



Past and future climate analysis at regional scale: the case study of the Campania

Region, Italy

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Abstract. The present paper reports a detailed analysis of the observed and expected climate conditions over the Campania Region, located in the South of Italy. Campania, as part of the Mediterranean area, is already testing relevant impacts related to climate change; evaluation is expected to support local stakeholders in the risk assessment for different relevant sectors but also support the adaptation process. Due to the above mentioned goal the analysis of climate condition is carried out through the evaluation of ETCCDI climate indicators largely used to characterize the frequency and intensity of extreme climate. Analysis is performed both starting from the observed data, provided by various in situ meteo-climatic monitoring networks of the Campania Region managed by local Civil Protection, and using a high resolution regional climate models. Particularly, a systematization of historical data was first carried out by performing the data completeness test and later the climate quality check and homogenization test of the complete time series, which ensure a correct evaluation of climate indicators over the region. Furthermore, for the calculated climate indicators, the variations expected on the territory for 4 future periods and under 2 different IPCC climate scenarios were evaluated, starting both from the data of the COSMO CLM regional model, and from the ensemble mean of the EURO-CORDEX models.



1 Introduction

As part of the POR FESR Campania 2014/2020 Project "Services and Gov Advanced Climate Products" an agreement was signed between the Regional Agency for Environmental Protection of Campania and CMCC srl, CMCC Foundation's spin off, to produce information and climate analysis to support the planning activities of the Campania Region. This is in order to provide citizens, businesses and other bodies with a detailed knowledge of the climate changes observed and expected in the region in the coming years.

In particular, this information is very useful in the planning of interventions on the territory by, for example, the Municipalities themselves to support public and private users to define adequate adaptation and risk analysis actions for different sectors of interest (such as for example, tourism and agriculture, health) from the regional to the municipal scale.

Therefore, the present work aims to describe the climatic characteristics of the Campania Region, both as regards the observed local climate and as regards the expected future scenarios. This description is based on the use of observational datasets and high-resolution climate projections currently available on the Italian territory. The climate analysis was carried out using indicators deemed relevant to assess the main local impacts of climate change (Karl et al. 1999, Peterson et al. 2001). Particularly, as regards the analysis on the observed data, it was first conducted a systematisation of the station data by performing the data completeness test, and later the climate quality check and homogenization test of the complete time series (ISPRA 2012, 2013; Fioravanti et al., 2016). This allowed the calculation of climatic indicators on the observed data of the Campania Region. Furthermore, for the same climate indicators, the expected variations in the territory were assessed starting both from the data of the COSMO CLM regional climate model of the CMCC Foundation at the resolution of 8 km available on Italy, and of the ensemble mean of the EURO-CORDEX models at maximum resolution available, about 12 km, considering the two different IPCC scenarios RCP4.5 and RCP8.5 (IPCC, 2014a; Moss et al, 2010). The study of the climate implies, by definition, the use of long time scales; in particular, the WMO (WMO, 2007) establishes in 30 years the standard length on which it is necessary to perform statistical analyses that can be considered representative of the average and extreme climate regimes of a selected geographical area. For this reason, variations of future climate (in terms of average and extreme patterns), due to different climate-changing gas concentration scenarios, have been compared to the reference climate by comparing two periods, each of 30 years length.

The paper is organised as follows: the *Methodology* section describes the methodology developed in this work. In particular, completeness test and data quality check are described in general form in subsections 2.1 and in detail in subsections 2.1.1, 2.1.2 and 2.1.3. Subsections 2.2 provides a general overview of the homogenization process and, subsequently, the four homogenization methods used are described in detail in subsections 2.2.1 to 2.2.4. In subsection 2.3 the climate analysis carried out in this work on the Campania region is described. The main results obtained are commented in Sections 3 and 4. Finally, Section 5 briefly summarize the results obtained and provides the conclusions of this work.



55 2 Methodology

56 The present work aims to describe the climate characteristics of the Campania Region starting from the observed data provided
57 by the various meteo-climatic monitoring networks of the region, and to analyse the region's climate change scenarios using
58 high-resolution regional climate models currently available on the Italian territory. Before being able to perform the climate
59 analysis it was necessary to carry out a systematisation of the station data, which consists of execution of data completeness
60 test, climate quality check and homogenization test of the complete time series (ISPRA 2012, 2013; Fioravanti et al., 2016).

61 2.1 Completeness test and data quality check

62 The completeness check of the station data series consists in verifying that there is a minimum necessary number of data on
63 which to perform a climate analysis. In particular, it consists in checking for the presence of at least 75% of available data, as
64 the presence of missing data can lead to insignificant, strongly distorted and/or even incorrect analysis (ISPRA 2012, 2013).
65 Instead, quality checks are defined as those techniques and activities that are used to satisfy the required quality requirements.
66 The main purpose is the detection of missing data, reporting and possibly correcting errors in order to ensure the highest
67 standard of accuracy for the optimal use of data by users. The most important prerequisites for performing a rigorous climate
68 analysis include the following:

- 69 1. checking the completeness of the series;
- 70 2. basic integrity checking and outlier management;
- 71 3. the check on the homogeneity of the series, useful to ensure that the variations present are due exclusively to climatic
72 factors (Conrad et al. 1950). This last check essentially concerns the identification of any breakpoints that represent
73 the instant in time in which the series begins to manifest a perturbation (which involves a variation on the average
74 value of the series).

75 To correctly evaluate all these issues, various methodologies have been implemented, starting from those developed by ISPRA
76 (Fioravanti et al., 2016), mostly of a statistical nature.

78 2.1.1 Completeness test

79 The study of the climate implies, by definition, the use of long time scales; in particular, the World Meteorological
80 Organization (WMO 2007) establishes in 30 years the standard length on which to carry out statistical analysis that can be
81 considered representative of the climate of a certain area. Therefore, before performing climate analysis using the station data
82 series, they must be subjected to a completeness check, which consists in verifying the availability of at least 75% of data over
83 30 years, as the presence of missing data can lead to insignificant, strongly distorted and/or even incorrect analysis (ISPRA
84 2012, 2013). In the present case, as reported in the introduction, the time series are available over a period of 20 years, from
85 2001 to 2020, thus shorter than the standard 30-year period. Nevertheless, The Role of Climatological Normals in a Changing
86 Climate (WMO, 2007) reported that, for most mean and sum parameters, 10–12 years of data provided a predictive skill similar



to that from a standard 30-year period, and “while such short periods cannot be considered to be climatological standard normals or reference normals, they are still useful to many users, and in many cases, there will be benefits to calculating such averages operationally.” In our case, with longer than 10-12 years’ time series, we chose to carry out the completeness test on 103 precipitation stations and 45 average temperature stations, considering complete the stations with at least 60% of data available over 30 years, thus requiring the presence of at least 18 complete years, where complete means that every year it has at least 75% of not null data inside it.

2.1.2 Basic integrity test

The basic integrity tests are used to search within a series for the presence of repeated, suspicious or impossible values; moreover, these tests identify equal years to each other and equal months both in different years and in the same years. In this section, the tests for precipitation and temperature will be described in Table 1.

Check	Condition to invalidate	Analyzed variables	Comments
Repeated values	10 or more identical consecutive values.	Tmax, Tmin, Prec	Missing data is not considered for temperatures. Precipitation missing data and zeros are not considered.
Zeros persistence	180 or more consecutive null values.	Prec	
Duplicate years	All daily values of one year equal to all values of another year.	Tmax, Tmin, Prec	For the precipitation the presence of at least 5 not null values is required.
Duplicate months	<u>Within the same year:</u> all the daily values of a month equal to all the values of another month. <u>In different years:</u> all daily values of a month equal to all values of the corresponding month.	Tmax, Tmin, Prec	For the precipitation the presence of at least 5 not null values is required.
Tmax equal to Tmin	Tmax equal to Tmin for 10 or more consecutive days.	Tmax, Tmin	
Null values of Tmax and Tmin	Tmax and Tmin both equal to 0 °C.	Tmax and Tmin	Identifies incorrectly used zeros in place of missing data.
Impossible values	Tmax>50°C; Tmax<-30°C Tmin > 40°C; Tmin< -40°C Prec>800mm; Prec <0 mm	Tmax, Tmin, Prec	

Table 1: Basic integrity test.



2.1.3 Identification test of anomalous values

Two different approaches are used to identify anomalous values in a series: the first is concerned with finding any jumps in the series and the second is of a climatological type. To find jumps in the series, tests defined as "interval check" are used (Gap check, Table 2). Climatological controls, on the other hand, are different in terms of temperature or precipitation, for the first the z-score is used (Table 2) which is the most common method for identifying anomalous values in the meteo-climatic data, it indicates how many standard deviations a certain value is positioned with respect to the average, the maximum value it can take is indicated by the following equation (Shiffler, 1988):

$$z_n = \frac{n-1}{\sqrt{n}}, \quad (1)$$

where n is the number of samples; this test is used because it can be assumed that the temperature has a roughly normal distribution. This methodology can only be applied to sufficiently long series, because in the case of even slightly asymmetric distributions it could cause an excessive number of false positives. The test first normalised the data using moving mean and variance, relating to the period under examination, these two values are calculated on all the data that fall within a 15-days window centred on the day we want to examine. In the case of precipitation, a percentile-based test is applied. For each day of the year a 29-days window is defined centred on the day in question and the 95th percentile of the distribution of all values other than zero that fall within the window is calculated, over the entire available period. Over the entire period in question, in the 29-days moving window, the presence of at least 20 not null values is required. The choice aimed at using percentiles for precipitation is due to the fact that this variable does not have a normal or Gaussian distribution, therefore, the standard deviation would be extremely influenced by the values found in the tail of the distribution.



Check	Condition to invalidate	Analyzed variables	Comments
Temperature Gap check	Difference ≥ 10 °C between two consecutive values in the monthly temperature distribution.	Tmax, Tmin	
Relative Humidity Gap check	Variations $\geq 30\%$ between one data and another are to be considered incorrect (Nyckowiak et al., 2010).	RH	
Precipitation Gap check	Difference ≥ 300 mm between two not null values in the monthly distribution of Prec.	Prec	
z-score	$ z \geq 6$ (Fioravanti et al., 2016)	Tmax. Tmin	At least 100 values are required over the entire period in the 15-days window.
z-score	$ z \geq 5$ (Lanzante, 1996)	RH	
95th percentile (T medium ≥ 0 or not available)	Prec 9 times the 95th percentile	Prec	At least 20 not null values are required over the entire period, in the 29-days window.
95th percentile (T medium < 0)	Prec 5 times the 95th percentile	Prec	At least 20 not null values are required over the entire period, in the 29-days window.

Table 2: Identification test of anomalous values.

2.2 Homogenization

After quality check, the time series must undergo the homogenization process (Vezzoli et al. 2012). A series is homogeneous if its variability depends exclusively on climate factors, however there may also be causes of another nature that lead to a lack of homogeneity of some kind (ISPRA 2012), such as the change of the instrumentation, changes in the position of the station or change of the environment surrounding the station (Alexandersson 1986). The moment in which time series show a perturbation is called a breakpoint, and the identification and removal of these points is not a secondary aspect. The homogenization of hourly and daily data is very complex, due to the high variability of the data and the presence of extreme values that pose many problems since they are, by definition, rare events. A further complication derives from the fact that different methods can produce discordant results for the same time series of data; for this reason it is widely believed that a careful study of inhomogeneities of a series should take into consideration the result of different statistical methods (Wijngaard



et al. 2003). Most of the statistical methodologies used are based on the comparison between the series under examination and a reference time series. Since in reality it is almost impossible to find perfect series, it is a common practice to resort to artificial reference series constructed by appropriately combining the climate signal of time series of neighboring stations sufficiently correlated with the candidate (Reeves et al. 2007). In this work will be analyzed and developed four homogeneity tests which are: the Standard Normal Homogeneity test, the Buishand Range test, the Pettitt test and the Von Neumann Ratio test.

Based on what has been said, a time series can be classified:

- Potentially homogeneous: if the time series is homogeneous for at least three out of four tests;
- Unsure: if the time series is homogeneous for two out of four tests;
- Suspect: if the time series is homogeneous for one or no in four tests.

2.2.1 Standard Normal Homogeneity test

The Standard Normal Homogeneity test (SNHT) was applied to climate data by Alexandersson in 1986. This method provides valuable noise reduction in the series and illustrates the main idea of testing relative homogeneity.

It proceeds by defining a new set of standardised ratio calculate following Eq. (2):

$$z_i = \frac{q_i - \bar{q}}{s_q}, \quad (2)$$

where \bar{q} is the arithmetic mean of ratio q_i , s_q is the series standard deviation. The new series z_i has exactly mean 0 and standard deviation 1; this is the biggest assumption of the test, because it is possible only for certainly homogeneous data as it is also a single breakpoint the standard deviation could suffer a weak bias (Reeves et al. 2007). Considering the initial assumption valid, the null and alternative hypothesis can be defined; the null hypothesis H_0 is defined following Eq. (3):

$$H_0: Z \in N(0,1), \forall i, \quad (3)$$

and the alternative hypothesis H_1 is defined following the Eq. (4):

$$H_1: \begin{cases} \text{For some } 1 \leq v < n \text{ and } \mu_1 \neq \mu_2 \text{ we have} \\ Z \in N(\mu_1, 1), \text{ for } i \leq v \\ Z \in N(\mu_2, 1), \text{ for } i > v \end{cases}, \quad (4)$$

In the null hypothesis, it is assumed that the Z has a normal distribution with 0 mean and deviation standard 1. With this it is assumed that the sequence of ratios is described by normal distribution and that the possible breakpoint is only one and consists only of a displacement from the mean value. In the alternative hypothesis, instead, μ_1 and μ_2 are the mean values of normal distributions which all have standard deviations equal to unity. The standard relationship likelihood technique (Lindgren 1968) calculated following the Eq. (5), can be used to answer this question.

$$Max_{\mu_1 \mu_2 v} = \frac{(2\pi)^{-\frac{n}{2}} e^{-\frac{1}{2} (\sum_{i=1}^v (z_i - \mu_1)^2 + \sum_{i=v+1}^n (z_i - \mu_2)^2)}}{(2\pi)^{-\frac{n}{2}} e^{-\frac{1}{2} \sum_{i=1}^n z_i^2}} > C, \quad (5)$$



Obviously the critical values of the test will depend on the number of samples that are used but are chosen to reference the ninetieth and ninetieth-fifth percentile of the distribution, therefore, these two values are taken as threshold since they are in the right position of the distribution in order not to miss false positive and detect false negative values. The reconstruction of the time series occurs by estimating each element of the series as a weighted average of a prescribed number of closest available data. The weights to be applied are calculated through the inverse distance between the observation sites (Guijarro 2018).

In the first instance it was common opinion to think that the SNHT identified discontinuities in series even shorter than five years, subsequent studies have shown the need for have at least available time series with 20 years of processed data, furthermore it has been noted the low propensity of this test to identify breakpoints in the middle years of the series, it performs better at extreme (Alexandersson et al. 1996, DeGaetano et al. 2006).

2.2.2 Buishand Range Test

Suppose you want to test the homogeneity of a time series, under the null hypothesis it is assumed that the elements of time series have the same mean. Generally the form of alternative hypothesis is vague, since there isn't prior information about the change in the mean values; usually, some assumption are made about the distribution of the data, most test require them to be independent, but this is not a serious limitation, as tests are usually performed on consecutive seasonal or annual values. Being daily data, the test developed in this work derives from the case in which the element of time series are stochastically independent and have a normal distribution, even if the test can still be applied when there are slight deviation from the normal distribution (Buishand 1982, Militino et al. 2020).

Assuming a change in the mean at time m , we can write Eq. (6)

$$E(Y_i) = \begin{cases} \mu, & i = 1, \dots, m \\ \mu + \Delta, & i = m + 1, \dots, n \end{cases}, \quad (6)$$

This model assuming an average shift of magnitude Δ after m observations; this homogenization test based on the cumulative deviation from the mean, computed by Eq. (7)

$$S_k^* = \sum_{i=1}^k (Y_i - \bar{Y}_l), \quad k = 1, \dots, n, \quad (7)$$

For a homogeneous record the result of Eq. (7) would be expected to oscillated around zero since there is no systematic error in the deviations of Y_i from the mean value \bar{Y}_l . On the other hand, if $\Delta < 0$ in the Eq. (6) many of the S_k^* are positive because Y_i tend to become larger than the mean if $i \leq m$, and smaller if $i > m$. To obtain a scaled version of the partial sums divide the S_k^* by the standard deviation of the sample obtaining the Eq. (8)

$$S_k^{**} = \frac{S_k^*}{D_y}, \quad (8)$$

The value of S_k^{**} is not sensible to linear transformations of data and therefore the homogeneity tests are based precisely on the latter. Another important statistic using to test homogeneity is the range described from the Eq. (9)



$$R = \max_{0 \leq k \leq n} S_k^{**} - \min_{0 \leq k \leq n} S_k^{**}. \quad (9)$$

The critical values for this test are obtained from the Kolmogorv-Smirnov statistics (Smirnov 1939) and subsequently taken up by various author to test the null hypothesis against the alternative one; the coefficients are three and they are 0.1, 0.05, 0.01 (Gail et al. 1976), in this work we have chosen to use the value 0.05 as critical beyond which the series is not homogeneous. Unlike the SNHT, the test currently described is able to very quickly identify the breakpoints found in the central areas of time series (Militino et al. 2020).

2.2.3 Pettitt test

Consider a sequence of random variables X_1, X_2, \dots, X_t then the sequence is said to have a change-point at τ if X_t for $t = 1, \dots, \tau$ have a common distribution function $F_1(x)$ and X_t for $t = \tau + 1, \dots, T$ have a common distribution function $F_2(x)$ and $F_1(x) \neq F_2(x)$. We consider the problem of testing the null hypothesis of “no-change”, $H: \tau = T$, against the alternative of “change”, $A: 1 \leq \tau \leq T$, using a non-parametric statistic. We make no assumption about the functional forms of F_1 and F_2 except that they are continuous (Pettitt 1979).

The Pettitt test is built following the Eq. (10)

$$D_{ij} = \text{sgn}(X_i - X_j), \quad (10)$$

where $\text{sgn}(x) = 1$ if $x > 0$, 0 if $x = 0$, -1 if $x < 0$, then consider the Eq. (11)

$$U_{t,T} = \sum_{i=1}^t \sum_{j=i+1}^T D_{ij}, \quad (11)$$

The statistic is equivalent to a Mann-Whitney statistic for testing that the two samples come from the same population (Mann 1945, Mann et al. 1947). The non parametric statistic is defined by Eq. (12)

$$K_T = \max_{1 \leq t \leq T} |U_{t,T}|, \quad (12)$$

And for change in one direction, the statistics became Eq.(13) and Eq.(14)

$$K_T^+ = \max_{1 \leq t \leq T} |U_{t,T}|, \quad (13)$$

$$K_T^- = -\max_{1 \leq t \leq T} |U_{t,T}|, \quad (14)$$

It should be noted that, on the null hypothesis H , $E(D_{ij}) = 0$ and the distribution of $U_{t,T}$ is symmetric about zero for each t .

Thus K_T^+ and K_T^- have the same null distributions.

Pettitt statistic values tend to be higher at the points that divide the time series in two parts with more pronounced differences between them. If the test maximum exceeds a certain threshold, a breakpoint is detected. Each of the two parts of the time series is examined separately for the identification of further breakpoints in the same way (Kaysely et al. 2005). This test uses



a remarkably stable distribution and provides a robust change point test resistant to outliers (Pettitt 1980b, Wijngaard et al. 2003). Such as the Buishand Range test, also this test is more skilled to find breakpoints in the central parts of the time series.

2.2.4 Von Neumann Ratio test

The Von Neumann Ratio test is defined as the ratio of the successive mean square difference, from year to years, with respect to the variance (Von Neumann 1941); assumes under the null hypothesis that the samples of the series are independent and identically distributed, the alternative hypothesis instead asserts that the series is not randomly distributed. This test does not give any specification on the position of the possible breakpoint, for this reason this test is complementary to the previous ones (Wijngaard et al. 2003)

$$N = \frac{\sum_{i=1}^{n-1} (Y_i - Y_{i+1})^2}{\sum_{i=1}^n (Y_i - \bar{Y})^2}, \quad (15)$$

If the sample contains a breakpoint that is not significant for the homogeneity of the series then the value of N will be less than 2 (Buishand 1982), instead, if there is a rapid variation in the mean, the value of N will tend to increase beyond the value 2 (Bingham et al. 1981).

2.3 Climate analysis

The climate analysis conducted in this work allows both to characterise the climate variability observed in the recent past at a local level, identifying for example a change trend already underway for some specific characteristics of the climate, and to evaluate, always locally, the climate changes expected in the future due to climate change on the basis of different scenarios disclosed by the IPCC (IPCC, 2014a; Moss et al, 2010). This analysis was carried out using the indicators considered relevant for the study of variations in intensity and frequency of extreme events, defined as events that differ, in their characteristics, substantially from the climatological average of the area over a reference period. The indicators most used to describe the intensity and frequency of occurrence of extreme events are those defined by the ETCCDI (<http://etccdi.pacificclimate.org/index.shtml>); they relate to various atmospheric variables, but those most commonly used in literature concern precipitation and temperature. Therefore, these indicators make it possible to describe the variation of the climate both in terms of average trends (variations on a seasonal and annual scale) and in terms of extremes (heat waves, very intense rains). This last characteristic makes climate indicators a tool widely used in the literature as a proxy for the study of variations in the characteristics (frequency and intensity) of particular impacts (EEA 2009; EEA 2018; EEA 2019; Mysiak et al., 2018) that the climate change determines on specific sectors of interest, in order to allow, for example, the evaluation of adaptation strategies (Karl et al., 1999; Peterson et al., 2001). The climate indicators, used in this work to describe the climate variability of the Campania Region, are reported and defined in Table 3. The calculation of the climate indicators for the



Campania Region was carried out starting from 95 observed time series of precipitation and 38 of mean temperature, whose data are available for the period 2001-2020. For the same climate indicators, the expected variations in the territory were assessed starting from the data of the COSMO CLM regional climate model (Rockel et al. 2008) at the horizontal resolution of about 8 km, forced by the global model CMCC-CM (horizontal resolution of about 80 km) (Scoccimarro et al. 2011), adopting the configuration developed over Italy by the CMCC Foundation. This configuration has shown a good ability to represent climate indicators on Italy both in terms of average and extreme values (Bucchignani et al. 2016, Zollo et al. 2016), both with respect to the E-OBS observation dataset (Haylock et al. 2008) and to some available regional datasets. Furthermore, the changes expected in the Campania region have also been assessed using the ensemble mean of the EURO-CORDEX models at maximum resolution available, about 12 km. More information about the EURO-CORDEX initiative is available at the following link <http://www.euro-cordex.net>. Furthermore, thanks to the use of an ensemble of climate models, it is also possible to associate the expected climate changes with an uncertainty analysis, a very important element for climate adaptation and risk analysis (Von Trentini et al., 2019). The expected climate changes were analysed in four different periods: 2021-2050, 2031-2060, 2051-2080 and 2071-2100, compared to the reference period 1981-2010, considering the two different IPCC scenarios RCP4.5 and RCP8.5. These calculations make it possible to provide a consistent picture of the current climate and the expected climate variations as a result of climate changes of an anthropogenic nature in the Campania Region.

	Acronym	Definition
Mean Temperature Indicators	TG – Mean Temperature (° C)	Average of the mean daily temperature.
Precipitation Indicators	RX1DAY - Maximum 1-day precipitation (mm/days)	Maximum 1-day precipitation.
	R20 - Days with intense precipitation (days)	Number of days with precipitation greater than 20 mm.
	RR1 - Rainy days (days)	Number of days with daily precipitation greater than or equal to 1 mm.
	CDD - Consecutive Dry Days (days)	Maximum number of consecutive days with daily precipitation less than 1 mm.
	R95PTOT - Fraction of precipitation on very rainy days (%)	Precipitation fraction due to precipitation greater than the 95th percentile* of the precipitation.
	PRCPTOT - Cumulative precipitation on rainy days (mm)	Cumulated (sum) of precipitation for days with precipitation greater than or equal to 1 mm.
The symbol * indicates that the percentile was calculated on the reference period considered for the calculation of the threshold.		

Table 3: Acronyms and definitions of the climate indicators considered in this work.



3 Results: observed climate variability

This section is dedicated to the results of quality check and homogenization methods of the time series, furthermore, the results obtained from the calculation of indicators on the corrected and homogenised time series are reported. A framework of the local characteristics of the climate will therefore be provided here, both in terms of average values and in terms of extreme values. All series found to be complete (Subsection 2.1) were corrected using the quality check described in subsections 2.1.2 and 2.1.3. The results obtained from the quality check showed for the precipitation that only the Caiazzo station did not pass the persistence test of zeros. For the mean temperature, as there is no quality check, all the series were considered correct and subjected to the subsequent homogenization procedure. Indeed, following the quality check carried out on the station data series that have passed the initial completeness test, each time series was evaluated for the homogeneity (Subsection 2.2) and it was found that the precipitation time series are all potentially homogeneous except for San Mauro, Napoli Capodimonte, Pozzuoli, Castel Volturno, Colle Sannita, Luogosano, Avella, Ercolano, Castel Franco in Miscano which are resulted doubtful, but applying the SNHT it is clear that the climate signal of these stations is consistent and therefore the related data series can be considered homogeneous. For mean temperature all stations have turned out potentially homogeneous since they are homogeneous for at least three out of four tests. Through the homogenization process, the data series were reconstructed to be used for the calculation of the ETCCDI indicators listed in Table 1.



Figure 1: Physical representation of Campania Region, Italy.



The results obtained from the calculation of the indicators on the homogenised and reconstructed time series of precipitation and mean temperature are exposed below. In Table 4, the average value, on annual and seasonal scale, of the climate indicators of interest, calculated for the period 2001-2020 are shown. The different seasons are respectively the winter, called DJF; spring, called MAM; summer, called JJA; and autumn, called SON. Furthermore, for both the annual and seasonal scales, the spatial variability with respect to the average value of each climatic indicator considered is shown. Figures 2, 4 and 5 are shown below, which represent the results relating to the indicators considered to be of greatest interest. Figure 2 shows the numbered list of mean temperature stations, each number uniquely identifies the name of each station shown in the maps below. The Figures below show the results relating to the single station, each value is averaged over the entire available period and represented by a colored circle with the unique number of each station reported in Figure 2. The colour of the circle is relative to the value assumed by the indicator for each station. On an annual scale (Figure 2), on the 38 stations it is noted that those located in the innermost areas of the region and higher in altitude register a lower mean temperature, while the stations located in the plains have a higher mean temperature. In Table 4, looking at the seasonal scale, it can be seen that the autumn season is on average warmer than the spring one. Figure 3 shows the numbered precipitation stations, each number uniquely identifies the name of each station shown in the maps below. In Figure 4, it is noted that the Region has zones of different annual precipitation regimes. The area with the least precipitation influx is the Benevento area where it can be found the full scale values. Almost the entire province of Naples appears to settle around an average value of about 1000 mm, in line with the expected values, with higher values near the Lattari mountains (station number 51, 88). While in the area between the Irno valley (station number 11, 25, 84 etc.), the Picentini Mts (station number 60), and the Sele valley (station number 26, 2) there is a very different pluviometric regime, ranging from about 1000 to over 1400 mm on average per year. The rainiest area of the region, at least from what emerged from this work, appears to be that of the Partenio area with values from 1500 mm onwards, with a maximum of 2100 mm for the San Martino Valle Caudina station (number 41). In Table 4, the seasonal scale shows that, as expected, the winter and autumn seasons strongly contribute to the accumulation of rain. Figure 5 shows the annual mean value of the maximum number of consecutive dry days, which, as shown by the palette on the right, range from a minimum twenty six days to a maximum of fifty five. As it is reasonable to expect the data series of stations that recorded the highest mean of consecutive days without rain they are found on the coastal strip, with peaks on the islands of Ischia and Capri and in the lower Cilento area. Furthermore, it should be noted that the maximum number of consecutive dry days decreases in the pre-Apennine and Apennine areas of the Region such as the Picentini and Partenio areas, with peaks located in the Irpinia and upper Sannio areas. The maximum daily precipitation (Figure 6) is recorded in the mountainous areas of the Lattari, Picentini and Partenio, and even if to a lesser extent, in that of the Matese on the border with Molise. In these areas there is a mean maximum precipitation in one day exceeding 100 mm/days. The areas that have the lowest maximum precipitation are those stations located in the Benevento valley with a daily maximum of 40 mm/day. In Table 4, it is noted that in autumn the daily maximums of precipitation are on average higher than in the winter ones, for which however there is a greater spatial variability. Moreover, the intense rainy days, obtained from the R20 indicator, vary from a minimum of two in the summer season to a maximum of seven in the autumn. Analysing the precipitation fractions of very rainy days, it can be



seen that the 18% of summer precipitation exceeds the 95th percentile as well as in the winter season (Table 4), while the autumn season is the one with the highest percentage of rainfall that exceeds the threshold. Looking at the rainy days (RR1) it is noted that the wettest season is winter although the highest extreme precipitation are recorded in autumn, as evidenced by the RX1DAY and R95PTOT indicators. The results describe a climate framework for the period 2001-2020 on the Campania region from which it is deduced that the mean temperature it settles on an annual average between 12°C and 18°C in relation to the geographical position of the station in question. Instead, regarding the precipitation, the wettest seasons are autumn and winter and the areas of the region where the greatest accumulations are recorded, even daily, are the mountainous areas, in particular the Picentini and Partenio mountains. Furthermore, the most extreme precipitations are recorded in the mountainous areas and in the Irno valley.

	Yearly	±SD	DJF	±SD	MAM	±SD	JJA	±SD	SON	±SD
TG °C	14,6	1,6	7,0	1,7	13,1	1,6	22,7	1,5	15,5	1,6
RX1DAY mm/day	74	16	51	15	43	12	33	6	64	12
R20 days	19	6	6	3	4	2	2	0	7	2
RR1 days	97	9	33	3	27	3	11	2	26	2
CDD days	37	6	15	2	17	2	33	5	17	1
R95PTOT %	22	1	18	2	18	2	18	3	21	1
PRCPTOT mm	1197	283	403	117	288	77	113	28	385	79

Table 4: Average annual and seasonal value, with evaluation of the spatial dispersion, of the climatic indicators of interest calculated on the station data series of the mean temperature and precipitation for the period 2001-2020.

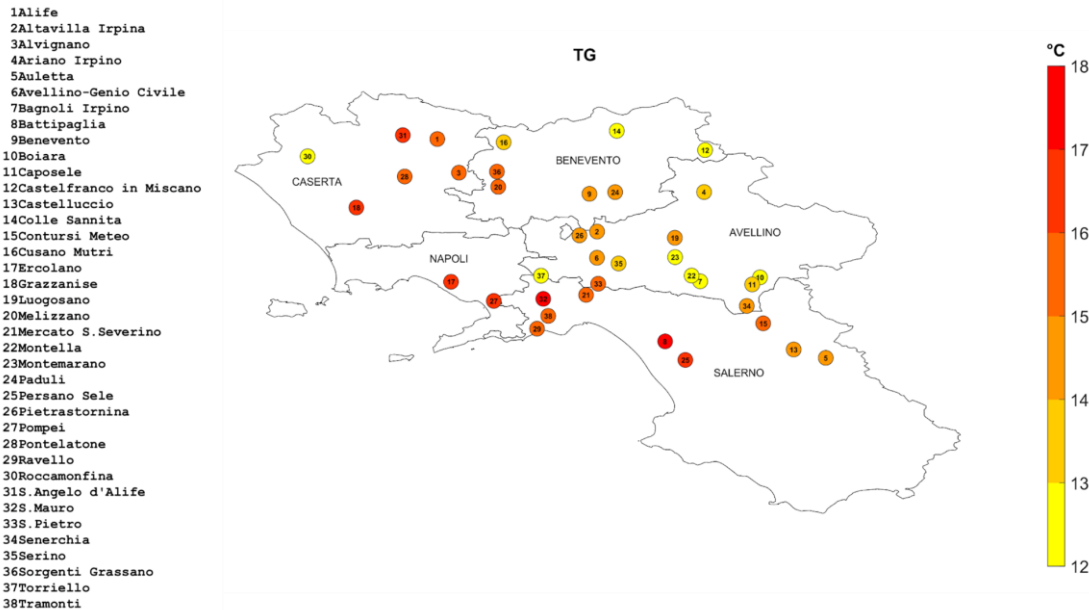


Figure 2: Mean annual value of TG indicator over the period 2001-2020 for the Campania Region.



1Grazzanise	31S.Felice a Cannello	66Pietrastornina
2Persano Sele	32Pietramelara	67Avella
3Benevento	33Liberi	68Ponte Valentino
4Montella	34Napoli Camaldoli	69Quattroventi
5Paduli	35Rotondi	70S.Castrese
6Auletta	36Arienzo	71Cologna
7Castelluccio	37Cervinara	72Pontecagnano
8Montemarano	38S.Agata dei Goti	73Tramonti
9Senerchia	39Ottaviano	74Sorrento
10S. Pietro	40Visciano	75Altavilla Irpina
11S. Mauro	41S.Martino Valle Caudina	76Serino
12Ponte Camerelle	42Cava dei Tirreni	77Maiori
13Bellosguardo	43Capri	78Amalfi
14Sarno	44Massa Lubrense	79Ravello
15Cetronico	45Corbara-S.Egidio M.	80Ercolano
16Piani di Prato	46Pellezzano	81Cetara
17Quindici	47Lettere	82Agerola
18Torriello	48Torre del Greco	83Ariano Irpino
19Contursi Meteo	49Monteforte Irpino	84Baronissi
20Alvignano	50Solofra	85Castiglione del Genovesi
21Boiara	51Pimonte	86Pontelatone
22Pompei	52Mercogliano	87Castelfranco in Miscano
23S. Angelo d'Alife	53Forino	88Gragnano
24Melizzano	54Caserta Vecchia	89Roccamonfina
25Mercato S. Severino	55Caiazzo	90Sarnoo
26Battipaglia	56Napoli Capodimonte	91Quindicii
27Alife	57Pozzuoli	92Rofrano
28Sorgenti Grassano	58Monte Epomeo	93Gioi Cilento
29Bagnoli Irpino	59Salerno Genio Civile	94Montesano Terme
30Caposele	60Giffoni Valle Piana	95S.Mauro la Bruca
	61Castel Volturno	
	62Avellino Genio Civile	
	63Cusano Mutri	
	64Colle Sannita	
	65Luogosano	

Figure 3: List of precipitation stations in the Campania Region considered in this work.

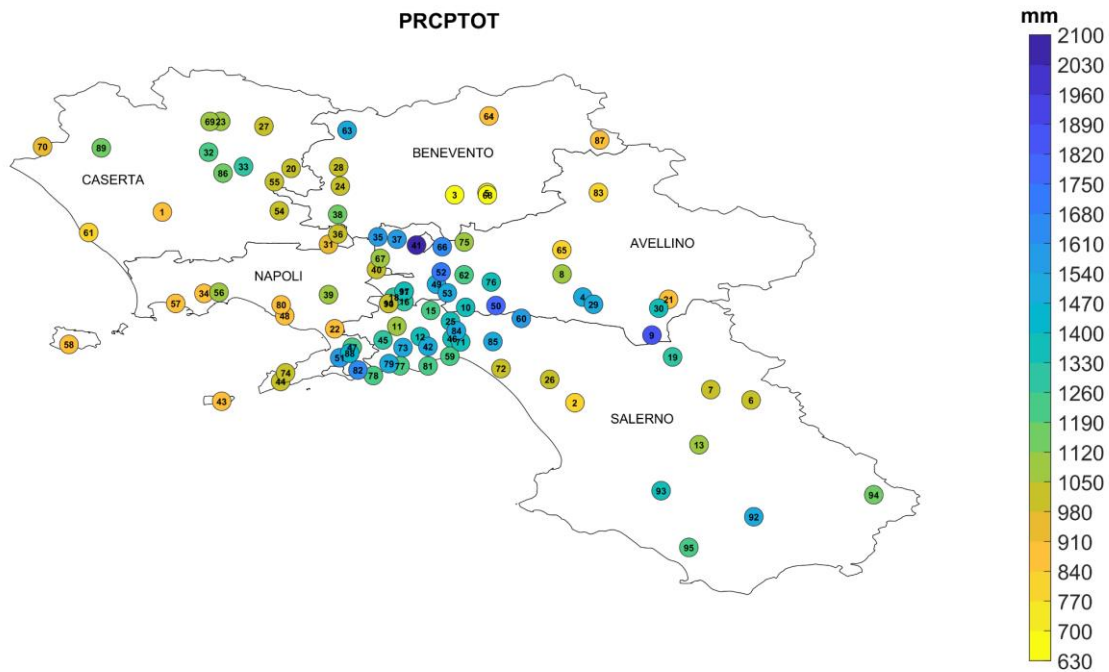


Figure 4: Mean annual value of PRCPTOT indicator over the period 2001-2020 for the Campania Region.

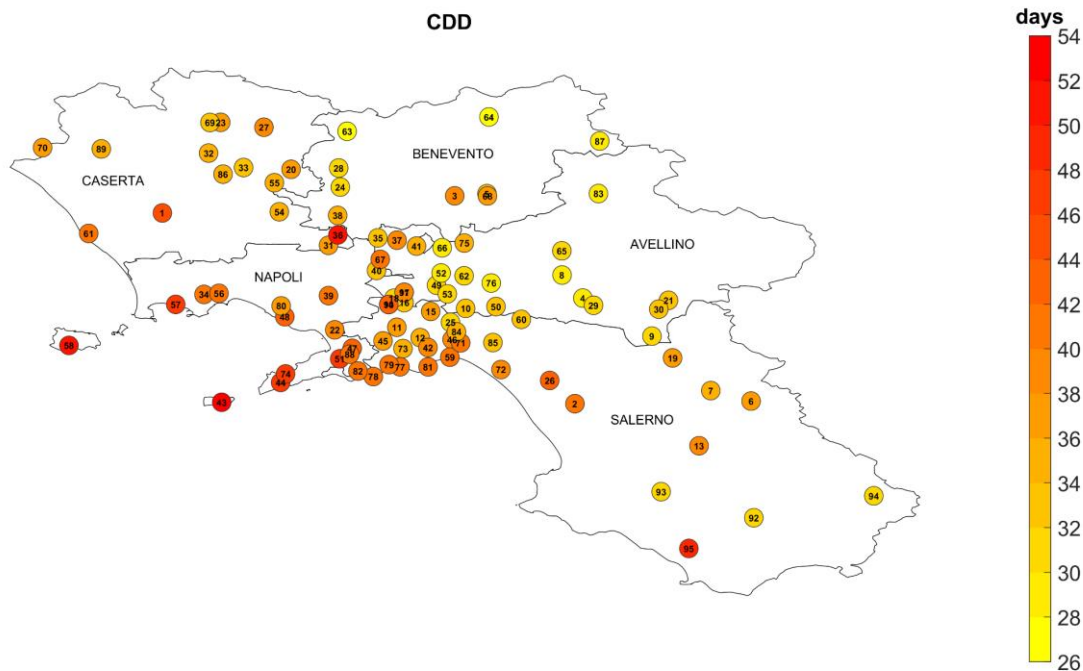


Figure 5: Mean annual value of CDD indicator over the period 2001-2020 for the Campania Region.

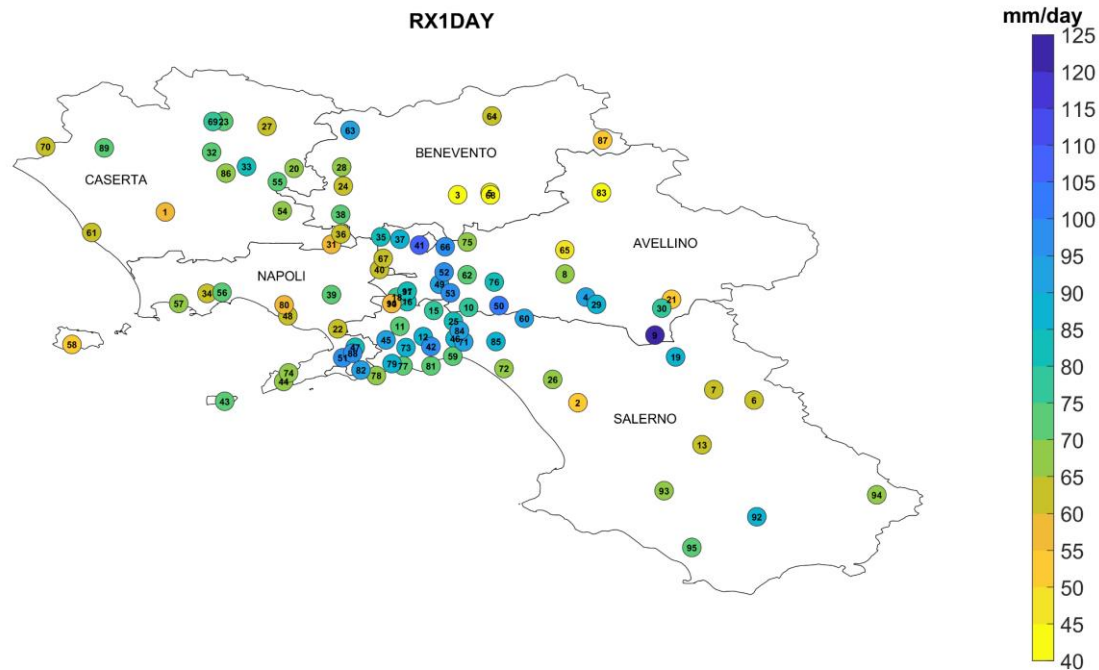


Figure 6: Mean annual value of RX1DAY indicator over the period 2001-2020 for the Campania Region.

4 Results: future climate projections

In addition to the climate framework of the Campania Region for the 2001-2020 period, necessary to characterise the current climate of the Region, this section provides the climate projections, obtained from the data simulated by the COSMO CLM model and EURO-CORDEX models, of the indicators listed in Table 3 for four different period 2021-2050, 2031-2060, 2051-2080 and 2071-2100 compared to the reference period 1981-2010, for the IPCC RCP4.5 and RCP8.5 scenarios. The climate indicators considered in this work, mainly describe the intensity and frequency of precipitation and temperature events that can be considered related to the occurrence of impacts, such as floods, cold and heat waves, fires. These analyses can then be used by subsequent sector studies aimed at evaluating the future evolution of climate change impacts on a local scale and to support climate change adaptation strategies. This section shows the results obtained on an annual scale and seasonal scale, identifying the winter season with DJF, the spring season with MAM, the summer season with JJA and the autumn season with SON. The climate anomalies of the indicators on the future thirty years of interest compared to the reference period 1981-2010 are shown below (from Table 5 to Table 8). These anomalies are obtained for each cell of the grid of the COSMO CLM model and EURO-CORDEX models, representative of the Campania Region, as the difference between the average time value of the climate indicator for the future period of interest and that relating to the reference period 1981-2010. In Table 5, the



mean temperature projections provided by COSMO CLM model show a progressive increase in the four future periods, compared to the reference period, up to an increase of 5 °C in the long term according to the RCP8.5 scenario. On the other hand, for precipitation, an increase in the daily maximums described by the RX1DAY indicator is projected against a decrease in rainy days and therefore an increase in consecutive days without rain. It follows that a negative trend is expected for the annual cumulative precipitation, up to a reduction of 13% in the thirty years 2071-2100 for the RCP8.5 scenario. On a seasonal scale (Table 6), for the mean temperature, a significant increase is expected in all four seasons, of about 2 °C until 2060, between 2 °C and 4 °C for the period 2051-2080, up to an increase of about 6 °C for the period 2071-2100. As regards precipitation, generally, heavy rains are expected to increase in winter and autumn, while a decrease is expected in spring and summer seasons. The maximum number of consecutive days without rain increases in all seasons, up to a 50% increase in the summer season for the long-term period under the RCP8.5 scenario. The cumulative precipitation, on the other hand, shows a negative variation in spring and summer.

	RCP4.5	RCP8.5	RCP4.5	RCP8.5	RCP4.5	RCP8.5	RCP4.5	RCP8.5
	Yearly	Yearly	Yearly	Yearly	Yearly	Yearly	Yearly	Yearly
TG °C	1,2	1,5	1,6	2,1	2,4	3,6	2,7	5
RX1DAY %	7	10	9	13	14	13	13	21
R20 %	5	-2	2	0	4	2	11	0
RR1 %	-8	-9	-13	-14	-15	-20	-13	-26
CDD %	7	4	16	16	25	36	19	66
R95PTOT %	3	3	4	5	6	7	6	10
PRCPTOT %	-2	-5	-6	-8	-6	-10	-2	-13
	2021-2050 vs 1981-2010		2031-2060 vs 1981-2010		2051-2080 vs 1981-2010		2071-2100 vs 1981-2010	

Table 5: Average annual anomalies of the climatic indicators of interest calculated from the data of the COSMO CLM regional model for the future periods 2021-2050, 2031-2060, 2051-2080, 2071-2100 compared to the period 1981-2010 and considering two different ones IPCC RCP4.5 and RCP8.5 scenarios.



	DJF		MAM		JJA		SON		
	RCP4.5	RCP8.5	RCP4.5	RCP8.5	RCP4.5	RCP8.5	RCP4.5	RCP8.5	
TG °C	1	1,7	1,1	1,4	1,3	1,3	1,3	1,6	2021-2050 vs 1981-2010
RX1DAY %	8	9	-5	-3	-13	-6	8	6	
R20 %	14	11	-18	-16	-15	8	18	-1	
RR1 %	-3	-9	-1	-14	-27	-11	0	4	
CDD %	3	11	22	8	6	7	-5	-6	
R95PTOT %	3	4	0	0	-2	-1	2	1	
PRCPTOT %	4	-1	-16	-15	-23	-5	11	4	
TG °C	1,6	2,3	1,3	1,2	1,9	2	1,8	2,3	2031-2060 vs 1981-2010
RX1DAY %	2	10	1	-3	-18	-18	10	12	
R20 %	-2	14	-3	-18	-12	-23	17	5	
RR1 %	-13	-15	-15	-17	-35	-29	1	-2	
CDD %	8	24	21	3	11	15	1	2	
R95PTOT %	2	6	2	0	-3	-4	2	3	
PRCPTOT %	-9	-5	-12	-17	-26	-25	12	5	
TG °C	2,1	3,3	2,1	3,1	2,8	4,1	2,7	3,6	2051-2080 vs 1981-2010
RX1DAY %	3	25	-3	-7	-18	-29	17	8	
R20 %	2	39	-9	-31	-17	-42	25	3	
RR1 %	-14	-9	-20	-28	-41	-52	4	-8	
CDD %	13	15	17	25	17	29	13	4	
R95PTOT %	3	11	1	-1	-2	-4	5	3	
PRCPTOT %	-8	9	-18	-29	-28	-45	20	1	
TG °C	2,4	4,8	2,5	4,3	2,9	5,9	3	4,9	2071-2100 vs 1981-2010
RX1DAY %	5	31	-1	-7	-9	-39	14	13	
R20 %	14	40	-9	-33	-17	-48	31	-3	
RR1 %	-8	-10	-19	-36	-32	-67	-1	-20	
CDD %	4	12	15	41	16	50	15	17	
R95PTOT %	3	13	1	0	-2	0	6	6	
PRCPTOT %	-1	11	-16	-34	-21	-49	19	-8	

Table 6: Average seasonal anomalies of the climatic indicators of interest calculated from the data of the COSMO CLM regional model for the future periods 2021-2050, 2031-2060, 2051-2080, 2071-2100 compared to the period 1981-2010 and considering two different ones IPCC RCP4.5 and RCP8.5 scenarios.

The annual anomalies calculated by EURO-CORDEX models described in Table 7 show a climate picture similar to that previously described for the COSMO CLM model. On an annual scale, Table 7 shows an increase in the phenomena of intense precipitation, in fact a general increase in the RX1DAY, R20 and R95PTOT indicators is expected. The projections also identify an increase in consecutive dry days, and a general constant decrease in the cumulative annual precipitation. As regards the mean temperature, a very significant growth trend is identified, reaching even 4 °C in the thirty years 2071-2100 for the RCP8.5 scenario.

To avoid compensation phenomena during the year, the seasonal scale is also analysed in Table 8. There is an always constant increase in temperatures over time, but less sudden, especially more marked in the spring and summer seasons. For precipitation, on the other hand, an increase in intense precipitation is expected in winter, while a decrease in rainy days, as has just been described for both RCP45 and RCP85, the latter with more pronounced values; consecutive days without rain



will increase in the spring and summer season and the projection of the RCP8.5 scenario to the thirty-year period 2071-2100 assumes a 22% decrease on the cumulative rainfall in summer. For the autumn season also in this case the projections show a decrease in rainy days but an increase in intense precipitation. Furthermore, Tables 7 and 8 show greater agreement between the EURO-CORDEX models in the short and medium term periods for both scenarios.

	RCP4.5		RCP8.5		RCP4.5		RCP8.5		RCP4.5		RCP8.5		RCP4.5		RCP8.5	
	Yearly	±SD	Yearly	±SD	Yearly	±SD	Yearly	±SD	Yearly	±SD	Yearly	±SD	Yearly	±SD	Yearly	±SD
TG °C	1	0	1	0	1,3	0	1,7	0	1,7	0,4	2,7	0,4	2	0	4	1
RX1DAY %	3	6	6	6	5	6	7	6	9	5	11	7	10	6	15	9
R20 %	3	9	2	8	2	8	3	6	3	5	6	7	6	7	1	11
RR1 %	-3	3	-4	4	-4	3	-6	4	-5	4	-9	5	-6	5	-15	7
CDD %	6	9	5	8	9	9	7	8	9	8	15	10	9	10	25	19
R95PTOT %	2	2	2	2	2	2	3	2	3	2	5	3	4	2	6	3
PRCPTOT %	-1	5	-1	6	-2	4	-2	6	-2	4	-3	7	0	6	-8	12
2021-2050 vs 1981-2010 2031-2060 vs 1981-2010 2051-2080 vs 1981-2010 2071-2100 vs 1981-2010																

Table 7: Average annual anomalies, with evaluation of the uncertainty, of the climatic indicators of interest calculated from the data of the EURO-CORDEX models for the future periods 2021-2050, 2031-2060, 2051-2080, 2071-2100 compared to the period 1981-2010 and considering two different ones IPCC RCP4.5 and RCP8.5 scenarios.

	DJF				MAM				JJA				SON			
	RCP4.5	±SD	RCP8.5	±SD	RCP4.5	±SD	RCP8.5	±SD	RCP4.5	±SD	RCP8.5	±SD	RCP4.5	±SD	RCP8.5	±SD
TG °C	0,9	0	1	0	0,8	0	1	0	1,4	0	1,5	0	0,9	0	1,3	0
RX1DAY %	4	6	3	9	1	6	-1	7	-4	12	-2	14	6	8	8	5
R20 %	7	12	5	17	0	16	-4	15	-7	27	-2	23	7	13	7	6
RR1 %	-1	6	-3	8	-3	4	-5	8	-10	11	-10	9	0	7	-1	5
CDD %	1	10	4	15	4	6	6	11	7	11	4	8	0	12	1	9
R95PTOT %	1	2	1	3	0	2	0	2	0	2	0	3	2	3	3	2
PRCPTOT %	1	8	-1	11	-3	8	-5	11	-11	14	-9	15	4	11	3	4
TG °C	1,2	0	1,5	0	1	0	1,4	0	1,8	0	2,1	0	1,2	0	1,8	0
RX1DAY %	4	6	5	7	0	5	-1	6	-5	15	-3	15	8	9	9	7
R20 %	7	10	7	13	-4	15	-5	12	-8	33	-3	27	9	14	9	8
RR1 %	-2	4	-5	7	-6	5	-8	7	-14	11	-12	12	0	8	-3	5
CDD %	1	8	7	13	4	7	9	10	10	10	6	8	-1	11	5	9
R95PTOT %	1	2	2	3	0	2	0	2	0	3	0	4	3	3	4	3
PRCPTOT %	0	36	-2	8	-6	8	-7	9	-14	15	-11	19	5	11	4	6
TG °C	1,5	0,4	2,3	0,4	1,4	0,4	2,3	0,4	2,1	0,4	3,3	0,7	1,7	0,5	2,7	0,6
RX1DAY %	4	6	8	7	0	8	1	7	-2	18	-1	16	13	8	14	7
R20 %	4	9	12	8	-3	16	-4	13	0	37	-3	27	11	11	13	11
RR1 %	-4	5	-6	6	-7	7	-13	6	-12	10	-18	16	-1	8	-6	8
CDD %	5	9	8	13	4	6	12	11	9	8	13	12	3	13	7	9
R95PTOT %	2	2	4	3	0	2	1	2	0	4	1	4	4	3	6	2
PRCPTOT %	-2	6	-1	5	-6	10	-12	7	-10	17	-14	24	6	10	4	9
TG °C	1,8	0	3,3	0	1,7	0	3,3	1	2,4	1	4,6	1	2	0	3,9	1
RX1DAY %	7	5	8	8	0	7	1	7	0	17	-6	25	14	7	18	7
R20 %	10	7	7	13	-2	13	-8	14	2	31	-15	38	12	9	7	8
RR1 %	-4	5	-11	7	-9	7	-19	8	-10	13	-28	20	-2	6	-11	8
CDD %	4	10	12	15	11	8	22	10	8	10	23	19	3	11	9	14
R95PTOT %	3	2	4	3	1	2	2	2	1	4	1	6	5	3	7	2
PRCPTOT %	1	6	-5	8	-7	8	-17	9	-7	20	-22	35	6	6	-1	9



Table 8: Average seasonal anomalies, with evaluation of the uncertainty, of the climatic indicators of interest calculated from the data of the EURO-CORDEX models for the future periods 2021-2050, 2031-2060, 2051-2080, 2071-2100 compared to the period 1981-2010 and considering two different ones IPCC RCP4.5 and RCP8.5 scenarios.

The climate framework shown by the climate projections highlights a future decrease in the cumulative total precipitation (PRCPTOT) and in the rainy days (RR1), especially in the summer season. On the other hand, an increase in consecutive days without precipitation, days of heavy rain and the fraction of rain due to precipitation above the 95th percentile in the winter and autumn seasons is expected. It is also projected an increase in the daily maximums of precipitation in winter and autumn, while a general decrease in the spring and summer seasons. The increase in consecutive days without precipitation and the decrease in total precipitation, together with the increase in extreme values, suggest that short-term but high intensity precipitation events are expected in the future. Regarding mean temperature, both scenarios and models agree on a future increase over the whole region.

5 Conclusions

The climate framework shown by the indicators calculated on the data of the meteorological station networks of the Campania region for the period 2001-2020, showed that the annual mean temperature map highlights the great dependence on the orography of the territory as lower mean temperature values are recorded for stations located in the innermost areas of the region. Again, the greatest accumulations of precipitation are concentrated in the main mountain areas, and in particular the stations located in the mountainous area of Partenio are those that recorded the highest values. Furthermore, these same areas are the ones most affected by heavy rain. Autumn and winter, as you might expect, are the seasons for which the largest accumulations of precipitation and the greatest number of intense events occur. The expected climate situation for the Campania region compared to the reference period 1981-2010 projected an increase in the mean temperature; in terms of precipitation it expected an increase in the maximum number of consecutive dry days. Furthermore, a rather general decrease in total precipitation is awaited, on the other hand, an increase in intense events is projected, especially in the autumn and winter season. From a comparison between the results on the observed climate and on the expected climate in the future period under review, it can be deduced that as total cumulative precipitation decreases, heavy rain events increase, especially in the autumn and winter season. This implies that total rainfall accumulations over the region will be caused by shorter time-scale events causing rainwater disposal problems on rainy days, and drought problems during periods when rains run out.



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