Equilibrium climate sensitivity increases with aerosol concentration due to changes in precipitation efficiency

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Abstract
How Earth's climate reacts to anthropogenic forcing is one of the most burning questions faced by today’s scientific community. A leading source of uncertainty in estimating this sensitivity is related to the response of clouds. Under the canonical climate-change perspective of forcings and feedbacks, the effect of anthropogenic aerosols on clouds is categorized under the forcing component, while the modifications of the radiative properties of clouds due to climate change are considered in the feedback component. Each of these components contributes the largest portion of uncertainty to its relevant category and is largely studied separately from the other. In this paper, using idealized cloud resolving, radiative-convective-equilibrium simulations, with a slab ocean model, we show that aerosol-cloud interactions could affect cloud feedback. Specifically, we show that equilibrium climate sensitivity increases under high aerosol concentration due to an increase in the shortwave cloud feedback. The shortwave cloud feedback is enhanced under high aerosol conditions due to a stronger increase in the precipitation efficiency with warming, which can be explained by higher sensitivity of the droplet size and the cloud water content to the CO$_2$ concentration rise. These results indicate a possible connection between cloud feedback and aerosol-cloud interactions.

1. Introduction
Estimating Earth's equilibrium climate sensitivity (ECS), defined as the steady-state global mean temperature increase for a doubling of CO$_2$, is considered as a first-order, fundamental milestone on the way to understanding and predicting anthropogenic-driven climate change (Sherwood et al., 2020). Decades of research have tried to accurately quantify ECS, with only limited success. The most probable current ECS estimates are in the range of 2.3–4.5K (Sherwood et al., 2020). The largest source of uncertainty in estimating ECS is related to the response of clouds to the externally forced warming and the feedback of these changes on the climate system (Sherwood et al., 2020; Ceppi et al., 2017; Schneider et al., 2017). Clouds strongly modulate Earth's radiation budget by reflecting the incoming shortwave radiation from the sun and by absorbing and re-emitting the terrestrial longwave radiation (Loeb et al., 2018). Thus, changes in the cloud macro-physical properties (such as coverage and vertical extent) and micro-physical properties (such as liquid/ice partition or hydrometeors size) due to anthropogenic-driven climate change could significantly alter the climate system's
An important factor in determining cloud feedback magnitude is the sensitivity of the Precipitation Efficiency ($\epsilon$) (Lutsko et al., 2021; Li et al., 2022; Lutsko and Cronin, 2018). $\epsilon$ quantifies the fraction of condensed water in a cloud to reach the surface as precipitation. Using idealized cloud resolving simulations, it was shown that $\epsilon$ is expected to increase with temperature (Lutsko and Cronin, 2018). The increase in $\epsilon$ with warming was shown to be mostly driven by an increase in the efficiency with which cloud condensate is converted into precipitation, while changes in the evaporation of falling precipitation was shown to play a smaller role (Lutsko and Cronin, 2018).

An increase in $\epsilon$ with warming represents more efficient depletion of the water from the clouds, thus affecting the radiation budget. On the one hand, increase in $\epsilon$ with warming was suggested to reduce the anvil cloud coverage and hence increase the outgoing longwave radiation (Lindzen et al., 2001; Mauritsen and Stevens, 2015), thus producing negative feedback. On the other hand, however, it was recently shown that the longwave effect of an $\epsilon$ increase is over-compensated for by changes in the shortwave flux (Li et al., 2019), i.e., a large reduction in the cloud optical depth, driving a reduction in the shortwave cooling effect of clouds, dominates the response.

The efficiency with which cloud condensate is converted into precipitation is closely linked to the micro-physical properties of the clouds. The autoconversion of cloud droplets into rain becomes significant when liquid water amount and/or droplet radii reach a critical threshold (Freud and Rosenfeld, 2012). An important factor influencing the droplet radii (and also the liquid water amount, to some degree) is the amount of available cloud condensation nuclei (CCN). Generally, an increase in aerosol concentration drives an increase in CCN concentration, which results in more numerous and smaller droplets in the cloud (Twomey, 1974; Warner and Twomey, 1967). The smaller droplets require longer time (or equivalently larger vertical distance) in the clouds to grow by diffusion to the critical size enabling precipitation, thus delaying the initial warm rain formation (Rosenfeld, 2000; Dagan et al., 2015b). In addition, aerosols were suggested to enhance the vertical velocities and the cloud top heights of deep convective clouds (due to the so-called invigoration mechanism (Abbott & Cronin, 2021; Koren et al., 2005; Rosenfeld et al., 2008)), which in turn can results in...
precipitation enhancement (Koren et al., 2012). Therefore, aerosols could affect ε (Khain, 2009).

In addition to the effect on rain, aerosols could modify the radiative properties of clouds, by modifying the droplet concentration and size distribution (Twomey, 1974) and by affecting the clouds’ macro-physical properties (Albrecht, 1989; Bellouin et al., 2019). These changes to the radiative properties of clouds result in radiative forcing that could affect the sea surface temperature [SST (Bellouin et al., 2019)]. Using cloud-resolving radiative-convective-equilibrium simulations with interactive SST, Khairoutdinov and Yang (2013) showed that the surface temperature decreases by 1.5K with each 10-fold increase in aerosol concentration, an effect quite comparable to a 2.1–2.3K SST warming obtained in a simulation with given (low) aerosol conditions but doubled CO₂ concentration.

It has been suggested that cloud feedback and aerosol forcing are not independent of each other (Mülmenstädt and Feingold, 2018; Igel and van den Heever, 2021). In addition, the strong links between ε and cloud feedback and between ε and aerosol concentration merit a dedicated study on the potential mutual CO₂ and aerosol effect on clouds and thus also on ECS, which is the aim of the current study.

2. Methods

Model description and experimental design

The model used herein is the System of Atmospheric Modeling [SAM - (Khairoutdinov and Randall, 2003)] version 6.11.7. Subgrid-scale fluxes are parameterized using Smagorinsky’s eddy diffusivity model and gravity waves are damped at the top of the domain. The microphysics scheme used is Morrison et al. (2005) 2-moment bulk microphysics. The cloud droplet number concentration source assumes that the number of activated CCN depends on the super-saturation (S – which is estimated diagnostically in the model as the model assumes saturation adjustment) according to a power-law: $\text{CDNC} = N_a S^k$, where $N_a$ is the prescribed concentration of CCN active at 1 % supersaturation, and k is a constant (set in this study to 0.4 - a typical value for maritime conditions). Changes in $N_a$ serve as a proxy for the change in aerosol concentration. Three levels of $N_a$ are considered here, covering an extreme range of conditions – 20, 200 and 2000 cm⁻³. While this wide range of conditions is unlikely to exist at any given
geographical location, they are used here in order to cover the range of possible conditions at different locations and to maximize the effect for establishing better physical understanding. The activation of CCN at the cloud base is parameterized following Twomey (1959), using the vertical velocity and CCN spectrum parameters. The model is configured to pass cloud water and ice-crystal effective radii from the microphysics scheme to the radiation scheme; thus, the Twomey effect (Twomey, 1977) of both liquid and ice is considered. Direct interactions between aerosols and radiation are not considered here.

The simulations are conducted in a radiative-convective-equilibrium (RCE) mode and generally follow the RCEMIP (RCE model inter-comparison project (Wing et al., 2018)) small-domain instructions (but with interactive SST and changes in the CO₂ and aerosol concentration). The simulations were performed on a square, doubly periodic domain. In this case, we want to avoid the effect of convective self-aggregation on ε; thus, the domain size is set to 96x96 km², which was shown to be small enough to prevent convective self-aggregation (Muller and Held, 2012; Lutsko and Cronin, 2018; Yanase et al., 2020). The horizontal grid spacing is set to 1km and 68 vertical levels are used, between 25m and 31km, with vertical grid spacing increasing from 50m near the surface to roughly 1km at the domain top. We note that while shallow clouds are present in the simulations, the grid spacing used here is too coarse for a full representation of these clouds. A time step of 10s is used, and radiative fluxes are calculated every 5 min using the CAM radiation scheme (Collins et al., 2006). The output resolution for all fields is 1h (3D fields are saved as snapshots while domain statistics are saved as hourly-averages). The incoming solar radiation is fixed at 551.58 Wm⁻² with a zenith angle of 42.05° (Wing et al., 2018), producing a net insolation close to the tropical-mean value. Convection is initialized with a small thermal noise added near the surface at the beginning of the simulation. The initial conditions for the simulations are as in Wing et al. (2018).

Greenhouse gases are varied for three different levels: pre-industrial level (280 PPM, 1xCO₂), 2 times pre-industrial level (2xCO₂) and 4 times pre-industrial level (4xCO₂). As in the case of the aerosol concentrations, the large range of CO₂ conditions covered here are used to examine the clouds’ sensitivity to greenhouse gas concentrations under a wide range of conditions. Nine different simulations, with all possible combinations of Nₐ and CO₂ concentrations, were conducted. The O₃ vertical profile is similar to
Wing et al. (2018) and represents a typical tropical atmosphere. The effect of other trace gases (such as CH$_4$ and N$_2$O) is neglected for simplicity.

In all simulations, the SST is interactive and predicted by a slab ocean model (SOM). The SOM's mixed layer depth is set to 5m, which represented a compromise between a relatively deep layer (\(\geq 10m\)), which reduces SST noise (Khairoutdinov and Yang, 2013), and a relatively shallow layer (\(<1m\)), which requires a shorter computation time for equilibrium (Romps, 2020). As in Romps (2020), the SOM is cooled at a rate of 112 Wm$^{-2}$ in order to ensure that the simulations with 1xCO$_2$ are kept at around the initial SST of 300K (Fig. 1). Each simulation was run for 1800 days, which is sufficient for reaching close to equilibrium (the surface energy imbalance is \(\leq 0.1\)Wm$^{-2}$ in all simulations during the last 150 days). The last 150 days of each run are used for statistical sampling (gray shading in Fig. 1).
3. Results

Figure 1. a) the sea surface temperature (SST) along time for the different simulations conducted under different aerosol and CO\(_2\) concentrations. The gray shaded area is referred to as equilibrium conditions. b) Change in equilibrium SST due to a change in CO\(_2\) concentration (compared to the 1xCO\(_2\) case of each aerosol concentration), for the different aerosol concentrations (the different curves).
in equilibrium SST with CO$_2$ concentration increases under extremely high $N_a$
concentrations (2000 cm$^{-3}$), compared with the low and medium $N_a$ concentrations (20
and 200 cm$^{-3}$, respectively - Fig. 1b). Calculating the average ECS based on the three
combinations available for each $N_a$ condition [2xCO$_2$-1xCO$_2$, 4xCO$_2$-2xCO$_2$ and
(4xCO$_2$-1xCO$_2$)/2], demonstrates that it increases with $N_a$ from 3.0K at the lowest $N_a$
to 3.7K at the highest $N_a$ (i.e., a 23% increase – Table 1).

Table 1. Average equilibrium climate sensitivity (ECS), cloud-feedback parameter ($\lambda_{\text{cloud}}$),
hydrological sensitivity ($\eta$), and change in precipitation efficiency ($\Delta\varepsilon$) of the three
combinations available for each $N_a$ condition [2xCO$_2$-1xCO$_2$, 4xCO$_2$-2xCO$_2$ and 4xCO$_2$-
1xCO$_2$]. For the calculation of the average ECS, the difference between 4xCO$_2$ and 1xCO$_2$
is divided by 2. The rest of the quantities are normalized by the SST change between the
relevant simulations. Please refer to the text for the definitions of these quantities.

<table>
<thead>
<tr>
<th>$N_a$ [cm$^{-3}$]</th>
<th>ECS [K]</th>
<th>$\lambda_{\text{cloud}}$ [W m$^{-2}$ K$^{-1}$]</th>
<th>$\eta$ [% K$^{-1}$]</th>
<th>$\Delta\varepsilon$ [% K$^{-1}$]</th>
</tr>
</thead>
<tbody>
<tr>
<td>20</td>
<td>3.0</td>
<td>-0.45</td>
<td>3.8</td>
<td>1.2</td>
</tr>
<tr>
<td>200</td>
<td>3.1</td>
<td>-0.38</td>
<td>4.3</td>
<td>1.3</td>
</tr>
<tr>
<td>2000</td>
<td>3.7</td>
<td>-0.08</td>
<td>4.6</td>
<td>2.7</td>
</tr>
</tbody>
</table>

Figure 2 presents the time and domain mean vertical profiles of temperature and water
vapor mixing ratio ($q_v$) in the different simulations (panels a and b) and their difference
from the simulation with the lowest $N_a$ and CO$_2$ concentrations (panels c and d). It
demonstrates, as expected, that the vertical profile of air temperature is set by the
surface temperature (increases with CO$_2$ concentrations and decreases with $N_a$) with an
amplification of the change at the upper troposphere, as the profiles follow the moist
adiabatic lapse-rate. It also shows that $q_v$ increases with the temperature, as expected
(Held and Soden, 2006).
Figure 2. Time and domain mean vertical profiles of air temperature and water vapor mixing ratio ($q_v$) in the different simulations (a and b) and how they differ from the simulation with the lowest $N_a$ and CO$_2$ concentrations (panels c and d).

In order to understand the increase in ECS with $N_a$, we next examine the top-of-atmosphere (TOA) energy budget. Figure 3 presents the change in the net shortwave and longwave TOA energy gain ($R^{SW}$ and $R^{LW}$, respectively) with the CO$_2$ concentration for the different $N_a$ conditions. In addition, Fig. 3 presents the change in the cloud radiative effect (CRE) with increasing the CO$_2$ concentration, where CRE is computed by subtracting the clear-sky from the all-sky TOA radiative fluxes.
We estimate the average cloud radiative feedback (λ_cloud) as the change in CRE with increasing surface temperature, i.e., λ_cloud = dCRE/dT, for the different N_a conditions. The table shows that λ_cloud becomes less negative with the increase in N_a, leading to higher climate sensitivity. The differences in the values of λ_cloud between the different N_a conditions is mostly derived from the shortwave part of the spectrum (Fig. 3).
Figure 3. The change in the net top-of-atmosphere energy gain ($R$) in the shortwave (a) and in the longwave (b), and the change in the cloud radiative effect (CRE) in the shortwave (c) and in the longwave (d), due to a change in the CO$_2$ concentration (compared to the 1xCO$_2$ case of each aerosol concentration), for the different aerosol concentrations (the different curves).

Thus far, we have seen that the ECS increases with $N_a$ (Fig. 1 and Table 1) and that this increase can be explained by changes in $\lambda_{\text{cloud}}$ (Table 1) and specifically in $\text{CRE}^{\text{SW}}$ (Fig. 3). To understand the changes in the cloud properties driving the changes in $\lambda_{\text{cloud}}$, and hence also in ECS, under the different $N_a$ conditions, in Fig. 4 we present the change in cloud liquid water path (CWP), ice water path (IWP), rain water path (RWP) and cloud fraction (CF) with increasing CO$_2$ concentrations for the different $N_a$ conditions. The figure shows that the CWP decreases with the CO$_2$ concentrations at a much faster rate (about 3 times faster) under the highest $N_a$ conditions compared to the low and medium $N_a$ conditions (Fig. 4a). The changes in the IWP, on the other hand, are about an order of magnitude smaller than the changes in CWP and are not consistent in sign for the different $N_a$ conditions (Fig. 4b). The RWP increases with the CO$_2$ concentrations at a slightly faster rate (about 20% faster) under the highest $N_a$ conditions compared to the...
low and medium $N_a$ conditions (however the response is non-monotonic with $N_a$ - Fig. 4c). The CF decreases with the CO$_2$ concentrations, at a similar rate for the different $N_a$ conditions (about 1.5% decrease in CF for each doubling of the CO$_2$ concentrations - Fig. 4d).

The faster decrease in CWP with CO$_2$ concentrations under high $N_a$ conditions drives the faster increase in CRE$^{SW}$ as the clouds become less opaque in the shortwave. We note that the difference in CRE$^{SW}$ trend under different $N_a$ conditions could not be explained by the minor differences in the CF trends. In addition, the small differences in the IWP between the different $N_a$ conditions are consistent with the small differences in the CRE$^{LW}$ seen above. The general increase in RWP with CO$_2$ concentrations is consistent with an increase in rain efficiency with warming (Lutsko and Cronin, 2018), as elaborated below.

Figure 4. The change in: a) cloud liquid water path (CWP), b) ice water path (IWP, c) rain water path (RWP), and d) cloud fraction (CF) due to a change in the CO$_2$ concentration (compared to the 1xCO$_2$ case of each aerosol concentration), for the different aerosol concentrations (the different curves).
Figure 4 suggests that the largest difference in the cloud response to CO₂ under different \( N_a \) conditions is due to changes in CWP. The higher sensitivity of CWP to CO₂ concentration under higher \( N_a \) conditions can explain the higher \( \lambda_{\text{cloud}} \) and thus also the larger ECS. Hence, the question arises: What causes the faster reduction in CWP with CO₂ concentration under high \( N_a \) conditions? A major sink for CWP is via precipitation. Hence, in Fig. 5 we present the change in the mean surface precipitation rate, the hydrological sensitivity (\( \eta \) - the rate of change in the surface precipitation per 1K increase in surface temperature) and the precipitation efficiency (\( \epsilon \) - calculated following Li et al. (2022) as the ratio of surface precipitation-to-condensed water path, i.e., CWP+IWP+RWP). Please note that the precipitation efficiency definition used here, following Li et al. (2022), is slightly different from the definition used in Lutsko and Cronin (2018). However, the two different definitions were shown to be tightly correlated (Li et al., 2022), thus, the exact definition used is not expected to change the main conclusions. In addition, the use of this definition will enable easier comparison with observations and global climate models in the future.

As expected, Fig. 5 demonstrates that the surface precipitation increases with CO₂ (i.e., \( \eta \) is positive) and so does \( \epsilon \) (Lutsko and Cronin, 2018). This is true for all \( N_a \) conditions. However, the rates of increase in surface precipitation and \( \epsilon \) with CO₂ concentration are higher under the highest \( N_a \) conditions (see also Table 1). We note that the larger rate of increase in surface precipitation under the highest \( N_a \) conditions is not solely due to the higher surface temperature increase, as \( \eta \) also increases with \( N_a \). The much larger (more than double- Table 1) rate of increase in \( \epsilon \) with the CO₂ concentration under the highest \( N_a \) conditions represents more efficient depletion of the cloud water from the atmosphere, leading to a faster reduction in CWP with CO₂ concentration (Fig. 4), which in turn leads to higher \( \lambda_{\text{cloud}} \) and ECS. The faster increase in RWP with CO₂ concentration under the highest \( N_a \) conditions presented in Fig. 4c is consistent with this explanation.
Figure 5. The change in: a) surface precipitation, b) hydrological sensitivity ($\eta$), and c) precipitation efficiency ($\epsilon$) due to a change in the CO$_2$ concentration (compared to the 1xCO$_2$ case of each aerosol concentration), for the different aerosol concentrations (the different curves).

The last open question is why $\epsilon$ increases faster with CO$_2$ concentration under the highest $N_a$ conditions. The increase in $\epsilon$ with warming was shown to be mostly driven by an increase in the efficiency with which cloud condensate is converted into
precipitation (Lutsko and Cronin, 2018). As was mentioned in the introduction, the conversion of cloud condensate into precipitation (or autoconversion of cloud droplets) becomes significant only when liquid water amount and/or droplet radii reach a critical threshold (Freud and Rosenfeld, 2012). To understand the faster $\epsilon$ increases with CO$_2$ concentration under the highest $N_a$ conditions, we present the histograms over the domain and time (during the last 150 days of the simulations based on 3D output in 1-hour resolution) of liquid cloud droplets mixing ratio ($q_c$ – Fig. 6) and mean cloud droplet radii ($\bar{r}_c$ – Fig. 7) around the height of the maximum in cloud droplet effective radii (1950m) and its mean sensitivity to doubling of CO$_2$ concentration for each $N_a$ condition.

Figure 6 demonstrates that the cut-off of the $q_c$ distribution (the mixing ratio for which the probability density function starts to decrease sharply) increases with the CO$_2$ concentration and decreases with the aerosol concentration. However, the sensitivity of the relatively large $q_c$ with CO$_2$ concentration is significantly larger under high aerosol concentrations compared to the lower aerosol concentrations (Fig. 6b). The larger relative increase in high $q_c$ promotes the autoconversion process and hence enhances $\epsilon$, more under high aerosol concentrations than under low aerosol concentrations.

Figure 7 demonstrates, in line with expectations, that $N_a$ has a strong effect on $\bar{r}_c$. In addition, it shows that under all $N_a$ conditions, $\bar{r}_c$ increases with the CO$_2$ concentration. This could be explained by the increase in the availability of water vapor (Fig. 2), which, for a given $N_a$ conditions, enable larger diffusional growth of the droplets. This trend could also be understood from the increase in $q_c$ with warming (Fig. 6, Lutsko and Cronin 2018), which under a given $N_a$ conditions implies larger $\bar{r}_c$. Here again, the highest $N_a$ conditions demonstrate the largest sensitivity of $\bar{r}_c$ to CO$_2$ concentration, especially at the right-hand side of the distribution (Fig. 7b). This could be explained by the fact that under these high $N_a$ conditions, the cloud droplet growth is primarily limited by the availability of water vapor, as large number of droplets compete for the available water vapor (Koren et al., 2014; Dagan et al., 2015a; Reutter et al., 2009). Thus, an increase in the availability of water vapor with CO$_2$ concentration (Fig. 2) under polluted conditions results in a larger increase in $\bar{r}_c$ compared with clean conditions. However, the reasons behind this trend, as well as behind the larger increase in $q_c$ in high-$N_a$ simulations deserve further exploration in the future. Similarly to the $q_c$ case, the larger relative increase in the relatively large droplets promotes the
autoconversion process and hence enhances $\epsilon$, more under high aerosol concentrations than under lower aerosol concentrations.

Figure 6. Probability density functions (PDF) of the cloud droplet mixing ratio ($q_c$) for the different simulations (a), and the mean sensitivity of the $q_c$ PDF to a doubling of the CO$_2$ concentration based on the three combinations available for each $N_a$ condition [2xCO$_2$-1xCO$_2$, 4xCO$_2$-2xCO$_2$ and (4xCO$_2$-1xCO$_2$)/2] (b), calculated for the heights around which the cloud droplet effective radii reach a maximum (1950m) and using 3-D files output every hour of the last 150 days of the simulations. Note the logarithmic scales for the y-axes of a.
Figure 7. Probability density functions (PDF) of cloud droplet mean radii ($\bar{r}_c$) for the different simulations (a), and the mean sensitivity of the $\bar{r}_c$ PDF to a doubling of the CO$_2$ concentration based on the three combinations available for each $N_a$ condition [2xCO$_2$-1xCO$_2$, 4xCO$_2$-2xCO$_2$ and (4xCO$_2$-1xCO$_2$)/2] (b), calculated for the heights around which the cloud droplet effective radii reach a maximum (1950m) and using 3-D files output every hour of the last 150 days of the simulations. Note the logarithmic scales for the y-axes of a.

4. Summary and conclusions

The role of clouds in a climate-change is manifested by two pathways: (1) effects of anthropogenic aerosol on clouds, and (2) feedback that clouds exert on the changing climate. These two pathways are usually studied separately, and even by different
scientific communities. In this paper, we demonstrate that the two pathways are closely
linked to each other and should be examined concurrently.
Using long, idealized RCE simulations over a small domain with a slab ocean model,
we demonstrate that the ECS, i.e., the increase in surface temperature under equilibrium
conditions due to doubling of the CO$_2$ concentration, increases with the aerosol
concentration. The ECS increase is explained by a faster increase in precipitation
efficiency with warming under high aerosol concentrations, which represents a more
efficient depletion of the water from the cloud and thus is manifested as an increase in
the cloud feedback parameter. The precipitation efficiency increases faster under high
aerosol concentration due to a higher sensitivity of the relatively high liquid water
mixing ratios and the relatively large mean droplet sizes to a CO$_2$ concentration
increase. We note that the increase in the total (shortwave plus longwave) cloud
feedback parameter with the increase in precipitation efficiency is a result of a stronger
shortwave effect (Li et al., 2019) than a longwave effect (Lindzen et al., 2001) in the
simulations presented here. Future work should examine the robustness of this trend in
different models, and with different microphysical and radiative schemes. Moreover,
the response of precipitation to changes in aerosol concentration might be
microphysical representation depended (White et al., 2017), and hence should be
examined in the future under different microphysical schemes (conceivably in a multi-
model intercomparison project focusing on aerosol effect on RCE simulations).
The results presented here are based on idealized simulations over a small domain.
Under more realistic conditions, other processes, not included here, that could affect
the precipitation efficiency and hence the general trend will be introduced. In particular,
convective self-aggregation could be of interest as, while it is inhibited in the small
domain used here, it was shown to affect precipitation efficiency (Lutsko et al., 2021)
and to be affected by aerosols (Nishant et al., 2019). Other processes that should be
accounted for in future research include the presence of large-scale circulation and
direct aerosol radiative effects (Dagan et al., 2019; Dingley et al., 2021). In addition,
the results presented here suggest that the sensitivity of ECS to aerosol loading might
not be linear (Table 1). Hence, the dynamical aerosol range present at different
geographical locations would affect the total ECS trend.
The results presented here suggest a possible connection between cloud feedback and
aerosol-cloud interactions. The regulation of aerosol emissions is known to be more
effective than the effort to reduce greenhouse gas emissions. This, together with the
short lifetime of aerosols in the atmosphere, has resulted in a reduction in the value of the global mean aerosol effective radiative forcing in recent years (Quaas et al., 2022). If the conclusions of this paper hold under higher levels of complexity (e.g., large-scale circulation, convective self-aggregation, etc.) this might mean that the reduction in global aerosol emissions could lead to a reduction in ECS, which could compensate, at least partially, for the reduction in the negative forcing induced by aerosols (Quaas et al., 2022; Bellouin et al., 2019), thus providing yet additional motivation for reducing aerosol emissions globally.

**Code availability**
SAM is publicly available at: http://rossby.msre.sunysb.edu/~marat/SAM.html

**Data availability**
The data presented in this study is publicly available at: https://doi.org/10.5281/zenodo.7306706.

**Author contributions**
GD carried out the simulations and analyses presented and prepared the article.

**Competing interests**
The authors declare that they have no conflict of interest.

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