

Response to Reviewer 1

We thank the reviewer for providing insightful comments and suggestions on our paper. We believe that responding to the comments has further improved the quality of the manuscript. We have addressed the comments below. The reviewer comments are in **black**, our responses in **red** and any text changes in **blue**.

Review 1

This paper presents a study of the transient effects on the droplet temperature and lifetime when the droplet is suddenly immersed in a drier environment. The motivation is that this transient has been hypothesized to play an important role in ice nucleation. The authors find that the temperature reduction can be threefold the values found in the steady solution.

The paper could be an interesting contribution to the topic of ice micro-physics. However, some parts of the setup, the results and the explanations were a bit unclear. I provide the details below.

1. I am not sure about the novelty of the result that the gradients inside the droplet dissipate quickly. The standard estimate of a diffusive time is r_0^2/κ , where r_0 is the length scale, in this case the droplet's radius, and κ is the thermal diffusivity of water. For the typical values consider in this paper, one find time scales which are indeed less than 0.1 s. What would be the new contribution from the detailed simulations in this paper for this particular aspect of the gradients inside the droplet?

The reviewer's standard estimate is correct and is consistent with the results shown in the original Figure 3, whose point was to simply show that diffusive timescales are a fraction of a second. To shorten the manuscript and address the reviewer's main point, we have removed the original Fig. 3 and reduced the discussion of the internal temperature gradient dissipation within the droplet, noting that the model results conform to the diffusive timescale as pointed out by the reviewer.

Comments #2 and #11 are related in that they ask for more insight into the physical mechanisms regarding droplet evaporative cooling. We organize the response below to answer these two questions together.

2. What is the physical mechanism that explains the large difference of the droplet's temperature with respect to the steady solution. I understand that the rapid evaporation cools the droplet quickly, but the water vapor needs to be diffused away for the evaporation to continue, and thermal energy is diffused similarly quick towards the droplet. Textbooks like Rogers and Yau [1989] and Lamb and Verlinde [2011] retain the effect of the gradients and the evaporative cooling. Normally, the effect on temperature is small but the effect on evaporative rates is large because of the nonlinearity of Clausius-Clapeyron, which why I was surprised to see the large changes in T . Why is the diffusion of thermal energy towards the droplet not compensating the evaporative cooling as efficiently as in the steady state case?

The authors refer to the dependence of the vapor diffusion coefficient on T to explain part of this behavior, e.g. in line 769 in the conclusions. However, this dependence accounts for a change of D of only $\approx 7 - 8\%$, whereas the temperature difference between the droplet and the environment is 2-3 times, and this should lead to larger thermal energy flux towards the droplet.

11. For instance, in section 4.2, the dependence on T_∞ and P seems to be much smaller than that on RH_∞ . Why? It might be more useful to differentiate those dependences and concentrate on the latter one instead of showing all figures. Otherwise, there are so many figures that it becomes difficult to distilled the new information that they convey.

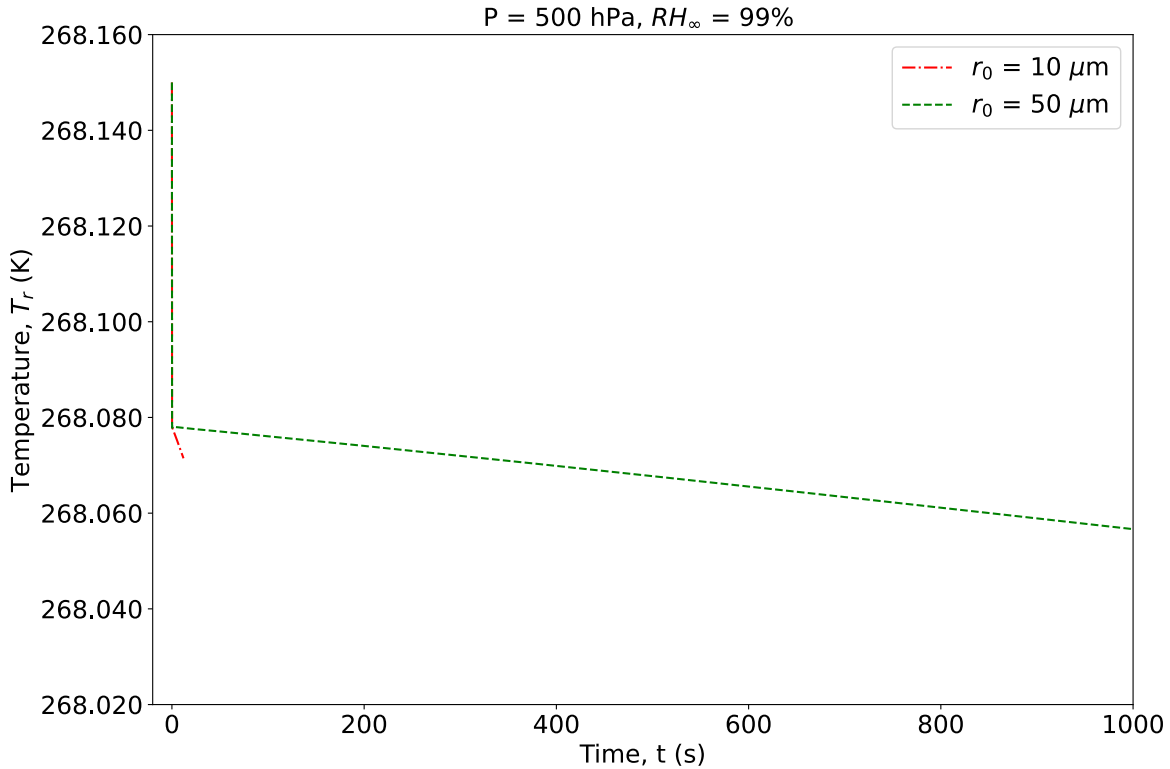
The dependence on T_∞ and P is much smaller than that on RH_∞ . The strong dependence on RH_∞ compared to temperature results from the initial conditions. The droplet temperature initially is in thermal equilibrium with its environment (the droplet has the same temperature as that of the far environment), but the vapor field is far from equilibrium, especially for low relative humidity environments. As a result, the vapor diffusion rate (which depends on the vapor density gradient) far exceeds the thermal diffusion rate (which depends on the temperature gradient). Because the cloud droplets are small, and the relative humidity gradients are large, the droplets never come to an equilibrium state before evaporating completely into the subsaturated air. The water vapor flux into the larger subsaturated environment maintains a vapor density near the droplet surface that approaches but never reaches saturation. As a result, the wet-bulb temperature near the droplet surface continues to fall but at a slower rate that depends on RH_∞ (Fig. 11). The pressure affects both the moisture and temperature diffusion fluxes, so these scale with each other, resulting in pressure not having a stronger effect compared to that of the moisture gradient. We added the following paragraph to the Discussion section (new Section 5.1) explaining the relative dependencies.

Figure 11 shows the evolution of the droplet surface temperature and the thermodynamic wet-bulb temperature in the air at the grid point nearest to the droplet surface for a range of conditions. Initially the droplet temperature rapidly decreases to the thermodynamic wet-bulb temperature of the far environment. The novel result from this study is that the droplet temperature continues to decrease because of the non-equilibrium condition of the thermal and vapor fields during the evaporation process. The droplet temperature continues to conform to the wet-bulb temperature directly adjacent to the droplet surface, which is lower than the wet-bulb temperature of the far environment. Note that the dependence on T_∞ and P is much smaller than that on RH_∞ . The strong dependence on RH_∞ compared to temperature results from the initial conditions. The droplet temperature initially is in thermal equilibrium with the far environment, but the vapor field is far from equilibrium, especially for low relative humidity environments. As a result, the vapor diffusion rate (which depends on the vapor density gradient) far exceeds the thermal diffusion rate (which depends on the temperature gradient). Because the cloud droplets are small, and the relative humidity gradients are large, the droplets never come to an equilibrium state before evaporating completely into the subsaturated air. The water vapor flux into the larger subsaturated environment maintains a vapor density near the droplet surface that approaches but never reaches saturation. As a result, the wet-bulb temperature near the droplet surface continues to fall but at a slower rate that depends on RH_∞ (Fig. 11). The pressure affects both the moisture and temperature diffusion fluxes, so these scale with each other, resulting in pressure not having a stronger effect compared to that of the moisture gradient.

We reexamined the Rogers and Yau [1989], Pruppacher and Klett (1997), and Lamb and Verlinde [2011] textbooks. None of these texts discuss the problem of cloud droplet evaporation explicitly. Pruppacher and Klett (1997, page 537-546) provide the steady state equations that can be used to calculate falling rain drop evaporation, but never address the problem of cloud droplet evaporation and its effect on temperature. For cloud droplets, these texts focus on condensational growth. Based on Pruppacher and Klett (1997), typical supersaturations in cumulus clouds rarely exceed 1%. Under these levels of supersaturation, the steady state approach is quite valid. The equivalent subsaturations for droplet evaporation would be relative humidity (RH) of $\sim 99\%$. We ran additional simulations which we are not including in the paper but show here for $RH = 99\%$ to examine whether the droplet

temperatures approach steady state close to ambient temperature of 268.15 K used in these simulations. Results are shown in the figure below. The figure shows that the temperature of the 50 μm droplet initially decreases by 0.072 K to reach the ambient wet bulb temperature and then over the next 1000 seconds of evaporation, the decrease in droplet temperature is only 0.021 K.

Therefore, to a good approximation, the difference between the ambient and droplet temperatures is sufficiently small that the steady state approximation (e.g. Eq. 8.15 of Lamb and Verlinde [2011]) can be used with little error in the droplet evaporation equation. In the simulations in this paper which are at a much lower relative humidities, steady state conditions are no longer applicable.



The process we are simulating starts in a condition that is far from equilibrium and undergoes a time evolution as it attempts to evolve towards a steady-state where the thermal energy towards the droplet compensates for evaporative cooling. The droplet initially rapidly cools to the thermodynamic wet-bulb temperature of the environment similar to what has been shown in Roy et al., 2023. What is novel is that under low relative humidity conditions, the thermal and vapor diffusion are still not in equilibrium. As the system attempts to achieve equilibrium, the combination of vapor and thermal diffusion in the immediate vicinity of the drop leads to a gradual reduction in the wet-bulb temperature of the immediate droplet environment leading to a continued slow decrease in the droplet temperature as the droplet continues to evaporate. Under high RH (say $\text{RH} > 90\%$) conditions, as in the simulations we show above, the equilibrium is established soon, and the droplet comes to a steady-state temperature approximately equal to the initial thermodynamic wet bulb temperature of the environment.

The simulations in the current paper deal with RH values characteristic of the dry environments typically found just above cloud tops of stratiform clouds where cloud-top generating cells are often observed. These RH values above cloud top typically vary from as low as 10% to as high as 70%. Under conditions where air has a history of descent above a stratiform cloud deck, the vertical humidity gradients can be quite large. Observations of relative humidity vertical profiles above Arctic stratocumulus clouds reveal strong vertical gradients in RH at cloud top, with RH values as dry as $\sim 50\%$ (Egerer et al., 2021). Also, during the SNOWIE field campaign, dry layer incursions (with RH $\sim 10\text{-}20\%$) were observed above orographic clouds, which led to very sharp gradients in RH at cloud

tops (Xue et al. 2022). Under such conditions, the cloud droplets exposed to these higher subsaturations are far from equilibrium. In this study, the numerical simulations conducted to model the explicit vapor and thermal diffusion coupling between the evaporating cloud droplet and its near environment demonstrate that the droplet never reaches equilibrium with the far environment within its lifetime for very dry environments with low RH values.

As described in the text, the *spatiotemporally evolving* thermal and vapor density gradients in the surrounding air enveloping the droplet play an important role in evolution of the evaporating droplet temperature and radius. Section 8.2 and Fig. 8.4 in Lamb and Verlinde [2011] discuss and show the *steady-state* temperature and vapor profiles around the droplet surface. Lamb and Verlinde [2011] states “The greater the rate of condensation, the greater the temperature increase.” (Page 328). As we can see from our simulations in this study, the greater the rate of evaporation for lower RH_∞ values, the greater the difference between the droplet temperature and the far environment. The novelty of our work lies in simulating the evolution of the evolving thermal and vapor density gradients surrounding the evaporating droplet that was never explicitly simulated or considered in these texts or other works.

Egerer, U., Ehrlich, A., Gottschalk, M., Griesche, H., Neggers, R. A. J., Siebert, H., and Wendisch, M.: Case study of a humidity layer above Arctic stratocumulus and potential turbulent coupling with the cloud top, *Atmos. Chem. Phys.*, 21, 6347–6364, <https://doi.org/10.5194/acp-21-6347-2021>, 2021.

Xue, L., and Coauthors, 2022: Comparison between Observed and Simulated AgI Seeding Impacts in a Well-Observed Case from the SNOWIE Field Program. *J. Appl. Meteor. Climatol.*, 61, 345–367, <https://doi.org/10.1175/JAMC-D-21-0103.1>.

3. In figure 4.2, it seems that the droplet’s temperature never reaches a steady state. However, since the environment has fixed conditions, it should eventually reach a steady state, provided that the droplet does not evaporate before. How long does it take to reach this steady state in the cases where the droplet has not evaporated yet by the end of the simulation? Somehow it looks like the thermal energy in the droplet is decoupled from the environment and cannot be warmed.

In our response to the Comment 2, we provided results from two additional simulations that consider droplets evaporating in a high relative humidity environment where the droplets essentially reach steady state before evaporating (the droplet temperature decreases only by one-one hundredth of a degree in 1000s after reaching the environmental wet bulb temperature). The $RH_\infty = 99\%$ condition we simulated for this response is analogous to the condensation calculations in textbooks at supersaturations of 1%. As we noted in the previous response, droplets do not reach steady state for low RH conditions before evaporating.

4. I was confused by the set-up of the problem. It seems that the authors use cylindrical coordinates instead of spherical coordinates. At the beginning of 3.1., I understood that still the droplet is spherical and it was only the overall domain that was cylindrical, which is fine. But then section 3.4 indicates that boundary conditions are applied at the center of the domain $r = 0$ and not at the center of the droplet, which would mean a whole diameter across the droplet. That was confusing because it seems to indicate that the authors do not consider a spherical droplet but a cylindrical droplet. Is this so? If so, what are the implications in the results? Maybe the authors can clarify this in the paper.

We have expanded the description of the coordinate systems that are used in COMSOL. For 3D problems, COMSOL has an option to use cartesian, spherical or cylindrical coordinates. For a 2D

axisymmetric domain used in this study, the default coordinate system used by COMSOL is cylindrical coordinates, which in 2D is the same as a cartesian coordinate system in r and z . To avoid any further confusion, we have removed the word cylindrical and used cartesian coordinates.

The physics and the governing equations are the same irrespective of coordinate systems, with the only difference is that all dependent variables (temperature, vapor concentration, etc) will be expressed as functions of r and z . The form of differential operators such as gradient and divergence also changes accordingly. The built-in interface takes care of these changes, along with applying the boundary conditions at appropriate boundaries as indicated. More details regarding the coordinate transformations can be found [here](#). In the end, the results will be independent of coordinate system chosen.

It is actually more complicated since COMSOL uses three coordinate system simultaneously (referred to as the spatial, material and mesh frames). We have added additional information in the text to help the reader understand the Arbitrary Lagrangian-Eulerian framework used in the study. The new text is below:

The simulation of the spatiotemporally varying droplet temperature and radius of an evaporating cloud droplet embedded in a gaseous domain is difficult to solve analytically because of the moving and shrinking boundary at the surface of the evaporating droplet. These kinds of moving boundary problems are also known as Stefan problems. To model this process, we have used an advanced numerical solver, COMSOL (Version 6.0), which employs a finite element method to solve partial differential equations (PDEs). The COMSOL Multiphysics software simultaneously uses spatial, material, and mesh coordinate systems described as the spatial frame, material frame, and mesh frame, respectively. The spatial frame is a fixed, global, Euclidean coordinate system, which in 2D has spatial cartesian coordinates (r, z) with the center of the droplet at $(r, z) = (0,0)$ (Fig. 1). The material frame specifies the material substance, in this case, water or air. The mesh frame is a coordinate system used internally by the finite element method.

The Navier-Stokes and Fick's second law of diffusion equation, which follows from the continuity equation, along with appropriate boundary conditions (see Sec. 3) are solved to conserve mass and momentum in the whole system. The following physics interfaces in COMSOL were used to simulate droplet evaporation: (1) *Two-Phase Laminar Fluid Flow*, which includes a moving mesh to track the shrinking water-air interface of the evaporating water droplet and fluid-fluid interface that incorporates evaporative mass flux; (2) *Transport of Diluted Species* to track water vapor diffusion through the air domain and predict the evaporation rate at the droplet surface; and (3) *Heat Transfer in Fluids* which accounts for the non-isothermal flow within the computational domain, temperature-dependent saturation vapor density at the droplet interface, and a boundary heat source to account for the latent heat of evaporation. The computational domain also includes an infinite element air domain (COMSOL 2023b) to specify and maintain boundary conditions far away from the droplet. The physics modules are coupled through non-isothermal flow between heat transfer and fluid flow, and mass transport at the fluid-fluid interface between fluid flow and species transport.

A non-uniform moving mesh was created by breaking down the computational domain into numerous fine elements of variable sizes, using the Arbitrary Lagrangian-Eulerian technique (Yang et al., 2014) to accurately track the moving air-water interface at the droplet surface. In the ALE technique, the spatial cartesian coordinate system (r, z) is fixed, while the coordinates of the material (R, Z) and the mesh (R_m, Z_m) nodes are functions of time as the droplet evaporates. However, the material and mesh node coordinates are always fixed in their respective frames. Initially, the spatial, material and mesh frames are all identical. As the simulation starts, the material and mesh frames deform as the moving boundary of the droplet shrinks during evaporation. After each time step, the

deformed nodes are mapped to the spatial frame, where calculations are performed. In this study, we have used triangular mesh elements (COMSOL 2023c) within the droplet and quadrilateral mesh elements (COMSOL 2023d) for the rest of the domain as shown in Fig. 1. The triangular mesh allows a higher resolution at the droplet surface, and both meshes adjust continually as the droplet surface shrinks during evaporation. Finally, to simulate the water droplet evaporating in ambient air system, with appropriate initial and boundary conditions, the discretized PDEs are numerically solved with adaptive time steps (≤ 0.01 s) to maintain numerical stability to obtain the solution (the temporal evolution of droplet temperature and radius) for a range of conditions.

Our wording concerning boundary conditions in the original manuscript was confusing. We replaced the first point with the following:

Within the droplet and throughout the domain, the following conditions are applicable:

$$\begin{aligned} \mathbf{u} \cdot \mathbf{n} &= 0 \\ [-p\mathbf{I} + \boldsymbol{\tau}] \cdot \mathbf{n} &= 0 \\ \mathbf{q} \cdot \mathbf{n} = -k\nabla T \cdot \mathbf{n} &= 0 \\ -D\nabla c \cdot \mathbf{n} &= 0 \end{aligned}$$

where \mathbf{n} is the normal to an outward-pointing vector from the center of the droplet. This constraint limits water mass, water vapor and heat flow to the direction normal to the droplet surface.

5. In section 3.2, the equations do not have a number, which makes it difficult to refer to them.

Thank you for pointing this out. We have now added numbers for all equations.

6. In section 3.2, the mass diffusivity retains the dependence on T but the other molecular transport coefficients drop that dependence. Why? If the dependence of D on T plays a role, at least the dependence of the thermal conductivity k on T should be explored, since both transport phenomena are equally important for the problem. Maybe the effect of T on k is negligible compared to that of T on D , but then the authors could explain it.

The value of thermal conductivity of water used in the simulations is constant at 0.56 W/(m K). We chose this value based on Fig. 3 of Biddle et al., (2013) where the thermal conductivity of supercooled water is very close to 0.56 W/(m K) for the range of temperatures used in these simulations.

Based on Beard and Pruppacher (1971), the thermal conductivity of air has very weak dependence on temperature over the temperature range used in these simulations. Their thermal conductivity (k_a) equation is given by

$$k_a = 0.004184[5.69 + 0.017(T - 273.15)] \quad (\text{W m}^{-1} \text{K}^{-1})$$

For both $T = 273.15$ K and 253.15 K, the value of k_a is 0.02 W m⁻¹ K⁻¹. Hence, we have used a constant value of 0.02 W m⁻¹ K⁻¹. We have added this information to the paper in Section 3.2:

- (2) Heat Transport: The *Heat Transfer in Fluids* interface models heat transfer in all domains (air, water, infinite element domain) using the following version of the heat equation:

$$\rho C_p \frac{\partial T}{\partial t} + \rho C_p \mathbf{u} \cdot \nabla T + \nabla \cdot \mathbf{q} = 0 \quad (4)$$

$$\mathbf{q} = -k \nabla T \quad (5)$$

where ρ (kg/m³) is the fluid density, C_p (J/(kg·K)) is the fluid heat capacity at constant pressure, T is the temperature, k (W/(m·K)) is the fluid thermal conductivity, \mathbf{u} (m/s) is the fluid velocity field from the Laminar Flow interface, \mathbf{q} (W/m²) is the heat flux by conduction. We chose the value of k for supercooled water at 0.56 W m⁻¹ K⁻¹ based on Fig. 3 of Biddle et al., (2013) where the thermal conductivity of supercooled water is very close to 0.56 W/(m K) for the range of temperatures used in this study. Based on Beard and Pruppacher (1971), the thermal conductivity of air, given by $k_a = 0.004184[5.69 + 0.017(T - 273.15)]$ (W m⁻¹ K⁻¹), has very weak dependence on temperature over the temperature range used in this study. For both $T = 273.15$ K and 253.15 K, the value of k_a is 0.02 W m⁻¹ K⁻¹. Hence, we have used a constant value of 0.02 W m⁻¹ K⁻¹.

7. In section 3.2, what is the mathematical expression to calculate Q_b ?

The algorithm in COMSOL includes an external heat source or sink term for the air and water domain. We are assuming no external heat source, so the value of $Q_b = 0$. To avoid confusion, we set $Q_b = 0$ so that it no longer appears in the paper.

8. In section 3.2, a reference for the interfacial conditions for the stresses would be useful.

We have added the reference of Yang et al., (2014) in the paper.

9. In line 392, the authors use the term “the inflection point in the curves,” but this might be misleading because those are not inflection points in the usual sense of calculus and curves, i.e., change in the sign of the curvature. Maybe a different term is convenient.

We have changed the term “the inflection point in the curves” to “the slope transition point” and continue to denote it as T_i .

10. In section 4, most of the text repeats what one can see in the figures without adding more insight about the reasons behind that behavior. It might be more helpful to discuss more the physics behind the results.

We have reduced the number of figures by eliminating the three figures showing the results at $P = 850$ hPa since the results are summarized in Tables 1 and 2. We have expanded our discussion of the remaining figures and the tables in Section 4 to focus on the physics behind the results. In section 4.1, we have added the following paragraph, describing the physics behind the simulations.

The evaporation process in these experiments starts in a condition that is far from equilibrium. The coupled air-droplet system attempts to evolve towards a steady-state where the thermal energy towards the droplet compensates for evaporative cooling at the droplet surface. In this process, the droplet initially rapidly cools to the thermodynamic wet-bulb temperature of the initial environment similar to what has been shown in Roy et al., (2023). However, under low relative humidity conditions, the thermal and vapor diffusion are not yet near equilibrium. As the system attempts to achieve a steady-state, the imbalance in the heat fluxes associated with vapor and thermal diffusion in the immediate vicinity of the drop leads to a gradual reduction in the wet-bulb temperature of the immediate droplet environment leading to a continued slow decrease in the droplet temperature as the droplet continues to evaporate.

We have also added Section 5.1 in response to review questions #2 and #11.

11. For instance, in section 4.2, the dependence on T_∞ and P seems to be much smaller than that on RH_∞ . Why? It might be more useful to differentiate those dependences and concentrate on the latter one instead of showing all figures. Otherwise, there are so many figures that it becomes difficult to distilled the new information that they convey.

Please see our response to comment #2. As noted above, we eliminated three of the six figures showing results and focused the text more on the physics behind the results.

12. In line 431, the authors write “while the decrease is 5 K in 120 s.” However, figure 6 seems to indicate 2 K instead of 5 K. Is the reference to the figure correct?

Yes, it’s correct. The correct panel to look at is Fig. 5 (d) in the revised manuscript (Fig. 6(d) in the original manuscript), which shows the full 120s evolution. The other two figures (5e, 5f) only show the evolution of temperature at < 1 s. The exact value of decrease in droplet temperature (4.69 K) can be read off Table 1.

13. In that same section, section 4.3, it seems that the main result is that the droplet’s temperature is well approximate by the wet-bulb temperature. On the other hand, would not that be expected because of the definition of wet-bulb temperature?

Also, it is difficult to see something in Fig 8. Why not plot the wet-bulb temperature in figure 4 and 5 and see how it approaches the droplet’s temperature at a time T_i ?

Rather than clutter figures 4 and 5 (now Figs. 3 and 4) with more lines, we have added Figure 11 to the revised paper showing this evolution for one pressure (500 hPa), temperature (268.15 K), three relative humidities, and three droplet sizes. Just to be clear, the main result is that the droplet’s temperature decreases to the wet-bulb temperature directly adjacent to the drop surface which is lower than the wet-bulb temperature of the far environment because of the non-equilibrium of the thermal and vapor fields during the evaporation process. Our previous paper (Roy et al., 2023) showed that at steady-state, the drop temperature can be well-approximated by the thermodynamic wet-bulb temperature of the far environment.

14. Line 489 indicates the “The droplet lifetimes vary widely...”, but I am not sure what is meant by widely because the lifetime changes by a factor of 4 while the RH has been changed by a factor of 7. It seems that the lifetime simply follows the change in the control parameter RH.

We removed the word “widely”.

15. Line 496 says “From Figs. 9-14, the decrease in droplet temperatures is independent of the initial droplet size if all other initial environmental conditions are kept constant.”. I am not sure if I understand this because fig 9 shows a difference between panels a, d, an g.

Sorry for the confusion. We have revised the statement to read as follows:

From Figs. 8-10, for a given initial environmental condition (RH_∞ and T_∞), the droplet temperatures at the end of their lifetimes are independent of the initial droplet sizes.

16. In fig 4 and 5, the initial decrease of T until T_i seems independent of r_0 but later on there seems to be a dependence...

Fig. 3 and 4 only show the first 10s of the droplet lifetimes. The differences that the reviewer points out exist because the total lifetimes don't appear on the figure. Table 2 lists the values of the total lifetimes.

17. In line 512, "The decrease in droplet temperatures and increase in droplet lifetimes depict similar relationships with RH_∞ and r_0 ." Why is the dependence on T_∞ smaller than the dependence on other parameters?

Please see response to Comment #2.

18. Line 634 indicates "the classical pure-diffusion-limited evaporation approach, which ignores evaporative cooling at the droplet surface". I am not sure what is meant because this effect is discussed textbooks like Rogers and Yau [1989] and Lamb and Verlinde [2011] which are often used to teach microphysics.

By "classical", we mean Maxwellian approach (Maxwell, 1890; Eq 13-10 of Pruppacher and Klett, 1997), which is what is discussed in relationship to condensation in both Rogers and Yau [1989] and Lamb and Verlinde [2011]. In that approach, the droplet temperature is assumed to be in equilibrium with the ambient environment. Again, these textbooks don't address the evaporation problem with regards to evolving cloud droplet temperature and lifetime. We changed the term "classical" to Maxwellian to be clear what we are referring to.

19. Line 669 seems to contain the main message "Comparing these values with reported droplet freezing timescales available from experimental studies, droplet freezing events can potentially occur within the time frame when these droplets can reach lower temperatures due to evaporative cooling before they completely dissipate into the subsaturated air." However, this message was a bit lost in the middle of a long paragraph. Maybe it helps to make the statement at the beginning and then elaborate it.

Thank you for your suggestion. We have reorganized the paragraph to move this point toward the front.

20. In the conclusions, the first sentence says "...internal thermal gradients within the droplet as well as resolving thermal and vapor density gradients in the surrounding ambient air." suggesting that this is new. However, these gradients are retained in the classical studies, e.g., Rogers and Yau [1989] and Lamb and Verlinde [2011]. Do the authors mean the temporal variation of those gradients?

The reviewer is correct. We have changed the sentence to read:

In this study, we presented a quantitative investigation of the temperature and lifetime of an evaporating droplet, considering internal thermal gradients within the droplet as well as resolving spatiotemporally varying thermal and vapor density gradients in the surrounding ambient air.

References

D. Lamb and J. Verlinde. *Physics and Chemistry of Clouds*. Cambridge University Press, 2011.

R. R. Rogers and M. K. Yau. *A Short Course in Cloud Physics*. Butterworth-Heinemann, third edition, 1989.