^{S_a-1} V_{i+1-S_a+j} \quad i = S_a, \dots, n_t \quad (4)$$

The resulting new time-series is expressed as in Eq. (5):

$$(D_i, V_i^a) \quad i = S_a, \dots, n_t \quad (5)$$

Finally, in the subtraction procedure, the new values are computed using the following formula:

$$\Delta V_i = V_i - V_{i-S_a} \quad i = S_a + 1, \dots, n_t \quad (6)$$

and the new time-series takes the form:

$$(D_i, \Delta V_i) \quad i = S_a + 1, \dots, n_t \quad (7)$$

180 For the  $C_{FT}$  (freeze-thaw cycle) and  $I$  (icing) time-series, the computed time-series align directly with the original ones, after that they are aggregated as the other meteorological variables.

### 3.2 Sampled time-series

Once the computed time-series were obtained, *sampled time-series* were derived using a reference date set  $D_r$  and a temporal scale  $S_t$ . Let  $D_e$  be a selected date. The set of reference dates  $D_r$  set is defined by Eq. (8):

$$185 \quad D_r = \{D_i \mid D_i = D_e + k365\text{days}\} \quad (8)$$

This set includes the chosen date and corresponding dates with same day and month but from different years. The number of years used for the analysis depends on the dates available in the computed time-series. The sample time-series is then obtained from the computed time-series using the following condition:

$$(D_i, V_i^s) = (D_i, V_i^c) \quad D_i \in [D_r - S_t; D_r + S_t] \quad (9)$$

190 In this context,  $D_r \in D_r$  represent the reference dates,  $V_i^c$  is the value from the computed time-series according to the procedures outlined in the previous sub-section, and  $V_i^s$  is the value in the sample time-series.

### 3.4 Bayesian method

The influence of a weather variable on rockfall events can be analysed using the Bayesian method (Bayes, 1763) to determine the conditional probability of rockfall occurrence ( $Rf$ ) under the condition that a meteorological variable is within a given range. Consider a time series of a meteorological variable, where its range is divided into specific intervals. Let  $Rf$  represent the set of rockfall events under analysis, and  $M_i$  the set of recorded data falling within a specific  $i - th$  interval of the meteorological variable.

The conditional probability  $P(Rf|M_i)$  that rockfall events occur, conditioned on the meteorological variable being within the range  $i - th$ , can be obtained as follows:

$$P(Rf|M_i) = P(M_i|Rf) \frac{P(Rf)}{P(M_i)} \quad (10)$$

where  $P(Rf)$  is the overall rockfall daily probability, calculated dividing the number of rockfall events by the number of days of observation;  $P(M_i)$  is the daily probability of the meteorological variable falling within the  $i - th$  range, calculated dividing the number of days with the variable within that range by the number of observation days; and  $P(M_i|Rf)$  is the probability of the meteorological variable being in the  $i - th$  interval when a rockfall event occurs, calculated as the number of rockfall events occurred with the variable within that range divided by the total number of rockfall events.

To apply this method, a time series of the selected meteorological variable for the study area must be used. This involves averaging the time-series data from all considered stations. For each day within the measurement interval, the value of the meteorological variable is the mean of the values from all stations included in the analysis. After processing this new time-series with the proposed approach, a sample time-series is obtained, which is then used in the Bayesian method. For the icing and freeze-thaw time-series, both spatial mean, maximum and minimum values of the maximum and minimum temperatures were considered.

### 3.5 Climate analysis

For the climate analysis, only meteorological stations with time-series spanning five decades (1970-2019) were selected, aligning with climatological standards established by the World Meteorological Organization (WMO, 1989). While WMO generally recommends 30-year periods for climatological normals, it also acknowledges *provisional normals* based on observations extending over at least ten years at continental or global scales (WMO, 1989). Given the restricted study area, a ten-year interval was deemed sufficient. Therefore, only meteo-stations with complete time-series from 1970 to 2019 were included in the following analyses.

The procedures outlined in previous sections were employed to derive both calculated and sampled time-series, using an aggregation scale  $S_a = \{0,7,30,90\}$  and a temporal scale  $S_t = 45$  days. For the  $C_{FT}$  and  $I$  variables, an aggregation scale  $S_a = \{7\}$  and a temporal scale  $S_t = \{15,45\}$  were used. The results were then grouped into five decades. For each decade, the values of each variable were divided into ten bins, and their corresponding frequencies were computed. For the  $C_{FT}$  and  $I$  variables, the frequency of persistence was computed, defined as the number of continuous days for which  $C_{FT}$  and  $I$  are respectively true. This computation aimed to evaluate temporal variations in the frequency of each variable.

### 3.6 Rockfall and climate indices

The described method requires meteorological variable time-series as input. However, rockfall event locations often differ from weather station locations, meaning direct meteorological time-series for that precise rockfall source are typically unavailable. To overcome this, two methods were used to derive the necessary time-series.

The first method involves selecting the time-series associated with the closest meteo-station to the rockfall source:

$$V_{rf}(t) = V_n(t) \quad (11)$$

where  $V_{rf}(t)$  is the rockfall source time-series, and the  $V_n(t)$  is the time series for the closest weather station. This approach, however, does not account for the fact that meteorological variables vary significantly with both elevation and spatial location. These variations are crucial because weather stations and rockfall sources typically have different elevations and spatial locations, meaning that a single weather station's time series may not accurately represent the rockfall site. To address these 235 limitations, the following procedure was adopted. First, the weather stations were connected using a Delaunay triangulation, considering only their horizontal coordinates. Each rockfall source point then falls within one of the triangles of this triangulation. The vertices of this triangle are three weather stations, referred to as nodal weather stations, which are associated with that specific rockfall event source. The time series from these nodal weather stations were subsequently used to calculate the time series at the rockfall event source.

240 To obtain the rockfall site weather time-series, two corrections were applied. The altitude correction adjusts temperature time-series values using the following mathematical expressions Eq. (12):

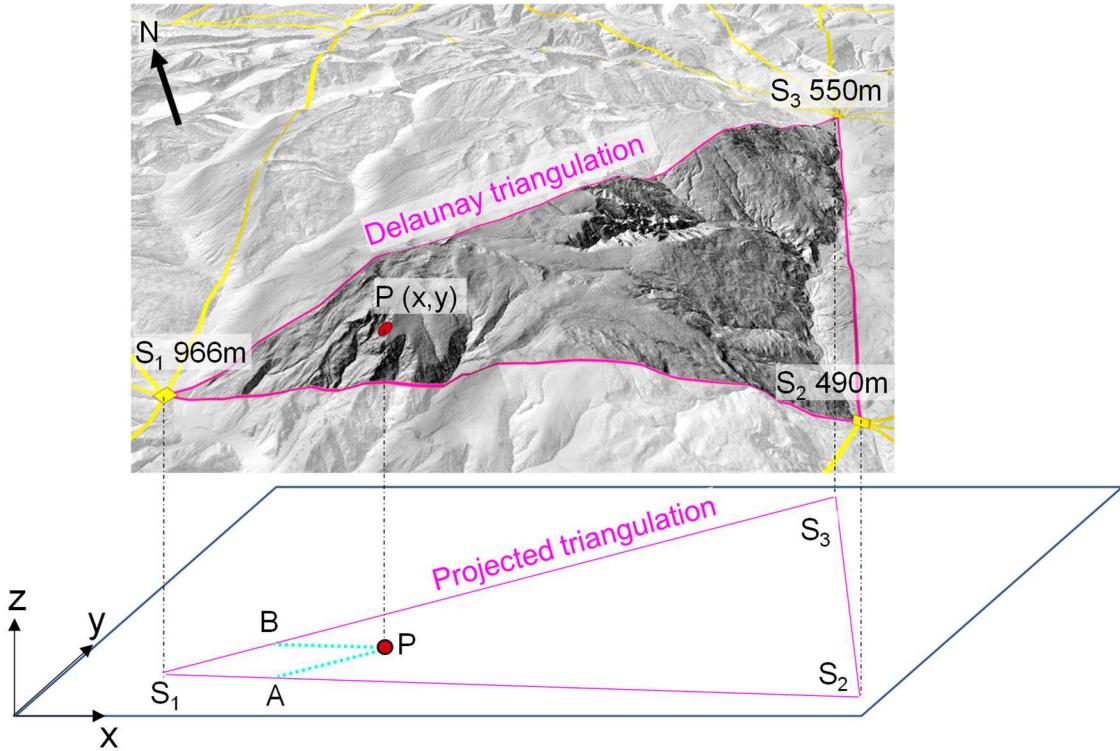
$$V_i^*(t) = V_i(t) - c(z_{rf} - z_i) \quad (12)$$

245 Here  $V_i(t)$  is the variable value recorded by the nodal weather stations,  $z_i$  is the nodal weather elevation,  $z_{rf}$  is the rockfall elevation,  $c$  is the vertical gradient correction (with  $c = 0.0065^\circ\text{C}/\text{m}$  according to Stull, 2000), and  $V_i^*(t)$  represents the corrected weather variable values. This simple linear approach, which is based on a constant vertical gradient, has been used despite the fact that warming in mountain regions depends on elevation (Pepin et al., 2015; Nigrelli et al., 2018; Pepin et al., 2022).

The spatial correction computes the site weather time-series based on the spatial positions of the nodal stations using the following relationship:

$$250 \quad V_{rf}(t) = N_1(x, y)V_1^*(t) + N_2(x, y)V_2^*(t) + N_3(x, y)V_3^*(t) \quad (13)$$

where  $N_i(x, y)$   $i = 1,2,3$  are the weight functions that depend on the positions of the nodal weather stations, and  $(x, y)$  represents the coordinates of the rockfall event source. The weight functions, ranging between 0 and 1, were computed by imposing a linear interpolation between the weather stations' values according to their spatial positions. This correction was applied to temperature. Figure 2 provides a schematic representation of the rockfall source,  $P$ , and the surrounding weather 255 stations ( $S_1$ ,  $S_2$  and  $S_3$ ) forming a triangle used in the time-series computations.



**Figure 2. Schematic representation of the rockfall source point  $P$  and the weather stations ( $S_1$ ,  $S_2$  and  $S_3$ ) positions forming a triangle used in time-series computations. Points  $A$  and  $B$  are the inclined projections of the point  $P$  along the edges  $S_1S_3$  and  $S_1S_2$ .**

Once  $V_{rf}(t)$  was computed for all meteorological variables, the computed time-series and sampled time-series were subsequently obtained. This triangulation approach partially compensates for the problem of sparse weather stations that may be distant from the landslide points. However, it assumes an even spatial distribution of weather stations and a linear trend in the variables, both of which may not be accurate in complex terrain.

### 3.7 Rescaled Adjusted Partial Sums (RAPS)

To visualize long-term trends, fluctuations, and periodicities climatic records, the Rescaled Adjusted Partial Sums (RAPS) approach, proposed by Garbrecht and Fernandez (1994), was employed. This method is a powerful tool for analysing time series data, particularly in hydrology and meteorology, as it facilitates the detection of irregularities and fluctuations (e.g., temperature, precipitation) that might not be evident using traditional analysis techniques. RAPS involves rescaling the partial sums of deviations from the mean of a time series, enabling the identification of significant changes or trends over time. It provides a visual representation and analysis of cumulative deviations from the mean, scaled by the standard deviation, to reveal underlying patterns and trends in the data. This technique is particularly effective for identifying breakpoints and subperiods within the data, making it valuable for studying long-term climatic trends and periodicities (Garbrecht and Fernandez, 1994, Durin et al., 2022). Mathematically, the RAPS value at time  $k$  can be expressed with the following Eq. (14):

$$RAPS_k = \sum_{t=1}^k \frac{y_t - \bar{Y}}{S_y} \quad (14)$$

where  $RAPS_k$  is the rescaled adjusted partial sum at time ( $t = 1, 2, \dots, k$ ) represents the individual data points in the time series,  $\bar{Y}$  is the mean of the time series, and  $S_y$  is the standard deviation of the time series. In this study, the RAPS method was utilized to compare its conclusions with those obtained from the proposed approach.

## 4 Results

Rockfall events are initiated by various mechanisms that contribute to rock mass degradation, leading to a progressive reduction in rock mass strength. This is particularly prevalent in areas with steep slopes, sparse vegetation, or permafrost. This study specifically focuses on the effects of meteorological variables in triggering rockfall events. Over recent decades, observed changes in climate conditions have resulted in variations in meteorological variables, thereby altering degradation rates and the probability of rockfall initiation. Consequently, this influences the temporal and spatial distribution of rockfall events. Using the methodology proposed in the Sect. 3, the following analysis demonstrates the impact of climate change on rockfall occurrences.

285 For the purpose of this work, three sets of meteorological stations were considered.

Set A comprises all 277 selected stations and was used for the Bayesian method to analyse the frequency of climate variables. Set B contains 18 stations chosen from the original 277. These stations were specifically selected because they have a complete time series spanning the entire period from 1970 to 2019 with no data gaps. Results for mean air temperature and precipitation are presented at a 90-day aggregation scale, while results for freeze-thaw cycles are presented at 7-day scale. This enabled the 290 observation of detailed short-term changes while avoiding overlap with other months. Additional results are provided in the supplementary materials for completeness (S1).

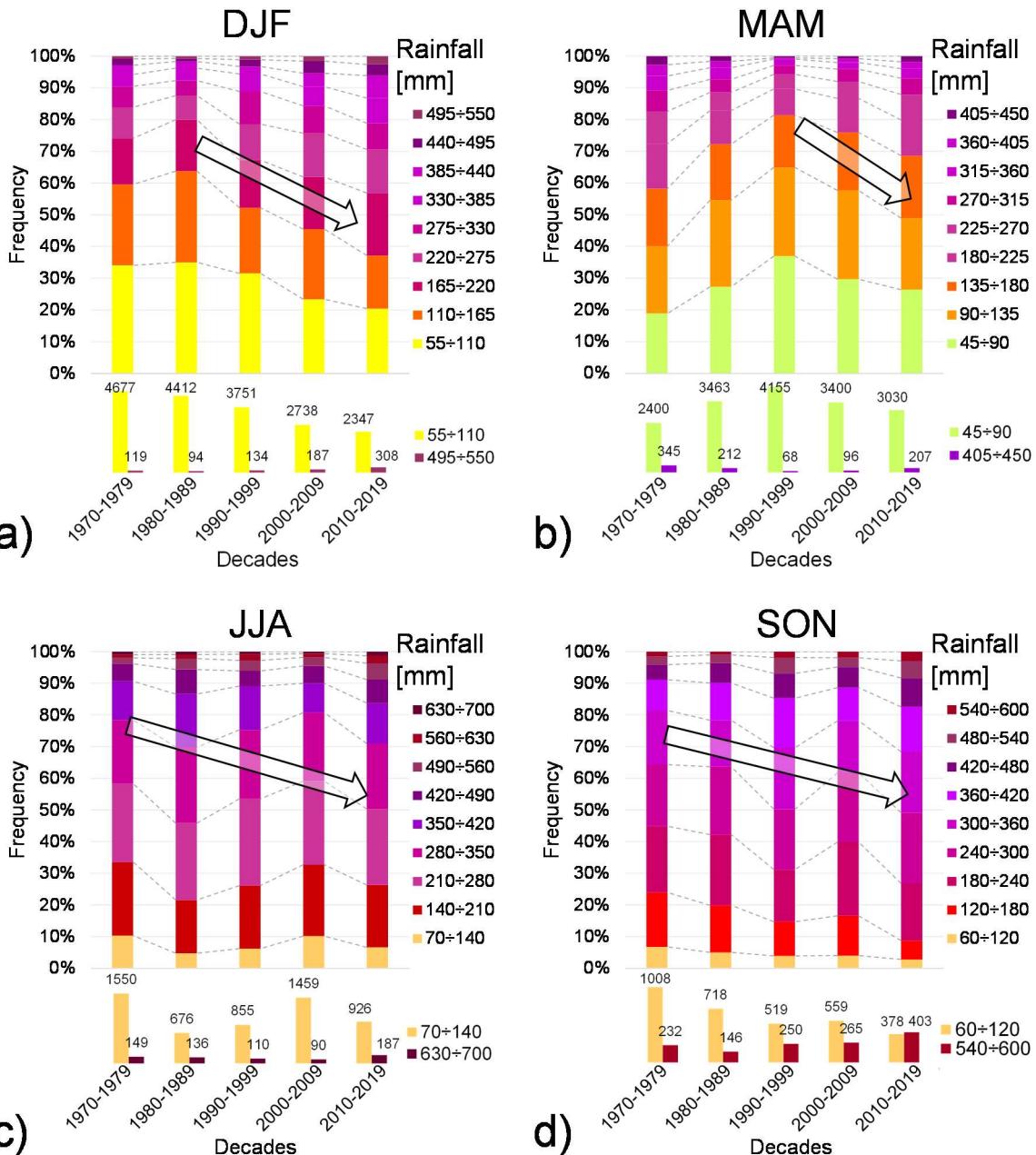
Set C consists of 12 weather stations with complete time series. These stations were selected to analyse long-term trends at different elevations (below 1000 m, between 1000 and 2000 m, and above 2000 m a.s.l.). To ensure the selected stations were homogeneous, four stations were chosen for each elevation range. Two distinct periods were considered: 1970–2019 for 295 stations below 2000 m and 1985–2019 for stations above 2000 m a.s.l..

### 4.1 Climate analysis

#### 4.1.1 Rainfall

Rainfall is a critical triggering factor for rockfalls, particularly when exhibiting high intensity. Water infiltration into rock mass discontinuities increases water pore pressure, melts ice within fractures, erodes discontinuity infillings, and dissolve cementing 300 materials, all of which contribute to the onset of rockfalls (Delonca et al., 2014; Palladino et al., 2018; Nissen et al., 2022).

The evolution of rainfall was analyzed across different decades and seasons, utilizing a 90-day aggregation scale. The results, presented in terms of frequency, are displayed in Fig. 3. Apart from minor fluctuations between decades, particularly noticeable above 2000 meters of elevation during spring (illustrated in supplementary materials, Fig.S2), a general trend shows an increase in the frequency of high-height rainfall events, concomitantly leading to a proportional decrease in low-height events. The 305 most substantial increase in the frequency of large rainfall amounts is observed during the winter and autumn seasons. This behaviour becomes more pronounced with increasing aggregation scale, as the cumulative effect of three months of accumulated rainfall is considered (refer to supplementary materials S1.1 for results at other aggregation scales).



310 **Figure 3. Frequency distribution of rainfall height with an aggregation scale of 90 days during (a) winter (DJF), (b) spring (MAM),**  
**(c) summer (JJA) and (d) autumn (SON). Arrows indicate a possible frequency trend associated with each sub-interval of rainfall.**  
**Frequencies of the maximum and minimum rainfall ranges are zoomed in at the bottom of each graph for clarity.**

311 Analogous insights were derived from the RAPS method analysis. For this study, RAPS analysis was carried out for the three  
 altitudes ranges, utilizing the 12 meteorological stations in Set C. For stations below 1000 m (

315 Figure 4a) the RAPS values decrease from 1985 to 2008, followed by a sharp increase in the most recent years, indicating that  
 rainfall tended to be higher than the mean value after 2008. A notable exception was observed in 2002, which documented a  
 significant peak (red arrow in

Figure 4a), likely corresponding to high rainfall events in May and November (as reported by Bollettino meteorologico e  
 valanghe, Ufficio idrografico di Bolzano; Protezione Civile Provincia Autonoma di Trento). For stations between 1000m and  
 2000m (Figure 4b), a progressively increasing trend in rainfall is suggested by the downwards parabolic trend of the RAPS.

320 Finally, above 2000m (Figure 4c), the RAPS plot exhibits a V-shape, reaching a minimum in 2007, followed by a sharp  
 increase in the last decade.

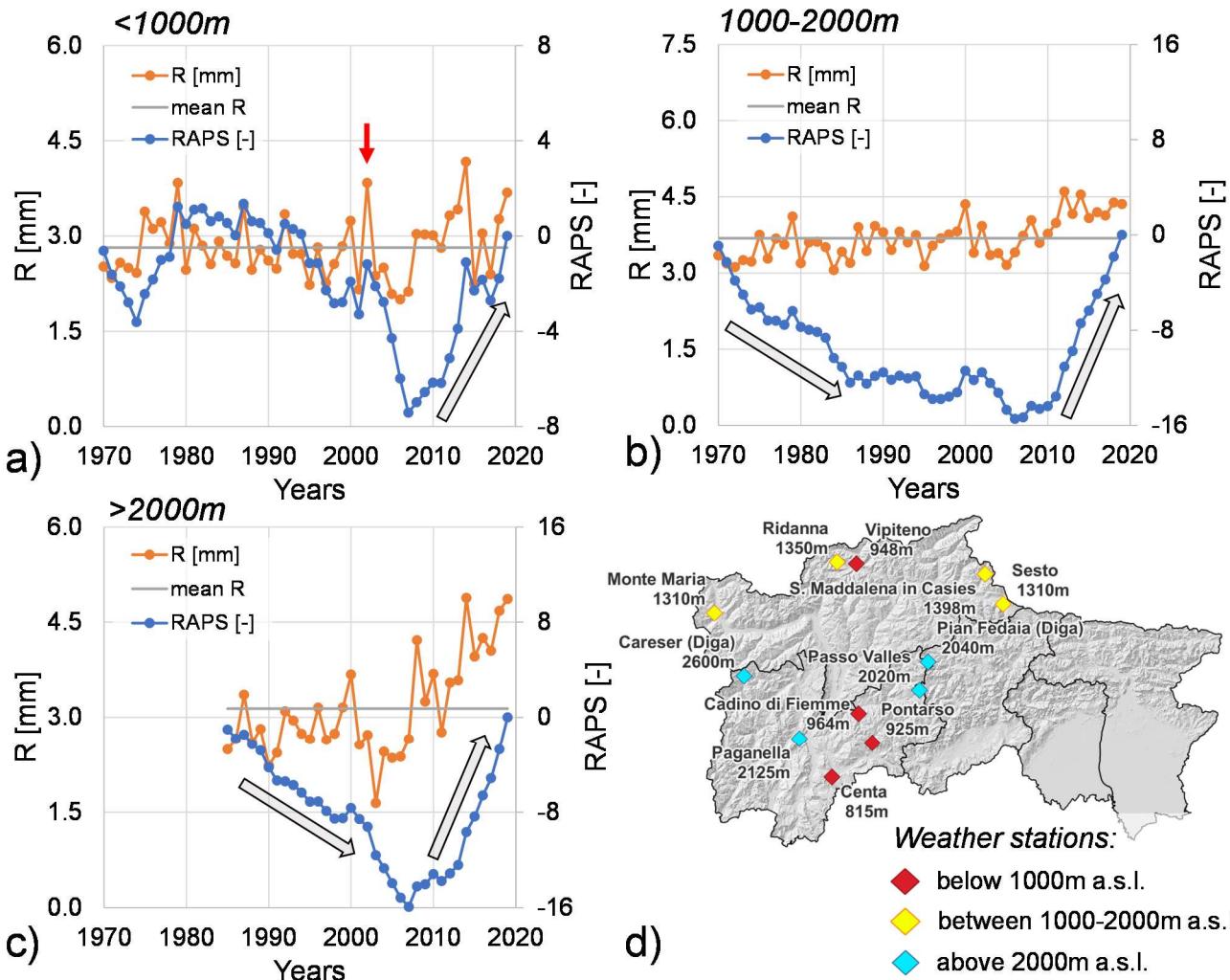
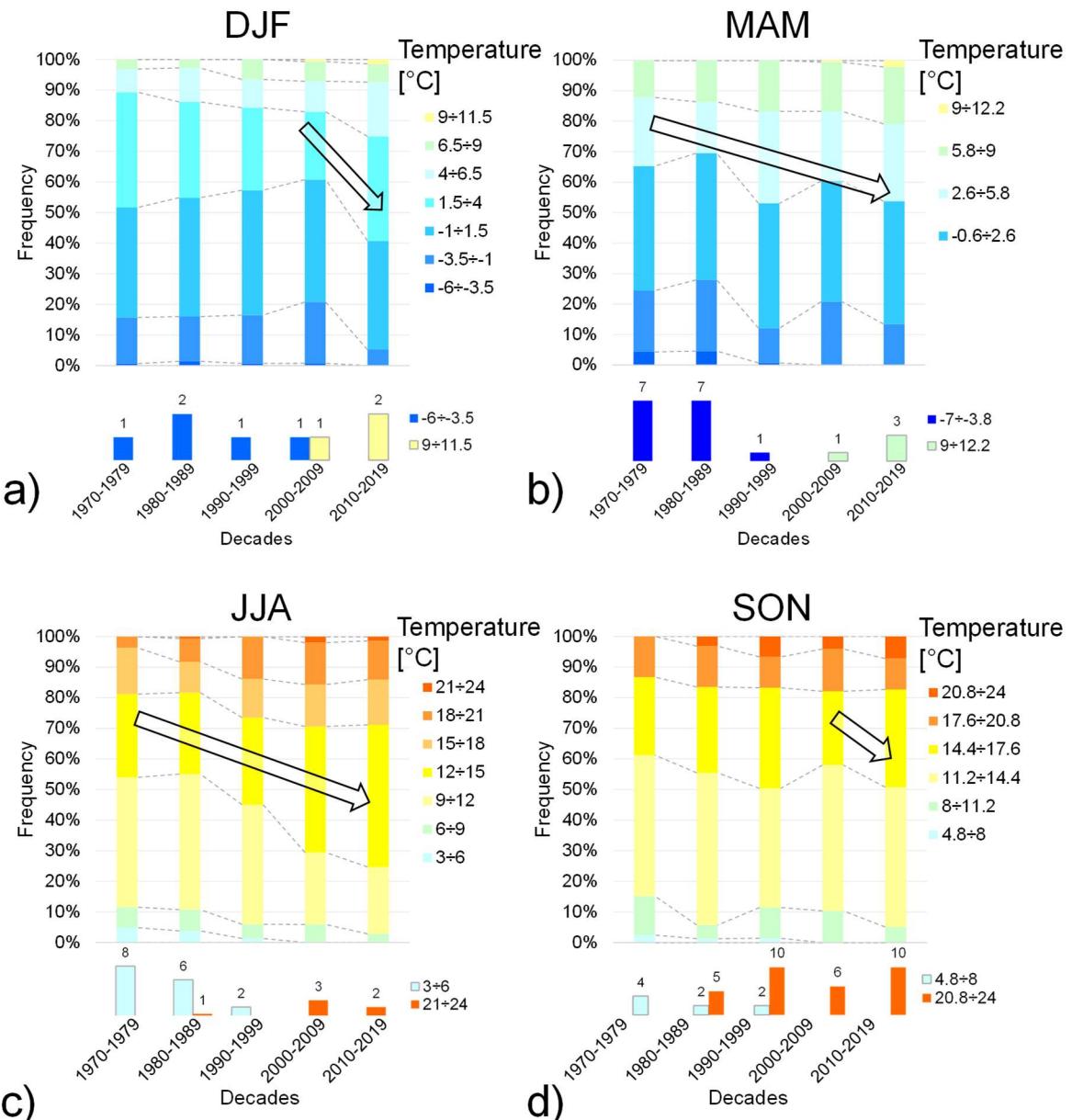


Figure 4. Annual mean rainfall values and Rescaled Adjusted Partial Sums (RAPS): (a) altitudes below 1000m (1970-2019); (b) altitudes between 1000-2000m (1970-2019); and (c) altitudes above 2000m (1985-2019). The red arrow in (a) indicates extraordinary events of 2002. (d) Spatial distribution of the 12 meteorological stations considered (Set C).

#### 4.1.2 Air mean temperature

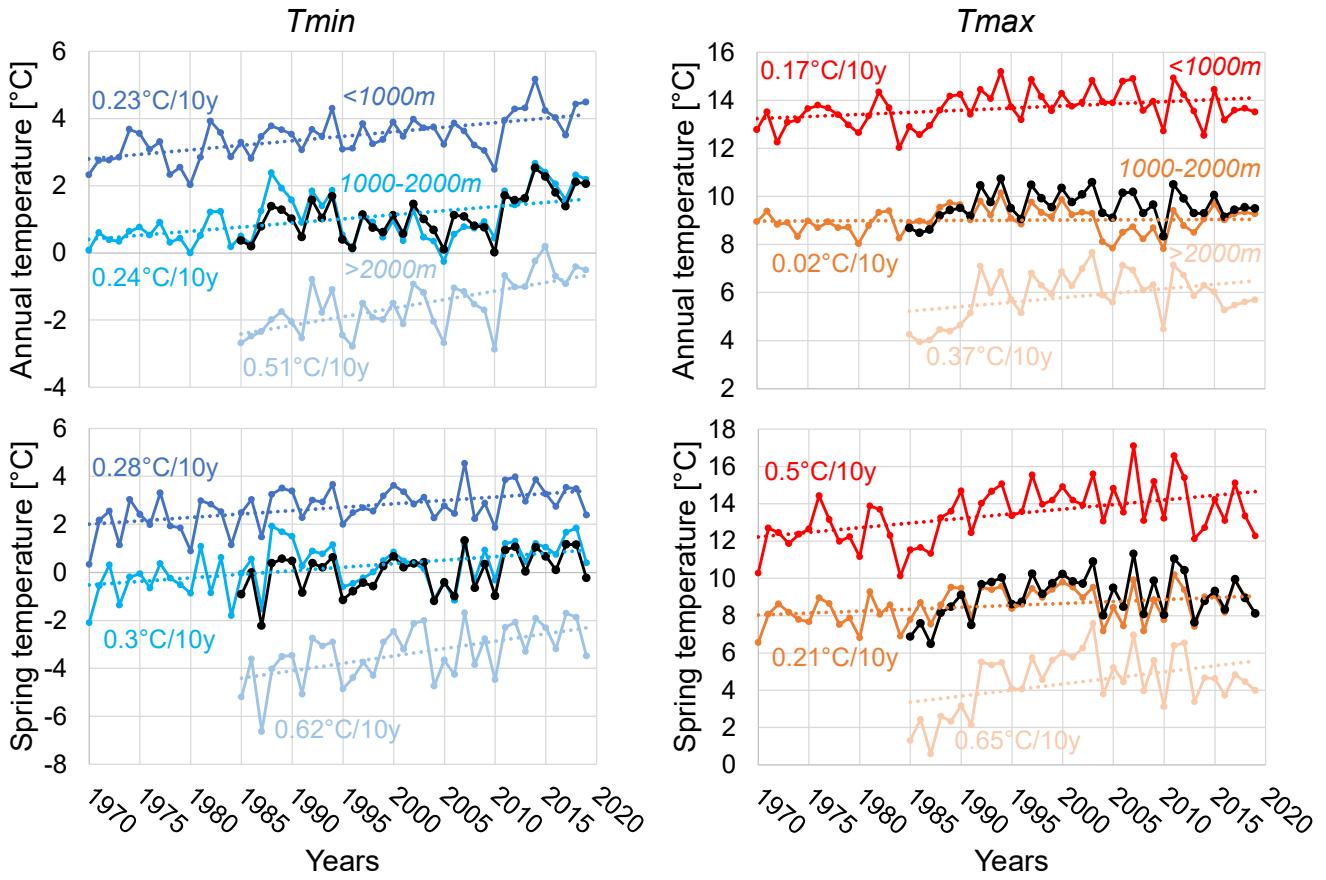
Air temperature exhibits variations on yearly, seasonal, monthly, and daily scales, with weather stations recording daily maximum and minimum temperatures. The initiation of rockfalls can be significantly linked to these temperature variations, both within a single day and overextended periods. For this analysis, variations in temperature over periods longer than one day are represented by the mean air temperature, while intra-day variations are captured by the air temperature amplitude (section 4.1.4).

Figure 5 illustrates the frequencies of the 90-day mean temperature across the four seasons and five decades. A consistent trend of reduced for low temperatures and an increased frequency for high temperatures is observed over the decades. Across all seasons and altitudes (as detailed in supplementary materials, S1.2), the results indicate a slight warming trend in the study area, with a particularly significant frequency increase observed during the autumn season.



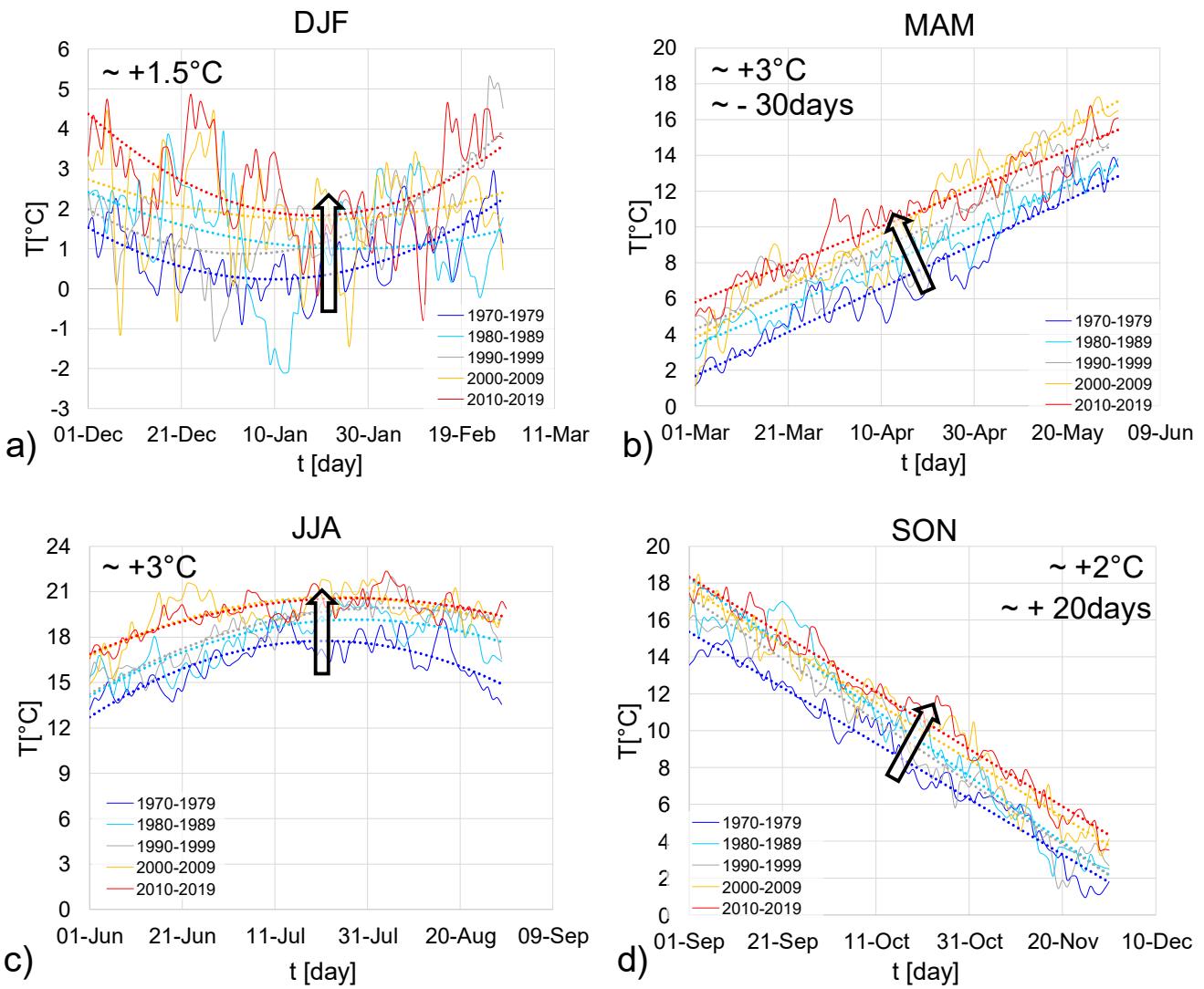
**Figure 5. Frequency distribution of mean temperature with an aggregation scale of 90 days during: (a) winter (DJF), (b) spring (MAM), (c) summer (JJA) and (d) autumn (SON). Arrows indicate a possible frequency trend associated with each sub-interval of mean temperature. Frequencies of the maximum and minimum temperature ranges are zoomed in at the bottom of each graph.**

340 Based on the methodology by Nigrelli and Chiarle (2023), and using the 12 stations selected for an overlapping period from 1985 to 2019, the annual average warming rates were calculated. For minimum temperature, the rates ranged between 0.23°C and 0.51°C per decade, while for maximum temperature, they ranged between 0.17°C and 0.37°C per decade (Figure 6). The highest warming rates were identified during the spring period above 2000m, with maximum increases of approximately 0.65°C for maximum temperature and 0.62°C per decade for minimum temperature.



345 **Figure 6. Annual and spring  $T_{min}$  and  $T_{max}$  trends considering 12 weather stations from 1970 to 2019 for case study. The lack line**  
**shows the mean time-series.**

To corroborate the conclusion regarding the shifting of winter and spring seasons, an analysis similar to Wang et al (2021) was performed. Considering the 12 weather stations with full time-series (Set C) from 1970 to 2019, an increase in mean temperature of approximately  $1.5^{\circ}\text{C}$  in winter and  $3^{\circ}\text{C}$  in summer was observed (Figure 7a-c). During the spring and autumn seasons, an increase in mean temperature of about  $3^{\circ}\text{C}$  and  $2^{\circ}\text{C}$ , respectively, was noted. Furthermore, this analysis revealed a shift in the onset of spring by 30 days and autumn by 20 days, consequently causing a change in the length of these two seasons (Figure 7b-d), with a more significant change occurring during spring.



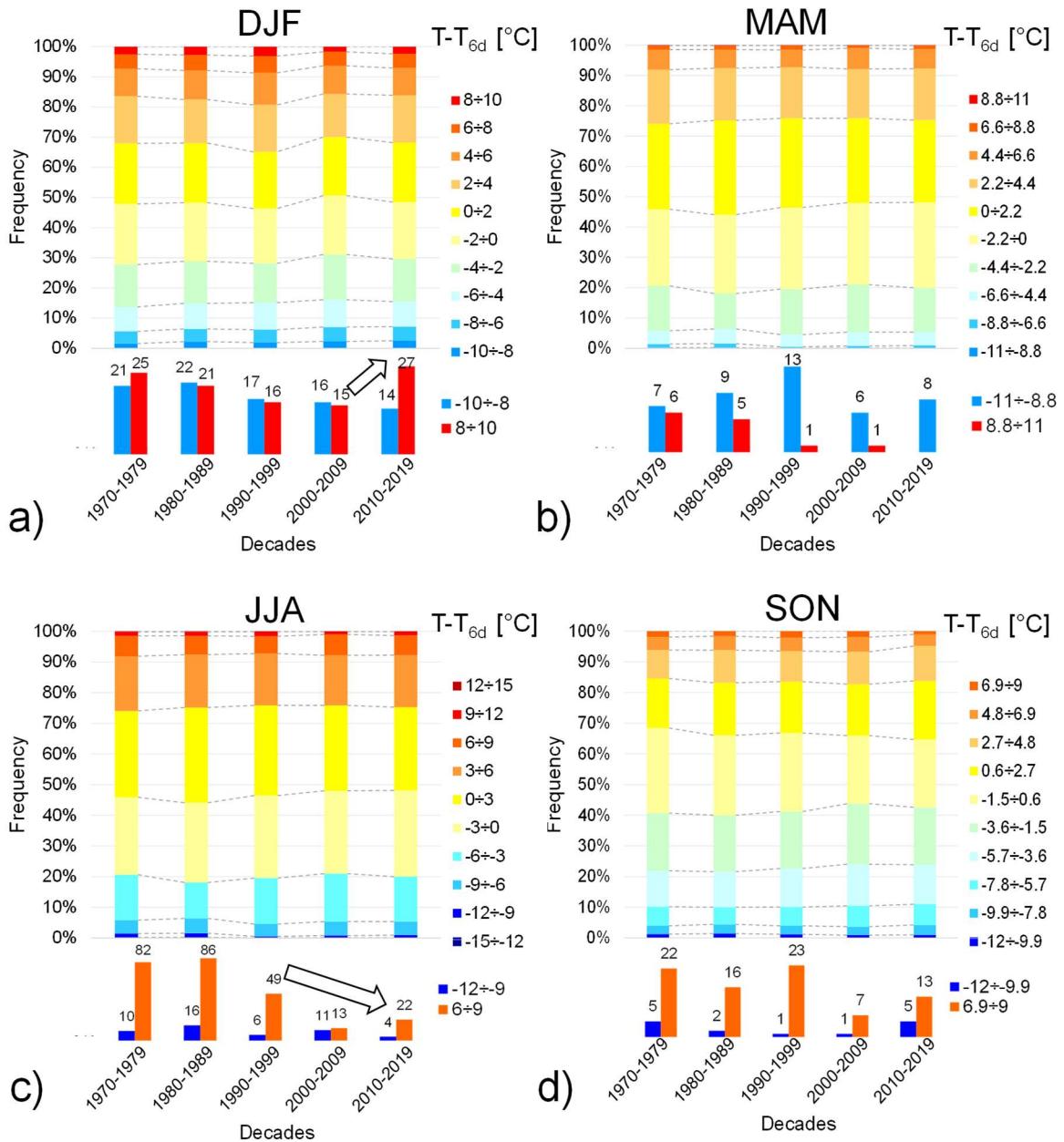
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**Figure 7. Daily time series of air mean temperature over 1970-2019 during: (a) winter (DJF), (b) spring (MAM), (c) summer (JJA) and (d) autumn seasons (SON).**

#### 4.1.3 Temperature variation

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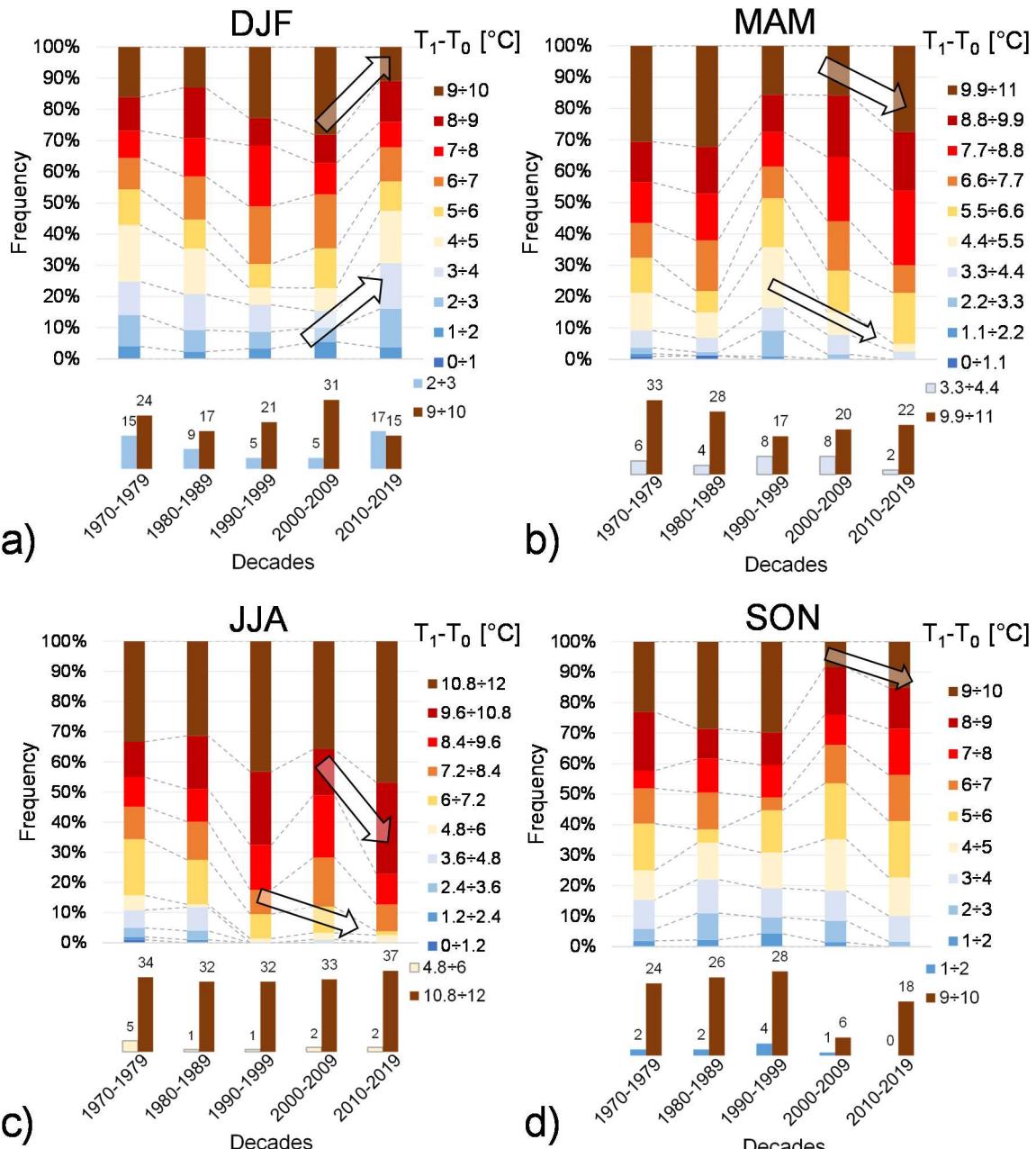
Air mean temperature variation is defined as the difference between the mean air temperature on a given day and the corresponding mean air temperature assessed on a preceding day, as determined by the chosen aggregation scale. Figure 8 illustrates the frequencies of temperature variation with an aggregation scale of 6 days for the four seasons. No significant changes in temperature variation are evident over the decades, apart from minor fluctuations. This suggests that temperatures change gradually from one season to the next across the years, maintaining a consistent evolution throughout all decades. This conclusion holds true when considering other aggregation scales, as shown in the supplementary materials (S1.3). When comparing the highest and lowest values of temperature variation,  $\Delta T$ , an increase in the  $8\div10^{\circ}\text{C}$  range during winter in the last decade was observed (Figure 8a). Conversely, in summer, a reduction of frequencies of extreme temperature variation values was noted (Figure 8c).



**Figure 8. Frequency distribution of mean temperature difference with an aggregation scale of 6 days during: (a) winter (DJF), (b) spring (MAM), (c) summer (JJA) and (d) autumn (SON). Arrows indicate a possible frequency trend associated with each sub-interval of temperature variation. Frequencies of the maximum and minimum temperature-difference ranges are zoomed in at the bottom of each graph.**

#### 4.1.4 Temperature amplitude

The results concerning temperature amplitude frequencies, considering different decades and seasons, are shown in Figure 9. In all seasons, except winter, an increase in the frequencies of maximum temperature amplitude and a reduction in frequencies of the lowest range were observed. This indicates that on many days, there is a significant difference between minimum and maximum temperatures, averaging 11°C. Conversely, during the winter season, the opposite trend was noted: low temperature amplitude ranges increased, while high ones decreased over the last decade. This suggests that the difference between minimum and maximum temperatures tends to be less pronounced in winter.



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**Figure 9. Frequency distribution of daily air temperature amplitude with an aggregation scale of 90 days, and at all elevations, during: (a) winter (DJF), (b) spring (MAM), (c) summer (JJA) and (d) autumn (SON). Arrows indicate a possible frequency trend associated with each sub-interval of temperature amplitude. Frequencies of the maximum and minimum temperature amplitude ranges are zoomed in at the bottom of each graph.**

#### 4.1.5. Freeze-Thaw cycle

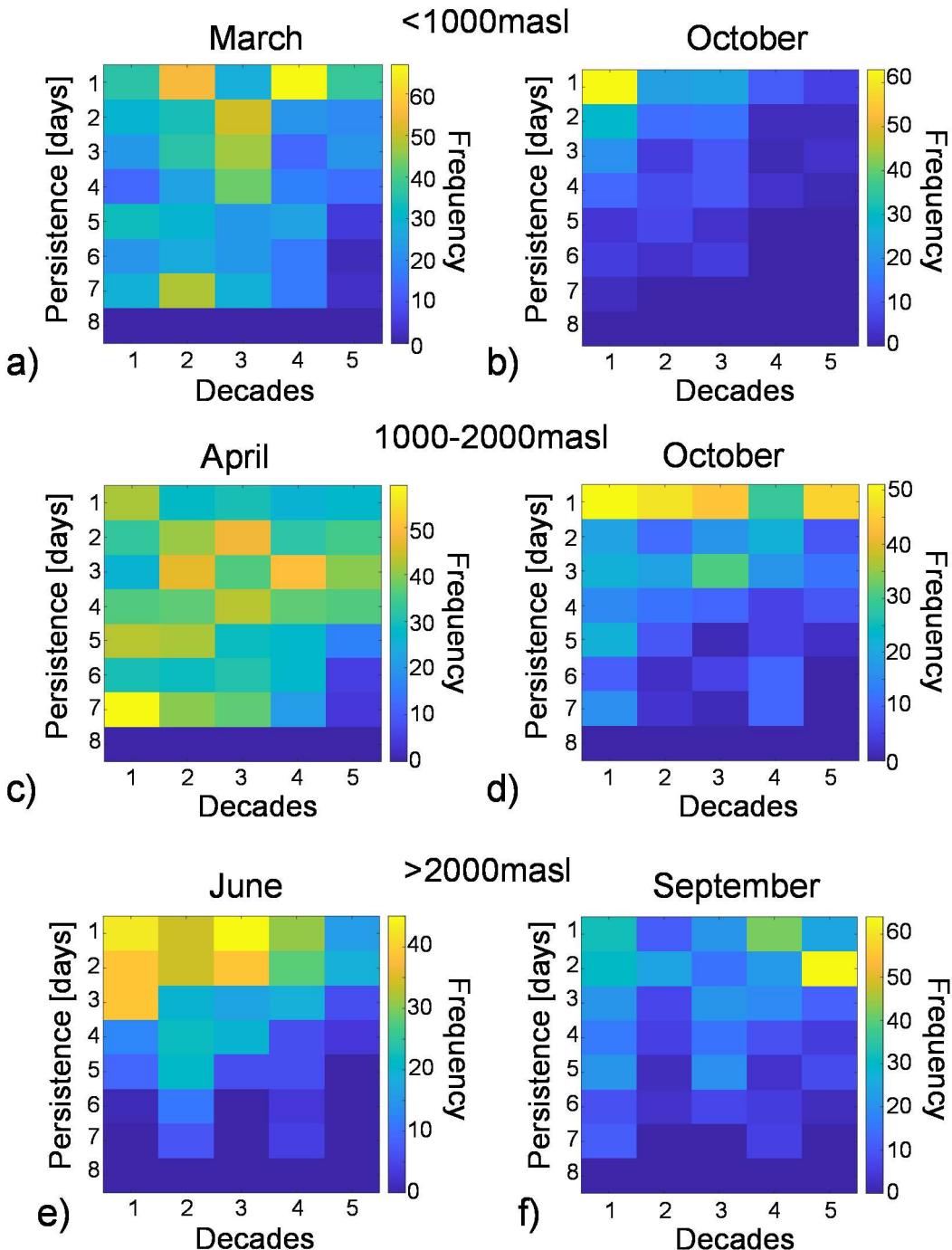
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As the frequency of high temperatures increases, so does the number of days with maximum and/or minimum daily temperatures above zero. This shift alters the persistence of icing in the area, consequently affecting the onset and frequency of freeze/thaw cycles, and leading to an increase in the number of ice-free days. Specifically, freeze/thaw cycles accelerate rock mass degradation by reducing cohesion at the ice-rock interface. To investigate these effects, the persistence of both icing and freeze/thaw cycles was analyzed. The results for freeze/thaw cycles, considering different elevations at a 7-day aggregation scale are presented in Figure 10. For each elevation, two key months were selected, as representing periods when freeze/thaw cycles typically cease or commence.

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Overall, the results indicate a general decrease in the persistence and frequency of freeze-thaw cycles over the years, signifying a reduction in the number of consecutive days experiencing these cycles. When analyzing different altitude ranges: for elevations below 2000 m (Figure 10a, b, c and d), this reduction in persistence is observed in March/April and October. Due

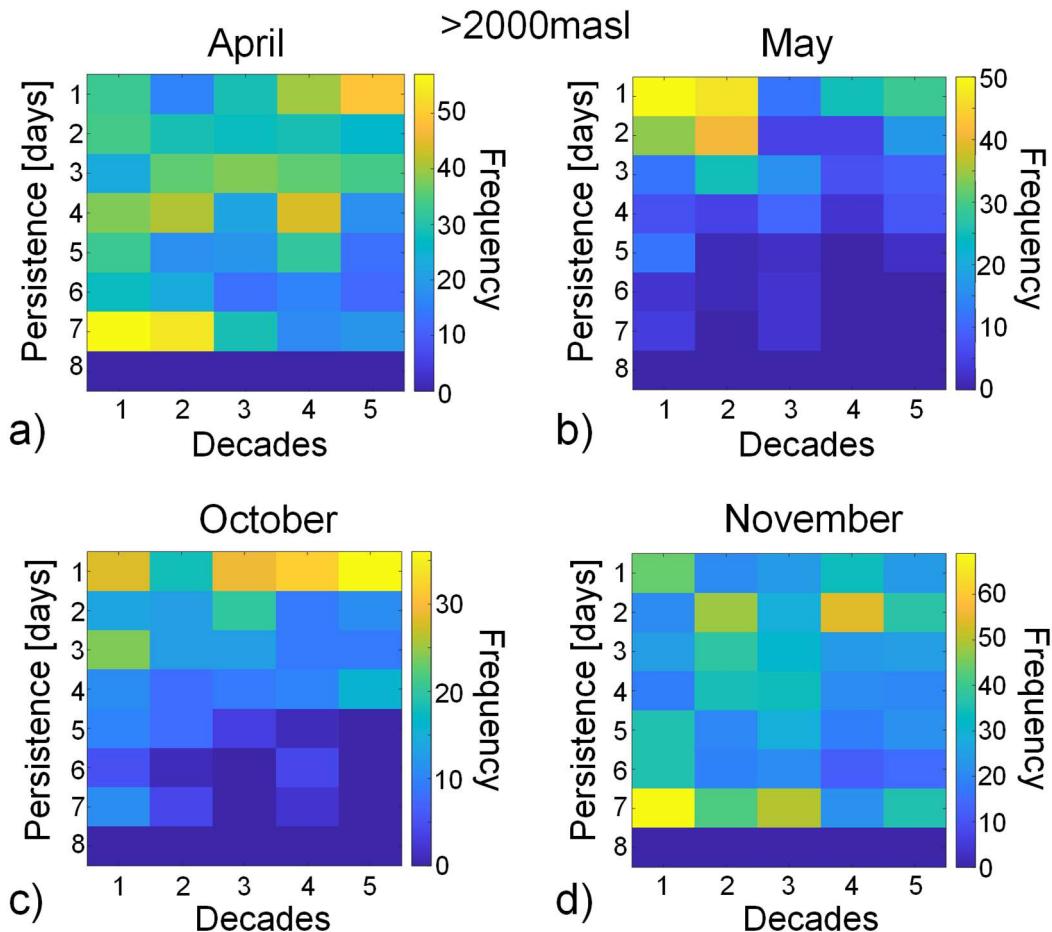
to warming, high frequencies with low persistence are observed in March/April during the last decade, as freeze/thaw cycle days are no longer consecutive. Similarly, in October at low altitudes (Figure 10b), freeze/thaw cycles occur less frequently and tend to disappear. At medium altitudes between 1000 m and 2000 m (Figure 10c and d), an increase in frequencies with one-day persistence is recorded. This indicates that freeze/thaw cycles are becoming more discontinuous, often separated by days where the minimum temperature remains above zero. Above 2000 m (Figure 10e and f), a significant decrease in cycle frequency is observed in June and September. In September, many frequencies of consecutive freeze/thaw days with low persistence (e.g., 2 days) are noted. In contrast, during past decades, freeze/thaw cycles at these altitudes were less frequent but more continuous. These variations observed at different elevations can be attributed to the linear decrease in temperature with increasing altitude. This delays the end of the summer months and brings forward the end of the winter months at higher elevations. Similar patterns can be observed at other aggregation scales, as shown in the supplementary materials (S1.5).



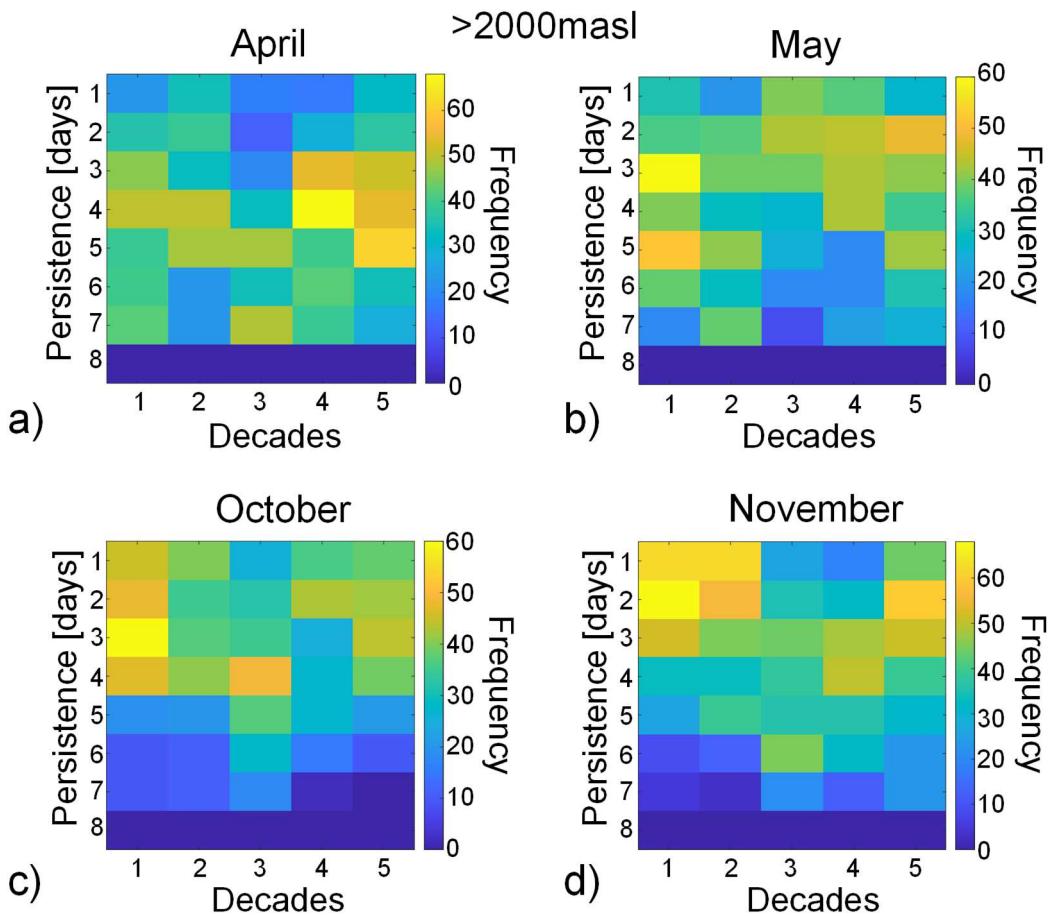
**Figure 10.** Heatmaps of freeze-thaw cycle frequency during thawing and freezing period: (a-b) below 1000 m a.s.l., (c-d) between 1000 m-2000 m a.s.l. and (e-f) above 2000 m a.s.l..

#### 4.1.6 Icing

Figure 11 illustrates the persistence and frequency of icing for the spring and autumn seasons at elevations above 2000 m, using a 7-day aggregation scale. Lower elevations were not considered, as no relevant icing phenomena were present at these altitudes during the studied decades. The results indicate a reduced frequency of 7-day persistence in both April and November. In April and October, there is an increase in 1-day persistence, while a reduction in persistence is noted in May. Consequently, while the total number of icing changes only slightly, their occurrence is increasingly interspersed with ice-free days. This phenomenon is primarily driven by an increase in maximum daily temperatures, which leads to a transition from pervasive icing to more frequent freeze/thaw cycles. To further verify this transition, Figure 12 plots the persistence of freeze/thaw cycles for the same months and aggregation scale. A global increase in the frequency and persistence of freeze/thaw cycles is observed, indicating that some days that would traditionally experience icing are now undergoing freeze/thaw cycles.

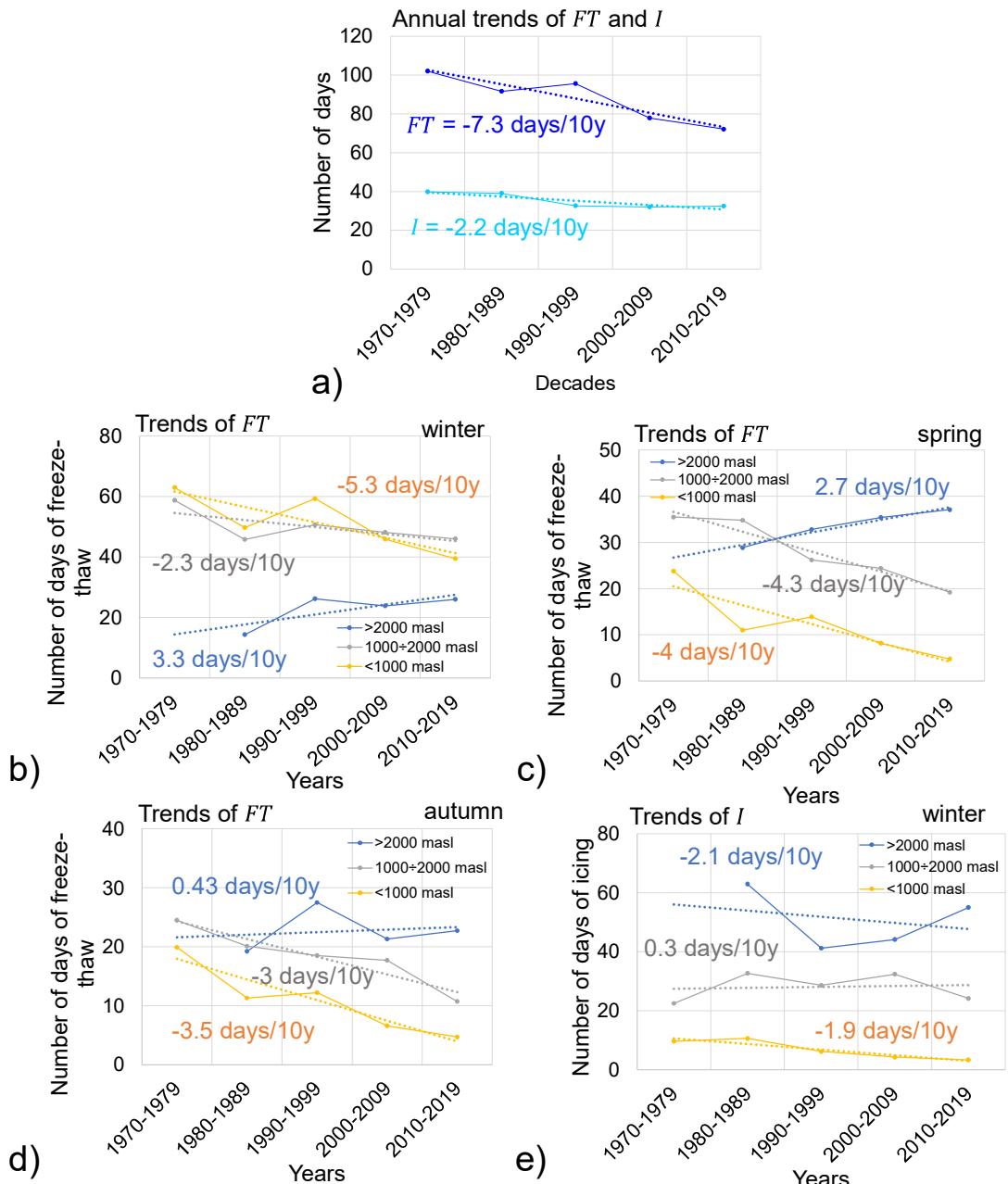


**Figure 11. Heatmaps of icing frequency above 2000 m a.s.l: during (a-b) spring season and (c-d) autumn season.**



**Figure 12. Heatmaps of freeze-thaw cycle frequency above 2000 m a.s.l. during (a-b) spring season and (c-d) autumn season.**

Considering the same weather stations used for the calculation of the temperature trends and employing the approach outlined by Nigrelli and Chiarle (2023), the analysis reveals a decrease of approximately 7.3 freeze-thaw days and about 2.2 icing days per decade (Figure 13a). From the seasonal analysis, while the overall trend is generally decreasing, above 2000 m, freeze-thaw (FT) cycles show an increase at a rate of 3.3 days/10 years in winter and 2.7 days/10 years in spring (Figure 13b-c). Furthermore, in winter above 2000 m, a loss of 2.1 ice days per decade is calculated (Figure 13e).



**Figure 13. Annual and seasonal freeze-thaw (FT) and icing (I) trends relative to altitudes for this case study during 1970 to 2019. (a) considering 12 weather stations; (b) FT trends during winter season; (c) FT trends during spring season; (d) FT trends during autumn season; (e) I trends during winter season.**

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#### 4.2 Rockfall events distribution

From an initial dataset of 5480 rockfalls that occurred between 1970 and 2019, 2971 events were extracted for detailed analysis. Recent rockfalls occurred from 2020 until 2025 were added to them in Figure 14. The results obtained through the proposed approach are discussed below.

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Figure 14a displays the number of recorded rockfall events alongside the number of active weather stations. While the graph suggests an apparent increase in rockfall frequency over the past two decades, it is important to acknowledge that this increase could be partly attributed to improvements in the accuracy, completeness, and documentation of recording method of rockfall events at all elevations in recent years (Huggel et al., 2012; Sass and Oberlechner, 2012; Rupp and Damm, 2020; Bajni et al., 2021).

440

Figure 14b shows the monthly frequency of rockfalls, revealing three main peaks: in November, during the February-March-April period, and in August. The altitudinal distribution of rockfalls events (Figure 14c) referred to the number of events recorded in that decade, shows a frequency a reduction of the frequency with increasing the altitude (apart the altitude between

500 m and 1000 m). For elevations above 1000 m, an increase in relative frequency (since in every decade the number of events changes) is observed across the decades. However, in recent decades, a relative frequency decrease is noted below 1000 m.

To study the variation of the aspect of rockfall source during the different decades, the rockfall dataset was split up in two sub-datasets: one grouping the events from 1970 to 1999 (group A) and the second one collecting the events from 2000 to 2025 (group B). This subdivision was carried out in this way and not for decades because the number of rockfall events in the first two decades was too small. In this way they were aggregate to obtain a significant statistical number of events for the two groups. The obtained results are reported in the Figure 14d where the percentage of rockfall event for different aspect classes (8 sectors) are reported for different elevation and for two groups. The percentage changes for the different elevation and for the two considered groups. For elevation below 1000 m, the predominant percentage is SE in the first group while in the second one is the W. For altitude between 1000 m and 2000 m, in the first group the S and E orientations are more frequent in the group A while in the group B the difference between the aspect classes reduces and S and SE remains still the more important.

Finally, for altitude greater than 2000 m, for group A the predominant component is W while for the group B the W component reduces significantly, the S, SW and SE reduces slightly while the N component has significant increment. This pattern, especially on north-facing cliffs, could be attributed to permafrost thawing, which predominantly is present at elevations higher than 2500 m (Noetzli et al 2003, Noetzli and Gruber 2009).

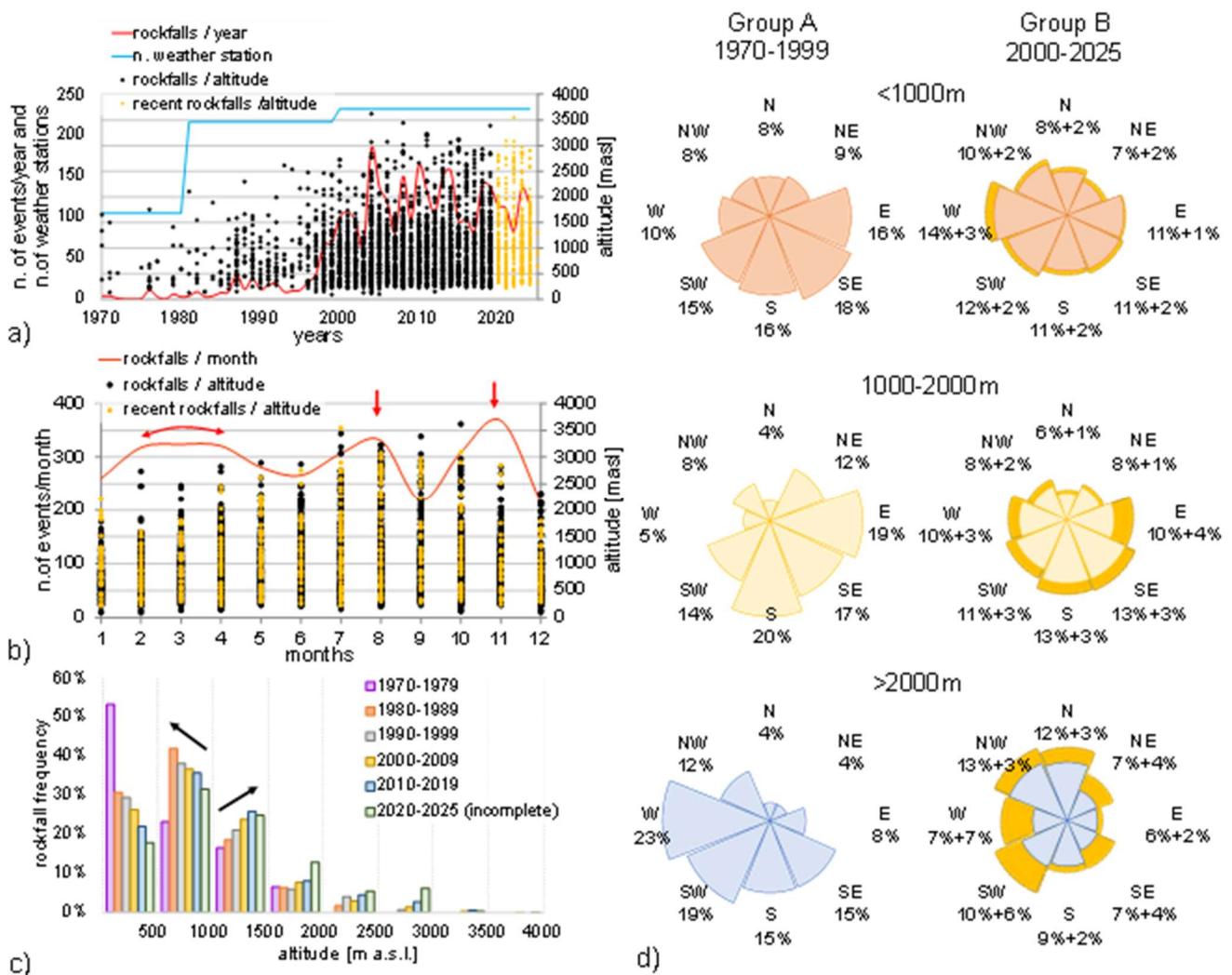


Figure 14. Analysis of rockfall events from 1970 to 2025: (a) annual frequency of rockfalls (red line), distribution of rockfall events relative to altitude (black and yellow dots), number of active weather stations (blue line); (b) monthly frequency of rockfall events relative for all years (red line), altitude distribution for all years for the different months (yellow and black dots); (c) rockfall event distribution in terms of altitude and decades; (d) comparison rockfalls frequencies occurrence in terms of aspect classes for different altitudes (0-1000 m, 1000-2000 m and greater than 2000 m) between 1970-1999 (left side) and 2000-2025 (right side). Rockfalls frequencies from 2020 to 2025 are represented in the yellow areas.

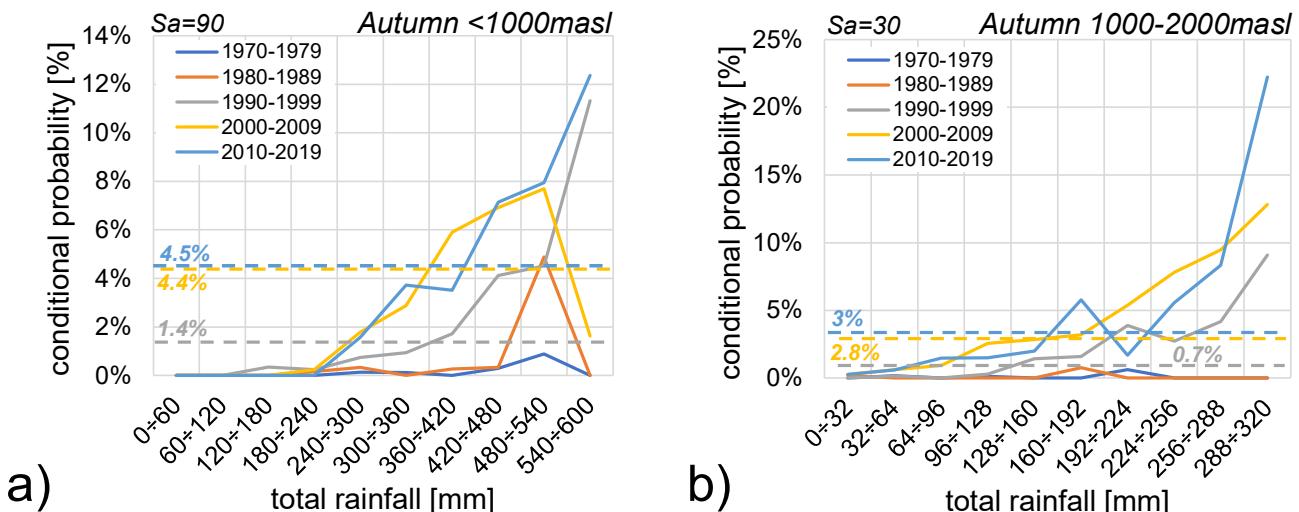
#### 4.3. Rockfalls and climate variables

The sub-section aims to assess the specific relationship between rockfall events and various meteorological variables. Given that weather variables exhibit spatio-temporal variability, the analysis is presented in terms of elevation range, season, and aggregation scale. The same climate variables and their defined ranges, as used in the climate analysis, were considered, using the same ranges. The relationships between rockfall events and meteorological variables are calculated by considering both nearby weather stations and with triangulation method, latter is reported in the supplementary materials (S3). For sake of brevity, only the most significant results are shown here. Comprehensive tables containing all the analysed conditional probabilities are provided in the supplementary materials (S2).

##### 4.3.1 Rainfall

Figure 15 presents the conditional probabilities of rockfall events under the condition that rainfall is within a given range. Specifically, Figure 15a illustrates these probabilities for the autumn season at elevations below 1000 m a.s.l. with  $S_a = 90$  days, while Figure 15b shows the probabilities for autumn season at elevations between 1000-2000 m a.s.l. with  $S_a = 30$  days.

In both cases, an increment in conditional probability is observed for the highest values of total rainfall in the last decade, reaching 12.4% below 1000 m and 22.2% between 1000-2000 m. When considering other aggregation scales and altitudes (detailed in supplementary materials S2.1), the highest probabilities associated with rainfall continue to occur during autumn season, specifically with a 7-days aggregation scale below 2000 m and a daily aggregation scale below 1000 m. These findings suggest a potential correlation between rockfall events and high total rainfall values during the autumn season. Furthermore, it is notable that in earlier periods, rockfalls showed a higher probability of occurrence with daily and weekly aggregation scales, whereas in the last decade, probabilities are higher with monthly and quarterly aggregation scales.



**Figure 15. Conditional probabilities of rockfalls triggered by rainfall from 1970 to 2019 during autumn season: (a) below 1000 m a.s.l. considering an aggregation scale  $S_a = 90$  days; (b) between 1000-2000 m a.s.l. with an aggregation scale  $S_a = 30$  days. Rockfall probabilities are represented by the coloured dotted lines according to the decade as shown in the legend.**

##### 4.3.2 Mean air temperature

Figure 16a shows a conditional probability of 12.7% for rockfall events triggered by mean weekly air temperatures at elevations between 1000-2000 m a.s.l. during the summer season. Figure 16b illustrates a probability of 2.2% for rockfall events triggered by monthly temperature at elevations above 2000 m a.s.l. during the autumn season. A comprehensive analysis of all the results in the supplementary materials (S2.2), rockfall probability increased during decades particularly in the last two decades with higher probabilities in winter and spring below 1000m, in summer between 1000m and 2000m and in autumn above 2000m.

These results imply a possible correlation between rockfall events and increasing temperatures in accordance to climate analysis.

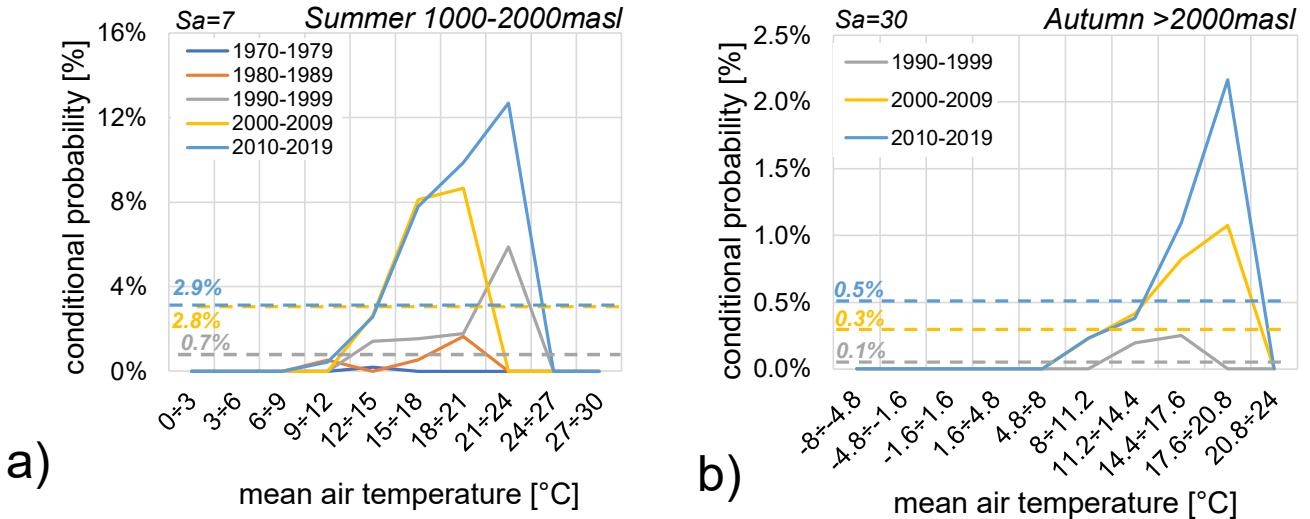


Figure 16. Conditional probabilities of rockfalls triggered by mean temperature values from 1970 to 2019: (a) during summer season between 1000-2000 m a.s.l. with an aggregation scale  $S_a = 7$  days. (b) during autumn season above 2000 m a.s.l. with an aggregation scale  $S_a = 30$  days. Rockfall probabilities are represented by the coloured dotted lines according to the decade as shown in the legend.

#### 4.3.3 Temperature amplitude

In Figure 17 the conditional probabilities of rockfall events conditioned by monthly air temperature amplitude ( $T_{max} - T_{min}$ ) are presented. Specifically, Figure 17a shows these probabilities during the spring season below 1000 m a.s.l., and Figure 17b shows them during the winter season between 1000-2000 m a.s.l.. Observing Figure 17a, a probability of 28.6% corresponds to a temperature amplitude range of 8.8°C to 9.9°C. Figure 17b indicates a 5.8% probability that rockfall are conditioned by temperature amplitude range of 9°C to 10°C. All results consistently show higher probability values in the last two decades, especially for temperature amplitude ranges greater than 6.6°C during spring and ranges from 9°C to 10°C in winter, with the exception of cases where  $Sa = 0$ . This suggests that higher probabilities of rockfall events are generally associated with largest ranges of temperature amplitude.

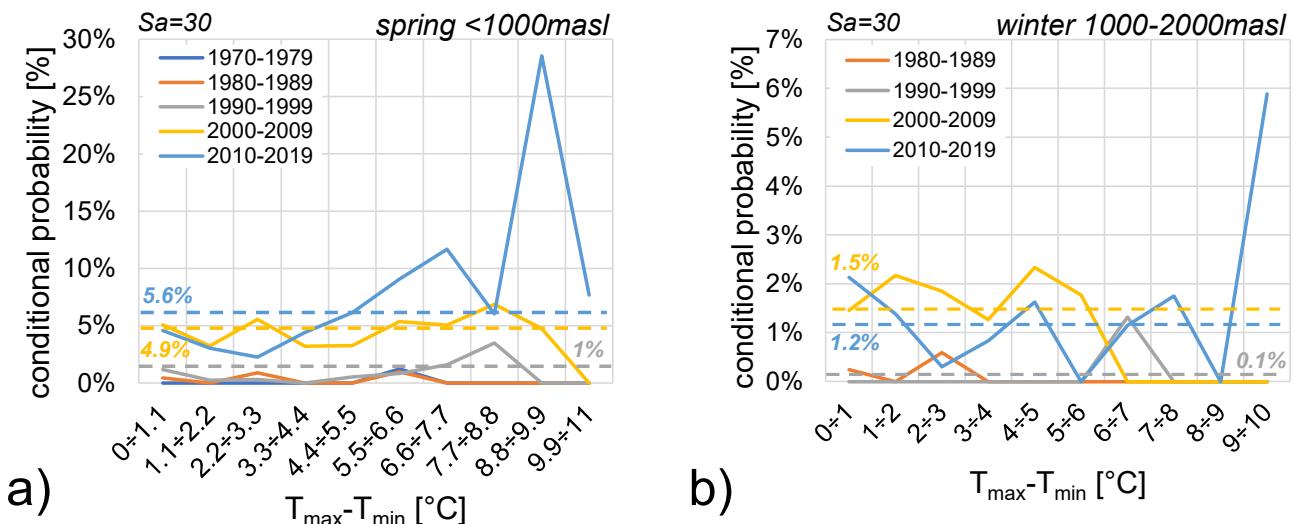


Figure 17. Conditional probabilities of rockfalls conditioned by ranges of temperature amplitude from 1970 to 2019: (a) during spring season below 1000 m a.s.l.; (b) during winter season between 1000 m-2000 m a.s.l.. Rockfall probabilities are represented by the coloured dotted lines according to the decade as shown in the legend.

#### 4.3.4 Air mean Temperature variation

Figure 18 illustrates the conditional probabilities of rockfalls caused by temperature variation. Figure 18a shows results with a 1-day aggregation scale during summer between 1000-2000 m a.s.l., while Figure 18b shows results with a 6-day aggregation scale during spring season below 1000 m a.s.l.. At altitudes between 1000 m to 2000 m, a probability of 14.3% for rockfalls is observed with temperature variations ranging from -9°C to -6°C. Below 1000 m, rockfalls are more probable (20%) for temperature variations ranging between 8.8°C to 11°C. Notably, temperature variation frequencies do not change significantly over the decades, implying that temperature variation can be considered stable from a climate perspective.

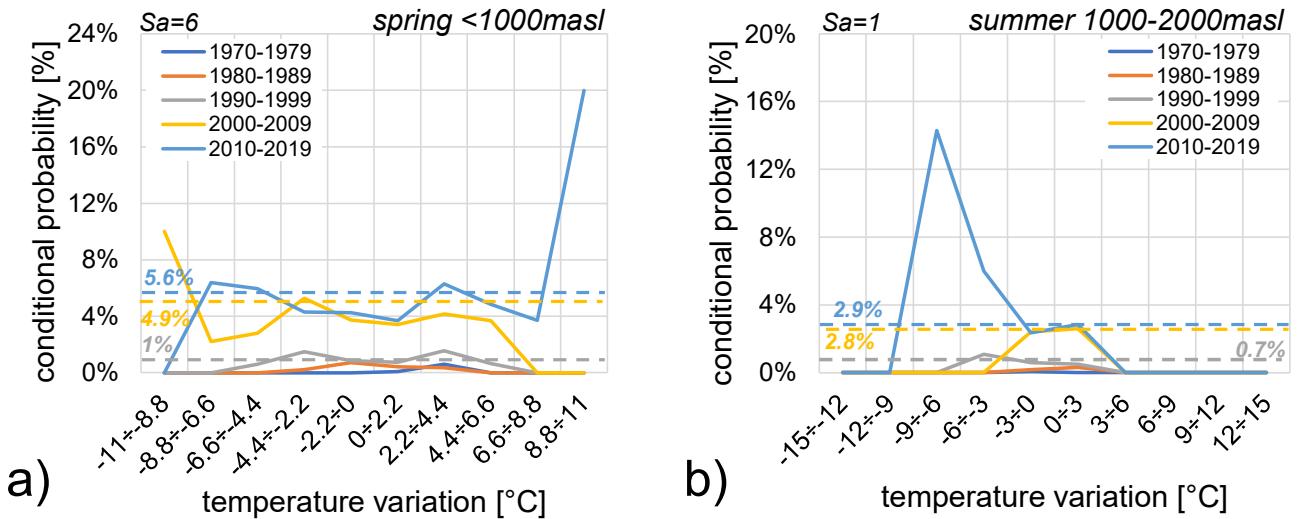


Figure 18. Conditional probabilities of rockfalls from 1970 to 2019 during: (a) spring season below 1000 m a.s.l. and (b) during summer season between 1000-2000 m a.s.l.. Rockfall probabilities are represented by the coloured dotted lines according to the decade as shown in the legend.

#### 4.3.5 Freeze-Thaw cycle and icing

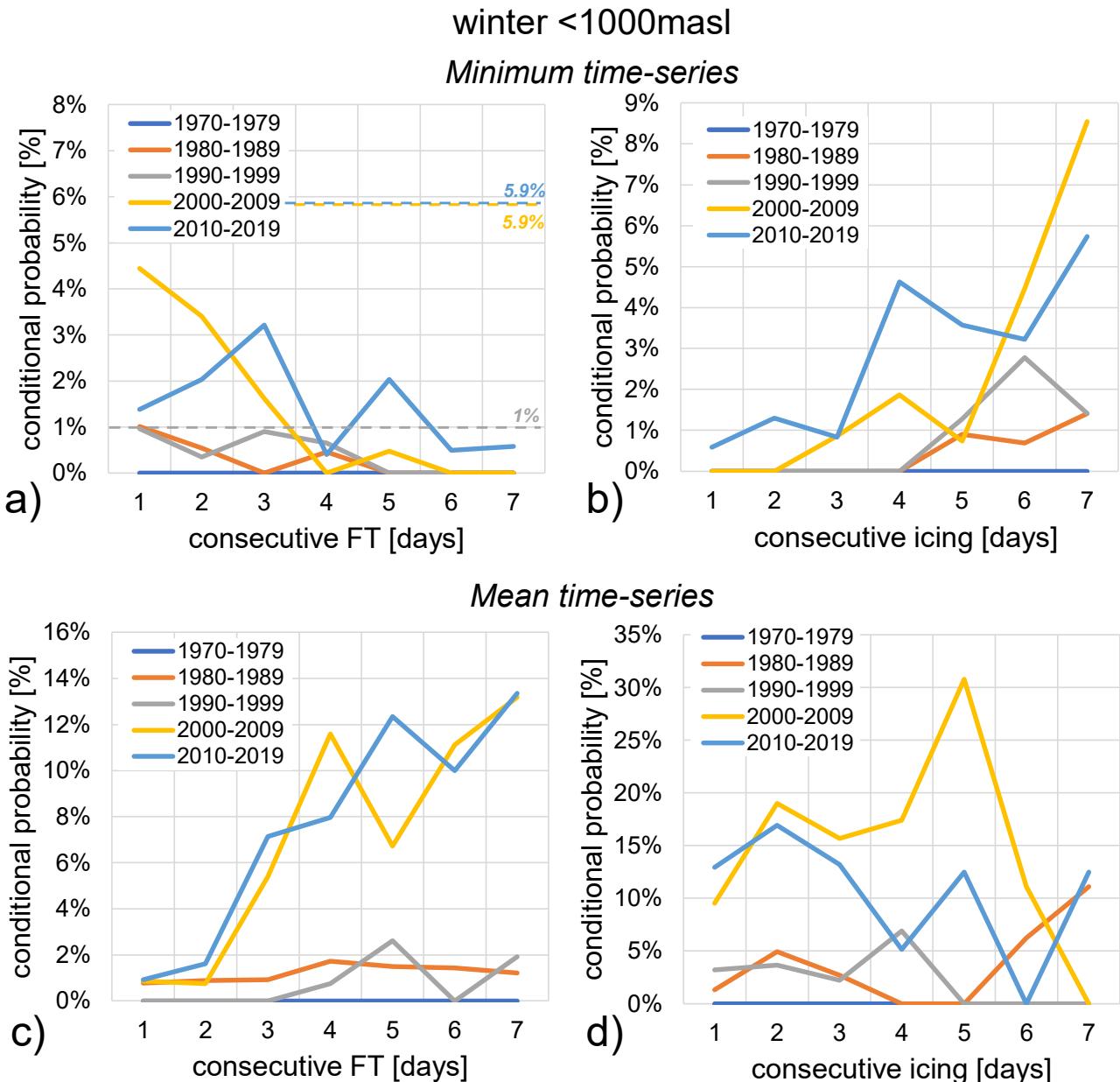
The Bayesian analysis for freeze-thaw cycles and icing relies on three temperature time-series (maximum, mean, and minimum) obtained through regionalization, thus significantly influencing the results. To demonstrate this, we compare the results for minimum and mean temperature time-series with a 7-day aggregation scale, focusing on two specific cases: (i) winter at altitudes below 1000 m a.s.l. (Figure 19) and (ii) spring between 1000 m a.s.l. and 2000 m a.s.l. (Figure 20). Equation (10) indicates that the conditional probability of a rockfall event ( $P(Rf|M)$ ) is dependent on the frequency of freeze-thaw cycles (FT) and icing events. As the conditional probability ranges from 0 to 1, variations in the numerator (i.e., the frequency of FT and icing events) have a more significant impact on the overall trend of  $P(M|Rf)$  than variations in the denominator, especially when FT and icing events exhibit similar trends over consecutive days.

In Figure 19(a-b), where icing events are more prevalent than FT cycles,  $P(Rf|M)$  increases with increasing icing events and decreases with increasing FT cycles. Conversely, in Figure 19(c-d) where FT cycles are more frequent, the opposite trend is observed.

Similar trends are noted in Figure 20, with the specific behaviour depending on the relative frequency of FT and icing events.

For instance, in Fig. 20(a-b),  $P(Rf|M)$  increases with increasing FT events and decreases with increasing icing events.

The contrasting trends observed in the two examples can be attributed to the varying influence of overall rockfall probability. Below 1000 m a.s.l., the rockfall probability remains relatively stable, whereas between 1000 m a.s.l. and 2000 m a.s.l., it tends to increase over time.

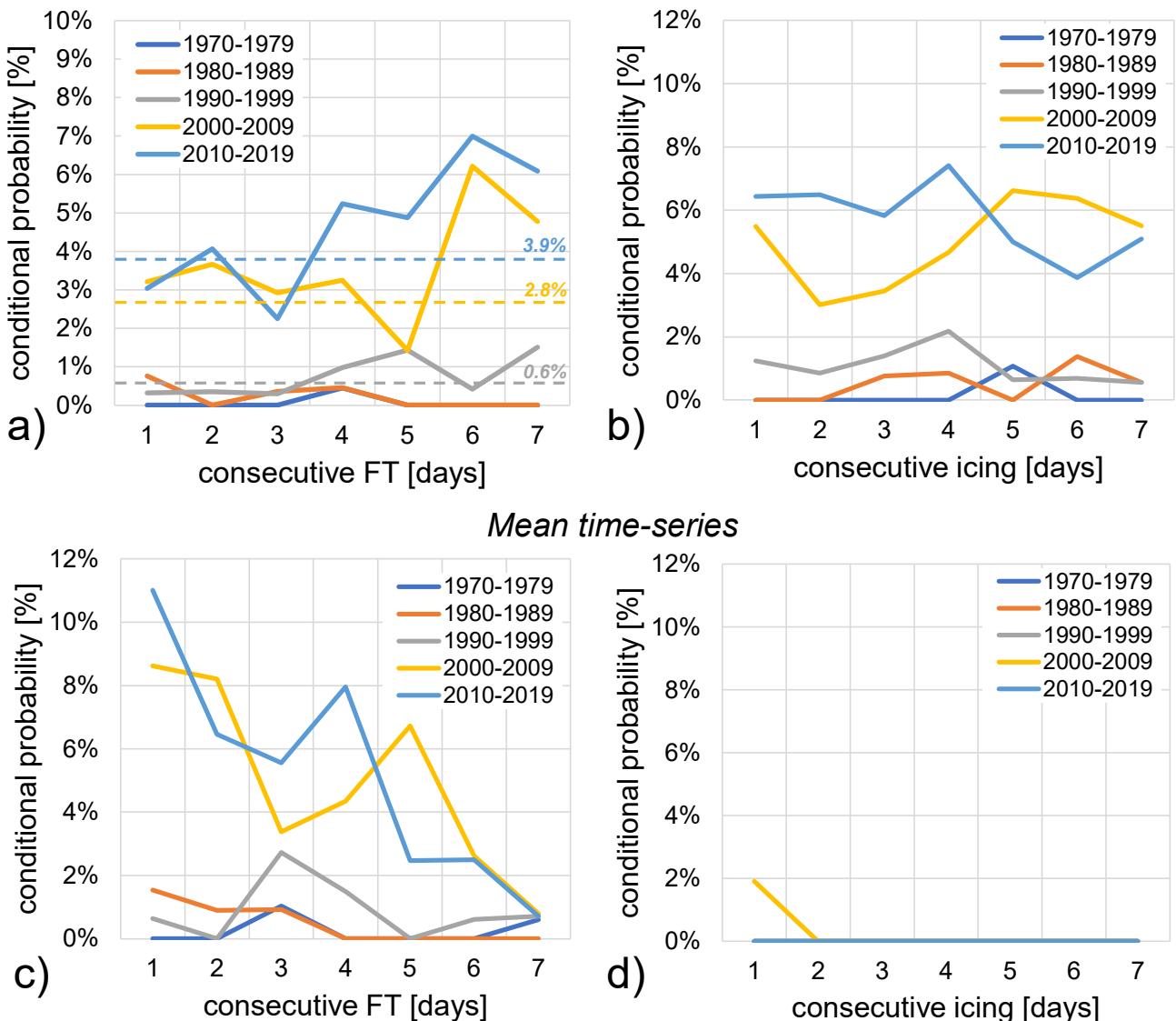


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Figure 19. Conditional probabilities of rockfalls during winter below 1000 m a.s.l. from 1970 to 2019 with a 7 days aggregation scale: (a and c) triggered by freeze-thaw cycles with minimum and mean times-series; (b and d) triggered by icing with minimum and maximum time-series. Rockfall probabilities are represented by the coloured dotted lines according to the decade as shown in the legend.

## spring 1000-2000masl

### Minimum time-series



550 Figure 20. Conditional probabilities of rockfalls during spring between 1000 m a.s.l. and 2000 m a.s.l. from 1970 to 2019 with a 7 days aggregation scale. (a and c) triggered by freeze-thaw cycles with minimum and mean time-series. (b and d) triggered by icing with minimum and mean time-series. Rockfall probabilities are represented by the coloured dotted lines according to the decade as shown in the legend.

## 5 Discussion

555

### 5.1 Climate

Global and regional climate variations, particularly concerning temperature trends, have been extensively monitored and reported. For instance, Gobiet et al. (2014) documented increasing temperature in the alpine region from 1980 onwards, with annual mean warming rates of 0.5°C per decade. Their projections also suggest that the 21st-century temperature changes will impact not only rising values but also seasonal cycles. Similarly, in the Swiss Alps, Allen and Huggel (2013) observed an increase in both the values and frequencies of maximum temperature,  $T_{max}$ , with a rate of 0.49°C per decade during summer season. Ceppi et al (2012) reported a comparable rate of 0.46 °C/decade, while Beniston (2006) found that winter minimum temperatures,  $T_{min}$ , below 1000 m elevation increased by approximately 4°C for the period 1961-1990, with summer temperatures projected to exceed current values by 5.5–6°C. It is noteworthy that during the Early Twentieth Century Warming (ETCW, 1916-1945) a maximal global warming trend of 0.47°C/30 years was observed (Bengtsson et al., 2004). The climate

565 reports for the current study area consistently align with these broader findings. The ZAMG (2015) climate report for a  
subregion of the Alpine arc (Tyrol, South Tyrol and Belluno) indicates typical climate fluctuations until 1980, followed by a  
distinct warming trend from 1980 to 2010. Seasonally, this report noted: (i) minimal warming in spring and summer; (ii) less  
variation in autumn temperatures, and (iii) milder winters. Consequently, the number of warm days in summer has increased,  
while icing or frost days have decreased. Nigrelli and Chiarle (2023) further stated that during the most recent climatological  
570 normal period (1991-2020), the annual average minimum temperature was  $-2.4^{\circ}\text{C}$ , with a warming rate of  $0.4^{\circ}\text{C}$  per decade,  
and the annual average maximum temperature was  $4.4^{\circ}\text{C}$  with a warming rate of  $0.5^{\circ}\text{C}$  per decade. Summer and autumn  
temperatures exhibited the highest warming rates, approximately  $0.6^{\circ}\text{C}$  per decade.

575 In this work, by analysing stations characterized by altitudes, an annual warming rate of  $0.51^{\circ}\text{C}$  per decade was found above  
2000 m (Figure 6). However, for this specific rate, it is crucial to consider the shorter time period used for analysis at these  
580 higher altitudes. When analysing stations by seasons, the maximum temperature warming rate, in this case, also occurred  
during spring season, consistent with some regional observations.

585 Regarding water availability, several studies suggest a potential decline in some regions due to reduced precipitation and a  
decrease in snowpack and snow season duration in many mountain areas (Beniston, 2003). In the Swiss Alps, for instance,  
elevations below 1200 m have experienced a reduction in total snow amount and snow season by approximately 100 days  
590 since the mid-1980s. Beniston (2006) additionally noted that for every  $1^{\circ}\text{C}$  increase in temperature, the snowline rises by about  
150 m. Nigrelli and Chiarle (2023) observed a decrease in the Alps in the number of icing days (days when the maximum  
temperature is below  $0^{\circ}\text{C}$ ) by 6 days per decade, and the number of freeze-thaw cycle days (days when the minimum  
temperature is below  $0^{\circ}\text{C}$ ) by 9 days per decade. As observed in the Figure 13 similar results were concluded in this work in  
which a local region was considered.

595 Wang et al (2021) achieved similar results on a global scale, observing significant changes in the length of the four seasons  
between 1952 and 2011: spring and summer started earlier by 1.6 days/10 years and 2.5 days/10 years, respectively, while the  
onset of autumn and winter was delayed by 1.7 days/10 years and 0.5 days/10 years, respectively. This conclusion was also  
observed in our work, as shown in Figure 7, even though our analysis focused on a local scale and a 50-year time range.

600 Concerning rainfall, our results indicate that high-intensity rainfall events are becoming more frequent. This finding is  
consistent with Schmidli and Frei (2005) and Widmann and Schär (1997), who reported an increase in mean precipitation  
during the 20th century during, particularly in fall and winter. Beniston (2006) noted that precipitation patterns in the Swiss  
Alps have changed, with winter precipitation decreasing marginally (2–3%) while summer precipitation is projected to  
decrease by 15–20% in most parts of the Alpine chain. According to Christensen and Christensen (2003), reductions in average  
605 summer precipitation may be accompanied by a sharp increase in short but heavy precipitation events. Gobiet et al. (2014)  
also stated that precipitation generally decreases in summer and increases in winter. The RAPS method, applied in our study (Figure 4),  
further confirmed these results by showing long-term trends similar to those identified by Garbrecht and Fernandez  
(1994), who studied 90-year annual rainfall (1902-1991) in Bryan County, Oklahoma, and identified distinct periods of  
decrease (1902-1966) followed by increase (1967-1991), which corresponded to occurrences of floods and droughts.

## 5.2 Rockfall

610 In the proposed approach the effect of the meteorological variable on the rockfall onset was studied by means of Bayesian  
method considering different weather variables and for each variable different range according to the altitude and season. It is  
important to highlight as stated by many authors (Gelman 2008; Berti et al. 2012) Bayesian methods don't learn anything new  
so much as merely suggested by data results, indeed the posterior probability  $P(Rf|M_i)$ , entirely depends on the likelihood  
615 function and on prior and marginal probabilities: therefore, expressing this probability through the Bayes formula allows to  
formally show that this corresponds to the conditional probability of rockfall occurring given the meteorological variable being  
within the range  $i$ , starting from the observation of the number of rockfalls showing this variable range. Therefore, this kind

of analysis cannot be used for predicting future events according to the recorded data but only the assess the evolution of the onset conditions with time. Hence, this approach is an important tool to objectively assess the effects induced of the climate variation on the rockfall events differently from other approach that consider only extreme values.

610 Furthermore, our results findings align with various seasonal patterns reported in previous Alpine research. For instance, Corò et al. (2015) identified in the Alps rockfall frequency peaks in October-November, June-July and March. Bajni et al. (2021) observed primary peaks in spring and minor peaks in January in the Aosta Valley; while Frayssines and Hantz (2006) found a primary peak in winter and a secondary peak in April in the French Alps. Similarly, Perret et al. (2006) highlighted early spring seasonality in the rockfall frequency in the Swiss Alps. Consistent with these observations, our study reveals distinct rockfall peaks in November, February, April, and August (Figure 14b).

615 Climate variables significantly influence rockfall occurrence. Our analysis indicates a relationship between winter rockfalls and precipitation, particularly daily rainfall events exceeding 31.5 mm. Summer rockfalls above 2000 m are potentially linked to mean air temperatures exceeding 9°C, while spring rockfalls between 1000 m and 2000 m correlate with mean air temperatures ranging from 5.8°C to 15.4°C. Additionally, rockfalls exhibit a correlation with winter temperature amplitudes between 1°C and 7°C at elevations between 1000 m and 2000 m, and summer temperature amplitudes between 10.8°C and 12°C above 2000 m.

620 Air temperature plays a crucial role in rockfall initiation, particularly during warmer months. Elevated temperatures can accelerate snowmelt, facilitating water infiltration into rockwall discontinuities and thereby triggering rockfalls, especially at the onset of summer and autumn (Allen and Huggel, 2013). Furthermore, air temperature directly influences other critical mechanisms such as icing and freeze-thaw cycles (Noetzli et al., 2003; Salzmann et al., 2007; Manent et al., 2024).

625 The impact of freeze-thaw (FT) cycles on rockfall occurrence has been extensively investigated. Frayssines-Hantz (2006) observed a correlation between rockfalls and frequent temperature fluctuations around the freezing point in early spring and late autumn at elevations between 1000 m and 2000 m. D'Amato et al. (2016) reported an increase in rockfall frequency during freeze-thaw episodes, particularly during thawing periods. This study confirms these findings, with an increased rockfall frequency observed in winter below 1000 m during FT cycles lasting 1 to 3 days, and in spring between 1000 m and 2000 m. A slight increase in rockfall frequency was also observed during icing periods lasting 1 to 5 days.

630 The methodology employed in this study for obtaining the sampled time-series was inspired by the work of Paranunzio et al. (2015). Consequently, comparing between our frequency and the anomaly results reported by Paranunzio et al. (2015) is essential. Paranunzio et al. (2015) concluded that four out of five case studies in the Piedmont region could be attributed to meteorological anomalies, such as temperature rise or heavy precipitation. In a subsequent study, Paranunzio et al. (2016) found that in 85% of cases across the Western and Eastern Alps, at least one climate variable has anomaly values at rockfall occurrence, with most events linked to short-term temperature anomalies. Precipitation was identified as a contributing factor in only 15% of rockfall events at weekly, monthly, and quarterly aggregation scales.

635 To further validate our approach, we adapted and tested the method of Paranunzio et al. (2016) in this study, comparing the results obtained with its method to those obtained using our proposed method starting in both cases from the dataset reported in this work. We analysed the same climate variables (precipitation and mean air temperature) at identical aggregation scales (daily, weekly, monthly, and quarterly). Additionally, we investigated temperature variations ( $\Delta T$ ) over 1, 3, and 6 days prior to the event. The non-exceedance probability  $P(V)$  was calculated and an event is considered anomalous when its non-exceedance probability is less than  $\alpha/2$  or is greater than  $1.0 - \alpha/2$  being  $\alpha$  a significance level that is equal to  $\alpha=0.2$  as indicated in Paranunzio et al. (2016). The obtained results are reported in Figure 21 where the frequencies of the anomalous events are reported according to the corresponding meteorological variables. For all considered variables the frequencies of anomalous events increase with the decades and more frequent anomalous events are located in the middle of the range of the considered values for each variable. This result could be due to the definition of non-exceeding probability that was estimated ordering the recorded data values. This implies that the first values in the rank could be relative higher but not the highest in

the meteorological station. In contrast the conditional probability has greater values for high values of meteorological variables. This difference is attributed to the method employed for computing the conditional probability in which the meteorological probability is computed for all ranges even those in which the rockfall events did not occurred. Finally, temperature variations have to peaks one associated to negative values and another one to positive. This result is attributed to the fact that the same temperature variation could occur for increasing temperature (temperature variation positive) and for decreasing temperature (temperature variation negative) and since the anomalous events correspond to a symmetric value of non-exceeding probabilities (positive and negative anomalies) two peaks appeared.

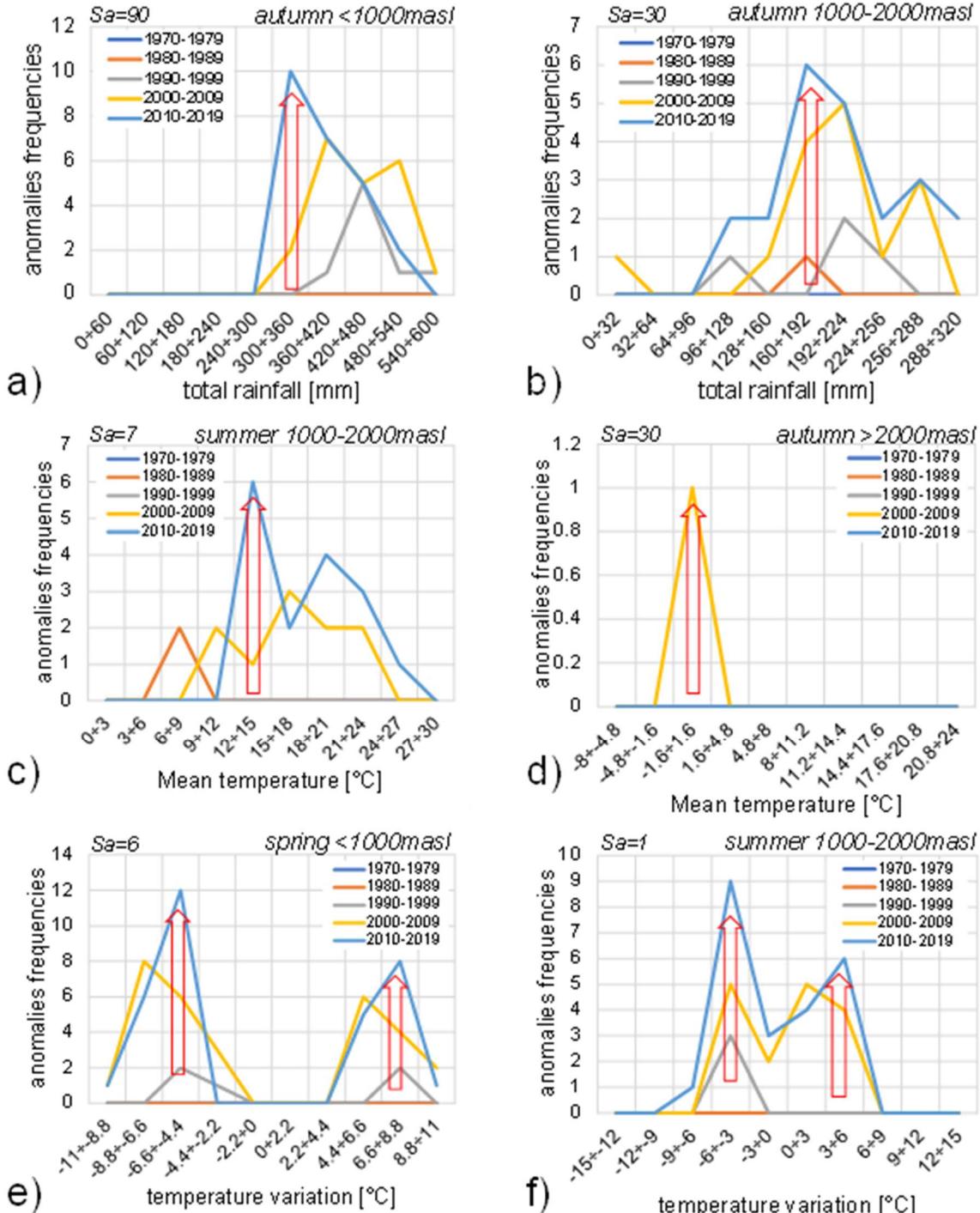


Figure 21 Distributions of anomaly frequencies by using Paranunzio et al. (2015) method, categorized by climate variable and aggregation scale as applied in this analysis. Only results for rainfall, temperature amplitude and temperature variation, as presented in Section 4.3, are reported.

Due to the complexity of meteorological but also lithological and morphological conditions under which the rockfall occurred, this analysis does not allow to unravel into detail the mechanisms why a weather variable has different effects according to the

season or elevation. For such detail, it should be necessary to constrain the analysis by considering only rockfalls occurring on single lithological and morphological settings through a detailed multitemporal survey that allows to focus on specific weather variables, e.g. thermal stress (Collins and Stock, 2016; Gasc-Barbier et al., 2024; Fei et al., 2025), freeze-thaw (D'Amato et al., 2016), or rainfall (Weidner et al., 2024).

Finally, comparing the correlation results obtained using the triangulation method, reported in the supplementary material, the distributions are similar to those reported in chapter 4.3. Variations in conditional probabilities have been noted but, in many cases, the observed trends are similar. In the remaining cases, the difference of the trends this could be due to the resolution of the analysis at a local scale, as the calculation of the variable's time series was averaged considering three stations associated per rockfall event. Another interpretation of the variation in conditional probabilities for these cases could be due to the fact that by reducing the number of weather stations considered (as only three are associated with the rockfall event), the calculation of  $P(M)$  also reduces  $P(M|R)$  and  $P(R|M)$  accordingly.

## 6 Conclusion

This study analysed meteorological data from 1970 to 2019, confirming a significant warming trend in the Alpine region, consistent with previous research. Specifically, for the period 1985-2019, the study area recorded an annual mean warming rate of  $0.28^{\circ}\text{C}$  per decade for minimum temperature and  $0.15^{\circ}\text{C}$  per decade for maximum temperature. The highest warming rates were notably observed during the spring period, with a maximum increase of  $0.3^{\circ}\text{C}$  per decade. These trends indicate that springs and autumns are becoming warmer, summers are experiencing increasing frequencies of high temperature values, and winters are growing milder. This overall warming leads to an earlier onset of summer and a delayed onset of winter, consequently altering the length of these seasons.

Significant changes in precipitation patterns were also observed. There is a clear increase in high-intensity rainfall events, particularly in winter, alongside a reduction in low-intensity rainfall was recorded across all seasons. This finding aligns with established observations for the Alpine region in the existing literature. Conversely, summer precipitation variations were modest, contrasting with some previous projections for the area.

A notable decline in both icing and freeze-thaw cycles days was identified. Quantitatively, this study estimates a decrease of 7.3 days of freeze-thaw cycles and 2.2 icing days every decade.

The Rescaled Adjusted Partial Sums (RAPS) method provided valuable insights into long-term trends and fluctuations in precipitation. It highlighted that climate evolution is primarily driven not by changes in the maximum values of climate variables, but rather by variations in their frequencies over the years.

Our rockfall analysis revealed that rockfall frequencies exhibit three main peaks: in November, February-April, and August. Regarding the aspect of the source area, for altitude greater than 2000 m, for group A the predominant component is W while for the group B the W component reduces significantly (from 23% to 7%+7%), the S, SW and SE reduces slightly while the N component has significant increment (from 4% to 12% +3%): a pattern potentially linked to permafrost thawing in these high-altitude.

The study identified several correlations between rockfall events and specific climate variables. High-intensity rainfall and rockfalls are correlated in autumn, with monthly and quarterly rainfall events showing conditional probabilities of 12.4% below 1000 m and 22.2% at altitudes between 1000 m and 2000 m. A correlation with mean air temperatures was observed: a 12.7% conditional probability for rockfalls with weekly mean temperatures ranging from  $21^{\circ}\text{C}$  to  $24^{\circ}\text{C}$  during the summer season between 1000 m and 2000 m. This conditional probability reaches 2.2% above 2000 m with temperatures ranging from  $17.6^{\circ}\text{C}$  to  $20.8^{\circ}\text{C}$  during the autumn season (at a 30-day aggregation scale). Temperature amplitude also showed correlations: in spring below 1000 m a.s.l., a 28.6% probability was found for amplitudes between  $8.8^{\circ}\text{C}$  and  $9.9^{\circ}\text{C}$ . In winter, between 1000 m a.s.l. and 2000 m a.s.l., a 5.8% probability was observed for amplitudes in the range of  $9^{\circ}\text{C}$  to  $10^{\circ}\text{C}$ . Regarding temperature variation,

rockfalls in summer between 1000 m and 2000 m are correlated with a 14.3% probability with temperature variations from - 705 9°C to -6°C. During spring below 1000 m a.s.l., a conditional probability of 20% was found for the maximum range of variation (8.8°C÷11°C).

Finally, the analysis of correlations between rockfall events and freeze-thaw cycles and icing periods highlighted that the probability results are significantly influenced by the chosen calculated time-series (maximum, average, or minimum temperature), emphasizing the importance of detailed temperature data for these phenomena.

710 **Author contributions**

FB: meteorological and rockfall data collection and analysis; FB and GD performed the statistical analyses; FB, GD and GC prepared the draft manuscript. PF and GC provided funding, supervised the project and the analyses.

**Competing interests**

The authors declare that they have no conflict of interest.

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