# Quantum Yields of CHDO above 300 nm

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Abstract : The photolysis of mono-deuterated formaldehyde, CHDO, is a critical process in the deuterium-enrichment of stratospheric hydrogen formed from methane. In this work, a consistent description of the quantum yields of the molecular and radical channels of the CHDO photolysis is deduced from literature data. The fluorescence measurements of Miller and Lee (1978) provided a first data set to deduce the product quantum yields. An alternative analysis is based on the measured quantum yield spectrum for the radical channel of the *CD*<sub>2</sub>*O* photolysis by *McQuigg* and *Calvert* (1969), which is corrected for wavelength dependency and combined with the CH<sub>2</sub>O quantum yield spectrum to provide an approximation for CHDO. Both approaches provide consistent results. Finally, the findings of Troe (1984, 2007) enable the specification of the pressure dependence of the quantum yield for CH<sub>2</sub>O and CD<sub>2</sub>O and, hence, for CHDO. We find that the radical channel does not show a pressure dependence, whereas the molecular channel is dominated by tunneling and quenching processes. Simplified representations are given that are readily implemented in kinetic atmospheric models. As an example of their application, the altitude dependence of the ratio of  $J(CHDO \rightarrow HD+CO)$  and  $J(CH_2O \rightarrow H_2+CO)$  is provided. Also, the importance of the photolysis of formaldehyde in the atmosphere is presenting the altitudinal dependence of the isotopic fractionation through the yield of the HD channel.

- 1 1. Introduction
- 2

3 Measurements over the last decades showed that molecular hydrogen, H<sub>2</sub>, in the stratosphere 4 is enriched in deuterium compared to  $H_2$  in the troposphere (see e.g.: Ehhalt and Volz, 1976; 5 Gerst and Quay, 2001; Rahn et al., 2003; Rice et al., 2003; Röckmann et al., 2003; McCarthy 6 et al., 2004; Rhee et al., 2006). Gerst and Quay (2001) suggested that this enrichment could be 7 due to the differential isotope fractionation in the photo-oxidation of methane. Measurements 8 of the vertical profiles of the isotope content in H<sub>2</sub> and CH<sub>4</sub>, available since 2003, allowed the 9 interpretation and modeling of the observed enrichment (see e.g. Pieterse et al., 2011). The 10 methane photo-oxidation consists of various reaction steps, each of which contribute kinetic 11 isotope effects, KIE, that have to be considered (e.g. Feilberg et al., 2005; Mar et al., 2007). 12 The last but critical step in the reaction chain to produce the hydrogen isotope HD from the 13 mono-deuterated isotopologue of formaldehyde, CHDO, is its photolysis. 14 15 Compared to CH<sub>2</sub>O, the available data for the mono-deuterated isotopologue CHDO are 16 scarce. Only its spectrum was measured (c.f. Mainz Spectral Atlas, Keller-Rudek and 17 Moortgat, 2021). The quantum yields for the molecular and the radical fragmentation 18 branches of the CHDO photolysis, as well as the rate constants for the quenching reactions 19 were not measured at all or with insufficient accuracy. Thus, despite its importance for the 20 atmospheric production of HD, the photolysis of CHDO is still poorly defined; at this time, it 21 is the most uncertain factor in the overall fractionation of formaldehyde. For example, the 22 measured or estimated fractionation factors for the molecular channel range from 1.08 to 1.82 23 (e.g. Feilberg et al., 2005; Rhee et al., 2006, Mar et al., 2007; Nilsson et al., 2009; Röckmann 24 et al., 2010). Moreover, the measurements by Nilsson et al. (2009) are the only ones 25 considering the pressure dependence of the fractionation factor due to reactions R3, R4, and 26 R7 (see Table 1).

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In this work, we aim to provide information for the modeling of CHDO photochemistry for atmospheric conditions, i.e. for a limited domain of temperature and pressure, by deducing the molecular and radical quantum yields  $\Phi^{mol}$  and  $\Phi^{rad}$  for CHDO from literature information, based on the scant data available and supplemented by a number of plausible assumptions. We do this based on two approaches: the first is based on the fluorescence measurements of Miller and Lee (1978) and literature data on energy transitions (e.g. Yeung and Moore, 1973; Chuang et al., 1987; Osborn, 2008; Fu et al. 2011). The second approach assumes that the

35	measurements of McQuigg and Calvert (1969) can be corrected via the comparison of the	he
36	CH <sub>2</sub> O measurement with later experiments (see e.g. the overview by Röth and Ehhalt, 2	2015).
37	The photochemistry derived thus is then used to assess the altitudinal dependence of the	•
38	CHDO isotopic fractionation.	
39		
40		
41	2. Photolysis reaction mechanism	
42		
43	Based on the available literature (e.g.: Aràujo et al., 2009; Breuer and Lee, 1971; Chuar	ng et
44	al., 1987; Yamaguchi et al., 1998) we propose a photolytic reaction scheme of CHDO in	n
45	Table 1, analogous to that of $CH_2O$ (Röth and Ehhalt, 2015). The scheme involves a	
46	cascading series of fragmentation channels competing with stepwise quenching by colli	sional
47	energy loss, starting at the excited singlet state $S_1$ . Reactions via the triplet state of CHE	OO are
48	not considered here, as they are only accessible at wavelengths below 300 nm (Aràujo e	et
49	al.,2009), while we concentrate on wavelengths above this limit in this work. Under	
50	atmospheric conditions, which are considered here, the system is thermalized.	
51		
52	<b>Table 1 :</b> Reaction scheme of the photolysis of CHDO occurring over the $S_1$ and $S_0$ electron	ctronic
53	singlet states. $-\Delta\epsilon 1$ , $-\Delta\epsilon 2$ indicate the collisional energy losses to bath gas M in the resp	pective
54	reactions. This quenching is stepwise but is represented here for energies above/below t	he
55	threshold for dissociation; the asterix * stands for excitations able to lead to bond break	ing,
56	whereas the index # indicates lower energies and lead ultimately to thermalized CHDO.	
57	$CHDO(S_0) + h\upsilon \rightarrow CHDO^*(S_1)$	(R0)
58	$\text{CHDO}^*(S_1) \rightarrow \text{CHDO}^\# + h\nu_1$	(R1)
59	$\operatorname{CHDO}^*(S_1) \rightarrow \operatorname{CHDO}^*(S_0)$	(R2)
60	$\operatorname{CHDO}^*(\operatorname{S}_0) \to \operatorname{H+CDO} / \operatorname{D+CHO}$	(R2a)
61	$\operatorname{CHDO}^*(\operatorname{S}_0) \rightarrow \operatorname{CO} + \operatorname{HD}$	(R2b)
62	$\operatorname{CHDO}^*(\operatorname{S}_0) + \operatorname{M} \to \operatorname{CHDO}^{\#}(\operatorname{S}_0) + \operatorname{M}$	(R2c)
63	$\operatorname{CHDO}^*(S_1) + M \rightarrow \operatorname{CHDO}^{*-\Delta \varepsilon 1}(S_0) + M$	(R3)
64	$\operatorname{CHDO}^{*-\Delta \varepsilon 1}(S_0) \rightarrow \operatorname{H+CDO} / \operatorname{D+CHO}$	(R3a)
65	$\operatorname{CHDO}^{*-\Delta\varepsilon 1}(\operatorname{S}_0) \to \operatorname{CO} + \operatorname{HD}$	(R3b)
66	$\operatorname{CHDO}^{*\text{-}\Delta\epsilon 1}(S_0) + M \to \operatorname{CHDO}^{\#}(S_0) + M$	(R3c)
67	$\mathrm{CHDO}^*(\mathrm{S}_1) + \mathrm{M} \to \mathrm{CHDO}^{* - \Delta \epsilon 2}(\mathrm{S}_1) + \mathrm{M}$	(R4)
68	$\mathrm{CHDO}^{*-\Delta\epsilon^2}(\mathbf{S}_1) \to \mathrm{CHDO}^{\#}(\mathbf{S}_0) + h\nu_5$	(R5)

69	$\mathrm{CHDO}^{*-\Delta\varepsilon^2}(\mathbf{S}_1) \to \mathrm{CHDO}^{*-\Delta\varepsilon^2}(\mathbf{S}_0)$	(R6)
70	$\text{CHDO}^{*-\Delta\epsilon^2}(S_0) \rightarrow \text{H+CDO} / \text{D+CHO}$	(R6a)
71	$\operatorname{CHDO}^{*-\Delta \varepsilon^2}(S_0) \to \operatorname{CO} + \operatorname{HD}$	(R6b)
72	$\operatorname{CHDO}^{*\operatorname{-}\Delta\epsilon2}(S_0) + M \longrightarrow \operatorname{CHDO}^{\#}(S_0) + M$	(R6c)
73	$CHDO^{*-\Delta\epsilon^2}(S_1) + M \rightarrow \dots$	(R7)
74		
75	After excitation of the ground state $CHDO(S_0)$ (R0) by a photon of a given wavelength	, the
76	excited reaction product $\text{CHDO}^*(S_1)$ decays by fluorescence (R1), or transitions to the S	$S_0$
77	ground state surface as an excited CHDO* molecule with either all available energy (R	2) or
78	with a variable amount of energy $-\Delta\epsilon 1$ lost by quenching (R3). These excited CHDO*(	S <sub>0</sub> ) and
79	CHDO* <sup>-<math>\Delta \epsilon l</math></sup> (S <sub>0</sub> ) can in turn be quenched by the bath gas in a cascading series (R2c, R3c	e, R6c),
80	at each energy level competing with fragmentation to radicals H+CDO/D+CHO (R2a,	
81	R3a,R6a) or to molecular products CO+HD (R2b, R3b,R6b), as described for CH <sub>2</sub> O by	,
82	Yeung and Moore, (1973). Alternatively, the excited $CHDO^*(S_1)$ can lose an amount of	f
83	energy by quenching, but remain on the $S_1$ excited electronic surface (R4). This state ca	an then
84	undergo processes as above, i.e. decay by fluorescence (R5), transition to the $S_0$ ground	l state
85	without (R6) or with (R7) energy loss by quenching, where once again it can undergo f	urther
86	quenching (R6c) in competition with fragmentation (R6a, R6b). Overall, this scheme	
87	represents a cascading series of quenching steps competing against decomposition and	
88	fluorescence. Only the first few steps in the cascade are represented, but more cascadin	g steps
89	are possible at lower internal energies. According to the analysis of the fluorescence	
90	measurements by Miller and Lee (1978), these lower-energy reactions are not critical at	nd
91	need not be considered in detail. Here, R7 simply represents the summation of all subse	equent
92	cascades, from which negligible channels such as <i>e.g.</i> the fluorescence channels are om	itted.
93	Schematic energy diagrams for this reaction mechanism were already depicted in the	
94	literature (e.g. Fig.3 in Aràujo et al., 2009 and Fig.1 in Chuang et al., 1987), and are no	t
95	repeated here.	
96		
97	The quantum yield $\Phi^{rad}$ represents the combined fragmentation to radicals (R2a, R3a, R	Кба),

98 while summed fragmentation through the molecular branches (R2b, R3b, R6b) is described by

99 the quantum yield  $\Phi^{\text{mol}}$ . The total photolysis quantum yield  $\Phi^{\text{tot}}$ , i.e. the decay of excited

100 formaldehyde into products other than its ground-state, can be experimentally derived from

101 the observed CO production, where CDO and CHO radical fragments react with  $O_2$  to form

102 CO and  $HO_2 / DO_2$ . The quantum yield of the fluorescence is always less than 1% (Miller 103 and Lee, 1978) and is omitted henceforth.  $\Phi^{tot} = \Phi^{mol} + \Phi^{rad}$ 104 (F1) Obviously, the sum of  $\Phi^{\text{tot}}$  and  $\Phi^{\text{quench}}$ , the summed yield of the quenching reactions (R2c, 105 106 R3c, R6c), must equal 1 at any wavelength hv.  $\Phi^{tot} + \Phi^{quench} = 1$ 107 (F2) 108 109 110 3. Analysis of fluorescence measurements 111 112 From the fluorescence measurements of Miller and Lee (1978) the quantum yields of both the 113 fluorescence and the total non-CHDO products can be derived. The contribution of the second 114 step in the reaction cascade is small at low pressure (see later), so we assume that Table X 115 provided by these authors directly gives the reaction rate constants  $k_1$  and  $k_2$ , where  $k_1$  equals 116 the reciprocal lifetime  $\tau_{radiation}$  listed and  $1/k_2$  is the non-radiative lifetime. Similarly, the 117 constants  $k_5$  and  $k_6$  are determined by the lifetimes of the next lower vibrational level. 118 119 The reaction constants  $k_3$ ,  $k_4$ , and  $k_7$  can be deduced from the pressure dependence of the 120 CHDO fluorescence quantum yield in the Table II of Miller and Lee (1978). In the present 121 paper only the quantum yields at pressures above 1 Torr are considered, where the Ar bathgas 122 used is assumed to have similar collisional properties as air (Hirschfelder et al., 1954). For 123 each wavelength the pressure dependence of the data is fitted by a Simplex algorithm 124 according to Nelder and Mead (1965) by formula F3 for the fluorescence quantum yield  $\Phi_{\rm F}$ .  $\Phi_F(M) = \frac{k_1}{\alpha} + \frac{k_4[M]}{\alpha} \frac{k_5}{\beta}$ 125 (F3) with  $\alpha = k_1 + k_2 + k_3[M] + k_4[M]$  and  $\beta = k_5 + k_6 + k_7[M]$ . For consistency we only used 126 the  $2^{i}4^{j}$  transitions, only. 127 128 129 The corresponding reaction constants are listed in Table 2. With this data set the experimental 130 fluorescence measurements are well fitted as shown in Figure 1 where, to improve the clarity 131 of the fit, only the pressure dependent part  $\theta(M)$  of equation F3 is plotted vs pressure:  $\theta(M) = \frac{k_1}{\phi_F(M)} - (k_1 + k_2)$ 132 (F4)

- 134 **Table 2 :** Results of the least square fit of the quantum yields of CHDO (Miller and Lee
- 135 (1978).  $k_1$ ,  $k_2$  and  $k_5$ ,  $k_6$  are literature data (Miller and Lee, 1978),  $k_3$ ,  $k_4$ , and  $k_7$  are deduced

Wavelength	<b>k</b> <sub>1</sub>	k <sub>2</sub>	k <sub>3</sub>	k4	k5	k <sub>6</sub>	k <sub>7</sub>
[nm]	$[10^5 s^{-1}]$	$[10^8 s^{-1}]$	$[10^{-11} \text{ cm}^3 \text{ s}^{-1}]$	$[10^{-11} \text{cm}^3 \text{ s}^{-1}]$	$[10^5 s^{-1}]$	$[10^8 s^{-1}]$	$[10^{-12} \text{cm}^3 \text{ s}^{-1}]$
314.0	3.03	1.79	29.7	4.59	2.78	0.50	0.57
318.3	2.50	1.32	15.4	3.48	2.50	0.40	1.15
325.7	2.78	0.50	10.9	1.77	3.57	0.22	1.79
330.8	2.50	0.40	4.81	1.05	2.44	0.13	1.35
338.6	3.57	0.22	4.89	0.84	3.45	0.07	0.77
344.4	2.44	0.13	5.95	2.78	2.40*	0.06*	1.39
352.9	3.45	0.07	2.38	0.76	4.00*	0.03*	1.24

136 from these data.

137 \* estimated by extrapolation of the other values

138

139 The energy transferred in reaction R2 is either quenched to form a stable molecule

140  $CHDO^{\#}(S_0)$  or used to drive fragmentation to molecular (CO + HD) or radical products

141 (H+CDO / D+CHO). Hence, the reactions R2a and R2b form part of the product-forming

142 channel. Analogously, the secondary reactions of the pressure dependent reactions R3 and R4

143 lead to products via the reactions R3a and R3b, respective R6a and R6b. With this, the total

144 product quantum yield of the photolysis of CHDO is the sum of the individual product

145 quantum yields across all channels k, where the index k=2, 3, 6 stands for the non-radiative

- 146 reactions R2, R3, and R6.
- 147 The individual product quantum yield can be approximated by
- 148

$$\Phi_k^{tot} = \frac{1}{1 + a \cdot exp\left(\frac{\varepsilon_k - \varepsilon_0}{b}\right) \cdot \frac{[M]}{[M_0]}}$$
(F5)

analog to the publication by Röth and Ehhalt (2015) on  $CH_2O$ .

150 In equation F5,  $\varepsilon_2$  is the excitation energy of the photolysis reaction. The energies  $\varepsilon_3$  and  $\varepsilon_6$ 

- 151 are related to  $\varepsilon_2$  by the approximated energy transfer in a collision, respective by the averaged
- 152 width of the band intervals, given by  $\varepsilon_3 = \varepsilon_2$  -0.0124 eV (Troe, 2007) and  $\varepsilon_6 = \varepsilon_2$  -0.13 eV
- 153 (Miller and Lee, 1978). The pivot wavelength  $1/\epsilon_0$  is 348.6 nm, as published in Nilsson et al.
- 154 (2014) from quantum chemical calculations of the barriers to dissociation of H-CHO, H-

155 CDO, D-CHO, and D-CDO.

156

157 The total quantum yield of the products (molecules plus radicals) can be deduced from the

158 rate constants of Table 2 and the measurements of Nilsson et al. (2010, 2014), who

159 investigated the pressure dependence of the kinetic isotope effect KIE of the photolysis

160 frequencies of  $CH_2O$  and CHDO.

161 
$$KIE = \frac{j_{CH2O}}{j_{CHDO}} \quad \text{with} \quad j = \int \Phi_{CH2O/CHDO}^{tot} \sigma F d\lambda \quad (F6)$$

162 As the quantum yield of CH<sub>2</sub>O is known from the literature (see e.g. Röth and Ehhalt, 2015) 163  $\Phi_{CHDO}^{tot}$  remains the only unknown factor in formula F6. With the actinic flux density F of the 164 lamp used by Nilsson et al. (2014) and the absorption spectra  $\sigma_x$  of CH<sub>2</sub>O and CHDO from Gratien et al. (2007) the ratio KIE can be calculated with optimized values for a and b in eq. 165 166 F5. Comparing the results of the simulation with the measured data by Nilsson et al. (2010, 2014) the constants a and b can be determined via a least square fit. Figure 2 presents the 167 result with optimized values a=2.94 and  $b=6.5\times10^{-5}$  nm<sup>-1</sup> together with the measurements. 168 The data at 1000 hPa is included in the fit as its mean value to accommodate the large 169 170 variation of the data. 171 172 The total product quantum yield, deduced from the reaction scheme R0 to R7 is  $\Phi^{tot} = \frac{k_2}{\alpha} \cdot \Phi_2^{tot} + \frac{k_3[M]}{\alpha} \cdot \Phi_3^{tot} + \frac{k_4[M]}{\alpha} \cdot \frac{k_6}{\beta} \cdot \Phi_6^{tot}$ 173 (F7)

174 with  $\alpha$  and  $\beta$  as defined in formula F3, and  $\Phi_k^{tot}$ , the sub-product yield, according to formula 175 F5. The measured wavelength dependence of  $\Phi^{tot}$  at 1000 hPa pressure is depicted in Figure 3, 176 where the total quantum yield is calculated with the rate constants from Table 2. The pressure 177 dependence of the three terms of  $\Phi^{tot}$  is illustrated in Figure 4.

178

179 To obtain a continuous and smooth wavelength dependence, the rate constants  $k_1$  through  $k_7$ 

- 180 can be represented by an approximation function
- 181

$$k = A \exp \left(B \left(\lambda - 300nm\right)\right) \tag{F8}$$

182 The values for the parameters A and B are obtained from a least square fit to the data in Table

183 2 and listed in Table 3. Where-ever the value of B was less than 0.001 it was set to 0, and A

184 then corresponds directly to the mean of the respective rate constant. The wavelength

185 dependence of  $\Phi^{tot}$  at 1000 hPa with these functions is presented by the solid line in Figure 3.

The comparison to the experimental data by Miller and Lee (1978) suggests a variance of thedata of around 15%.

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**Table 3:** Parameters of the rate constants according to equation F8, B in nm<sup>-1</sup> and A in s<sup>-1</sup>, respective in cm<sup>3</sup> s<sup>-1</sup>, derived from least square fits.

|--|

Α	$2.90 \times 10^5$	6.10×10 <sup>8</sup>	7.70×10 <sup>-10</sup>	$1.30 \times 10^{-10}$	$3.00 \times 10^5$	$1.50 \times 10^{8}$	1.2×10 <sup>-12</sup>
B	0	0.086	0.069	0.071	0	0.075	0

For CHDO the only quantitative indication for the quantum yield of the radical channel in the literature are measurements of the kinetic isotope effect KIE (Feilberg et al., 2007, Rhee et al., 2008, Röckmann et al., 2010, and Nilsson et al., 2014). Folowing eq. F5, simulating these KIE-measurements requires three parameters for the individual radical quantum yield  $\Phi_k^{rad}$  expressed in eq. F9: the maximum value  $\Phi^{max}$  of the wavelength dependence, its curvature *b*, and the pivot wavelength  $\lambda_0$ . The parameter a is set to 1, as for the radical quantum yield no pressure dependence is assumed, cancelling the [M]/[M<sub>0</sub>] factor.

199 
$$\Phi_k^{rad} = \frac{\Phi^{max}}{1 + aexp\left(\frac{\varepsilon_k - \varepsilon_0}{b}\right)}$$
(F9)

Analog to the analysis for CH<sub>2</sub>O (Röth and Ehhalt, 2015), where the curvatures of the wavelength dependence of  $\Phi^{tot}$  and  $\Phi^{rad}$  are similar, *b* can be set to  $6.5 \times 10^{-5}$  nm<sup>-1</sup> for the radical quantum yield of CHDO. The maximum  $\Phi^{max}$  was varied in the interval [0.70 / 0.78] around the corresponding value for CH<sub>2</sub>O, but the resulting scattering is very small (see shaded area in Fig. 5). Consequently, parameter  $\Phi^{max}$  is set to 0.74, matching the value also used for CH<sub>2</sub>O (Ehhalt and Röth, 2015).

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With these parameters the KIE of 1.63 as measured by Röckmann et al. (2010) was fitted with the actinic flux density given by Röckmann et al. and the optical spectra by Gratien et al. (2007). The best fit gave a pivot wavelength  $\lambda_0$  of 327 nm. This value lies in the middle of the bond energies of 362.63 kJ/mol for C-H and 369.6 kJ/mol for C-D, calculated by Chuang et al. (1987). With the constants  $\Phi^{\text{max}} = 0.74$ , a=1,  $b = 6.5 \ 10^{-5} \text{ nm}^{-1}$  and  $1/\epsilon_0 = 327.1 \text{ nm}$  the quantum yield function  $\Phi^{\text{rad}}$  of the radical channel of CHDO is analog to F7:

213 
$$\Phi^{rad} = \frac{k_2}{\alpha} \cdot \Phi_2^{rad} + \frac{k_3[M]}{\alpha} \cdot \Phi_3^{rad} + \frac{k_4[M]}{\alpha} \frac{k_6}{\beta} \cdot \Phi_6^{rad}$$
(F10)

where the radical quantum yields of the individual channels is given by function F9 and with  $\alpha$  and  $\beta$  as defined in F3. Figure 5 depicts the wavelength dependence of the total quantum yield together with that for the radicals. At atmospheric pressures, as considered in this paper, the contributions of the individual quenching processes are insignificant with respect to the overall radical quantum yield.

219

220 To provide a more handy tool for atmospheric modeling, we introduce an exponential

function (F11), with only one term and three parameters for the total and the radical quantum

yields of CHDO, similar to those deduced by Ehhalt and Röth (2015) for  $CH_2O$ , as a proxy for the three-term functions F7 and F10:

224

$$\Phi = \frac{a}{1 + exp\left(\frac{-\left(\frac{1}{\lambda} - \frac{1}{\lambda_0}\right)}{b}\right)^{[M]}}$$
(F11)

The corresponding parameters for the total quantum yield of CHDO are a=1.0,  $b=7.7\times10^{-5}$  s<sup>-1</sup>, and  $\lambda_0=336.2$  nm. For the radical channel the factor [M]/[M<sub>0</sub>] is set to 1, as the photolysis leading to the radicals is nearly pressure independent. The respective parameters are a=0.74,  $b=7.7\times10^{-5}$  s<sup>-1</sup>, and  $\lambda_0=325.0$  nm. Both approximation curves are depicted in Figure 5, and Figure 6 shows the pressure dependent comparison with the measured data by Miller and Lee (1978).

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- 232

## 233 4. Analysis of the CHDO photo-decomposition

Our second approach to estimate the quantum yields for the photolysis of CHDO is based on the experiments of McQuigg and Calvert (1969) who measured the photo-decomposition of CH<sub>2</sub>O, CHDO, and CD<sub>2</sub>O. Unfortunately, the authors only presented the quantum yields for the two radical reaction channels of CH<sub>2</sub>O and CD<sub>2</sub>O. They further assumed that the total quantum yield equals 1, independent of wavelength. It appears, however, that these data have a bias which becomes evident when the data for CH<sub>2</sub>O are compared to more recent measurements.

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In Figure 7 the dependence on the wavelength of  $\Phi^{rad}$  of CH<sub>2</sub>O by McQuigg and Calvert (1969) is depicted together with a curve for CH<sub>2</sub>O, averaged over measured data from the paper by Röth and Ehhalt (2015). The latter evaluation showed no pressure dependence, but indicated a weak temperature effect which is neglected here. The curve is represented by the following function:

- 247
- 248

$$\Phi_{CH20}^{rad} = \frac{0.74}{1 + exp\left(\frac{-\left(\frac{1}{\lambda} - \frac{1}{327.4}\right)}{5.4 \times 10^{-5}}\right)} - \frac{0.40}{1 + exp\left(\frac{\frac{1}{\lambda} - \frac{1}{279.0}}{5.2 \times 10^{-5}}\right)}$$
(F12)

Equation F12 exhibits a maximum in  $\Phi^{rad}$  around 310 nm, independent of the small temperature shift, whereas the earlier values of McQuigg and Calvert exhibit a monotonic decay with increasing wavelength above 280 nm, which points to a bias in the latter. The second summand in F12 is less than 1% at wavelengths above 300 nm and, hence, can be

- 253 omitted in the present paper. Figure 7 also includes the data of McQuigg and Calvert (1969) 254 for  $CD_2O$  which show a quite similar wavelength dependency as the data for  $CH_2O$ .
- 255

256 Our first assumption is that the bias in the experiments of McQuigg and Calvert extends 257 equally to both isotopologues (CD<sub>2</sub>O and CH<sub>2</sub>O), and that, therefore, the ratio R of their 258 quantum yields is correct. This ratio is displayed in Figure 8 and shows a mostly monotonic 259 decrease with increasing wavelength. In this context, it is interesting to note that the ratio of the rate constants for the decomposition of excited  $CH_2O^*$  and  $CD_2O^*$  into the respective 260 radical channels, as calculated by Troe (1984) from theory, result in a curve with a monotonic 261 262 decrease with increasing wavelength similar to that of the quantum yield ratio (see Figure 8). Using ratio R together with the fit function F12 for  $\Phi_{CH20}^{rad}$  allows to estimate  $\Phi_{CD20}^{rad}$  for the 263 radical channel of CD<sub>2</sub>O, as shown in Figure 8. 264 To calculate  $\Phi_{CHDO}^{rad}$  we need one further assumption. Our hypothesis is suggested by the 265

results of Feilberg et al. (2004), who found that the KIE of the reactions of CHDO with OH, Cl and Br are arithmetic means of the KIE of the reactions of CH<sub>2</sub>O and CD<sub>2</sub>O with those radicals. This in turn implies that the C-H bond strengths are similar in the isotopologues, and the same is true for the C-D bond strength. We, therefore, assume that  $\Phi_{CHDO}^{rad}$  can be calculated from the average of  $\Phi_{CH2O}^{rad}$  and  $\Phi_{CD2O}^{rad}$  at each wavelength:

271 
$$\Phi_{CHDO}^{rad}(\lambda) = \left(\Phi_{CH2O}^{rad}(\lambda) + \Phi_{CD2O}^{rad}(\lambda)\right)/2$$
(F13)

The resulting radical quantum yields are compared in Figure 9.  $\Phi_{CHDO}^{rad}$  does not depend on 272 pressure since neither  $\Phi_{CH20}^{rad}$  nor  $\Phi_{CD20}^{rad}$  are pressure dependent. The respective maxima in 273  $\Phi^{\text{rad}}$ , on the other hand, decrease from 0.72 over 0.70 to 0.65 for increasing deuteration. 274 275 Moreover, there is a blue shift of 5 nm, resp. 10 nm in the decreasing part of the quantum 276 yield spectra of CHDO and CD<sub>2</sub>O, i.e. at wavelengths above 315 nm. These blue shifts have 277 the same tendency but do not quite match the measured threshold energies of 362.3 kJ/mol, 278 368.4 kJ/mol, and 370.6 kJ/mol for CH<sub>2</sub>O, CHDO, and CD<sub>2</sub>O, respectively (Chuang et 279 al.,1987), which correspond to the wavelengths 330.9 nm, 325.5 nm, and 323.5 nm. 280

281 The one-term fit function for the radical channel of CHDO is:

282 
$$\Phi_{CHDO}^{rad} = \frac{0.72}{1 + exp\left(\frac{-\left(\frac{1}{\lambda} - \frac{1}{323.0}\right)}{7.7 \times 10^{-5}}\right)}$$
(F14)

and is also show in Figure 9. In Figure 10 the result of the interpretation of the measured
 photo-decomposition of CHDO by McQuigg and Calvert (1969) is compared to the radical

quantum yield deduced from the fluorescence measurements of Miller and Lee (1978). Both estimations lead to a wavelength dependence of  $\Phi_{CHDO}^{rad}$  which lie in each others uncertainty range. This is a strong hint that the deduced results are robust and represent the true quantum

288 yield of the radical channel of the photolysis of CHDO.

- 289
- 290

## 291 **5.** The isotope fractionation during the photolysis of formaldehyde

292

The photolysis frequency  $J_i$  of the isotopologues  $CH_2O$  and CHDO is given by the integration of quantum yield  $\Phi$ , absorption cross section  $\sigma$ , and spectral actinic photon flux density  $F_{\lambda}(\lambda)$ over the  $\lambda$  wavelength domain:

296

$$J_i = \int \Phi_{i,j}(\lambda) \cdot \sigma_i(\lambda) \cdot F_{\lambda}(\lambda) \, d\lambda \tag{F15}$$

297 where the quantum yield  $\Phi_{i,i}(\lambda)$  depends on the product channel j, either molecular or radical, 298 of isotopologue i, and the absorption cross section  $\sigma_i(\lambda)$  is specific to the isotopologues i. For 299 our calculations the absorption spectra of CH<sub>2</sub>O and CHDO from Gratien et al. (2007) were 300 applied. We used these values instead of the JPL-recommendation (Burkholder, 2020) for 301 consistency with the calculations in section 2 and 3. The solar spectral actinic flux density  $F_{\lambda}$ 302 was calculated from a quasi-spherical 1-D radiation transfer model (Röth, 2002); the  $\Phi(\lambda)$  are those from section 2. An example of the terms  $\Phi^{mol}(\lambda)$ ,  $\sigma(\lambda)$ ,  $F_{\lambda}(\lambda)$  for the molecular channel 303 304 of CHDO is given in Figure 11 for the pressure and temperature at an altitude of 20 km. The 305 product of these terms, integrated over 5 nm intervals for better visibility, is also displayed to 306 demonstrate the spectrally resolved contributions to the photolysis frequency of the molecular 307 channel of CHDO.

308

310

309 The kinetic isotope effect for the molecular channel is given by

$$KIE_{mol} = \frac{J_{CH2O}^{mol}}{J_{CHDO}^{mol}}$$
(F16)

311 and correspondingly for the radical channel

312

 $KIE_{rad} = \frac{J_{CH2O}^{rad}}{J_{CHDO}^{rad}}$ (F17)

313 For a quick overview the dependence of  $KIE_{rad}$  and  $KIE_{mol}$  on altitude for globally averaged

314 conditions (equinox, 30°N) are depicted in Figures 12a and 12b. KIE<sub>mol</sub> decreases

315 monotonically with decreasing pressure from 1.59 at 1000 hPa to 1.06 at 1 hPa. The radical

- 316 channel in contrast shows hardly any pressure dependency as the rate of this reaction is not
- 317 influenced by the quenching process. The marginal variation of the kinetic isotope effect with

- 318 altitude is caused by the altitudinal increase of the photon flux and its differing contribution to 319 the photolysis frequency integrals of CH<sub>2</sub>O and CHDO.
- 320

321 To examine whether the quantum yield functions for CHDO deduced above are applicable for 322 modeling purposes, additional sensitivity studies were carried out, varying the main features 323 of the quantum yield functions. With respect to the fractionation factor, only the variations of 324 those parameters are relevant which alter the relation of the entire photolysis frequency 325 integrals (eq. F15) of the molecular and the radical channels. In Figures 12a and 12b we 326 additionally show the variances of the photolysis frequencies as well as of the fractionation 327 factors. The shaded area is produced by varying one parameter of the CHDO quantum yield

- 328 as indicated below. The photolysis frequency of CH<sub>2</sub>O remained unchanged.
- 329

334

330 The sensitivity of the molecular branch of the photolysis frequency of CHDO to the

331 preexponential factor of the quantum yield function is roughly 10 % throughout the

332 atmosphere if this value is varied by 10%. All other parameters do not alter the integral

333 equation F15 significantly and produce only variances less than 1 % when changed by 10%. It

can thus be concluded that the estimated equation parameters are good representations of the actual values. At higher altitudes (<10 hPa)  $\Phi_{CHDO}^{mol}$  and  $\Phi_{CHDO}^{mol}$  are close to unity in the 335

336 wavelength regime 330 nm to 360 nm (see e.g. Fig. 6). So, the photolysis frequency in the

337 stratosphere does not change much if the parameters of the respective functions are varied.

338 Therefore, the variance of the fractionation factor does not much decrease above 30 km

339 altitude. Here, measurements at tropospheric pressures could be much more informative as

340 becomes evident from Figure 12.

341

342 The photolysis frequency of the radical channel of CHDO is only sensitive to the maximum of 343 the quantum yield and to the threshold wavelength 323 nm. Shifting the latter value by  $\pm$  3 nm 344 produces changes of about 20 % in the troposphere, decreasing to 10 % at 50 km altitude as 345 shown in Figure 12. This variation of the threshold produces an error bar of the fractionation 346 factor of the same magnitude.

347

348

349 6. Discussion

351 Due to consecutive reactions only the molecular channel contributes to the HD production. 352 Up to now there had been a handicap in the interpretation of stratospheric measurements of 353 the concentration of deuterated hydrogen HD due to the lack of exact knowledge of the 354 photolysis frequencies of deuterated formaldehyde, resulting in an uncertainty on the 355 fractionation factor. There have been a number of experimental approaches to deduce the 356 fractionation factor, where e.g. Feilberg et al. (2005) measured a value of  $1.82\pm0.07$  for  $\alpha_{mol}$ , 357 while Röckmann et al. (2010) found a value of  $1.63 \pm 0.03$  for that ratio. In their modeling 358 paper, Mar et al. (2007) varied the fractionation factor between 1.2 and 1.5 for stratospheric 359 conditions.

360

361 In all these studies the pressure dependence of the photolysis frequencies could not be

investigated. An interesting experiment by Nilsson et al. (2009) addressed this problem.

363 Unfortunately, the spectral radiance of the light source used did not resemble the sun light

364 well enough, and their findings could not be transferred to the real atmosphere without

information on the quantum yield of CHDO.

366

367 Beside its pressure dependence the variation of the photolytic fractionation factors can also be 368 caused by different actinic fluxes at the times and sites of the experiments. The actinic flux in 369 the numerator and denominator of the fractionation factor in equations F16 and F17 do not 370 cancel out, and, therefore, the factor is depending on the local insolation conditions. 371 Calculations of the solar zenith angle (SZA) dependency with the complex radiation transfer 372 model ART (Röth, 2002) result in values from 1.47 at overhead sun to 1.95 at SZA=83° for 373 clear sky and free horizon at ground level. This zenith angle dependency is less expressed at 374 20 km altitude and disappears at 50 km, as depicted in Figure 13. This effect may explain the 375 differences in the measurements of the fractionation factors. To check the variance with the 376 solar zenith angle the measured fractionation factor KIE<sub>m</sub> (eq. F16) is compared to model 377 calculations. The factor 1.63 ±0.03 (Röckmann et al., 2010) was derived from experimental 378 studies in the atmospheric simulation chamber SAPHIR between  $60^{\circ}$  and  $70^{\circ}$  SZA 379 (Röckmann et al., 2010). The absorption cross sections by Gratien et al. (2007) and the 380 quantum yields derived above together with the radiation spectra result in a fractionation 381 factor of 1.54 for 60° SZA and 1.70 for 70° SZA are in good agreement with the measured 382 value.

383

## 384 Conclusions

385	
386	The current work derives a framework and set of equations for describing the CHDO
387	photolysis, based on two different approaches building on the available literature data, finding
388	a consistent result across all data sets. It could be shown that the most influential parameters
389	of the rates of photolysis of CHDO are the absolute value and the threshold of the quantum
390	yield of the radical channel. Simplified parametrized equations (F11 and F14) that are readily
391	implemented in kinetic models are provided for these quantities. Measurements around 300
392	nm and 325 nm could help to further reduce the uncertainty on the fractionation factor.
393	Additional measurements of the pressure dependence of the total quantum yield, i.e. the
394	quenching rate of excited CHDO <sup>*</sup> , would be valuable to further test the assumptions made in
395	this paper.
396	
397	Competing interests
398 399 400	The authors declare they have no competing interests
401	
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404	suggestions to improve the clarity and readability of the paper.
405	

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- 568

569 Figures

570

- 571 **Fig01** : Comparison of the fluorescence quantum yield measured by Miller and Lee (1978)
- 572 (full dots) with the fitted function  $\Phi_F$  (M) (see Eq. F3) for different wavelengths in nm as
- 573 indicated. To emphasize the quality of the fit, we depict only the pressure dependent part
- 574  $\theta(M)$  as defined in Eq. F4
- 575

576 **Fig02 :** The pressure dependence of the kinetic isotope effect KIE (i.e. the ratio of the

577  $CH_2O/CHDO$  photolysis frequencies, see Eq. F6) is compared to the measured data of Nilsson

578 et al., 2010 (blue squares), and to Feilberg et al., 2007, Rhee et al., 2008, and Röckmann et al.,

579 2010 (red squares, 'others'). The solid curve at 1000 hPa is included to accommodate the

- 580 variation of the data.
- 581

**Fig03:** The total product quantum yields  $\Phi^{tot}$  derived from the measured rate constants of Miller and Lee (1978) at 1000 hPa through Eq. F7 (full circles) is well reproduced by the continuous  $\Phi^{tot}$  function obtained after fitting the rate coefficients to function Eq. F8 (solid curve).

**Fig04:** Wavelength dependence of the contributions of the three terms for  $\Phi_2^{tot}$ ,  $\Phi_3^{tot}$  and  $\Phi_6^{tot}$  of equation F7 to the total quantum yield  $\Phi^{tot}$  of the CHDO photolysis at 10 hPa (a) and 1030 hPa (b).

589

**Fig05:** The total quantum yields  $\Phi^{tot}$  of the photolysis of CHDO and that of the radical channel,  $\Phi^{rad}$ , calculated with the three-term functions Eq. F7 and F10 (black curves). The blue shaded area indicates the variation of parameter a within the interval [0.70 / 0.78]. The red curves, derived using the one-term approximation (eq. F11), and the black curves fall within the variance of each other.

595

596 **Fig06:** Comparison of the one-termfit function F11 (open circles on the solid line) with the 597 measured data (Miller and Lee, 1978) of the total photolytic quantum yields  $\Phi^{tot}$  (full circles) 598 at 1, 10, 200, and 1000 hPa.

599

600 **Fig07:** The original data of McQuigg and Calvert (1969) for  $CH_2O$  (full red squares) and 601  $CD_2O$  (open squares) for the photolytic quantum yields of the radical channel are compared to 602 the averaged function for  $CH_2O$  by Röth and Ehhalt (2015).

604 **Fig08:** The ratio  $\Phi_{CD2O}/\Phi_{CH2O}$  of the McQuigg and Calvert (1969) data shown in Fig.7 and

605 the corrected radical quantum yield of CD<sub>2</sub>O,  $\Phi_{CD2O}^{rad}$  (black squares). The ratio of the

606 respective reaction constants (triangles) derived theoretically by Troe (1984) shows the same

607 tendency as the quantum yield ratio.

608

**Fig09:** Wavelength dependency of the quantum yields  $\Phi^{rad}$  for the radical channel of the three isotopologues of formaldehyde. The curves for CH<sub>2</sub>O (Röth and Ehhalt, 2015) and that for CD<sub>2</sub>O (corrected data of McQuigg and Calvert, 1969) are used to calculate the quantum yield of CHDO (black dots) by their mean values.  $\Phi^{rad}_{CHDO}$  is then fitted by the one-term function Eq.

613 F14 (black line).

614

615 **Fig10:** The CHDO quantum yield  $\Phi_{CHDO}^{rad}$  fit function deduced from the fluorescence 616 measurements (blue line, Eq. F11) of Miller and Lee (1978), and that from the interpretation 617 of the photo-decomposition (red line, Eq. F14) measurements of McQuigg and Calvert 618 (1969). These lie within the uncertainty range of each other. Also depicted is the function for 619 the total quantum yield  $\Phi^{tot}$  (Eq. F11)

620

**Fig11 :** The photolysis rate is the combination of the actinic photon flux, the absorption cross section and the quantum yield. Depicted are the contributions to the molecular channel of the photolysis rate of CHDO,  $J_{CHDO}^{mol}$ , at 20 km altitude and integrated over 5 nm wavelength: the actinic photon flux  $F_{\lambda}(\lambda)$ , the absorption cross section  $\sigma(\lambda)$  (Gratien et al., 2007), and the quantum yield for the molecular channel  $\Phi^{mol}(\lambda)$ . The photolysis rate, the photon flux and the cross sectionare multiplied by  $2.5 \times 10^5$  sec,  $2.5 \times 10^{-15}$  photons<sup>-1</sup> nm sec, and  $1.5 \times 10^{19}$  cm<sup>-1</sup>, respectively, to achieve comparability.

628

629 **Fig12**: The altitudinal dependence of the photolysis frequencies J<sub>mol</sub> of the molecular

630 channels (a) of CH<sub>2</sub>O and CHDO is important for the atmospheric production of HD. For

631 comparison the radical channels (b) are also depicted. The dependence on altitude of the

632 kinetic isotope effect,  $KIE = J_{CH2O}/J_{CHDO}$ , is more pronounced for the molecular channel than

the radical channel. The shaded area indicates the variance upon changing (a) the quantum

634 yield  $\Phi^{mol}$  by 10% and (b) the radical threshold wavelength by 3 nm.

- **Fig13 :** At 50 km altitude the solar zenith angle dependency of the photolysis frequency ratio
- 637 of the molecular channel is nearly constant. In contrast, at 0 km the ratio increases
- 638 significantly for solar zenith angles above 30 degrees.



































CHDO(S<sub>0</sub>) + hv 
$$\rightarrow$$
 CHDO<sup>\*</sup>(S<sub>1</sub>) (R0)  
CHDO<sup>\*</sup>(S<sub>1</sub>)  $\rightarrow$  CHDO<sup>#</sup> + hv<sub>1</sub> (R1)  
CHDO<sup>\*</sup>(S<sub>1</sub>)  $\rightarrow$  CHDO<sup>\*</sup>(S<sub>0</sub>) (R2)  
CHDO<sup>\*</sup>(S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R2a)  
CHDO<sup>\*</sup>(S<sub>0</sub>)  $\rightarrow$  CO + HD (R2b)  
CHDO<sup>\*</sup>(S<sub>0</sub>) + M  $\rightarrow$  CHDO<sup>#</sup>(S<sub>0</sub>) + M (R2c)  
CHDO<sup>\*</sup>(S<sub>1</sub>) + M  $\rightarrow$  CHDO<sup>\*- $\Delta cl}$ (S<sub>0</sub>) + M (R3)  
CHDO<sup>\*- $\Delta cl}$ (S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R3a)  
CHDO<sup>\*- $\Delta cl}$ (S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R3b)  
CHDO<sup>\*- $\Delta cl}$ (S<sub>0</sub>)  $\rightarrow$  CO + HD (R3b)  
CHDO<sup>\*- $\Delta cl}$ (S<sub>0</sub>)  $\rightarrow$  CHDO<sup>#</sup>(S<sub>0</sub>) + M (R3c)  
CHDO<sup>\*- $\Delta cl}$ (S<sub>0</sub>)  $\rightarrow$  CHDO<sup>#</sup>(S<sub>0</sub>) + M (R4)  
CHDO<sup>\*- $\Delta cl}$ (S<sub>1</sub>)  $\rightarrow$  CHDO<sup>#- $\Delta cl}$ (S<sub>0</sub>)  $\rightarrow$  H×5 (R5)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>1</sub>)  $\rightarrow$  CHDO<sup>#- $\Delta cl^{2}$</sup> (S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R6a)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R6a)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R6a)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>0</sub>)  $\rightarrow$  CO + HD (R6b)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R6a)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R6a)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R6a)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>0</sub>)  $\rightarrow$  H+CDO / D+CHO (R6a)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>0</sub>)  $\rightarrow$  H+CHDO<sup>#</sup>(S<sub>0</sub>) + M (R6c)  
CHDO<sup>\*- $\Delta cl^{2}$</sup> (S<sub>1</sub>)  $\rightarrow$  CHDO<sup>#</sup>(S<sub>0</sub>) + M  $\rightarrow$  (R7)  
701  
702</sup></sup></sup></sup></sup></sup></sup></sup>